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Developing a Resistance Factor for Mn/DOT's Pile Driving Formula

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# Developing a Resistance Factor for Mn/DOT's Pile Driving Formula 

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The research presented in this manuscript makes use of a large database specifically developed for $\mathrm{Mn} / \mathrm{DOT}$ purposes. This database makes use of data originally developed for an Federal Highway Administration (FHWA) study described in publication no. FHWA-RD-94-042 (September, 1994) entitled A Simplified Field Method for Capacity Evaluation of Driven Piles, followed by an updated database denoted as PD/LT 2000 presented by Paikowsky and Stenersen (2000), which was also used for the LRFD development for deep foundations (presented in NCHRP Report 507). Sections 1.2 to 1.5 were copied from Paikowsky et al. (2009). Sections 1.2 and 1.3 are based originally on Paikowsky et al. (2004). The contributors for those databases are acknowledged for their support as detailed in the referenced publications. Mssrs. Carl Ealy and Albert DiMillio of the FHWA were constructive in support of the original research studies and facilitated data gathering via FHWA sources. Significant additional data were added to those databases, most of which were provided by six states: Illinois, Iowa, Tennessee, Connecticut, West Virginia, and Missouri. The data obtained from Mr. Leo Fontaine of the Connecticut DOT was extremely valuable to enlarge the Mn/DOT databases to the robust level presented in this study.

Previous students of the Geotechnical Engineering Research Laboratory at the University of Massachusetts Lowell are acknowledged for their contribution to the aforementioned databases, namely: John J. McDonell, John E. Regan, and Kirk Stenersen. Dr. Shailendra Amatya is acknowledged for his assistance in employing object oriented programming in the code S-PLUS for the development of the newly proposed $\mathrm{Mn} /$ DOT dynamic equation.

## EXECUTIVE SUMMARY

Driven piles are the most common foundation solution used in bridge construction across the U.S. (Paikowsky et al., 2004). The major problem associated with the use of deep foundations is the ability to reliably verify the capacity and the integrity of the installed element in the ground. Dynamic analyses of driven piles are methods attempting to obtain the static capacity of a pile, utilizing its behavior during driving. The dynamic analyses are based on the premise that under each hammer blow, as the pile penetrates into the ground, a quick pile load test is being carried out. Dynamic equations (aka pile driving formulas) are the earliest and simplest forms of dynamic analyses. Mn/DOT uses its own pile driving formula; however, its validity and accuracy has never been thoroughly evaluated. With the implementation of Load Resistance Factor Design (LRFD) in Minnesota in 2005, and its mandated use by the Federal Highway Administration (FHWA) in 2007, the resistance factor associated with the use of the $\mathrm{Mn} / \mathrm{DOT}$ driving formula needed to be calibrated and established.

Systematic probabilistic-based evaluation of a resistance factor requires quantifying the uncertainty of the investigated method. As the investigated analysis method (the model) contains large uncertainty itself (in addition to the parameters used for the calculation), doing so requires:
(i) Knowledge of the conditions in which the method is being applied, and
(ii) A database of case histories allowing comparison between the calculated value to one measured.
The presented research addresses these needs via:
(i) Establishing the $\mathrm{Mn} /$ DOT state of practice in pile design and construction, and
(ii) Compilation of a database of driven pile case histories (including field measurements and static load tests to failure) relevant to Minnesota design and construction practices.
The first goal was achieved by review of previously completed questionnaires, review of the $\mathrm{Mn} / \mathrm{DOT}$ bridge construction manual, compilation and analysis of construction records of 28 bridges, and interviews with contractors, designers, and DOT personnel. The majority of the Minnesota recently constructed bridge foundations comprised of Closed-Ended Pipe (CEP) and H piles. The most common CEP piles are 12 " x 0.25 and $16 " \times 0.3125$, installed as $40 \%$ and $25 \%$ of the total foundation length. The most common H pile is $12 \times 53$ used in $7 \%$ of the driven length. The typical CEP is $12 " \times 0.25,70 \mathrm{ft}$. long and carries 155 kips (average factored load). The typical H pile is $12 \times 53,40 \mathrm{ft}$. long and carries 157 kips . The piles are driven by Diesel hammers ranging in energy from 42 to $75 \mathrm{kip} / \mathrm{ft}$. with $90 \%$ of the piles driven to or beyond 4 Blows Per Inch (BPI) and $50 \%$ of the piles driven to or beyond 8 BPI.

Large data sets were assembled, answering to the above practices. As no data of static load tests were available from $\mathrm{Mn} / \mathrm{DOT}$, the databases were obtained from the following:
(i) Relevant case histories from the dataset PD/LT 2000 used for the American Association of State Highway and Transportation Officials (AASHTO) specification LRFD calibration (Paikowsky and Stenersen, 2000, Paikowsky et al., 2004)
(ii) Collection of new relevant case histories from DOTs and other sources

In total, 166 H pile and 104 pipe pile case histories were assembled in Mn/DOT LT 2008 database. All cases contain static load test results as well as driving system and, driving resistance details. Fifty three percent ( $53 \%$ ) of the H piles and $60 \%$ of the pipe piles in dataset $\mathrm{Mn} / \mathrm{DOT}$ LT 2008 were driven by diesel hammers.

The static capacity of the piles was determined by Davisson's failure criterion, established as the measured resistance. The calculated capacities were obtained using different dynamic
equations, namely, Engineers News Record (ENR), Gates, FHWA modified Gates, WSDOT, and $\mathrm{Mn} / \mathrm{DOT}$. The statistical performance of each method was evaluated via the bias of each case, expressed as the ratio of the measured capacity over the calculated capacity. The mean, standard deviation, and coefficient of variation of the bias established the distribution of each method's resistance.

The distribution of the resistance along with the distribution of the load and established target reliability (presented by Paikowsky et al. 2004 for the calibration of the AASHTO specifications) was utilized to calculate the resistance factor associated with the calibration method under the given condition. Two methods of calibration were used: MCS (Monte Carlo Simulation), using iterative numerical process, and FOSM (First Order Second Moment), using a closed form solution.

The $\mathrm{Mn} / \mathrm{DOT}$ equation generally tends to over-predict the measured capacity with a large scatter. The performance of the equation was examined by detailed subset databases for each pile type: H and pipe. The datasets started from the generic cases of all piles under all driving conditions ( 258 pile cases) and ended with the more restrictive set of piles driven with diesel hammers within the energy range commonly used by $\mathrm{Mn} /$ DOT practice and driving resistance of 4 or more BPI. The 52 data sub-categorizations ( 26 for all driving conditions and 26 for EOD alone) were presented in the form of a flow chart along all statistical data and resulting resistance factors. Further detailed investigations were conducted on specific subsets along with examination of the obtained resistance distribution using numerical method (Goodness of Fit tests) and graphical comparisons of the data vs. the theoretical distributions.

Due to the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation over-prediction and large scatter, the obtained resistance factors were consistently low, and a resistance factor of $\phi=0.25$ is recommended to be used with this equation, for both H and pipe piles. The reduction in the resistance factor from $\phi=0.40$ currently in use, to $\phi=0.25$, reflects a significant economical loss for a gain in a consistent level of reliability. Alternatively, one can explore the use of other pile field capacity evaluation methods that perform better than the currently used Mn/DOT dynamic equation, hence allowing for higher efficiency and cost reduction.

Two approaches for remediation are presented. In one, a subset containing dynamic measurements during driving is analyzed, demonstrating the increase in reliability when using dynamic measurements along with a simplified field method known as the Energy Approach. Such a method requires field measurements that can be accomplished in several ways.

An additional approach was taken by developing independently a dynamic equation to match $\mathrm{Mn} / \mathrm{DOT}$ practices. A linear regression analysis of the data was performed using a commercial software product featuring object oriented programming. The simple obtained equation (in its structure) was calibrated and examined. A separate control dataset was used to examine both equations, demonstrating the capabilities of the proposed new $\mathrm{Mn} / \mathrm{DOT}$ equation. In addition, the database containing dynamic measurements was used for detailed statistical evaluations of existing and proposed $\mathrm{Mn} / \mathrm{DOT}$ dynamic equations, allowing comparison on the same basis of the field measurement-based methods and the dynamic equations.

Finally, an example was constructed based on typical piles and hammers used by Mn/DOT. The example demonstrated that the use of the proposed new equation may result at times with savings and at others with additional cost, when compared to the existing resistance factor currently used by the $\mathrm{Mn} / \mathrm{DOT}$. The proposed new equation resulted in consistent savings when compared to the $\mathrm{Mn} / \mathrm{DOT}$ current equation used with the recommended resistance factor developed in this study for its use $(\phi=0.25)$.

It is recommended to establish a transition period in the field practices of pile monitoring. The use of the existing $\mathrm{Mn} /$ DOT equation with both resistance factors ( $\phi=0.40$ and $\phi=0.25$ ) should be examined against the use of the new equation and the associated resistance factors $(\phi=$ 0.60 for H piles and $\phi=0.45$ for pipe piles). The accepted factored resistance should consider all values. While collecting such data for a period of time, a longer-term testing program of dynamic and when possible static load testing should be developed in order to evaluate and review the proposed methodologies.

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## CHAPTER 1 BACKGROUND

### 1.1 RESEARCH OBJECTIVES

### 1.1.1 Overview

The $\mathrm{Mn} / \mathrm{DOT}$ pile driving formula is currently used for evaluating the capacity of driven piles during construction. This formula was not examined thoroughly either for its validity (theoretical basis) or for its performance (prediction vs. outcome). With the international and national design methodologies moving towards Probability Based Design (PBD) and the FHWA requirement to implement the AASHTO Specifications based on Load and Resistance Factor Design (LRFD) methodology, a need arises to develop reliable resistance factors for the use of $\mathrm{Mn} / \mathrm{DOT}$ pile driving formula. In doing so, the research scope calls for the buildup of a database to evaluate statistically the uncertainty of the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation. In addition, this effort enables the examination of other dynamic pile driving formulae, and possible modifications and/or alternative formulations applicable to Minnesota practices as well.

The developed resistance factor(s) need to be compatible with the LRFD development of the AASHTO specifications, and enable the reliable (quantified) use of the dynamic equation in the field, hence mitigating risk and providing cost saving.

### 1.1.2 Concise Objective

Developing a resistance factor for Mn/DOT's pile driving formula.

### 1.1.3 Specific Tasks

Meeting the concise objective requires the following specific tasks:

1. Establish Mn/DOT state of practice in pile design and construction
2. Compile databases relevant to $\mathrm{Mn} /$ DOT practices
3. Databases analysis for trend and uncertainty evaluation
4. LRFD calibration based on the obtained uncertainty
5. Methodology evaluation
6. Recommendations and final reporting

### 1.2 ENGINEERING DESIGN METHODOLOGIES

[Section 1.2 was copied from Paikowsky et al. (2009) and is based originally on Paikowsky et al. (2004).]

### 1.2.1 Working Stress Design

The working Stress Design (WSD) method, also called Allowable Stress Design (ASD), has been used in Civil Engineering since the early 1800s. Under WSD, the design loads ( $Q$ ), which consist of the actual forces estimated to be applied to the structure (or a particular element of the structure), are compared to the nominal resistance, or strength $\left(R_{n}\right)$ through a factor of safety (FS):

$$
\begin{equation*}
Q \leq Q_{a l l}=\frac{R_{n}}{F S}=\frac{Q_{u l t}}{F S} \tag{1.1}
\end{equation*}
$$

where $Q=$ design load; $Q_{\text {all }}=$ allowable design load; $R_{n}=$ nominal resistance of the element or the structure, and $Q_{u l t}=$ ultimate geotechnical foundation resistance.

The Standard Specifications for Highway Bridges (AASHTO, 1997), based on common practice, presents the traditional factors of safety used in conjunction with different levels of control in analysis and construction. Though engineering experience over a lengthy period of time resulted with adequate factors of safety, their source, reliability and performance had remained mostly unknown. The factors of safety do not necessarily consider the bias, in particular, the conservatism (i.e., underprediction) of the analysis methods; hence, the validity of their assumed effect on the economics of design is questionable.

### 1.2.2 Limit State Design

Demand for more economical design and attempts to improve structural safety have resulted in the re-examination of the entire design process over the past 50 years. A design of a structure needs to ensure that while being economically viable, it will suit the intended purpose during its working life. Limit State (LS) is a condition beyond which the structure (i.e. bridge in the relevant case), or a component, fails to fulfill in some way the intended purpose for which it was designed. Limit State Design (LSD) comes to meet the requirements for safety, serviceability, and economy. LSD most often refers, therefore, to two types of limit states: Ultimate Limit State (ULS), which deals with the strength (maximum loading capacity) of the structure, and Serviceability Limit State (SLS), which deals with the functionality and service requirements of a structure to ensure adequate performance under expected conditions (these can be for example under normal expected loads or extreme events, e.g. impact, earthquake, etc.).

The ULS design of a structure and its components (e.g. column, foundation) depends upon the predicted loads and the capacity of the component to resist them (i.e. resistance). Both loads and resistance have various sources and levels of uncertainty. Engineering design has historically compensated for these uncertainties by using experience and subjective judgment. The new approach that has evolved aims to quantify these uncertainties and achieve more rational engineering designs with consistent levels of reliability. These uncertainties can be quantified using probability-based methods resulting for example with the Load and Resistance Factor Design (LRFD) format allowing the separation of uncertainties in loading from uncertainties in resistance, and the use of procedures from probability theory to assure a prescribed margin of safety.

The same principles used in the LRFD for ULS can be applied to the SLS, substituting the capacity resistance of the component with a serviceability limit, may it be a quantified displacement, crack, deflection or vibration. Since failure under the SLS will not lead to collapse, the prescribed margin of safety can be smaller, i.e. the SLS can tolerate a higher probability of "failure" (i.e. exceedance of the criterion) compared with that for the ULS.

### 1.2.3 Geotechnical and AASHTO Perspective

The LSD and LRFD methods are becoming the standard methods for modern-day geotechnical design codes. In Europe (CEN, 2004 and e.g. for Germany DIN EN 1997-1, 2008
including the National Annex, 1 draft 2009), Canada (Becker, 2003), China (Zhang, 2003), Japan (Honjo et al., 2000; Okahara et al., 2003), the US (Kulhawy and Phoon, 2002; Withiam, 2003; Paikowsky et al., 2004), and elsewhere, major geotechnical design codes are switching from the Allowable Stress Design (ASD) or equivalently the Working Stress Design (WSD) to LSD and LRFD.

A variation of LRFD was first adopted by AASHTO for the design of certain types of bridge superstructures in 1977 under a design procedure known as Load Factor Design (LFD). The AASHTO LRFD Bridge Design and Construction Specifications were published in 1994 based on NCHRP project 12-33. Since 1994 ( $16^{\text {th }}$ edition, $1^{\text {st }}$ LRFD addition) to 2006, the AASHTO LRFD Specifications applied to Geotechnical Engineering utilized the work performed by Barker et al., (1991). This code was mostly based on adaptation of Working Stress Design (WSD) to LRFD and only marginally addresses the SLS. A continuous attempt has been made since to improve upon the scientific basis on which the specifications were developed, including NCHRP 20-7 Task 88, NCHRP 12-35 and 12-55 for earth pressures and retaining walls, NCHRP 12-24 for soil-nailing, and NCHRP 24-17 that calibrated for the first time the LRFD parameters for deep foundations based on extensive databases of deep foundation testing (Paikowsky et al., 2004). NCHRP 12-66 (headed by Samuel Paikowsky) is a major effort addressing the needs of SLS in design of bridge foundations. The project's complete approach required developing serviceability criteria for bridges based on foundation performance, defining methods for the evaluation of foundation displacements and establishing their uncertainty, and calibrating the resistance factors assigned for the use of these methods based on the established SLS and target reliability. The backbone of the study was the development of databases to establish the uncertainty of the methods used to evaluate the horizontal and vertical displacements of foundations.

### 1.3 LOAD AND RESISTANCE FACTOR DESIGN

[Section 1.3 was copied from Paikowsky et al. (2009) and is based originally on Paikowsky et al. (2004).]

### 1.3.1 Principles

The intent of LRFD is to separate uncertainties in loading from uncertainties in resistance, and then to use procedures from probability theory to assure a prescribed margin of safety. Sections 1.3 and 1.4 outline the principles of the methodology and present the common techniques used for its implementation.

Figure 1.1 shows Probability Density Functions (PDFs) for load effect (Q) and resistance (R). "Load effect" is the load calculated to act on a particular element (e.g. a specific shallow foundation) and the resistance is its bearing load capacity. As in geotechnical engineering problems, loads are usually better known than are resistances, the Q typically has smaller variability than $R$; that is, it has a smaller coefficient of variation (COV), hence a narrower PDF.

In LRFD, partial safety factors are applied separately to the load effect and to the resistance. Load effects are increased by multiplying characteristic (or nominal) values by load factors ( $\gamma$ ); resistance (strength) is reduced by multiplying nominal values by resistance factors ( $\phi$ ). Using this approach the factored (i.e., reduced) resistance of a component must be larger than a linear combination of the factored (i.e. increased) load effects. The nominal values (e.g. the nominal resistance, $R_{n}$ ) are those calculated by the specific calibrated design method and are not necessarily the means (i.e. the mean loads, $m_{Q}$, or mean resistance, $m_{R}$ of Figure 1.1). For
example, $R_{n}$ is the predicted value for a specific analyzed foundation, obtained say using Vesić's bearing capacity calculation, while $m_{R}$ is the mean possible predictions for that foundation considering the various uncertainties associated with that calculation.


Figure 1.1 An illustration of probability density functions for load effect and resistance.
This principle for the strength limit state is expressed in the AASHTO LRFD Bridge Design Specifications (e.g. AASHTO 1994 to 2008) in the following way;

$$
\begin{equation*}
R_{r}=\phi R_{n} \geq \sum \eta_{i} \gamma_{i} Q_{i} \tag{1.2}
\end{equation*}
$$

where the nominal (ultimate) resistance $\left(\mathrm{R}_{\mathrm{n}}\right)$ multiplied by a resistance factor $(\phi)$ becomes the factored resistance $\left(\mathrm{R}_{\mathrm{r}}\right)$, which must be greater than or equal to the summation of loads $\left(\mathrm{Q}_{\mathrm{i}}\right)$ multiplied by corresponding load factors $\left(\gamma_{\mathrm{i}}\right)$ and a modifier $\left(\eta_{\mathrm{i}}\right)$.

$$
\begin{equation*}
\eta_{i}=\eta_{D} \eta_{R} \eta_{I} \geq 0.95 \tag{1.3}
\end{equation*}
$$

where $\eta_{i}$ factors to account for effects of ductility $\left(\eta_{D}\right)$, redundancy $\left(\eta_{R}\right)$, and operational importance ( $\eta_{\mathrm{I}}$ ).

Based on considerations ranging from case histories to existing design practice, a prescribed value is chosen for probability of failure. Then, for a given component design (when applying resistance and load factors), the actual probability for a failure (the probability that the factored
loads exceed the factored resistances) should be equal or smaller than the prescribed value. In foundation practice, the factors applied to load effects are typically transferred from structural codes, and then resistance factors are specifically calculated to provide the prescribed probability of failure.

The importance of uncertainty consideration regarding the resistance and the design process is illustrated in Figure 1.1. In this figure, the central factor of safety is $\overline{F S}=m_{R} / m_{Q}$, whereas the nominal factor of safety is $F S_{n}=R_{n} / Q_{n}$. The mean factor of safety is the mean of the ratio $R / Q$ and is not equal to the ratio of the means. Consider what happens if the uncertainty in resistance is increased, and thus the PDF broadened, as suggested by the dashed curve. The mean resistance for this curve (which may represent the result of another predictive method) remains unchanged, but the variation (i.e. uncertainty) is increased. Both distributions have the same mean factor of safety (one uses in WSD), but utilizing the distribution with the higher variation will require the application of a smaller resistance factor in order to achieve the same prescribed probability of failure to both methods.

The limit state function $g$ corresponds to the margin of safety, i.e. the subtraction of the load from the resistance such that (referring to Figure 1.2a);

$$
\begin{equation*}
g=R-Q \tag{1.4}
\end{equation*}
$$

For areas in which $\mathrm{g}<0$, the designed element or structure is unsafe as the load exceeds the resistance. The probability of failure, therefore, is expressed as the probability for that condition;

$$
\begin{equation*}
p_{f}=P(g<0) \tag{1.5}
\end{equation*}
$$

In calculating the prescribed probability of failure $\left(\mathrm{p}_{\mathrm{f}}\right)$, a derived probability density function is calculated for the margin of safety $g(R, Q)$ (refer to Figure 1.2a), and reliability is expressed using the "reliability index", $\beta$. Referring to Figure 1.2 b, the reliability index is the number of standard deviations of the derived PDF of $g$, separating the mean safety margin from the nominal failure value of $g$ being zero;

$$
\begin{equation*}
\beta=m_{g} / \sigma_{g}=\left(m_{R}-m_{Q}\right) / \sqrt{\sigma_{Q}^{2}+\sigma_{R}^{2}} \tag{1.6}
\end{equation*}
$$

where $\mathrm{m}_{\mathrm{g}}, \sigma_{\mathrm{g}}$ are the mean and standard deviation of the safety margin defined in the limit state function Eq. (1.4), respectively.

The relationship between the reliability index $(\beta)$ and the probability of failure $\left(\mathrm{p}_{\mathrm{f}}\right)$ for the case in which both $R$ and $Q$ follow normal distributions can be obtained based on Eq. (1.6) as:

$$
\begin{equation*}
p_{f}=\Phi(-\beta) \tag{1.7}
\end{equation*}
$$

where $\Phi$ is the error function defined as $\Phi(z)=\int_{-\infty}^{z} \frac{1}{\sqrt{2 \pi}} \exp \left[-\frac{u^{2}}{2}\right] d u$. The relationship between $\beta$ and $p_{f}$ are provided in Table 1.1. The relationships in Table 1.1 remain valid as long as the assumption that the reliability index $\beta$ follows a normal distribution.


Figure 1.2 An illustration of probability density function for (a) load, resistance and performance function, and $(b)$ the performance function $(g(R, Q))$ demonstrating the margin of safety $\left(p_{f}\right)$ and its relation to the reliability index $\beta\left(\sigma_{g}=\right.$ standard deviation of $\left.g\right)$.

Table 1.1 Relationship Between Reliability Index and Target Reliability

| Reliability Index <br> $\boldsymbol{\beta}$ | Probability of Failure <br> $\mathbf{p}_{\mathbf{f}}$ |
| :---: | :---: |
| 1.0 | 0.159 |
| 1.2 | 0.115 |
| 1.4 | 0.0808 |
| 1.6 | 0.0548 |
| 1.8 | 0.0359 |
| 2.0 | 0.0228 |
| 2.2 | 0.0139 |
| 2.4 | 0.00820 |
| 2.6 | 0.00466 |
| 2.8 | 0.00256 |
| 3.0 | 0.00135 |
| 3.2 | $6.87 \mathrm{E}^{-4}$ |
| 3.4 | $3.37 \mathrm{E}^{-4}$ |
| 3.6 | $1.59 \mathrm{E}^{-4}$ |
| 3.8 | $7.23 \mathrm{E}^{-5}$ |
| 4.0 | $3.16 \mathrm{E}^{-5}$ |

As the performance of the physical behavior of engineering systems usually cannot obtain negative values (load and resistance), it is better described by a lognormal distribution. The
margin of safety is taken as $\log \mathrm{R}-\log \mathrm{Q}$, when the resistances and load effects follow lognormal distributions. Thus, the limit state function becomes:

$$
\begin{equation*}
g=\ln (R)-\ln (Q)=\ln (R / Q) \tag{1.8}
\end{equation*}
$$

If R and Q follow $\log$-normal distributions, $\log \mathrm{R}$ and $\log \mathrm{Q}$ follows normal distributions, thus the safety margin $g$ follows a normal distribution. As such, the relationship obtained in Eq. (1.7) is still valid to calculate the failure probability. Figure 1.2 b illustrates the limit state function g for normal distributed resistance and load, the defined reliability index, $\beta$ (also termed target reliability), and the probability of failure, $\mathrm{p}_{\mathrm{f}}$. For lognormal distributions, these relations will relate to the function $g=\ln (R / Q)$.

The values provided in Table 1.1 are based on series expansion and can be obtained by a spreadsheet (e.g. NORMSDIST in Excel), or standard mathematical tables related to the standard normal probability distribution function. It should be noted, however, that previous AASHTO LRFD calibrations and publications for Geotechnical engineering, notably Barker et al. (1991), and Withiam et al. (1998) have used an approximation relationship proposed by Rosenbluth and Estava (1972), which greatly errs for $\beta<2.5$, the typical zone of interest in ULS design calibration ( $\beta=2$ to 3 ) and more so in the zone of interest for SLS calibrations ( $\beta<2.0$ ).

For lognormal distributions of load and resistance one can show (e.g. Phoon et al., 1995) that Eq. (1.6) becomes:

$$
\begin{equation*}
\beta=\frac{m_{R N}-m_{Q N}}{\sqrt{\sigma_{Q N}^{2}+\sigma_{R N}^{2}}}=\frac{\ln \left[\left(m_{R} / m_{Q}\right) \sqrt{\left(1+\operatorname{COV}_{Q}^{2}\right) /\left(1+C^{2} V_{R}^{2}\right)}\right]}{\sqrt{\ln \left[\left(1+\operatorname{COV}_{R}^{2}\right)\left(1+\operatorname{COV}_{Q}^{2}\right)\right]}} \tag{1.9}
\end{equation*}
$$

in which:
$\mathrm{m}_{\mathrm{QN}}, \mathrm{m}_{\mathrm{RN}} \quad$ the mean of the natural logarithm of the load and the resistance
$\sigma_{\mathrm{QN}}, \sigma_{\mathrm{RN}}$ the standard deviations of the natural logarithm of the load and the resistance.
$\mathrm{m}_{\mathrm{Q}}, \mathrm{m}_{\mathrm{R}}, \mathrm{COV}_{\mathrm{Q}}, \mathrm{COV}_{\mathrm{R}}$ the simple means and the coefficient of variations for the load and the resistance of the normal distributions. These values can be transformed from the lognormal distribution using the following expressions for the load and similar ones for the resistance:

$$
\begin{gather*}
\sigma_{Q N}^{2}=\ln \left(1+C O V_{Q}^{2}\right)  \tag{1.10}\\
m_{Q N}=\ln \left(m_{Q}\right)-0.5 \sigma_{Q N}^{2} \tag{1.11}
\end{gather*}
$$

### 1.3.2 The Calibration Process

The problem facing the LRFD analysis in the calibration process is to determine the load factor $(\gamma)$ and the resistance factor $(\phi)$ such that the distributions of R and Q will answer to the requirements of a specified $\beta$. In other words, the $\gamma$ and $\phi$ described in Figure 1.3 need to answer to the prescribed target reliability (i.e. a predetermined probability of failure) described in Eq. (1.9). Several solutions are available and are described below, including the recommended procedure for the current research (part 1.3.5)


Figure 1.3 An illustration of the LRFD factors determination and application (typically $\gamma \geq 1$, $\phi \leq 1)$ relevant to the zone in which load is greater than resistance $(Q>R)$.

### 1.3.3 Methods of Calibration - FOSM

The First Order Second Moment (FOSM) was proposed originally by Cornell (1969) and is based on the following. For a limit state function $g(\bullet)$ :

$$
\begin{align*}
& \text { mean } \quad m_{g} \approx g\left(m_{1}, m_{2}, m_{3}, \cdots, m_{n}\right) \\
& \text { variance } \quad \sigma_{g}^{2} \approx \sum_{i=1}^{n}\left(\frac{\partial_{g}}{\partial_{x i}}\right)^{2} \bullet \sigma_{i}^{2}  \tag{1.12}\\
&  \tag{1.13}\\
& \\
& \text { or } \quad \approx \sum_{i=1}^{n}\left(\frac{g_{i}^{+}-g_{i}^{-}}{\Delta x_{i}}\right)^{2} \bullet \sigma_{i}^{2}
\end{align*}
$$

where $\mathrm{m}_{1}$ and $\sigma_{i}$ are the means and standard deviations of the basic variables (design parameters), $\chi_{\mathrm{i}}, \mathrm{i}=1,2, \ldots, \mathrm{n}, \mathrm{g}_{\mathrm{i}}^{+}=\mathrm{m}_{\mathrm{i}}+\Delta \mathrm{m}_{\mathrm{i}}$ and $\mathrm{g}_{\mathrm{i}}^{-}=\mathrm{m}_{\mathrm{i}}-\Delta \mathrm{m}_{\mathrm{i}}$ for small increments $\Delta \mathrm{m}_{\mathrm{i}}$, and $\Delta \mathrm{x}_{\mathrm{i}}$ is a small change in the basic variable value $x_{i}$.

Practically, the FOSM method was used by Barker et al. (1991) to develop closed form solutions for the calibration of the Geotechnical resistance factors $(\phi)$ that appear in the previous AASHTO LRFD specifications.

$$
\begin{equation*}
\phi=\frac{\lambda_{R}\left(\sum \gamma_{i} Q_{i}\right) \sqrt{\frac{1+\operatorname{COV}_{Q}{ }^{2}}{1+\text { COV }_{R}{ }^{2}}}}{m_{Q} \exp \left\{\beta \sqrt{\ln \left[\left(1+\operatorname{COV}_{R}{ }^{2}\right)\left(1+\operatorname{COV}_{Q}{ }^{2}\right)\right]}\right\}} \tag{1.14}
\end{equation*}
$$

where: $\quad \lambda_{R} \quad=$ resistance bias factor, mean ratio of measured resistance over predicted resistance
$\mathrm{COV}_{\mathrm{Q}}=$ coefficient of variation of the load
$\mathrm{COV}_{\mathrm{R}}=$ coefficient of variation of the resistance
$\beta \quad=$ target reliability index
When just dead and live loads are considered Eq. (1.14) can be rewritten as:

$$
\begin{equation*}
\phi=\frac{\lambda_{R}\left(\gamma_{D} \frac{Q_{D}}{Q_{L}}+\gamma_{L}\right) \sqrt{\frac{1+\operatorname{COV}_{Q D}^{2}+\operatorname{COV}_{Q L}^{2}}{1+\operatorname{COV}_{R}^{2}}}}{\left(\lambda_{Q D} \frac{Q_{D}}{Q_{L}}+\lambda_{Q L}\right) \exp \left\{\beta_{T} \sqrt{\ln \left[\left(1+\operatorname{COV}_{R}^{2}\right)\left(1+\operatorname{COV}_{Q D}^{2}+\operatorname{COV}_{Q L}^{2}\right)\right]}\right\}} \tag{1.15}
\end{equation*}
$$

where: $\quad \gamma_{\mathrm{D}}, \gamma_{\mathrm{L}} \quad=$ dead and live load factors
$\mathrm{Q}_{\mathrm{D}} / \mathrm{Q}_{\mathrm{L}} \quad=$ dead to live load ratio
$\lambda_{\mathrm{QD}}, \lambda_{\mathrm{QL}}=$ dead and live load bias factors
The probabilistic characteristics of the foundation loads are assumed to be those used by AASHTO for the superstructure (Nowak, 1999), thus $\gamma_{D}, \gamma_{L}, \lambda_{Q D}$ and $\lambda_{Q L}$ are fixed and a resistance factor can be calculated for a resistance distribution ( $\lambda_{\mathrm{R}}, \mathrm{COV}_{\mathrm{R}}$ ) for a range of dead load to live load ratios.

### 1.3.4 Methods of Calibration - FORM

LRFD for structural design has evolved beyond FOSM to the more invariant First Order Reliability Method (FORM) approach (e.g. Ellingwood et al., 1980, Galambas and Ravindra, 1978), while Geotechnical applications have lagged behind (Meyerhof, 1994). In order to be consistent with the previous structural code calibration and the load factors to which it leads, the calibration of resistance factors for deep foundations in NCHRP project 24-17 used the same methodology (Paikowsky et al., 2004). The LRFD partial safety factors were calibrated using FORM as developed by Hasofer and Lind (1974). FORM can be used to assess the reliability of a component with respect to specified limit states, and provides a means for calculating partial safety factors $\phi$ and $\gamma_{\mathrm{i}}$ for resistance and loads, respectively, against a target reliability level, $\beta$. FORM requires only first and second moment information on resistances and loads (i.e. means and variances), and an assumption of distribution shape (e.g. Normal, lognormal, etc.). The calibration process is presented in Figure 1.4 and detailed by Paikowsky (2004).


Notes: $\quad \mathrm{ST}=$ Structural $\mathrm{MC}=$ Monte Carlo
$\mu=$ mean
$G(x)=$ performance function of the limit state $=$ limit state function
$\mathrm{G}(\mathrm{x})=0=$ limit defining failure for $\mathrm{G}(\mathrm{x})<0$
$\mathrm{G}_{\mathrm{L}}(\mathrm{x})=$ linearized performance function

Figure 1.4 Resistance factor analysis flow chart (after Ayyub and Assakkaf, 1999 and Ayyub et al., 2000, using FORM - Hasofer and Lind 1974).

Each limit state (ultimate or serviceability) can be represented by a performance function of the form:

$$
\begin{equation*}
g(X)=g\left(X_{1}, X_{2}, \cdots, X_{n}\right) \tag{1.16}
\end{equation*}
$$

in which $X=\left(X_{1}, X_{2}, \ldots, X_{n}\right)$ is a vector of basic random variables of strengths and loads. The performance function $\mathrm{g}(X)$, often called the limit state function, relates random variables to either the strength or serviceability limit-state. The limit is defined as $\mathrm{g}(X)=0$, implying failure when $\mathrm{g}(X) \leq 0$ (but strictly $g(X)<0$ ) (Figures 1.2 and 1.4). Referring to Figure 1.4, the reliability index $\beta$ is the distance from the origin (in standard normal space transformed from the space of the basic random variables) to the failure surface (at the most probable point on that surface), at the point on $\mathrm{g}(\mathrm{X})=0$ at which the joint probability density function of $X$ is greatest. This is sometimes called the design point, and is found by an iterative solution procedure (ThoftChristensen and Baker, 1982). This relationship can also be used to back calculate representative values of the reliability index $\beta$ from current design practice. The computational steps for determining $\beta$ using FORM are provided by Paikowsky et al. (2004).

In developing code provisions, it is necessary to follow current design practice to ensure consistent levels of reliability over different evaluation methods (e.g. pile resistance or displacement). Calibrations of existing design codes are needed to make the new design formats as simple as possible and to put them in a form that is familiar to designers. For a given reliability index $\beta$ and probability distributions for resistance and load effects, the partial safety factors determined by the FORM approach may differ with failure mode. For this reason, calibration of the calculated partial safety factors (PSF's) is important in order to maintain the same values for all loads at different failure modes. In the case of geotechnical codes, the calibration of resistance factors is performed for a set of load factors already specific in the structural code. Thus, the load factors are fixed. In this case, a simplified algorithm was used for project NCHRP 24-17 to determine resistance factors:

1. For a given value of the reliability index $\beta$, probability distributions and moments of the load variables, and the coefficient of variation for the resistance, compute mean resistance R using FORM.
2. With the mean value for R computed in step 1 , the partial safety factor $\phi$ is revised as:

$$
\begin{equation*}
\phi=\frac{\sum_{i=1}^{n} \gamma_{i} m_{L i}}{m_{R}} \tag{1.17}
\end{equation*}
$$

where $m_{L i}$ and $m_{R}$ are the mean values of the loads and strength variables, respectively and $\gamma_{\mathrm{i}}, i=1,2, \ldots, \mathrm{n}$, are the given set of load factors.

A comparison between resistance factors obtained using FORM and those using FOSM for 160 calibrations of axial pile capacity prediction methods are presented in Figure 1.5. The data in Figure 1.5 suggest that FORM results in resistance factors consistently higher than those obtained by FOSM. As a rule of thumb, FORM provided resistance factors for deep foundations approximately $10 \%$ higher than those obtained by FOSM. The practical conclusions that can be obtained from the observed data is that first evaluation of data can be done by the simplified
closed form FOSM approach and the obtained resistance factors are on the low side (safe) for the resistance distributions obtained in the NCHRP 24-17 project (Paikowsky et al., 2004).


Figure 1.5 Comparison between resistance factors obtained using the First Order Second Moment (FOSM) vs. those obtained by using First Order Reliability Method (FORM) for a target reliability of $\beta=2.33$ (Paikowsky et al., 2004).

### 1.3.5 Methods of Calibration - MCS

Monte Carlo Simulation (MCS) became the preferable calibration tool by AASHTO and is recommended for all AASHTO related calibrations. MCS is a powerful tool for determining the failure probability numerically, without the use of closed form solutions as those given by Equations 1.14 or 1.15 . The objective of MCS is the numerical integration of the expression for failure probability, as given by the following equation.

$$
\begin{equation*}
p_{f}=P(g \leq 0)=\frac{1}{N} \sum_{i=1}^{N} I\left[g_{i} \leq 0\right] \tag{1.18}
\end{equation*}
$$

where $I$ is an indicator function which is equal to 1 for $g_{i} \leq 0$, i.e., when the resulting limit state is in the failure region, and equal to 0 for $g_{i}>0$ when the resulting limit state is in the safe region; $N$ is the number of simulations carried out. As $N \rightarrow \infty$, the mean of the estimated failure probability using the above equation can be shown to be equal to the actual failure probability (Rubinstein, 1981).

Code calibration in its ideal format is accomplished in an iterative process by assuming agreeable load and resistance factors, $\gamma$ 's and $\phi$ 's, and determining the resultant reliability index, $\beta$. When the desired target reliability index, $\beta_{\mathrm{T}}$, is achieved, an acceptable set of load and resistance factors has been determined. One unique set of load and resistance factors does not exist; different sets of factors can achieve the same target reliability index (Kulicki et al., 2007).

The MCS process is simple and can be carried out as follows:

- Identify basic design variables and their distributions. Load is assumed to be normally distributed.
- Generate $N$ number of random samples for each design variable based on their distributions, i.e. using the reported statistics of load and resistance and computergenerated random numbers.
- Evaluate the limit state function $N$ times by taking a set of the design variables generated above, and count the number for which the indicator function is equal to 1
- If the sum of the indicator function is $N_{f}$, i.e., the limit state function was $g_{i} \leq 0$ (in the failure region) for $N_{f}$ number of times out of the total of $N$ simulations carried out, then the failure probability $p_{f}$ can be directly obtained as the ratio $N_{f} / N$.

The resistance factor based on the MCS process can be calculated utilizing the fact that to attain a target failure probability of $p_{f T}, N_{f T}$ samples of the limit state must fall in the failure region. Since in the present geotechnical engineering LRFD only one resistance factor is used, while keeping the load factors constant, a suitable choice of the resistance factor would shift the limit state function so that $N_{f T}$ samples fall in the failure region. The resistance factor derived in this study using MCS is based on this concept.

Kulicki et.al (2007) made several observations regarding the above outlined process:

1. The solution is only as good as the modeling of the distribution of load and resistance. For example, if the load is not correctly modeled or the actual resistance varies from the modeled distribution, the solution is not accurate, i.e. if the statistical parameters are not well defined, the solution is equally inaccurate.
2. If both the distribution of load and resistance are assumed to be normally or lognormally distributed, Monte Carlo simulation using these assumptions should theoretically produce the same results as the closed-form solutions.
3. The power of the Monte Carlo simulation is its ability to use varying distributions for load and resistance.

In summary, refinement in the calibration should be pursued not in refining the process used to calculate the reliability index; the Monte Carlo simulation as discussed above is quite adequate and understandable to the practicing engineer. Refinement should be sought in the determination of the statistical parameters of the various components of force effect and resistance and using the load distributions available for the structural analysis, means focusing on the statistical parameters of the resistance.

### 1.4 FORMAT FOR DESIGN FACTORS DEVELOPMENT

[Section 1.4 was copied from Paikowsky et al. (2009).]

### 1.4.1 General

AASHTO development and implementation of LSD and LRFD have been driven primarily by the objectives of achieving a uniform design philosophy for bridge structural and geotechnical engineering; hence, obtaining a more consistent and rational framework of risk management in geotechnical engineering.

The previous section (1.3) detailed the principles of LRFD and described the calibration process. The philosophy of attaining this calibration, however, varies widely between choosing values based on range of already available parameters, expert opinion, comprehensive resistance calibration, or material factor approach. Previous effort to calibrate the ULS of deep foundations had concentrated on comprehensive calibration of the resistance models as an integral entity (Paikowsky et al., 2004). This philosophy was based on the fact that in contrast to other engineering disciplines (e.g. structural analysis), the model uncertainty in Geotechnical Engineering is dominant. The specifications provide an existing ideal framework for prescribed comprehensive methodology and, hence, its direct calibration when possible results with highly accurate LRFD as demonstrated in the following sub-sections. This approach was followed by and large in the development of the SLS (NCHRP 12-66) and is followed (when possible) in this study as well. The calibration of shallow foundations for ULS has, however, more complex aspects not attainable (at present time) to be calibrated directly. Hence, the following section (based primarily on Honjo and Amatya, 2005) is provided as a background to the diverse approach comprising the current research.

### 1.4.2 Material and Resistance Factor Approach

It is identified by many that some of the key issues in developing sound geotechnical design codes based on LSD and LRFD are definition of characteristic values and determination of partial factors together with the formats of design verification (Simpson and Driscoll, 1998; Orr, 2002; Honjo and Kusakabe, 2002; Kulhawy and Phoon, 2002 etc.). The characteristic values of the design parameters are conveniently defined as their mean values.

The approach concerning design factors development formats can be summarized as whether one should take a material factor approach (MFA) or a resistance factor approach (RFA). In MFA, partial factors are directly applied to characteristic values of materials in design calculation, whereas in RFA, a resistance factor is applied to the resulting resistance calculated using the characteristic values of materials. One of the modifications of RFA is a multiple resistance factor approach (MRFA) where several resistance factors are employed to be applied to relatively large masses of calculated resistances. The advantage of MRFA is claimed to ensure more consistent safety margin in design compared to RFA (Phoon et al. 1995, 2000; Kulhawy and Phoon, 2002). In general, MFA originated in Europe, whereas, RFA originated in North America. However, they are now used mixedly worldwide, e.g. the "German approach" to EC7 coincides with RFA while Eurocode 7 allows several design approaches, both MFA and RFA and the member state can define their presence in their National Annex to the EC7.

### 1.4.3 Code Calibrations

A procedure to rationally determine partial factors in the design verification formulas based on reliability analysis is termed code calibration. Section 1.3.2 and the details in sections 1.3.3, 1.3.4 and 1.3.5 presented the analytical meaning of the calibration in the LRFD methodology. One of the best known monumental works in this area is by Ellingwood et al. (1982) where load and resistance factors were determined based on a reliability analysis using FORM. Since then, a reasonable number of code calibration studies have been carried out in structural engineering (e.g. Nowak, 1999). However, rational code calibration studies in geotechnical engineering codes started only in the past decade or so (Barker et al. 1991; Phoon et al., 1995; Honjo et al., 2002; Paikowsky et al., 2004; etc.).

Barker et al. (1991) proposed resistance factors for the AASHTO bridge foundation code published in 1994 (AASHTO, 1994). The calibration was based on FOSM but used backcalculation from factors of safety and introduced a significant amount of engineering judgments in determining the factors along a not so clearly described process. Based on the difficulties encountered in using their work, the revision of the partial factors for deep foundations in the AASHTO specification was carried out by Paikowsky et al. (2004), in which a large database was developed and used in a directly calibrated model (RFA approach together with reliability analysis by FORM) to determine the resistance factors. The SLS calibration (NCHRP 12-66) was also developed in a similar approach using MCS to determine the factors. Examples from both are provided below. Phoon et al. $(1995,2000)$ carried out calibration of the factors for transmission line structure foundations based on MRFA by reliability analysis. Some simplified design formats were employed, and factors were adjusted until the target reliability index was reached. Kobayashi et al. (2003) have calibrated resistance factors for building foundations for the Architectural Institute of Japan (AIJ) limit state design building code (AIJ, 2002). This code provides a set of load and resistance factors for all aspects of building design in a unified format. FORM was used for the reliability analysis and MRFA was the adopted format of design verification as far as the foundation design is concerned.

### 1.4.4 Example of Code Calibrations - ULS

The capacity of the comprehensive direct model calibration resistance factor approach is demonstrated. Large databases of pile static load tests were compiled and static and dynamic pile capacities of various design methods were compared to the nominal strength obtained from the static load test. The geotechnical parameter variability was minimized (indirectly) by adhering to a given consistent procedure in soil parameters selection (e.g. NSPT correction and friction angle correlations), as well as load test interpretation (e.g. establishing the uncertainty in Davisson's criterion for capacity determination and then using it consistently). Two examples for such large calibrations are presented in Figures 1.6 and 1.7 for given specific dynamic and static pile capacity prediction methods, respectively (Paikowsky et al., 2004).

Further sub-categorization of the analyses led to detailed resistance factor recommendations based on pile type, soil type and analyses method combinations. Adherence to the uncertainty of each combination as developed from the database and consistent calibrations led to a range of resistance factors (see for example Table 25 of NCHRP 507 Report, Paikowsky et al., 2004). The latest version of the specifications (AASHTO, 2006) avoided the detailed calibrations and
presented one "simplified" resistance factor $(\phi=0.45)$ for static analysis of piles along with one design method (Nordlund/Thurman).


Figure 1.6 Histogram and frequency distributions for all (377 cases) measured over dynamically (CAPWAP) calculated pile-capacities in PD/LT2000 (Paikowsky et al., 2004).


Figure 1.7 Histogram and frequency distribution of measured over statically calculated pile capacities for 146 cases of all pile types (concrete, pipe, $H$ ) in mixed soil (Paikowsky et al., 2004).

The first large LRFD bridge design project in New England (including superstructure and substructure) based on AASHTO 2006 specifications is currently being carried out. A large static load test program preceded the design. Identifiable details are not provided, but Tables 1.2 and 1.3 present the capacity evaluation for two dynamically and statically tested piles (class A prediction, submitted by the PI about one month before testing) using the calibrated resistance factors for the specific pile/soil/analysis method combination vs. the "simplified" AASHTO version of the resistance factor. In both cases, the calculated factored capacity using the "simplified" resistance factor exceeded the unfactored and factored measured resistance (by the load test) in a dangerous way, while the use of the calibrated resistance factors lead to consistent and prudent design. The anticipated substructure additional cost has increased by $100 \%$ (in comparison to its original estimate based on the AASHTO specifications) and exceeded $\$ 100$ million (at the time of the load test program) and one year in project delay. The power of the comprehensive direct RFA calibration based on databases vs. arbitrary assignments of resistance factors is clearly demonstrated in the first case of its significant use in New England.

# Table 1.2 H Pile - Summary (14x177, Penetration = 112ft) 

## Static:

Static Pile Capacity Combinations:

| Analysis Combination | Estimated Capacity $\left(\mathrm{R}_{\mathrm{n}}\right)$ (kips) | NCHRP 507 <br> Resistance <br> Factor for H Piles in sand <br> ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) | NCHRP 507 <br> Resistance <br> Factor for H Piles in Mixed Soils ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) | AASHTO LRFD <br> Specifications 2006 <br> Resistance <br> Factor ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\beta$-Method/Thurman (Steel Only) | 894 | 0.30 | 268 | 0.20 | 179 | Not Specified |  |
| $\beta$-Method/Thurman (Box Area) | 1,076 |  | 323 |  | 215 |  |  |
| Nordlund/Thurman (Steel Only) | 841 | 0.45 | 379 | 0.35 | 252 | 0.45 | 379 |
| Nordlund/Thurman (Box Area) | 1,023 |  | 460 |  | 307 |  | 460 |
| FHWA Driven Ver. 1.2 (Steel Only) | 845 |  |  |  |  |  |  |
| FHWA Driven Ver. 1.2 (Box Area) | 1,032 |  |  |  |  |  |  |

Notes:

1. Resistance Factors taken from NCHRP Report 507 Table 25 for a Redundant Structure.
$\square$ Recommended range for preliminary design
Reference: Static Pile Capacity and Resistance Factors for Pile Load Test Program, GTR report submitted to Haley and Aldrich, Inc. (H\&A) dated June 21, 2006 (Paikowsky, Thibodeau and Griffin).
Note: Above DRIVEN values were obtained by inserting the friction values and unit weights directly into DRIVEN, limiting the friction angle to $36^{\circ}$.

## Dynamic:

Sakonnet River Bridge Test Pile Program Portsmouth, RI - Summary of Dynamic Measurement Predictions and Factored Resistance (H Piles)

| Pile <br> Type | Time of Driving | Energy Approach |  |  | CAPWAP |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | EA ${ }^{1}$ (kips) | $\phi^{2}$ | $\mathrm{R}_{\mathrm{r}}$ (kips) | CAP ${ }^{1}$ (kips) | $\phi^{2}$ | $\mathrm{R}_{\mathrm{r}}$ (kips) |
| H | EOD | 481 | 0.55 | 265 | 310 | 0.65 | 202 |
|  | BOR | 606 | 0.40 | 242 | 434 | 0.65 | $282^{3}$ |

${ }^{1}$ Values represent EOD predictions and average of all BOR predictions.
${ }^{2}$ All $\phi$ factors taken from NCHRP 507 (Paikowsky et al., 2004)
${ }^{3}$ Only $\phi$ factors for BOR CAPWAP appear in AASHTO (2006) specifications and are marked by shaded cells

Reference: Pile Capacity Based on Dynamic Testing and Resistance Factors for Pile Load Test Program, GTR report submitted to H\&A dated July 17, 2006 (based on earlier submittals of data and analyses) (Paikowsky, Chernauskas, and Hart).

## Static Load Test

Load Test Capacity (Davisson's Criterion):

$$
\mathrm{Q}_{\mathrm{u}}=378 \text { kips at } 0.68 \text { inch }
$$

Resistance Factors NCHRP 507 and AASHTO Specifications:
$\phi=0.55$ ( 1 test pile large site variability)
$\phi=0.70$ (1 pile medium site variability)
Factored Resistance:
$\mathrm{R}_{\mathrm{r}}=208$ to 265kips
Reference: Load Test Results presented and analyzed by H\&A.

Table 1.3 42" Pipe Pile - Summary ( $\phi=42$ ", w.t. = 1", 2" Tip, Penetration = 64ft)

## Static:

Static Pile Capacity Combinations: Assumed Displaced Soil Volume Based on Uniform Wall Thickness (1.0 inches)

| Analysis Combination | Estimated Capacity $\left(\mathrm{R}_{\mathrm{n}}\right)$ (kips) | NCHRP 507 <br> Resistance <br> Factor for Pipe Piles in sand <br> ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) | NCHRP 507 <br> Resistance <br> Factor for Pipe Piles in Mixed Soils <br> ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) | AASHTO LRFD <br> Specifications 2006 <br> Resistance <br> Factor ( $\phi$ ) | Factored Resistance ( $\mathrm{R}_{\mathrm{r}}$ ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\beta$-Method/Thurman (Steel Only) | 924 | 0.35 | 324 | 0.25 | 231 | Not Specified | - |
| $\beta$-Method/Thurman (30\% Tip Area) | 984 |  | 345 |  | 246 |  | - |
| $\beta$-Method/Thurman (50\% Tip Area) | 1,084 |  | 380 |  | 271 |  | - |
| $\beta$-Method/Thurman (70\% Tip Area) | 1,184 |  | 415 |  | 296 |  | - |
| $\beta$-Method/Thurman (100\% Tip Area, plugged) | 1,335 |  | 467 |  | 334 |  | - |
| Nordlund/Thurman (Steel Only) | 690 | 0.55 | 379 | 0.35 | 241 | 0.45 | 310 |
| Nordlund/Thurman (30\% Tip Area) | 750 |  | 412 |  | 262 |  | 337 |
| Nordlund/Thurman (50\% Tip Area) | 850 |  | 467 |  | 297 |  | 382 |
| Nordlund/Thurman (70\% Tip Area) | 950 |  | 522 |  | 332 |  | 427 |
| Nordlund/Thurman (100\% Tip Area, plugged) | 1,101 |  | 605 |  | 385 |  | 495 |

Notes:

1. Resistance Factors taken from NCHRP Report 507 Table 25 for a Redundant Structure.
2. Tip resistance for steel only included 2-inch wall thickness accounting for the driving shoe.

Recommended range for preliminary design soil plug only
Reference: Static Pile Capacity and Resistance Factors for Pile Load Test Program, GTR report submitted to Haley and Aldrich, Inc. (H\&A) dated June 21, 2006 (Paikowsky, Thibodeau and Griffin).

## Static Load Test (Open Pipe Pile)

Load Test Capacity (Davisson's Criterion):
$\mathrm{Q}_{\mathrm{u}}=320 \mathrm{kips}$ at 0.52 inch
Resistance Factors NCHRP 507 and AASHTO Specifications:
$\phi=0.55$ (1 pile large site variability)
$\phi=0.70$ ( 1 pile medium site variability)
Factored Resistance: $\quad R_{r}=176$ to 224kips
Reference: Load Test Results presented and analyzed by H\&A.

### 1.4.5 Example of Code Calibrations - SLS

The factors associated with the Serviceability Limit State were evaluated under project NCHRP 12-66. Following the development of serviceability criteria for bridges (Paikowsky, 2005; Paikowsky and Lu, 2006), large databases of foundation performance were accumulated and analyzed for direct RFA calibrations (Paikowsky et al., 2009). Examples of databases examining the performance of displacement analyses of shallow foundations are presented in Figures 1.8 and 1.9 for AASHTO (2008) and Schmertmann et al. (1978) settlement analysis methods, respectively. These robust analysis results allow direct calibration of resistance factors for applied loads for a given SLS criterion (displacement). The data in Figures 1.8 and 1.9 are related to: $1 \mathrm{ft}(0.30 \mathrm{~m}) \leq \mathrm{B} \leq 28 \mathrm{ft}(8.53 \mathrm{~m}), \mathrm{B}_{\text {avg }}=8 \mathrm{ft}(2.44 \mathrm{~m}), 1.0 \leq \mathrm{L} / \mathrm{B} \leq 6.79, \mathrm{~L} / \mathrm{B}_{\text {avg }}=1.55$, $25.2 \mathrm{ksf}(1205 \mathrm{kPa}) \leq \mathrm{q}_{\max } \leq 177.9 \mathrm{ksf}(8520 \mathrm{kPa})$ for which B and L are the smaller and larger
footing size, respectively and $\mathrm{q}_{\max }$ is the maximum stress applied to the foundations under the measured displacement.


Figure 1.8 (a) Histogram and frequency distributions of measured over calculated loads for 0.25 " settlement using AASHTO's analysis method for 85 shallow foundation cases, and (b) variation of the bias and uncertainty in the ratio between measured to calculated loads for shallow foundations on granular soils under displacements ranging from 0.25 to 3.00in.

(a)


Figure 1.9 (a) Histogram and frequency distributions of measured over calculated loads for 0.25" settlement using Schmertmann (1970) and Schmertmann et al. (1978) analysis methods for 81 shallow foundation cases, and (b) variation of the bias and uncertainty in the ratio between measured to calculated loads for shallow foundations on granular soils under displacements ranging from 0.25 to 3.00in.

### 1.5 METHODOLOGY FOR CALIBRATION

[Section 1.5 was copied from Paikowsky et al. (2009).]

### 1.5.1 Principles

Section 1.4 reviewed the format for the design factors. The resistance factor approach (RFA) was adopted in this study following previous NCHRP deep foundations LRFD database calibrations (Paikowsky et al., 2004). Figures 1.10 and 1.11 illustrate the sources of uncertainty and principal differences between Probability Based Design (PBD) application to the design of a structural element of the superstructure and to a geotechnical design of a foundation in the substructure. Considering a bridge girder as a simple supported beam under the assumption of homogenous cross-section, horizontal symmetry line and beam height, h, one can accurately calculate moments (hence, stresses) and deflections in the beam. The major source of uncertainty remains the loading (especially the live and extreme event loading on the bridge) while the material properties and physical dimensions present relatively a smaller uncertainty. Figure 1.11 (borrowing from the concept presented by Ovesen, 1989) demonstrates the higher degree of uncertainty associated with the design of a foundation. The material properties are based on subsurface investigation and direct or indirect parameter evaluation. The loading arriving to the foundation and its distribution is greatly unknown as only limited information was ever gathered on loading at the foundation level. As such, the loading uncertainty is assumed as that attributed to the design of the structural element. The main difficulty associated with the design of a foundation in comparison with a structural element, remains with the analysis model. While the calculation model in the structural element is explicit (though becoming extremely complex and less definite as the element evolves in geometry and composition and requires the interaction with other units), the analysis model for the evaluation of the soil resistance (i.e. bearing capacity) is extremely uncertain due to the assumptions and empirical data made during its establishment.

As such, the uncertainty of the geotechnical resistance model controls the resistance evaluation of the foundation. The concept adopted in this research (similar to that adopted by Paikowsky et al., 2004 for deep foundations) focused, therefore, on the calibration of selected bearing capacity (resistance) models as a complete unit while reducing other associated sources of uncertainty by following specific procedures, e.g. soil parameter establishment. This approach is discussed in section 1.4, and demonstrated in the examples presented in sections 1.4.4 and 1.4.5. The systematic analysis of many case histories via a selected resistance model and their comparison to measured resistance provided the uncertainty of the model application, but includes in it the influence of the different sites from which the data are obtained as well as the uncertainty associated with the 'measured' resistance.

The assumption made that the obtained uncertainty represents the variability of the model application for a specific foundation analysis, i.e. the resistance variability as depicted in Figures 1 and 3, is reasonable and proven successful though it may contain some conservatism, depending on the quality and reliability of the database cases. More so, the calibration of soil type, specific model and pile type combination as applied previously to deep foundations, has proven extremely effective compared to arbitrary selection of parameters or WSD backcalculated values that defeat the PBD principles as demonstrated in section 1.4.4. The present calibration is comprised mostly of adopting the vertical load statistics established in NCHRP 2417 (Paikowsky et al., 2004), and resistance for design methodologies based on the state of practice established as outline above.


## Sources of Uncertainty

- Loading
- Dimensions/Geometry
- Material Properties


Most Noticeable:

1. No uncertainty in the model - under given loading conditions the uncertainty in the material properties dictates the uncertainty in strength and deflection
2. Largest uncertainty in the loading, source, magnitude, distribution (in case of bridges)
(Assuming homogenous cross-section, horizontal symmetry line and beam height, h)
Figure 1.10 Simplified example of a beam design and associated sources of uncertainty.

Soil sampling and testing for enaineering material parameters


Uncertainty due to site, material and testing variability and estimation of parameters



Assumed Failure Pattern under Foundations

Uncertainty in the assumptions made in the model development leaves unknown analysis versus actual


## Method of Approach

- LOAD Use the load uncertainty from the structures (until better research is done)
- RESISTANCE Establish the uncertainty of the "complete" foundation resistance (capacity) analysis (including established procedures for parameters) by comparing a design procedure to measured resistance (failure).


Sources of Uncertainty

- Material properties and strength parameters
- Resistance model
- Loading

Traditional design although developed over many years and used as a benchmark has undocumented unknown uncertainty

Figure 1.11 Components of foundation design and sources of uncertainty.

### 1.5.2 Overview of the Calibration Procedure

The probability-based limit state designs are presently carried out using methods categorized in three levels (Thoft-Christensen and Baker, 1982):

Level 3: methods of reliability analyses utilizing full probabilistic descriptions of design variables and the true nature of the failure domains (limit states) to calculate the exact failure probability, for example, Monte Carlo Simulation (MCS) techniques; safety is expressed in terms of failure probability
Level 2: simplification of Level 3 methods by expressing uncertainties of the design variables in terms of mean, standard deviation and/or coefficient of variation and may involve either closed form or approximate iterative procedures (e.g. FOSM, FORM and SORM analyses) or more accurate techniques like MCS to evaluate the limit states; safety is expressed in terms of reliability index
Level 1: more of a limit state design than a reliability analysis; partial safety factors are applied to the pre-defined nominal values of the design variables (namely the loads and resistance(s) in LRFD), however, the partial safety factors are derived using Level 2 or Level 3 methods; safety is measured in terms of safety factors

Irrespective of the probabilistic design levels described above, the following steps are involved in the LRFD calibration process.

1. Establish limit state equation to be evaluated
2. Define statistical parameters of basic random variables, or the related distribution functions
3. Select a target failure probability or reliability value
4. Determine load and resistance factors consistent with the target value using reliability theory. More applicable to AASHTO LRFD geotechnical application is a variation where structural selected load factors are utilized to determine resistance factors for a given target value.

The following section outlines the work done to achieve the above steps and the way it is presented in the following chapters.

### 1.6 DYNAMIC EQUATIONS

### 1.6.1 Dynamic Analysis of Piles - Overview

Dynamic analyses of piles are methods which predict pile capacity based on the behavior of the hammer-pile-soil system during driving. Such methods are based on the idea that the driving operation induces failure in the pile-soil system. In other words, pile driving is analogous to a very fast load test under each hammer blow. The pile must, however, experience a minimum permanent displacement, or set (approximately 0.1 inch ), during each hammer blow to fully mobilize the resistance of the pile-soil system. If there is very little or no permanent downward displacement of the pile tip, then the pile-soil system experiences mostly elastic deformation. As a result, capacity predictions based on measurements taken at this time may not be indicative of
the full resistance of the pile-soil system. There are basically two methods of estimating the capacity of driven piles based on dynamic driving resistance: pile driving formulae (i.e. dynamic equations) and wave equation analysis.

### 1.6.2 Dynamic Equations - Review

For centuries quantitative analyses of pile capacity have been performed using dynamic equations, (Cummings, 1940). These equations can be categorized into three groups: theoretical equations, empirical equations, and those which consist of a combination of the two. It is important to mention that forty-five (45) of the state highway departments in the United States include a dynamic formula in their foundation specifications for the determination of bearing value for single acting steam/air hammers. Thirty (30) of these 45 states use the Engineering News Record (ENR) formula and nine (9) states use other variations of the rational pile formula, (Paikowsky, 1994). In general, all the pile formulae, with the exception of Gates formula, are derived from the rational pile formula (Bowles, 1988). With the exception of Gates and FHWA Modified Gates equations, a reference will be made here only to theoretical equations because empirical and semi-empirical equations are restricted to the conditions and assumptions of their original data set.

### 1.6.3 The Basic Principle of the Theoretical Dynamic Equations

The theoretical equations have been formulated around analyses which evaluate the total resistance of the pile, based on the work done by the pile during penetration. Observations of the hammer's ram stroke and the pile set are used in determining this work done by the hammer and the pile. These theoretical equation formulations assume elasto-plastic force-displacement relations as detailed in Figure 1.12.


Figure 1.12 The principle of the dynamic equation: (a) ram-pile mechanics, (b) elasto-plastic relations assumed between the load acting on the pile and its displacement under a single hammer impact, and (c) pile top displacement under a sequence of hammer blows.

Refering to Figure 1.12(a), the energy of a ram falling a free fall, a stroke $h$, is the nominal hammer energy: $\mathrm{E}_{\mathrm{n}}=\mathrm{mgh}=\mathrm{W}_{\mathrm{r}} \mathrm{h}$ assuming pile driving (including hammer) efficiency $\eta$, the energy transferred by the impact is:

$$
\begin{equation*}
E_{i}=E_{h} \eta=W_{r} h \eta \tag{1.19}
\end{equation*}
$$

Assuming elasto-plastic pile movement force relations as depicted in Figure 1.12(b), the total work done by the pile during penetration can be computed as:

$$
\begin{equation*}
W=R_{u}\left(S+\frac{Q}{2}\right) \tag{1.20}
\end{equation*}
$$

where: $\mathrm{R}_{\mathrm{u}}$ - the yield resistance = ultimate carrying pile capacity,
S - the pile set, denoting the permanent displacement of the pile under each hammer blow, equivalent to the soil's plastic deformation.
Q - quake, denoting the elastic deformation of the pile-soil system.
The set and the quake can be measured directly from the pile movement under the impact of the hammer as depicted in Figure 1.12(c) for a sequence of three blows. The image in Figure 1.12 (c) refers to a tracing of pile movement obtained by passing a pen on the pile from left to right while the pile moves under the three blows.

Equating the energy delivered by the hammer to the work done by the pile in penetration,

$$
\begin{gather*}
E_{i}=W \\
W_{r} \cdot h \cdot \eta=R_{u}(s+Q / 2) \\
R_{u}=\frac{W_{r} h \eta}{(s+Q / 2)} \tag{1.21}
\end{gather*}
$$

This energy equilibrium equation is the valid basis of all the theoretical equations.
A theoretical expansion of equation 1.21 is presented in the form of the General (a.k.a. Rational) Pile Driving Formula (Chellis, 1961).

$$
\begin{equation*}
R_{u}=\frac{e_{f} E_{n}}{s+1 / 2\left(C_{1}+C_{2}+C_{3}\right)} X \frac{W_{r}+e^{2} W_{p}}{W_{r}+W_{p}} \tag{1.22a}
\end{equation*}
$$

where: Ru - ultimate carrying pile capacity
$\mathrm{e}_{\mathrm{f}}=$ hammer efficiency
$\mathrm{E}_{\mathrm{n}}=$ nominal hammer energy
$\mathrm{W}_{\mathrm{r}}=$ weight of falling ram
$W_{p}=$ weight of pile
s = set
$\mathrm{C}_{1}$, = elastic (temporary) compression of pile head and cap
$\mathrm{C}_{2}$, = elastic (temporary) compression of pile
$\mathrm{C}_{3}=$ elastic (temporary) compression of the soil
$\mathrm{e}=$ coefficient of restitution
For drop hammers or single acting steam hammers, Chellis proposed to use the nominal energy $\mathrm{E}_{\mathrm{n}}=\mathrm{W}_{\mathrm{r}} \cdot \mathrm{h}$, hence, falls back to Hiley (1930) formula (marked as equation 1.22b in Table 1.4).

Many of the 'theoretical' equations possess the shape of the general (rational) equation in one form or another (including the $\mathrm{Mn} / \mathrm{DOT}$ dynamic formula). The general equation is clearly
made of two parts; the term on the left expands on the energy equilibrium format of Equation 1.20 by attempting to evaluate the quake as the combined elastic compression of the driving system, pile and the soil. The term on the right side of Equation 1.22a is an attempt to evaluate the energy loss in the impact between the ram, the assembly and the pile. For detailed development of this term and/or the rational equation see Hiley (1930), Cummings (1940), Taylor (1948) or Bowles (1977). Cummings (1940) notes that the originator of this equation may be Redtenbacher (ca. 1859). This term is based on Newton's conservation of momentum theory, what is commonly known as Newtonian impact. However, this theorem is applicable to a collision between extremely rigid (stiff) bodies (e.g. billiard balls) and is theoretically invalid for an elastic impact as is the case in pile driving (noted so by Sir Newton himself).

The Gates equation (Gates, 1957), while empirical was found to provide reasonable results (e.g. Olsen and Flaate, 1967, Long et al., 1999, Paikowsky et al., 2004). The equation was further enhanced by the FHWA (FHWA, 1988, see also Fragaszy et al., 1985) based on statistical correlation with static load test data.

### 1.6.4 Summary of Various Dynamic Equations

A list of known dynamic equations developed over the years is presented in Table 1.4.

### 1.6.5 The Reliability of the Dynamic Equations

In general, dynamic equations are of limited accuracy (see for example Housel, 1965, 1966, Flaate, 1964 and Olsen and Flaate, 1967) and a high factor of safety is therefore required when using their un-calibrated estimated capacity (e.g. F.S. $=6$ for the ENR equation). Dynamic equations are largely inaccurate because: (a) their parameters, such as the efficiency of energy transfer and the pile/soil quake, are crudely approximated, (b) some of the theoretical developments of the rational pile formula, especially those relating the energy transfer mechanism to a Newtonian analysis of ram-pile impact, are theoretically invalid (see aforementioned discussion), and (c) There is no differentiation between static and dynamic soil resistances where it is known that such differences exist, especially in cohesive soils (Taylor, 1948).

### 1.6.6 LRFD Calibration of Dynamic Equations

Paikowsky et al., (2004) checked the prediction accuracy of the ENR equation, Gates and FHWA modified Gates equation for 384 cases. These cases included all pile types, all hammer types and all time of driving, i.e. end of driving and restrikes, hence, related at times to multiple records of the same pile. The equations investigated, in contrast with the Mn/DOT pile driving equation, do not require field observations other than the blow count at the end of driving. Data PD/LT 2000 was therefore directly utilized for the evaluation of the uncertainty of the methods as presented in Table 1.5.

Table 1.5 also presents the resistance factors calculated for the established uncertainty using three reliability indices. Further details of the findings and comparisons to those obtained in the present study are presented in Chapter 7.

Table 1.4 Dynamic Equations

| No. | Equation | Description | Reference |
| :---: | :---: | :---: | :---: |
| 1.22a | $R_{u}=\frac{e_{f} W_{r} h}{s+1 / 2\left(C_{1}+C_{2}+C_{3}\right)} X \frac{W_{r}+e^{2} W_{p}}{W_{r}+W_{p}}$ | Drop Hammers, Single-Acting Steam Hammers | Hiley (1930) |
| 1.22b | $R_{u}=\frac{12 e_{f} E_{n}}{s+1 / 2\left(C_{1}+C_{2}+C_{3}\right)} X \frac{W_{r}+e^{2} W_{p}}{W_{r}+W_{p}}$ | Double-Acting, Differential-Acting Steam \& Diesel Hammers | Chellis (1961) |
| 1.23 | $R_{u}=\frac{W_{r} * h}{S+1.0}$ | Drop Hammer | Engineering NewsRecord (1888) |
| 1.24 | $R_{u}=\frac{W_{r}{ }^{*} h}{S+0.1}$ | Steam Hammer | Engineering News- <br> Record (1888) |
| 1.25 | $R_{u}=27.11 \sqrt{E_{n} * e_{h}}(1-\log s)$ |  | Gates (1957) |
| 1.26 | $R_{u}=1.75 \sqrt{E_{n}} * \log (10 * N)-100$ |  | FHWA (1988) |
| 1.27 | $R_{u}=\frac{W H}{S} * \frac{W}{W+W_{p}}$ |  | Eytelwein (see Chellis, 1961) |
| 1.28 | $R_{u}=-\frac{S A E_{p}}{L}+\sqrt{\left(\frac{2 W H A E_{p}}{L}\right)+\left(\frac{S A E_{p}}{L}\right)^{2}}$ |  | Weisbach |
| 1.29 | $R_{u}=\frac{e_{f} W H}{S+\left(2 e_{f} W H L / A E_{p}\right)^{1 / 2}}$ |  | Danish (Olsen \& Flaate, 1967) |
| 1.30 | $R_{u}=7.2 \sqrt{e_{f} W H} * \log (10 / S)-17$ | Timber Piles | Olsen \& Flaate (1967) |
| 1.31 | $R_{u}=9.0 \sqrt{e_{f} W H} * \log (10 / S)-27$ | Precast Concrete Piles | Olsen \& Flaate (1967) |
| 1.32 | $R_{u}=13.0 \sqrt{e_{f} W H} * \log (10 / S)-83$ | Steel Piles | Olsen \& Flaate (1967) |
| 1.33 | $R_{u}=\frac{e_{h} E_{h} C_{1}^{1}}{s+C_{2}^{1} C_{3}^{1}}$ |  | Canadian Building Code (1975), see Bowles (1977) |
| 1.34 | $R_{u}=\frac{e_{h} E_{h}}{s+C_{1}^{2}}$ |  | Olsen \& Flaate (1967) |
| 1.35 | $R_{u}=\frac{e_{h} E_{h}}{k_{u} s}$ | Janbu | Olsen \& Flaate (1967), <br> Mansur \& Hunter (1970) |
| 1.36 | $R_{u}=\left[\frac{1.25 e_{h} E_{h}}{s+C}\right]\left[\frac{W_{r}+n^{2} W_{p}}{W_{r}+W_{p}}\right]$ | using F.S. $=6$ and impact energy calculation | Engineering NewsRecord (1965) |
| 1.37 | $R_{u}=\frac{e_{h} h\left(W_{r}+A_{r} p\right)}{s+C}$ |  | AASHTO (1973-1976) |
| 1.38 | $R_{u}=\frac{e_{h} E_{h}}{s\left(1+0.3 C_{1}^{3}\right)}$ |  | Navy McKay (see Bowles, 1977) |
| 1.39 | $R_{u}=\frac{e_{h} E_{h} C_{1}^{4}}{s+C_{2}^{4}}$ |  | Pacific Coast (see Uniform Building Code and Bowles, 1977) |

Notes:
$\mathrm{R}_{\mathrm{u}}=$ ultimate carrying capacity of pile, in pounds (1.22a, 1.22b)
$\mathrm{R}_{\mathrm{u}}=$ ultimate carrying capacity of pile, in kips
$\mathrm{R}_{\mathrm{u}}=$ ultimate carrying capacity of pile, in tons (1.30, 1.31, 1.32)
$\mathrm{W}_{\mathrm{r}}=$ weight of falling ram, in pounds (1.22a, 1.22 b )
$\mathrm{W}_{\mathrm{r}}=$ weight of falling mass, in tons $(1.30,1.31,1.32)$
$\mathrm{W}_{\mathrm{r}}=$ weight of falling mass, in kips
$\mathrm{E}_{\mathrm{n}}=$ rated energy of hammer per blow, in foot-pounds (1.22a, 1.22b)
$\mathrm{h}=$ height of free fall of ram, in inches (1.22a, 1.22b, 1.30, 1.31, 1.32)
$e_{f}=$ efficiency
$\mathrm{W}_{\mathrm{p}}=$ weight of pile, in pounds (1.22a, 1.22b)
$e=$ coefficient of restitution
$\mathrm{s}=$ final set of pile, in inches (1.22a, 1.22b, 1.30, 1.31, 1.32)
$\mathrm{C}_{1}=$ temporary compression allowance for pile head and cap, in inches (PL/AE)
$\mathrm{C}_{2}=$ temporary compression of pile, in inches (PL/AE)
$\mathrm{C}_{3}=$ quake, in inches
$h=$ height of free fall of ram, in feet
$E_{n}=$ rated energy of hammer per blow, in kips-foot
$\mathrm{s}=$ set of pile, in inches
$\mathrm{N}=$ blows per inch (BPI)
$\mathrm{A}=$ cross-section of pile
$\mathrm{E}_{\mathrm{p}}=$ modulus of elasticity of pile
$\mathrm{L}=$ pile length
$\mathrm{C}=2.5 \mathrm{~mm}=0.1$ inches
$\mathrm{p}=$ steam pressure
$\mathrm{k}=0.25$ for steel piles $=0.10$ for all other piles
$C_{1}^{1}=\frac{W_{r}+n^{2}\left(0.5 W_{p}\right)}{W_{r}+W_{p}}$
$C_{2}^{1}=\frac{3 R_{u}}{2 A}$
$C_{3}^{1}=\frac{L}{E}+C_{4}^{1}$
$C_{1}^{2}=\sqrt{\frac{e_{h} E_{h} L}{2 A E}}$
$C_{4}^{1}=0.0001 \mathrm{in}^{3} / \mathrm{k}=3.7 \times 10^{-10} \mathrm{~m}^{3} / \mathrm{kN}$
$k_{u}=C_{d}\left(1+\sqrt{1+\frac{\lambda}{C_{d}}}\right)$
$C_{d}=0.75+0.15 \frac{W_{p}}{W_{r}}$
$\lambda=\frac{e_{h} E_{h} L}{A E s^{2}}$
$C_{1}^{3}=\frac{W_{p}}{W_{r}}$
$C_{1}^{4}=\frac{W_{r}+k W_{p}}{W_{r}+W_{p}}$
$C_{2}^{4}=\frac{P_{u} L}{A E}$

Table 1.5 Statistical Summary and Resistance Factors of the Dynamic Equations (Paikowsky et al., 2004)

| Method |  | Time of Driving | No. of Cases | Mean | Standard <br> Deviation | COV | Resistance Factors for a given Reliability Index, $\beta$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 2.0 |  |  |  |  | 2.5 | 3.0 |
|  | ENR |  | General | 384 | 1.602 | 1.458 | 0.910 | 0.33 | 0.22 | 0.15 |
|  | Gates | General | 384 | 1.787 | 0.848 | 0.475 | 0.85 | 0.67 | 0.53 |
|  | FHWA <br> Modified Gates | General | 384 | 0.940 | 0.472 | 0.502 | 0.42 | 0.33 | 0.26 |
|  |  | EOD | 135 | 1.073 | 0.573 | 0.534 | 0.45 | 0.35 | 0.27 |
|  |  | $\begin{gathered} \text { EOD } \\ \text { Bl. Ct. }<4 \mathrm{BPI} \end{gathered}$ | 62 | 1.306 | 0.643 | 0.492 | 0.60 | 0.47 | 0.37 |
| WEAP |  | $E O D$ | 99 | 1.656 | 1.199 | 0.724 | 0.48 | 0.34 | 0.25 |

Notes: EOD = End of Driving; BOR = Beginning of Restrike; Bl. Ct. = Blow Count; ENR = Engineering News Record Equation; $\quad$ BPI $=$ Blows Per Inch; $\quad$ COV $=$ Coefficient of Variation; Mean $=$ ratio of the static load test results (Davisson's Criterion) to the predicted capacity $=K_{S X}=\lambda=$ bias

### 1.7 DYNAMIC METHODS OF ANALYSIS USING DYNAMIC MEASUREMENTS

### 1.7.1 Overview

Dynamic measurements allow to obtain stresses and strains at the pile top following the hammer impact. Processing the obtained data allows to calculate the force and velocity signals with time and, hence, calculate the energy delivered to the pile's top and other relevant parameters (e.g. maximum and final pile top displacement).

Methods of analysis that require dynamic measurements can be broadly categorized as those that utilize a simplified analysis of instantaneous pile capacity evaluation for each hammer blow and those that require elaborate calculations (e.g. signal matching) traditionally carried out in the office. One relevant method of each category is described below and evaluated as part of this research study.

### 1.7.2 The Energy Approach

The Energy Approach uses basic energy relations (presented in section 1.6.3, equation 1.20) in conjunction with dynamic measurements to determine pile capacity. The concept was first presented by Paikowsky (1982) and was examined on a limited scale by Paikowsky and Chernauskas (1992). Extensive studies of the Energy Approach method were carried out by Paikowsky et al. (1994), Paikowsky and LaBelle (1994), and Paikowsky and Stenersen (2000). The underlying assumption of this approach is the balance of energy between the total energy delivered to the pile and the work done by the pile/soil system with the utilization of measured data. The basic Energy Approach equation is:

$$
\begin{equation*}
R_{u}=\frac{E_{\max }}{\operatorname{Set}+\frac{\left(D_{\max }-\operatorname{Set}\right)}{2}} \tag{1.40}
\end{equation*}
$$

where $\mathrm{R}_{\mathrm{u}}=$ maximum pile resistance, $\mathrm{E}_{\max }=$ measured maximum energy delivered to the pile, $\mathrm{D}_{\max }=$ measured maximum pile top displacement, and Set = permanent displacement of the pile at the end of the analyzed blow, or $1 /$ measured blow count. For further details regarding the Energy Approach method see Paikowsky et al. (1994) and Paikowsky (1995).

### 1.7.3 Signal Matching Analysis

The signal matching technique is often referred to as postdriving analysis or the office method. With the availability of faster, portable computers, it became reasonably simple to conduct the analysis in the field, though it is not a field method analysis as it cannot be carried out for each blow during driving. The response of the modeled pile-soil system (e.g., force at the pile top) under a given boundary condition (e.g., measured velocity at the pile top) is compared to the measured response (force measured). The modeled pile-soil system or, more accurately, the modeled soil that brings about the best match (visual graphical match) between the calculated and measured responses, is assumed to represent the actual soil resistance. The static component of that resistance is assumed to be the pile's capacity and reflects that time of driving. The signal matching procedure was first suggested by Goble et al. (1970), utilizing the computer program CAPWAP. Others developed similar analyses, (e.g., Paikowsky 1982; Paikowsky and Whitman 1990) utilizing the computer code TEPWAP. The TNO program was developed by Middendorp and van Weel (1986), which led to improvements and to the CAPWAPC program, which in its modified forms, is used to date.

### 1.8 RESEARCH STRUCTURE AND EXECUTION

### 1.8.1 Summary of Research Structure

The research is centered on the development of databases containing case histories of driven piles, statically load tested to failure, relevant to $\mathrm{Mn} / \mathrm{DOT}$ practices. The databases are used to investigate $\mathrm{Mn} /$ DOT dynamic pile formula, as well as others, and establish the statistical parameters of the methods' uncertainty. The obtained results along with established target reliability, load distributions and load factors are then used for developing resistance factors to be used with the dynamic equations. Independent development of Mn/DOT alternative dynamic formula is presented and proposed.

### 1.8.2 Task Outline for the Research Execution

Task 1 - Establish Mn/DOT State of Practice Data relevant to the subsurface conditions and practices of substructure design and construction in Minnesota are collected and summarized. This ensures the relevance of the pile performance database (see Task 2) to the needs of $\mathrm{Mn} / \mathrm{DOT}$. In developing the state of design and practice use is made of the following: (1) a detailed questionnaire distributed as part of NCHRP project 12-66 (Paikowsky and Canniff, 2004) and completed by Mr. Dave Dahlberg of the Mn/DOT, and (2) review of local construction records, interviews of contractors, designers and DOT personnel.

Task 2 - Database Compilation A database compiled at UML (PD/LT 2000) is modified to a new database (Mn/DOT/LT 2008) in order to address the specific needs of MN. The required actions include: (1) review of all cases and eliminating unrelated data, (e.g pile types,
sizes, soil conditions etc. not relevant to $\mathrm{Mn} / \mathrm{DOT}$ practices) (2) searching original reports for the construction details required for the proposed research (3) updating database Mn/DOT/LT 2008.

Task 3 - Database Analyses All relevant cases are analyzed using at least four different dynamic equations, including: (1) Mn/DOT equation, (2) FHWA modified Gates (3) ENR and, (4) WA DOT. All results related to the piles' static capacity based on Davisson's failure criterion and statistical parameters of mean and bias of the ratios are evaluated for each method. In addition, (a) in depth evaluation of the $\mathrm{Mn} / \mathrm{DOT}$ equation is carried out as to uncertainty and possible improvements, and (b) independent analysis of the data including sub categorization based on driving resistance, End of Driving vs. Beginning of Restrike, pile and soil types, etc. are performed.

Task 4 - LRFD Calibration The statistical parameters calculated in Task 3 are used along with the target reliability, load distribution and load factors used in NCHRP 24-17 (for the AASHTO deep foundations, Paikowsky et al., 2004) to calculate the appropriate resistance factors using MC method of analysis.

Task 5 - Methodology Evaluation Provided that Task 3 yields a significant database for statistical analysis, an independent control group can be assembled from additional case histories not included in $\mathrm{Mn} / \mathrm{DOT} / \mathrm{LT}$ 2008. These cases are used for independent evaluation of the factors recommended in Task 4. This task may include work on possible load test program carried out by the Mn/DOT.

## Task 6 - Final Report

A final report and a presentation of results, including the details of the analyses and recommended resistance factors, is prepared. Presentation of results in the $\mathrm{Mn} / \mathrm{DOT}$ is expected as part of the scope of the project included in the final report.

### 1.9 MANUSCRIPT OUTLINE

Background information dealing with the project, LRFD calibration and dynamic analyses is presented in Chapter 1. Chapter 2 establishes the Mn/DOT state of practice, being in line with Task 1. The developed databases and their investigations are presented in Chapter 3 being in line with Task 2. Chapter 3 follows the various stages of databases developments and their relevance to $\mathrm{Mn} /$ DOT practices. Chapter 4 presents the first stage analysis of the databases aimed at investigating the uncertainty of the different dynamic equations. The second stage of the analysis of the databases involves sub-categorization based on hammer type and energy level and is presented in Chapter 5. Both Chapters 4 and 5 relate to Tasks 3 and 4 as the analyses presented followed by LRFD calibrations. Chapter 6 presents the development of an independent $\mathrm{Mn} /$ DOT dynamic equation and its evaluation. Chapter 7 compares different methods' performance including those based on dynamic measurements. Chapter 8 summarizes the findings and presents the recommendations of this research study.

## CHAPTER 2 ESTABLISH MN/DOT STATE OF PRACTICE

### 2.1 OBJECTIVES AND METHOD OF APPROACH

Data relevant to the subsurface conditions and practices of substructure design and construction in Minnesota were collected and summarized. This compilation of data ensures the relevance of the pile performance database to the needs of the Mn/DOT. The following steps were used in developing the state of design and practice: (1) a detailed questionnaire distributed as part of NCHRP project 12-66 (Paikowsky, 2004) and completed by Mr. Dave Dahlberg of the $\mathrm{Mn} / \mathrm{DOT}$, (2) review of $\mathrm{Mn} / \mathrm{DOT}$ bridge construction manual, and (3) review of local construction records of 28 bridges, interviews of contractors, designers and DOT personnel.

### 2.2 SUMMARY OF PREVIOUS SURVEY

The following major findings are summarized based on the survey conducted as part of project NCHRP 12-66 and completed by Engineer David Dahlberg in August 2004.

1. In 2003: 33 bridges built, and 66 bridges rehabilitated. In 1999-2003, 66 bridges built, 269 bridges rehabilitated
2. Bridge types: $50 \%$ multi-span simple supported (mostly prestressed girders), $17 \%$ multi-span continuous, $24 \%$ single-span simple supported, $9 \%$ integral abutment (simple and multi-span).
3. Most abutments are semi-stub and most piers are column bent.
4. $\mathrm{Mn} / \mathrm{DOT}$ is using driven piles as $85 \%$ of the bridge foundations.
5. Batter piles are the preferable choices for withstanding lateral loads with batter between $1 \mathrm{H}: 6 \mathrm{~V}$ to $1 \mathrm{H}: 4 \mathrm{~V}$.
6. Most piers ( $95 \%$ ) are supported by 5 or more driven piles.

### 2.3 INFORMATION GATHERED FROM THE MN/DOT BRIDGE CONSTRUCTION MANUAL (2005)

### 2.3.1 Piles and Equipment

1. Steel piles are most often used as driven piles, H piles, most commonly HP $10 x 42$ and HP $12 \times 53$ are mentioned.
2. Precast Presstressed Concrete Piles (PPC) are rarely used.
3. Drop hammers and S/A steam/air hammers are rarely used. D/A hammers are also used with unknown frequency. Guidelines for ram weight and drop heights are provided.
4. Diesel hammers are the pile driving hammers of choice with the common types being MKT, ICE and Delmag.
5. Swinging leads are the most common crane set-up for pile driving.

### 2.3.2 Inspection and Forms

1. Clear guidelines for pile driving inspection are provided including the need to obtain the mill shipping papers and the material tests required if those are missing.
2. A detailed list of inspection requirements is provided in the manual under "MAKE CERTAIN", p. 5-393.162(2) calling for high quality detailed inspection and data gathering.
3. A pile and driving equipment data form is provided in the manual (Figure A J-393, 161) for the information collection as used in the WE analysis.
4. A detailed overview of ASD and LRFD principles is provided along with:
a. Examples of load calculations and determination of required nominal pile bearing resistance $\left(\mathrm{R}_{\mathrm{n}}\right)$
b. A practical suggestion to review the "Construction Notes" on the first sheet of the bridge plans (see p. 5-393.160(2)) and if the foundations were designed using LRFD methodology, the following note will appear "The pile load shown in the plans and the corresponding bearing capacity ( $\mathrm{R}_{\mathrm{n}}$ ) was compiled using LRFD methodology."

### 2.3.3 Testing and Calculations

1. Indicator piles (termed Test Piles) are required with clear guidelines for high quality supervisions.
2. Test pile reports are completed on standardized forms with completed examples provided in the manual (Figures A, B, E, and F on p. 5-393-105).
3. Pile redriving (restriking) is clearly explained and outlined. Examples of test pile and pile driving reports that incorporate pile redrives are provided (Figures M, N, and O on p. 5-393.165).
4. Evaluation of safe pile capacity (safety margins included) is provided via pile driving formulas (section 5-393.160), formulated for both ASD and LRFD.
5. Pile load tests - Though general practice suggests relying on dynamic formulas, detailed guidelines of static pile load tests are provided including:
a. Form for a pile load test data (Figure A p.5-393.167)
b. Examples of presentation and analyses of pile load test data (Figures B, and C p. 5-393.167).

### 2.4 REQUIRED ADDITIONAL INFORMATION FOR CURRENT STUDY

1. Type and frequency of piles and driving equipment used in $\mathrm{Mn} /$ DOT projects.
2. Typical soil profiles.
3. Preferable combinations of typical soil profile, pile type, design load, driving equipment, end of driving, restrike and redrive criteria.

### 2.5 METHOD OF APPROACH

### 2.5.1 Contractors

1. Identify all major pile driving contractors performing pile driving for the $\mathrm{Mn} / \mathrm{DOT}$ projects.
2. Meet the major contractors, phone interview the smaller contractors and review with them using a questionnaire:
a. Details of equipment and construction methods used; specifically:
i. hammers used (manufacturer, year, size, typical setting)
ii. driving systems (cushions, capblocks, etc.)
iii. are vibratory hammers being used? If so, to what stage prior to driving? What equipment do they use?
iv. how often do they use preboring and their experience with it, especially to what depth do they typically prebore relative to final tip penetration
v. how often to they use jetting and their experience with it, especially to what depth do they typically jett relative to final tip penetration.
b. Their preferable driving practices assuming they determine the piles and equipment (i.e. assuming value engineering is allowed and proposed by them) considering hammer/pile combination including, if possible, range of loads.

### 2.5.2 DOT

1. Review with DOT senior Geotechnical personnel the following: (i) best ways to go about achieving our goals, and (ii) what projects do they suggest us to look at. Make sure to include (i) projects with most recent practices (on the order of a 1-year period), and (ii) projects containing most valuable and detailed data (dynamic measurements, static load tests, etc.).
2. Compile a project and pile case list, the more cases we have, the better, but not less than say 40 piles and at least 20 piles for each pile type (e.g. H Piles, Pipe piles-differentiating between open and closed ended, etc.) on at least 10 different project sites.
3. Once a list of projects is compiled; identify for each project:
a. Original design pile type, size, design load
b. Subsurface conditions, typical boring logs, subsurface cross-sections
c. As built pile type size, design load
d. Equipment used in construction
e. Construction details, jetting, predrilling, vibrating depths, etc.
f. Criteria for stop driving (penetration, blow count, refusal, etc.), specify restrike and redrive cases.
g. Monitoring type and quality: observation of resistance (blow counting), saximeter data, dynamic measurements, static load tests, etc.
h. Frequency of damage identification and type (pile breakage).
i. For completeness of the above, gather the aforementioned Mn/DOT Bridge Construction Manual forms as much as possible; e.g. pile and driving equipment
data forms, test pile reports, pile capacity evaluation, WEAP submittal, geotechnical reports, etc.
4. In case of difficulties, best to consult the DOT's Project Engineer for the specific site.

### 2.6 FINDINGS

### 2.6.1 Mn/DOT - Details of Selected Representative Bridges

Table 2.1 provides details of bridge names, locations, bridge type, number of spans, total length and width of the bridge, type of construction, and the year the bridge was completed. The 28 projects were selected by $\mathrm{Mn} / \mathrm{DOT}$ personnel and represent the most typical design and practices over the past four years. Table 2.1 A provides the bridge construction classification used for the categorization of Table 2.1.

Table 2.2 provides the soil conditions and pile type with pile size details of the selected representative bridges.

Appendix A provides the foundation construction details of the selected representative bridges including indicator piles driving resistance, etc.

Table 2.3 provides a summary of the side and tip soil strata for each of the different pile types for each bridge, final energy of the pile driving hammer, final set of the pile, and evaluation of capacity using the $\mathrm{Mn} / \mathrm{DOT}$ formula.

Table 2.4 provides a summary for each project including pile type, number of piles, average and total pile length, design load and total load. In developing the loading per pile for projects designed in the Allowable Stress Design Methodology (ASD), the ratio of the factor of safety to resistance factor, F.S. $=1.4167 / \phi$ was implemented (Paikowsky, 2004). As such, the design load was substituted by its LRFD factored load in the following way:

$$
\begin{equation*}
\text { Factored Load }(\text { LRFD })=1.4167 \times \text { Design Load }(\text { ASD }) \tag{2.1}
\end{equation*}
$$

For example, Bridge \#34027 (Case \#5, Table 2.3), design load per pile was calculated as the total load divided by the number of piles. In this case, the total ASD load was $1800+1800+$ $2688+2688=8,976 \mathrm{kips}$ carried by 96 CEP $12 \times 0.25$ inch piles. This results in an average pile load of $93.5 \mathrm{kips}(\mathrm{ASD})=132.5 \mathrm{kips}(\mathrm{LRFD})$. The value 132.5kips appears in Table 2.4, third entry.

### 2.6.2 Contractors Survey

Appendix B presents three surveys completed by various pile driving contractors from the State of Minnesota, providing detailed answers of available equipment and pile driving practices and preferences.

### 2.7 SUMMARY OF DATA

### 2.7.1 Summary Tables

Tables 2.5 to 2.8 present a summary and statistical analyses of the 28 selected bridge projects. Table 2.5 summarizes the range of pile length, average pile length, total load and average load per pile categorized according to pile type. For example, the data of Table 2.5
suggests that the most commonly used pile ( $40 \%$ ) was a CEP 12 " $\times 0.25$ " with an average length of 70 ft and an average design (factored) load of 155 kips.

Table 2.1 Mn/DOT - Details of Selected Representative Bridges

| Case <br> No. | Bridge Name | MN <br> Bridge <br> Number | Bridge Type | Notation | \# of Spans | Span Lengths (ft) | Total Length (ft) | Width <br> (ft) | Construction Type | Year <br> Built |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Ramp 35W to TH 62 | 27V66 | Continuous, multi-span | MS-C | 3 | 150,200,150 | 509 | 34 | Precast segmental box | 2007 |
| 2 | TH 121 to TH 62 | 27 V 69 | Simple, multi-span | MS-S | 2 | 65,80 | 145 | 25-33 | Prestressed concrete beams | 2007 |
| 3 | Ramp 35W to TH 62 | 27 V 73 | Continuous, multi-span | MS-C | 3 | 120,170,120 | 419 | 33 | Precast segmental box | 2007 |
| 4 | Ramp Over Nicollet Ave. | 27V75 | Continuous, multi-span | MS-C | 6 | $\begin{aligned} & 120,200,200, \\ & 200,200,120 \end{aligned}$ | 1089 | 43 | Precast segmental box | 2007 |
| 5 | TH 62 Over Nicollet Ave. | 27V78 | Simple, single-span | SS-S | 1 | 85 | 85 | 55 | Prestressed concrete beams | 2007 |
| 6 | Ramp over 35W / TH 62 | 27 V 79 | Continuous, multi-span | MS-C | 7 | 110,180(x5),110 | 1159 | 45 | Precast segmental box | 2007 |
| 7 | Diamond Lake Road | 27 V 84 | Continuous, multi-span | MS-C | 2 | 103,103 | 208 | 70 | Steel plate girders | 2007 |
| 8 | TH 59 over CPRR | 03009 | Simple, multi-span | MS-S | 5 | 43,73,50,73,55 | 298 | 89 | Prestressed concrete beams | 2007? |
| 9 | Zumbro River | 25027 | Continuous, multi-span | MS-C | 3 | 55,66,66 | 187 | 53 | Prestressed rect. concrete beams | 2004 |
| 10 | TH 23 over TH 71 | 34027 | Simple, multi-span | MS-S | 3 | 51,103,51 | 215 | 45 | Prestressed concrete beams | 2005 |
| 11 | CSAH 9 over TH 23 | 34028 | Simple, multi-span | MS-S | 2 | 113,113 | 230 | 61 | Prestressed concrete beams | 2003 |
| 12 | TH 23 over Nest Lake | 34013 | Simple, multi-span | MS-S | 2 | 78,78 | 160 | 108 | Prestressed concrete beams | 2003 |
| 13 | TH 171 over Red River | 35010 | Continuous, multi-span | MS-C | 7 | 65,78(x5),65 | 520 | 43 | Steel beams | 2006 |
| 14 | TH 75 over Two Rivers | 35012 | Simple, multi-span | MS-S | 2 | 72,72 | 149 | 48 | Prestressed concrete beams | 2006 |
| 15 | TH 15 over Crow River | 43016 | Simple, multi-span | MS-S | 3 | 52,80,52 | 188 | 101 | Prestressed concrete beams | 2005 |
| 16 | TH 371 over CSAH 46 | 49037 | Simple, multi-span | MS-S | 3 | 55,88,55 | 199 | 46 | Prestressed concrete beams | 2005 |
| 17 | TH 371 over CSAH 46 | 49038 | Simple, multi-span | MS-S | 3 | 55,88,55 | 199 | 46 | Prestressed concrete beams | 2005 |
| 18 | TH 371 over CSAH 47 | 49039 | Simple, multi-span | MS-S | 3 | 55,90,55 | 202 | 46 | Prestressed concrete beams | 2005 |
| 19 | TH 371 over CSAH 47 | 49040 | Simple, multi-span | MS-S | 3 | 55,90,55 | 202 | 46 | Prestressed concrete beams | 2005 |
| 20 | $48^{\text {th }}$ Street over TH 63 | 55068 | Simple, multi-span | MS-S | 2 | 115,115 | 236 | 104 | Prestressed concrete beams | 2003 |
| 21 | TH 63 over Willow Creek | 55073 | Continuous, multi-span | MS-C | 3 | 36.5,44.0,36.5 | 120 | $\sim 80$ | Concrete Slab | 2004 |
| 22 | Woodlake Dr. over Willow Creek | 55075 | Continuous, multi-span | MS-C | 3 | 36.5,44.0,36.5 | 120 | 57 | Concrete Slab | 2003 |
| 23 | 35E Ramp over TH 694 | 62902 | Continuous, multi-span | MS-C | 9 | $\begin{gathered} 125.5,155,270, \\ 258,219,219, \\ 219,260,192.5 \\ \hline \end{gathered}$ | 1928 | 52 | Steel plate girders | 2006 |
| 24 | TH 22 over Horseshoe Lake | 73035 | Simple, multi-span | MS-S | 4 | 56,57,57,56 | 229 | 43 | Prestressed concrete beams | 2006 |
| 25 | TH 14 over CSAH 60 | 81003 | Simple, multi-span | MS-S | 2 | 145,145 | 297 | 46 | Prestressed concrete beams | 2004 |
| 26 | TH 14 over CSAH 60 | 81004 | Simple, multi-span | MS-S | 2 | 145,145 | 297 | 46 | Prestressed concrete beams | 2004 |
| 27 | CSAH 3 over TH 14 | 81005 | Simple, multi-span | MS-S | 2 | 107,107 | 220 | 65 | Prestressed concrete beams | 2004 |
| 28 | TH 74 over Whitewater River | 85024 | Simple, multi-span | MS-S | 2 | 84,84 | 169 | 43 | Prestressed concrete beams | 2006 |

Table 2.1A MN Bridge Construction Classification of Details

| Bridge <br> Type | Superstructure Type |  |
| :---: | :---: | :---: |
| 1 | 2 | 3 |
| Multispan Simple Supported | Steel Girders | Multiple Beam/Girders |
|  |  | Box Girders |
|  | Concrete | Prestressed Girders |
|  |  | CIP Box Girders |
|  |  | Concrete Slab |
| Multispan Continuous | Steel Girders | Multiple Beam/Girders |
|  |  | Box Girders |
|  | Concrete | Prestressed Girders |
|  |  | CIP Box Girders |
|  |  | Concrete Slab |
| Single Span <br> Simple <br> 1.1.1.1.1.1 | Steel <br> Girders | Multiple Beam/Girders |
|  |  | Box Girders |
|  | Concrete | Prestressed Girders |
|  |  | CIP Box Girders |
|  |  | Concrete Slab |

Notes:
2

| Bridge Type | Superstructure Type |  |
| :---: | :---: | :---: |
| 1 | 2 | 3 |
| Integral Abutment Simple Span | Steel Girders | Multiple Beam/Girders |
|  |  | Box Girders |
|  | Concrete | Prestressed Girders |
|  |  | CIP Box Girders |
|  |  | Concrete Slab |
| Integral <br> Abutment <br> Multispan | Steel Girders | Multiple Beam/Girders |
|  |  | Box Girders |
|  | Concrete | Prestressed Girders |
|  |  | CIP Box Girders |
|  |  | Concrete Slab |
| Specify Others if Relevant to New Design |  |  |

Typical Mn/DOT construction practice:

1. Multi-span simple supported prestressed concrete girders bridge with a typical span of 100 ft semi-stub abutment and column bent pier.
2. Single-span simple supported prestressed concrete girders bridge with a typical span of 100 ft (up to 150 ft ) semi-stub abutment.
3. Multi-span continuous steel girders with a typical span of 120 ft semi-stub abutment and column bent pier.
4. Multi-span integral abutment bridges steel girders with a typical span of 100 ft and prestressed concrete girders with a typical span of 50 ft , pile supported integral abutment and pile bent with encasement wall piers

| B. Bearing Type |  |
| :--- | :--- |
| B1 | Elastomeric Bearings |
| B2 | Seismic Isolaters |
| B3 | Rocker Bearings |
| B4 | Roller Bearings |
| B8 | Siding Plate Bearing |
| B6 | Pot Bearing |
| B7 | Spherical Bearing |
| B8 | Lead Rubber |
| B9 | Others, please specify |

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| D. Pier Type |  |
| :--- | :--- |
| D1 | Hammerhead S/M |
| D2 | Column Bent |
| D3 | Pile Bent |
| D4 | Solid Wall |
| D5 | Integral Pier |
| D6 | Others, please specify |



Table 2.2 Mn/DOT Foundation Details of Selected Representative Bridges

| $\begin{array}{\|c\|\|} \hline \text { Case } \\ \text { No } \end{array}$ | Bridge Name | MN Bridge No. | General Soil Condition |  |  |  |  |  |  |  |  | Foundation Type |  | Foundation Size |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Abutments |  |  |  | Piers |  |  |  |  | Abutments | Piers | Abutments |  | Piers |  |  |  |  |
|  |  |  | Designation | Soil | Designation | Soil | 1 | 2 | 3 | 4 | 5 |  |  |  |  | 1 | 2 | 3 | 4 | 5 |
| 1 | $\begin{aligned} & \text { Ramp 35W } \\ & \text { to TH } 62 \end{aligned}$ | 27V66 | North Abut | Sand | South Abut | Sand | Sand | Sand | - | - | - | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | North 16" CIPC 5/16" Wall 30 piles 70 ft long | South <br> 16" CIPC <br> $5 / 16^{\prime}$ Wall <br> 34 piles <br> 80 ft long | $\begin{aligned} & 16 \text { " CIPC } \\ & 5 / 16^{\prime} \text { Wall } \\ & 30 \text { piles } \\ & 80 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{aligned} & \text { 16" CIPC } \\ & 5 / 16^{\prime \prime} \text { Wall } \\ & 30 \text { piles } \\ & 70 \mathrm{ft} \text { long } \end{aligned}$ | - | - | - |
| 2 | $\begin{aligned} & \text { TH } 121 \text { to } \\ & \text { TH } 62 \end{aligned}$ | 27V69 | West Abut | Loose Sand | East Abut | Loose Sand, Clay | Peat, Sand | - | - | - | - | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | West 12" CIPC 1/4" Wall 12 piles ( +5 wingwall) 70 ft long | East <br> 12" CIPC <br> $1 / 4$ " Wall <br> 11 piles <br> $(+4$ wingwall $)$ <br> 80 ft long | 12" CIPC <br> 1/4" Wall <br> 18 piles <br> 80 ft long | - | - | - | - |
| 3 | Ramp 35W to TH 62 | 27 V 73 | West Abut | Loose Sand | East Abut | Fine Sand, Gravel | Loose Sand | Fine Sand, Gravel | - | - | - | H-Pile | H-Pile | West HP $14 \times 73$ <br> 23 piles 55 ft long | East <br> HP $14 \times 73$ <br> 33 piles <br> 50 ft long | HP 14x73 <br> 20 piles <br> 50 ft long | HP $14 \times 73$ <br> 20 piles <br> 50 ft long | - | - | - |
| 4 | Ramp Over Nicollet Ave. | 27V75 | West Abut | Fine <br> Sand, <br> Org. | East Abut | Fine Sand, Org. | Fine Sand, Gravel | Fine Sand, Gravel | Fine Sand, Gravel | Fine Sand, Gravel | Fine Sand, Gravel | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | West 16 " CIPC $5 / 16^{\prime \prime}$ Wall 56 piles 65 ft long | East $16^{\prime \prime}$ CIPC $5 / 16^{\prime \prime}$ Wall 42 piles 70 ft long | $\begin{aligned} & 16^{\prime \prime} \text { CIPC } \\ & 5 / 16^{\prime \prime} \text { Wall } \\ & 36 \text { piles } \\ & 65 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{aligned} & \text { 16" CIPC } \\ & 5 / 16^{\prime \prime} \text { Wall } \\ & 40 \text { piles } \\ & 65 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{aligned} & \text { 16" CIPC } \\ & \text { 5/16" Wall } \\ & 45 \text { piles } \\ & 70 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{aligned} & \text { 16" CIPC } \\ & 5 / 16^{\prime} \text { Wall } \\ & 40 \text { piles } \\ & 70 \mathrm{ft} \text { long } \end{aligned}$ | 16" CIPC <br> 5/16" Wall <br> 40 piles <br> 70 ft long |
| 5 | TH 62 Over Nicollet Ave. | 27V78 | West Abut | Fine Sand, Gravel | East <br> Abut | Fine Sand, Gravel | - | - | - | - | - | CIPC <br> Pipe | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | West 16" CIPC 1/4" Wall 34 piles 60 ft long | $\begin{gathered} \text { East } \\ \text { 16" CIPC } \\ \text { 1/4" Wall } \\ 34 \text { piles } \\ 60 \mathrm{ft} \text { long } \\ \hline \end{gathered}$ | - | - | - | - | - |
| 6 | Ramp over $35 \mathrm{~W} / \mathrm{TH} 62$ | 27V79 | East Abut | Loose <br> Sand, <br> Fine <br> Sand, <br> some <br> Clay | West Abut | Fine Sand, Gravel | Loose <br> Sand, <br> Fine <br> Sand | Loose <br> Sand, <br> Fine <br> Sand | Loose <br> Sand, <br> Fine <br> Sand | Loose <br> Sand, <br> Fine <br> Sand, <br> Gravel | Loose Sand, Fine Sand, Gravel | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | East 16" CIPC 5/16" Wall 24 piles 40 ft long | West 16" CIPC 5/16" Wall 43 piles 70 ft long | $\begin{aligned} & 16^{\prime \prime} \text { CIPC } \\ & 5 / 16^{\prime \prime} \text { Wall } \\ & 36 \text { piles } \\ & 30 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{gathered} \text { 16" CIPC } \\ 5 / 16^{\prime \prime} \text { Wall } \\ 36 \text { piles } \\ 30 \mathrm{ft} \text { long } \end{gathered}$ | $\begin{aligned} & \text { 16" CIPC } \\ & 5 / 16^{\prime} \text { Wall } \\ & 45 \text { piles } \\ & 75 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{aligned} & \text { 16" CIPC } \\ & 5 / 16^{\prime} \text { Wall } \\ & 38 \text { piles } \\ & 65 \mathrm{ft} \text { long } \end{aligned}$ | $\begin{array}{\|c\|} \hline \text { 16" CIPC } \\ \text { 5/16" Wall } \\ 36 / 36 \text { piles } \\ 60 / 60 \mathrm{ft} \text { long } \end{array}$ |
| 7 | Diamond Lake Road | 27V84 | West Abut | Loose <br> Sand, <br> Sand and Gravel, some Clay | East <br> Abut | Loose Sand, Sand and Gravel, some Clay | Loose <br> Sand, <br> Sand <br> and <br> Gravel, <br> some <br> Clay | - | ${ }^{-}$ | $-$ | - | CIPC <br> Pipe | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | West 12" CIPC <br> 1/4" Wall 64 piles 60 ft long | East <br> 12" CIPC <br> 1/4" Wall <br> 44 piles <br> 60 ft long | 12" CIPC <br> 1/4" Wall <br> 36 piles <br> 65 ft long | - | - | - | - |
| 8 | TH 59 over CPRR | 03009 | West Abut | Clay, <br> Sand and Gravel | East <br> Abut | Sand and Gravel, Loose Sand | Sand <br> and <br> Gravel, <br> Sand, <br> Clay | Sand <br> and <br> Gravel, <br> Sand, <br> Clay | Sand and Gravel, Sand, Clay | Sand <br> and <br> Gravel, <br> Sand, <br> Clay | - | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | West 12" CIPC 1/4" Wall 15 piles 80 ft long | East 12" CIPC 1/4" Wall 25 piles 50 ft long | $\begin{gathered} 12^{\prime \prime} \text { CIPC } \\ \text { 1/4" Wall } \\ 34 \text { piles } \\ 100 \mathrm{ft} \text { long } \end{gathered}$ | 12" CIPC <br> 1/4" Wall <br> 34 piles <br> 120 ft long | $\begin{gathered} 12^{\prime \prime} \text { CIPC } \\ 1 / 4^{\prime \prime} \text { Wall } \\ 34 \text { piles } \\ 120 \mathrm{ft} \text { long } \end{gathered}$ | $\begin{aligned} & \text { 12" CIPC } \\ & \text { 1/4" Wall } \\ & 34 \text { piles } \\ & 120 \mathrm{ft} \text { long } \end{aligned}$ | - |

Table 2.2 Mn/DOT Foundation Details of Selected Representative Bridges (Cont. page 2/4)

| $\left\lvert\, \begin{array}{\|l\|} \text { Case } \\ \text { No } \end{array}\right.$ | Bridge Name | MA Bridge No. | General Soil Condition |  |  |  |  |  |  |  |  | Foundation Type |  | Foundation Size |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Abutments |  |  |  | Piers |  |  |  |  | Abutments | Piers | Abutments |  | Piers |  |  |  |  |
|  |  |  | Designation | Soil | Designation | Soil | 1 | 2 | 3 | 4 | 5/6 |  |  |  |  | 1 | 2 | 3 | 4 | 5/6 |
| 9 | Zumbro River | 25027 | South Abut | Sand <br> and <br> Gravel, <br> Sand- <br> stone | North Abut | Loamy <br> Sand, <br> Loam, <br> Sand- <br> stone | Sand <br> and <br> Gravel, <br> Sand- <br> stone | Sand <br> and <br> Gravel, <br> Sand- <br> stone | - | - | - | H-pile | H-Pile | South <br> HP 10x42 <br> 19 piles 55 ft long | North HP 10x42 <br> 21 piles 30 ft long | HP 10x42 <br> 11 piles 55 ft long | HP 10x42 <br> 11 piles 55 ft long | - | - | - |
| 10 | $\begin{aligned} & \text { TH } 23 \text { over } \\ & \text { TH } 71 \end{aligned}$ | 34027 | West Abut | Sand and Gravel, Sand | East <br> Abut | Sand and Gravel, Sand, Loamy Sand | Sand, <br> Sand <br> and <br> Gravel, <br> Sandy <br> Loam | Sand <br> and <br> Gravel, <br> Sand, <br> Loamy <br> Sand | - | - | - | CIPC <br> Pipe | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | West 12" CIPC 1/4" Wall 20 piles 60 ft long | East <br> 12" CIPC <br> 1/4" Wall <br> 20 piles <br> 65 ft long | 12" CIPC <br> 1/4" Wall <br> 32 piles <br> 40 ft long | 12" CIPC <br> 1/4" Wall <br> 32 piles <br> 40 ft long | - | - | - |
| 11 | CSAH 9 over TH 23 | 34028 | South Abut | Sand and Gravel, Sand | North Abut | Sand and Gravel, Sand | - | - | - | - | - | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | - | South 12" CIPC 1/4" Wall 29 piles 20 ft long | North 12" CIPC 1/4" Wall 29 piles 20 ft long | - | - | - | - | - |
| 12 | TH 23 over Nest Lake | 34013 | South Abut | Sandy <br> Loam, <br> Sandy <br> Clay, <br> Sand <br> and <br> Gravel | North Abut | Sandy Loam, Loamy Sand, Peaty Marl | Sand <br> and <br> Gravel, <br> Sandy <br> Loam, <br> Silty <br> Loam | - | - | - | - | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | South 12" CIPC <br> 1/4" Wall 40 piles 55 ft long | North 12" CIPC <br> 1/4" Wall <br> 39 piles <br> 75 ft long | * * * <br> 16" CIPC <br> 1/4" Wall <br> 18 piles 65 ft long | - | - | - | ${ }^{-}$ |
| 13 | TH 171 over Red River | 35010 | West Abut | Clay, <br> Silty <br> Clay, <br> Fat <br> Clay | East Abut | Silty Clay, Clay | Silty Clay, Clay | Silty Clay, Clay | Silty Clay, <br> Clay | Silty <br> Clay, <br> Clay | Silty <br> Clay, <br> Clay | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | West <br> 12" CIPC <br> 1/4" Wall <br> 10 piles <br> 175 ft long | East <br> 12" CIPC <br> 1/4" Wall <br> 10 piles <br> 175 ft long | *** <br> 16" CIPC <br> 1/4" Wall <br> 8 piles 185 ft long | * * * <br> 16" CIPC <br> 1/4" Wall <br> 8 piles <br> 185 ft long | $\begin{gathered} * * * \\ \text { 16" CIPC } \\ \text { 1/4" Wall } \\ 8 \text { piles } \\ 185 \mathrm{ft} \text { long } \end{gathered}$ | $\begin{gathered} * * * \\ 16^{\prime \prime} \text { CIPC } \\ 1 / 4 " \text { Wall } \\ 8 \text { piles } \\ 185 \mathrm{ft} \text { long } \end{gathered}$ | $\begin{array}{\|c\|} \hline * * * \\ 16 " \text { CIPC } \\ 1 / 4 " \text { Wall } \\ 8 / 8 \text { piles } \\ 185 / 185 \mathrm{ft} \\ \text { long } \\ \hline \end{array}$ |
| 14 | TH 75 over Two Rivers | 35012 | South Abut | Clay <br> Loam, <br> Clay, <br> Loamy <br> Sand, <br> Fat <br> Clay | North Abut | Org, Silty Clay, Fat Clay, Loamy Sand | No info. | - | - | - | - | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | CIPC <br> Pipe | South 12" CIPC 1/4" Wall 7 piles 125 ft long | North 12" CIPC <br> 1/4" Wall <br> 7 piles <br> 125 ft long | * * * <br> 16" CIPC <br> 3/8" Wall <br> 7 piles <br> 125 ft long | - | - | - | - |
| 15 | TH 15 over Crow River | 43016 | South Abut | Loamy <br> Sand, <br> Sandy <br> Loam, <br> Loam | North Abut | Loamy <br> Sand, <br> Sandy <br> Loam | Loamy <br> Sand, <br> Sandy <br> Loam | Loamy <br> Sand, <br> Sandy <br> Loam | - | - | - | CIPC <br> Pipe | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | South 12.75" CIPC $5 / 16^{\prime \prime}$ Wall 28 piles 40 ft long | North $12.75 "$ CIPC $5 / 16{ }^{"}$ Wall 28 piles 40 ft long | 12.75" <br> CIPC <br> 5/16" Wall <br> 30 piles <br> 25 ft long | $\left\lvert\, \begin{gathered} 12.75^{\prime \prime} \text { CIPC } \\ 5 / 16^{\prime} \text { Wall } \\ 30 \text { piles } \\ 25 \mathrm{ft} \text { long } \end{gathered}\right.$ | - | - | - |

Table 2.2 Mn/DOT Foundation Details of Selected Representative Bridges (Cont. page 3/4)

| $\left\lvert\, \begin{gathered} \text { Case } \\ \text { No } \end{gathered}\right.$ | Bridge Name | MN Bridge No. | General Soil Condition |  |  |  |  |  |  |  |  | Foundation Type |  | Foundation Size |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Abutments |  |  |  | Piers |  |  |  |  | Abutments | Piers | Abutments |  | Piers |  |  |  |  |
|  |  |  | Designation | Soil | Designation | Soil | 1 | 2 | 3 | 4 | 5 |  |  |  |  | 1 | 2 | 3 | 4 | 5 |
| 16 | $\begin{array}{\|\|c\|} \text { TH } 371 \text { over } \\ \text { CSAH } 46 \end{array}$ | 49037 | South Abut | Sand, Sand and Gravel, Phyllite | North Abut | Sand, Sand and Gravel, Phyllite | Sand, <br> Sand and Gravel, Phyllite | Sand, <br> Sand and Gravel, Phyllite | - | - | - | H-Pile | H-Pile | South <br> HP 10x42 <br> 8 piles <br> 65 ft long | North HP 10x42 <br> 8 piles 65 ft long | HP $12 \times 53$ <br> 16 piles <br> 40 ft long | HP $12 \times 53$ <br> 16 piles <br> 40 ft long | - | - | - |
| 17 | $\begin{array}{\|\|c\|} \text { TH } 371 \text { over } \\ \text { CSAH } 46 \end{array}$ | 49038 | South <br> Abut | Org. <br> Loam, Sand, Sandy Loam, Phyllite | North Abut | Org. Silty Loam, Sand, Silty Loam, Phyllite | Loamy Sand, Sand, Silty Loam, Phyllite | Org. <br> Sandy <br> Loam, <br> Sand, <br> Sandy <br> Loam, <br> Phyllite | - | - | - | H-Pile | H-Pile | South <br> HP 10x42 <br> 8 piles <br> 70 ft long | North HP 10x42 <br> 8 piles 70 ft long | HP $12 \times 53$ <br> 16 piles <br> 45 ft long | * * * <br> HP 12x53 <br> 16 piles 45 ft long | - | - | - |
| 18 | TH 371 over CSAH 47 | 49039 | South <br> Abut | Sand, Sandy Loam, Silty Loam, Schist | North Abut | Sand, <br> Sandy <br> Loam, <br> Clayey <br> Shale, <br> Phyllite | Sand, <br> Sandy <br> Loam, <br> Clayey <br> Shale, <br> Phyllite | Sand, <br> Sandy <br> Loam, <br> Phyllite | - | - | - | H-Pile | H-Pile | South <br> HP 10x42 <br> 8 piles <br> 45 ft long | North HP 10x42 <br> 8 piles 45 ft long | HP 12x53 <br> 22 piles <br> 30 ft long | HP 12x53 <br> 22 piles <br> 30 ft long | - | - | - |
| 19 | TH 371 over CSAH 47 | 49040 | South <br> Abut | Sand, <br> Cobble, <br> Loamy <br> Sand, <br> Loam, <br> Phyllite | North Abut | Sand, Cobble, Silty Loam, Phyllite | Sand, <br> Cobble <br> , Sandy <br> Loam, <br> Phyllite | Sand, <br> Cobble, <br> Sandy <br> Loam, <br> Phyllite | - | - | - | H-Pile | H-Pile | South <br> HP 10x42 <br> 8 piles <br> 40 ft long | North HP 10x42 <br> 8 piles 40 ft long | HP 12x53 <br> 22 piles <br> 25 ft long | * * * <br> HP $12 \times 53$ <br> 22 piles <br> 25 ft long | - | - | - |
| 20 | $\begin{gathered} 48^{\text {th }} \text { Street } \\ \text { over TH } 63 \end{gathered}$ | 55068 | West Abut | Clay Loam, Clay, Limestone | East <br> Abut | Sandy <br> Clay, <br> Silty <br> Clay <br> Loam, <br> Lime- <br> stone | Clay <br> Loam, <br> Silty <br> Clay <br> Loam, <br> Lime- <br> stone | - | - | - | - | H-Pile | H-Pile | West <br> HP 12x53 <br> 44 piles 45 ft long | East HP $12 \times 53$ 44 piles 45 ft long | HP $12 \times 53$ <br> 40 piles <br> 35 ft long | - | - | - | - |
| 21 | TH 63 over Willow Creek | 55073 | South Abut | Loam, <br> Sandy <br> Loam, <br> Sand w <br> Gravel, <br> Sand- <br> stone | North Abut | $\begin{aligned} & \text { No } \\ & \text { info. } \end{aligned}$ | Sand, Sandy Loam, Gravel, Sand, Loamy Sand | $\begin{aligned} & \text { No } \\ & \text { info. } \end{aligned}$ | - | - | - | H-Pile | H-Pile | South HP 10x42 11 piles 50 ft long | North HP 10x42 10 piles 50 ft long | * * * <br> HP 12x53 <br> 14 piles 55 ft long | * * * <br> HP 12x53 <br> 14 piles 55 ft long | - | - | - |
| 22 | Woodlake Dr. over Willow Creek | 55075 | South Abut | $\begin{gathered} \text { No } \\ \text { info. } \end{gathered}$ | North Abut | Loam, <br> Sandy <br> Loam, <br> Loamy <br> Sand, <br> Sand- <br> stone | Sandy <br> Clay, <br> Loamy <br> Sand, <br> Sand | Sandy <br> Clay, <br> Loamy <br> Sand, <br> Sand | - | - | - | H-Pile | H-Pile | South <br> HP 10x42 <br> 7 piles <br> 50 ft long | North HP 10x42 <br> 7 piles 50 ft long | HP $12 \times 53$ <br> 10 piles <br> 55 ft long | * * * <br> HP 12x53 <br> 10 piles 55 ft long | - | - | - |

Table 2.2 Mn/DOT Foundation Details of Selected Representative Bridges (Cont. page 4/4)

| $\left\lvert\, \begin{gathered} \text { Case } \\ \text { No } \end{gathered}\right.$ | Bridge Name | MN Bridge No. | General Soil Condition |  |  |  |  |  |  |  |  | Foundation Type |  | Foundation Size |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Abutments |  |  |  | Piers |  |  |  |  | Abutments | Piers | Abutments |  | Piers |  |  |  |  |
|  |  |  | Designation | Soil | Designation | Soil | 1 | 2 | 3 | 4 | 5 |  |  |  |  | 1 | 2 | 3 | 4 | 5 |
| 23 | $\left\lvert\, \begin{gathered} \text { 35E Ramp } \\ \text { over TH } 694 \end{gathered}\right.$ | 62902 | North Abut | Loamy <br> Sand, <br> Silty <br> Loam, <br> Sand, <br> Sandy <br> Clay | $\begin{aligned} & \text { South } \\ & \text { Abut } \end{aligned}$ | Loamy <br> Sand, <br> Fine <br> Sand, <br> Sand, <br> Sandy <br> Loam | Pier1/2 <br> Loam, <br> Sand, <br> Clay, <br> Sandy <br> Clay | Pier 3/4 <br> Clay, <br> Fine <br> Sand, <br> Sand, <br> Loam | Pier 5/6 <br> Clay, <br> Silty <br> Loamy <br> Sand, <br> Sand | Pier 7 <br> Loamy <br> Sand, <br> Silty <br> Clay, <br> Sand | Pier 8 <br> Sand, <br> Clay, <br> Sand and Gravel | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | North 12" CIPC <br> 1/4" Wall 49 piles 90 ft long | South 12" CIPC <br> 1/4" Wall 29 piles 65 ft long | $\begin{gathered} \text { Pier 1/2 } \\ * * * \\ 16^{\prime \prime} \text { CIPC } \\ 1 / 4^{\prime \prime} \text { Wall } \\ 24 / 28 \text { piles } \\ 70 / 60 \mathrm{ft} \text { long } \end{gathered}$ | Pier $3 / 4$ $* * *$ $16{ }^{\prime \prime}$ CIPC $1 / 4 "$ Wall $34 / 30$ piles $60 / 90 \mathrm{ft}$ long | Pier $5 / 6$ $* * *$ $16{ }^{\prime \prime}$ CIPC $1 / 4 "$ Wall $32 / 30$ piles $60 / 70 \mathrm{ft}$ long | Pier 7 <br> *** <br> 16" CIPC <br> 1/4" Wall <br> 28 piles <br> 50 ft long | Pier 8 *** <br> 16" CIPC <br> 1/4" Wall <br> 32 piles <br> 70 ft long |
| 24 | TH 22 over Horseshoe Lake | 73035 | South Abut | Sand and Gravel, Fine Sand | North Abut | Gravel, Sand and Gravel, Silty Clay, Granite | Loamy <br> Fine <br> Sand, <br> Sand, <br> Loose <br> Sand, <br> Granite | No data. | Sand, <br> Marl, <br> Fine <br> Sand, <br> Silty <br> Clay, <br> Gravel | - - | - | H-Pile | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | South <br> HP 10x42 <br> 6 piles <br> 85 ft long | North <br> HP 10x42 <br> 6 piles <br> 85 ft long | *** <br> 20" CIPC <br> 3/8" Wall <br> 5 piles <br> 100 ft long | *** <br> 20" CIPC <br> 3/8" Wall <br> 5 piles <br> 100 ft long | *** <br> 20" CIPC <br> 3/8" Wall 5 piles 100 ft long | - | - |
| 25 | TH 14 over CSAH 60 | 81003 | North Abut | Silty <br> Clay, <br> Clay, <br> Fine <br> Sand, <br> Silty <br> Loam | South Abut | Clay, <br> Clay <br> Loam, Silty <br> Loam, <br> Sandy <br> Loam | Clay <br> Loam, <br> Loamy <br> Sand, <br> Silty <br> Loam, <br> Sand | - | - | - | - | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | North <br> 12" CIPC <br> 1/4" Wall 45 piles 80 ft long | South <br> 12" CIPC <br> 1/4" Wall <br> 41 piles <br> 55 ft long | 12" CIPC <br> 1/4" Wall <br> 36 piles <br> 70 ft long | - | - | - | - |
| 26 | TH 14 over CSAH 60 | 81004 | North Abut | Silty <br> Clay, <br> Clay, <br> Fine <br> Sand, <br> Silty <br> Loam | South Abut | Clay, Clay Loam, Silt, Sand and Gravel | Clay, Clay Loam, Sandy Loam, Sand | - | - | - | - | $\begin{gathered} \text { CIPC } \\ \text { Pipe } \end{gathered}$ | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | North 12" CIPC 1/4" Wall 41 piles 65 ft long | South <br> 12" CIPC <br> 1/4" Wall <br> 41 piles <br> 55 ft long | 12" CIPC <br> 1/4" Wall <br> 36 piles <br> 65 ft long | - | - | - | - |
| 27 | CSAH 3 over TH 14 | 81005 | South Abut | Loam, Sandy Loam, Sand | North Abut | $\begin{gathered} \text { Loam, } \\ \text { Sand, } \\ \text { Loamy } \\ \text { Sand } \end{gathered}$ | Loamy Sand, Loam, Clay Loam, Sand | - | - | - | - | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | $\begin{aligned} & \text { CIPC } \\ & \text { Pipe } \end{aligned}$ | South <br> 12" CIPC <br> 1/4" Wall <br> 26 piles <br> 60 ft long | North <br> 12" CIPC <br> 1/4" Wall <br> 26 piles <br> 50 ft long | 12" CIPC <br> 1/4" Wall <br> 48 piles <br> 50 ft long | - | - | - | - |
| 28 | TH 74 over Whitewater River | 85024 | West Abut | Sand and Gravel, Coarse Sand and Gravel | East Abut | Sand <br> and <br> Gravel, <br> Coarse <br> Sand <br> and <br> Gravel | Sand <br> and <br> Gravel, <br> Coarse <br> Sand <br> and <br> Gravel | - | - | - | - | H-Pile | H-Pile | West <br> HP 10x42 <br> 10 piles 40 ft long | East <br> HP 10x42 <br> 10 piles 40 ft long | HP 12x53 <br> 9 piles 50 ft long | - | - | - | - |

Table 2.3 Summary of Side and Tip Soil Strata

| Case No. | Bridge | Pile Case Number | Pile Type | Length <br> (ft) | Weight of Pile + Capblock (lbs) | Boring Used | Side | Tip | Hammer Type | Final Energy (lbs-ft) | Weight of Ram (lbs) | Final Set (in) | BPI | Mn/DOT <br> Equation (kips) | Equation <br> Variation |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 27V66 | 27V66-TP5 | CEP 16"x.3125" | 75 | 7063.88 | B736 | SL, CL, S, G | Sandstone | APE D30-42 | 52920 | 6615 | 0.125 | 8.0 | 915 | None |
| 2 | 27V66 | 27V66-TP7 | CEP 16"x.25" | 105 | 8184.5 | B735 | O,LS,S,L,S | Sand | APE D30-42 | 59535 | 6615 | 0.1 | 10.0 | 1047 | None |
| 3 | 27V75 | 27V75-TP5 | CEP 16"x.3125" | 90 | 7427.4 | B707 | O,S,LS,CL,S | Clay | APE D30-42 | 59535 | 6615 | 0.175 | 5.7 | 873 | None |
| 4 | 27V84 | 27V84-TP5 | CEP 12"x.25" | 62 | 3856 | T337 | S | Silt | APE 19-42 | 31425 | 4190 | 0.025 | 40.0 | 834 | None |
| 5 | 34027 | 34027-TP8 | CEP 12"x.25" | 70 | 4796 | T1 | S,G,S,M | Loamy Sand | Delmag D19-42 | 26700 | 4190 | 0.1 | 10.0 | 486 | 3.5E |
| 6 | 35010 | 35010-TP1 | CEP 12"x.25" | 169 | 8708 | C37 | M | Clay | Delmag D30-32 | 58212 | 6615 | 0.1333 | 7.5 | 896 | None |
| 7 | 35010 | 35010-TP8 | CEP 16"x.25" | 171 | 10685 | C32 | M | Clay | Delmag D30-32 | 62800 | 6615 | 0.0423 | 23.6 | 1209 | None |
| 8 | 49037 | 49037-TP2 | HP10x42 | 75 | 4670 | B04 | S,Phyllite | Phyllite | Delmag D25-32 |  | 5513 |  |  | 0 | Unknown |
| 9 | 49037 | 49037-TP3 | HP12x53 | 50 | 4670 | B03 | S,G,M,Phyllite | Phyllite | Delmag D25-32 |  | 5513 |  |  | 0 | Unknown |
| 10 | 49040 | 49040-TP2 | HP10x42 | 55 | 4330 | B12 | O,S | Metagraywacke | Delmag D25-32 |  | 5513 |  |  | 0 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 11 | 49040 | 49040-TP6 | HP12x53 | 50 | 4670 | B10 | O,S | Phyllite | Delmag D25-32 | 49617 | 5513 | 0.25 | 4.0 | 680 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 12 | 55075 | 55075-TP8 | HP10x42 | 51 | 3875 | T4 | O,S,LS | Sandstone | Delmag 19-32 | 33520 | 4190 | 0.125 | 8.0 | 615 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 13 | 55075 | 55075-TP4 | HP12x53 | 53 | 5200 | ST17 | O,S,C,S | Sandstone | Delmag 19-32 | 35615 | 4190 | 0.07 | 14.3 | 695 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 14 | 81003 | 81003-TP4 | CEP 12"x.25" | 38 | 3902 | T5 | C,S | Sandy Loam | Delmag 19-32 | 31800 | 4190 | 0.1625 | 6.2 | 521 | 3.5E |
| 15 | 85024 | 85024-TP1 | HP10x42 | 55 | 5248 | T4 | S | Sand \& Gravel | Delmag 19-32 | 32100 | 4190 | 0.125 | 8.0 | 518 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 16 | 85024 | 85024-TP4 | HP12x53 | 60 | 5695 | T1 | M,S | Sand \& Gravel | Delmag 19-32 | 33520 | 4190 | 0.1 | 10.0 | 565 | 3.5E\&.2M |
| 17 | 27V69 | 27V69-TP3 | CEP 12"x.25" | 81 | 5079 | B702 | F,PT,S | Sand \& Gravel | APE 19-42 | 23045 | 4190 | 0.48 | 2.1 | 180 | None |
| 18 | 27V78 | 27V78-TP4 | CEP 16"x.25" | 67 | 4483.5 | T249 | S | Loamy Sand | Delmag D25-32 | 55130 | 5513 | 0.163 | 6.1 | 951 | None |
| 19 | 03009 | 03009-TP1 | CEP 12"x.25" | 130 | 6255 | T1 | SG,C,S,C | Clay | Delmag D19-42 | 32263 | 4190 | 0.21 | 4.8 | 381 | None |
| 20 | 34028 | 34028-TP3 | CEP 12"x.25" | 28 | 4226 | T1 | LS,S | Sand \& Gravel | Delmag D19-42 | 29000 | 4190 | 0.3 | 3.3 | 334 | 3.5 E |
| 21 | 35012 | 35012-TP2 | CEP 12"x.25" | 130 | 7140 | T01 | O,C,M | Sand \& Gravel | Delmag D30-32 | 52920 | 6615 | 0.1965 | 5.1 | 747 | None |
| 22 | 35012 | 35012-TP3 | CEP 20"x.375" | 126 | 13516 | T02 | C,LS,M,S | Sand \& Gravel | Delmag D30-32 | 58212 | 6615 | 0.096 | 10.4 | 817 | None |
| 23 | 49038 | 49038-TP1 | HP10x42 | 67 | 4834 | B08 | LS,S,M | Phyllite | Delmag D25-32 |  | 5513 |  |  | 0 | Unknown |
| 24 | 49038 | 49038-TP3 | HP12x53 | 38 | 4670 | B07 | O,S,M | Phyllite | Delmag D25-32 |  | 5513 |  |  | 0 | Unknown |
| 25 | 55068 | 55068-TP5 | HP12x53 | 40 | 4405 | ST15 | S,MC,C | Limestone | Delmag D30-32 | 62842.5 | 6615 | 0.15 | 6.7 | 1207 | 3.5E\&.2M |
| 26 | 62902 | 62902-TP2 | CEP 12"x.25" | 48 | 3915 | T3 | L,M,C,S | Sandy Clay | Delmag D25-32 | 49617 | 5513 | 0.1 | 10.0 | 1088 | 3.5 E |
| 27 | 62902 | 62902-TP13 | CEP 16"x.25" | 68 | 6179 | T103 | L,S,M,C,SC | Loamy Sand | Delmag D30-32 | 52920 | 6615 | 0.1 | 10.0 | 1047 | 3.5 E |
| 28 | 81004 | 81004-TP4 | CEP 12"x.25" | 59 | 5157 | T5 | C,S,SL | Silty Clay Loam | Delmag D19-32 | 31425 | 4190 | 0.113 | 8.8 | 531 | 3.5 E |
| 29 | 27V73 | 27V73-TP3 | HP14x 73 | 51 | 7032 | B726 | S | Sandstone | APE D30-42 | 56227.5 | 6615 | 0.174 | 5.7 | 847 | .2M |
| 30 | 27V79 | 27V79-TP5 | CEP 16"x.3125" | 66 | 7430 | B721 | L,S | Loamy Sand | APE D30-42 | 62843 | 6615 | 0.2 | 5.0 | 864 | None |
| 31 | 25027 | 25027-TP2 | HP10x42 | 54 | 4030 | T1 | S,C,S,SG | Sandstone | Delmag 19-42 | 33520 | 4190 | 0.2 | 5.0 | 492 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 32 | 25027 | 25027-TP6 | CEP 16"x.25" | 53 | 5109 | T3 | SM,S,GS | Sandstone | Delmag D25-32 | 44104 | 5513 | 0.1125 | 8.9 | 840 | 3.5E |
| 33 | 34013 | 34013-TP2 | CEP 12"x.25" | 47 | 4636 | T3 | S,C | Sand \& Gravel | Delmag D19-32 | 29800 | 4190 | 0.075 | 13.3 | 600 | 3.5 E |
| 34 | 34013 | 34013-TP4 | CEP 16"x.25" | 59 | 5614 | T2 | S,C,M | Till | Delmag D19-32 | 31200 | 4190 | 0.025 | 40.0 | 706 | 3.5 E |
| 35 | 43016 | 43016-TP8 | CEP 12.75"x.3125" | 59 | 5403 | B1 | LS | Sandy Loam | Delmag D25-32 | 42100 | 5510 | 0.225 | 4.4 | 577 | 3.5 E |
| 36 | 49039 | 49039-TP1 | HP10x42 | 47 | 4330 | B16 | S,M | Schist | Delmag D25-32 | 52345 | 5510 |  |  |  | Unknown |
| 37 | 49039 | 49039-TP5 | HP12x53 | 40 | 4670 | B14 | S | Phyllite | Delmag D25-32 |  | 5510 |  |  |  | Unknown |
| 38 | 55073 | 55073-TP2 | HP10x42 | 50 | 4010 | T5 | SL,SG | Sandstone | Delmag 19-32 | 29330 | 4190 | 0.18 | 5.6 | 454 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 39 | 55073 | 55073-TP5 | HP12x53 | 55 | 4935 | ST18 | SL,G,S | Sandstone | Delmag 19-32 | 31425 | 4190 | 0.1 | 10.0 | 565 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 40 | 73035 | 73035-TP2 | HP10x42 | 97 | 5640 | T04 | SG,S,SG | Gravel | Delmag DE50B | 37140 | 5000 | 0.24 | 4.2 | 463 | $3.5 \mathrm{E} \& .2 \mathrm{M}$ |
| 41 | 73035 | 73035-TP8 | CEP 20"x.375" | 109 | 10506 | T01 | LS,S,M,SG,MC | Sand \& Gravel | Delmag D30-02 | 55836 | 6600 | 0.1 | 10.0 | 874 | 3.5 E |
| 42 | 81005 | 81005-TP4 | CEP 12"x.25" | 41 | 3902 | B2-3 | G,L,CL | Loam | Delmag D25-32 | 49617 | 5513 | 0.2625 | 3.8 | 706 | 3.5 E |

Notes: $\mathrm{G}=$ gravel, $\mathrm{S}=$ sand, $\quad \mathrm{M}=$ silt,$\quad \mathrm{C}=$ Clay, $\quad \mathrm{L}=$ loam, $\quad \mathrm{O}=$ organics, $\quad \mathrm{F}=$ fill

Table 2.4 Summary of Pile Type, Number and Length of Piles and loads per Project

| Bridge | Pile Type | No. of Piles | Average <br> Pile Length <br> (ft) | Total Length Of Piles <br> (ft) | $\begin{gathered} \text { Design Load } \\ \text { Per Pile } \\ \text { (kips) } \\ \hline \end{gathered}$ | Total Load <br> (kips) | Range of Lengths (ft) | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 03009 | CEP 12"x.25" | 176 | 99.2 | 17465 | 175.4 | 30862 | 25-120 |  |
| 34013 | CEP 12"x.25" | 79 | 63.3 | 4997.9 | 154.4 | 12201 | 40-85 | 2 |
| 34027 | CEP 12"x.25" | 96 | 82.8 | 7953.1 | 132.5 | 12716 | 33.6-130 | 2 |
| 34028 | CEP 12"x.25" | 58 | 33.9 | 1967.7 | 164.3 | 9532 | 30-50 | 2 |
| 35010 | CEP 12"x.25" | 20 | 173.3 | 3465 | 142.0 | 2840 | 150-185 |  |
| 35012 | CEP 12"x.25" | 14 | 131.4 | 1840 | 186.0 | 2604 | 125-135 |  |
| 62902 | CEP 12"x.25" | 78 | 76.7 | 5985 | 160.5 | 12515 | * | 1,2 |
| 81003 | CEP 12"x.25" | 122 | 49.0 | 5973 | 115.2 | 14054 | 35-80 |  |
| 81004 | CEP 12"x.25" | 118 | 53.6 | 6326.8 | 112.4 | 13269 | 35-75 |  |
| 81005 | CEP 12"x.25" | 100 | 46.0 | 4596.3 | 162.6 | 16264 | 34.2-70 | 2 |
| 27V69 | CEP 12"x.25" | 50 | 69.8 | 3488 | 188.0 | 9400 | * | 1 |
| 27V84 | CEP 12"x.25" | 144 | 67.01 | 9649.44 | 189.4 | 27280 | 60-82.5 |  |
| 43016 | CEP 12.75"x.3125" | 116 | 51.1 | 5931 | 119.5 | 13864 | 35-65 |  |
| 25027 | CEP 16"x.25" | 22 | 34.9 | 768.3 | 147.0 | 3235 | 25-70 |  |
| 34013 | CEP 16"x.25" | 18 | 68.3 | 1230 | 512.6 | 9227 | 60-80 | 2 |
| 35010 | CEP 16"x.25" | 48 | 177.2 | 8505 | 258.0 | 12384 | 150-195 |  |
| 62902 | CEP 16"x.25" | 238 | 61.8 | 14700 | 262.6 | 62499 | * | 1,2 |
| 27V66 | CEP 16"x.25" | 62 | 92.7 | 5749 | 246.0 | 15252 | * | 1 |
| 27V78 | CEP 16"x.25" | 53 | 62.8 | 3330 | 315.6 | 16728 | 60-70 |  |
| 27V66 | CEP 16"x.3125" | 60 | 78.2 | 4690 | 264.0 | 15840 | * | 1 |
| 27V75 | CEP 16"x.3125" | 299 | 68.3 | 20410 | 260.9 | 78000 | * | 1 |
| 27V79 | CEP 16"x.3125" | 294 | 60.1 | 17658 | 229.3 | 67416 | * | 1 |
| 35012 | CEP 20"x.375" | 7 | 127.9 | 895 | 240.0 | 1680 | 125-135 |  |
| 73035 | CEP 20"x.375" | 15 | 108.0 | 1620 | 197.4 | 2961 | 95-115 |  |
| 25027 | HP10x42 | 40 | 41.9 | 1675.5 | 99.8 | 3990 | 55-94 |  |
| 49037 | HP10x42 | 16 | 60.0 | 960 | 104.0 | 1664 | * | 1 |
| 49038 | HP10x42 | 16 | 57.5 | 920 | 104.0 | 1664 | * | 1 |
| 49039 | HP10x42 | 16 | 47.5 | 760 | 106.6 | 1706 | * | 1 |
| 49040 | HP10x42 | 16 | 30.0 | 480 | 106.6 | 1706 | * | 1 |
| 55073 | HP10x42 | 21 | 51.9 | 1090 | 142.3 | 2989 | 50-60 | 2 |
| 55075 | HP10x42 | 14 | 56.4 | 790 | 144.5 | 2023 | 55-60 | 2 |
| 73035 | HP10x42 | 12 | 94.2 | 1130 | 130.7 | 1568 | 90-100 |  |
| 85024 | HP10x42 | 20 | 55.3 | 1105 | 135.6 | 2712 | 55-58 |  |
| 49037 | HP12x53 | 32 | 36.5 | 1168 | 105.4 | 3372 | * | 1 |
| 49038 | HP12x53 | 32 | 36.5 | 1168 | 105.4 | 3372 | * | 1 |
| 49039 | HP12x53 | 44 | 30.9 | 1360 | 131.2 | 5772 | * | 1 |
| 49040 | HP12x53 | 44 | 30.0 | 1320 | 131.2 | 5772 | * | 1 |
| 55068 | HP12x53 | 128 | 40.9 | 5230 | 189.5 | 24251 | 30-55 | 2 |
| 55073 | HP12x53 | 28 | 56.5 | 1582 | 185.6 | 5196 | 55-65 | 2 |
| 55075 | HP12x53 | 20 | 57.0 | 1140 | 194.1 | 3882 | 55-65 | 2 |
| 85024 | HP12x53 | 9 | 63.3 | 570 | 155.8 | 1402 | 60-75 |  |
| 27 V 73 | HP14x73 | 96 | 54.8 | 5262 | 209.2 | 20082 | 50-65 |  |


| Total 2891 | N/A | 186904 | N/A | 555746 | N/A |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |

Note:

1. Lengths estimated using Mn/DOT design pile lengths
2. ASD projects: F.S. $=1.4167 / \phi$ was implemented $($ Paikowsky, 2004)

Table 2.5 Summary of Total Pile Length and Design Loads Per Pile Type

| Pile Type | No. Of <br> Piles | Total Length <br> of Piles <br> (ft) | \% of <br> Total Use | Range of <br> Lengths <br> (ft) | Average Pile <br> Length +/- <br> SD (ft) | Total Load <br> (kips) | Average Load <br> Per Pile <br> (kips) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CEP 12"x.25" | 1055 | 73707 | $39.4 \%$ | $25-185$ | $70+/-39.6$ | 163536 | 155 |
| CEP 12.75"x.3125" | 116 | 5931 | $3.2 \%$ | $35-65$ | $51.1+/-0$ | 13864 | 120 |
| CEP 16"x.25" | 441 | 34282 | $18.3 \%$ | $25-195$ | $77.7+/-49.7$ | 119325 | 271 |
| CEP 16"x.3125" | 653 | 42758 | $22.9 \%$ | Note 1 | $65.5+/-9.1$ | 161256 | 247 |
| CEP 20"x.375" | 22 | 2515 | $1.3 \%$ | $95-135$ | $114.3+/-14$ | 4641 | 211 |
| HP10x42 | 171 | 8911 | $4.8 \%$ | $50-100$ | $52.1+/-17.4$ | 20022 | 117 |
| HP12x53 | 337 | 13538 | $7.2 \%$ | $30-75$ | $40.2+/-13$ | 53019 | 157 |
| HP14x73 | 96 | 5262 | $2.8 \%$ | $50-65$ | $54.8+/-0$ | 20082 | 209 |

Note:

1. Lengths estimated using Mn/DOT design pile lengths

Table 2.6 Summary of Indicator Pile Cases Categorized based on Soil Conditions

| Pile Location Condition | Rock | Till | Sand \& Gravel | Sand | Silt | Clay | Organics |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Tip | 17 | 1 | 9 | 7 | 1 | 6 | 1 |
| Side | 0 | 0 | 1 | 25 | 12 | 3 | 1 |

Note:

1. Total number of cases is 84 (for 42 piles see Table 2.3)

Table 2.7 Summary of Driving Criteria - Pile Performance

| Drivng Resistance (BPI) | $0-4$ | $4-8$ | $>8$ |
| :---: | :---: | :---: | :---: |
| Number of Indicator Piles | 3 | 14 | 17 |
| \% of Cases | 8.8 | 41.2 | 50.0 |

Note:

1. Number of cases is 34 as the blow count in some projects have not been reported

Table 2.8 Equipment Summary

| Hammer Type | Maximum Energy (kips-ft) |  | No. of Projects Used | Total Pile Length Driven (ft) | $\begin{gathered} \text { \% of } \\ \text { Total Use } \end{gathered}$ | Weighted Average |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Delmag D19-32 | 42.4 | 4000 | 10 | 24805 | 13.4\% | 9.3\% |
| APE D19-42 | 47.1 | 4189 | 2 | 13137 | 7.1\% | 5.5\% |
| Delmag D19-42 | 43.2 | 4010 | 4 | 29061 | 15.6\% | 11.1\% |
| Delmag D30-02 | 66.2 | 6600 | 1 | 1620 | 0.9\% | 0.9\% |
| Delmag D25-32 | 66.3 | 5510 | 13 | 28747 | 15.5\% | 16.8\% |
| APE D30-42 | 70.1 | 6615 | 5 | 53769 | 28.9\% | 33.3\% |
| Delmag D30-32 | 75.4 | 6610 | 6 | 34635 | 18.6\% | 23.1\% |
|  185774 $100 \%$ $100 \%$ |  |  |  |  |  |  |

Notes:

1. The project count reflects total number of hammers used and is 42 as multiple hammers were used on various projects.
2. Percent of total use refers to number of projects, and weighted average refers to driven pile length excluding DE50B.

Table 2.6 summarizes the soil conditions along the skin and the pile's tip. For example, out of 42 indicator piles, 17 were driven to rock, 1 to till, and 16 to sand or sand \& gravel, meaning that in $80 \%$ of the cases ( 34 out of 42 ) the piles were driven to a competent bearing layer.

The data are further examined by summarizing the driving resistance at the end of driving as presented in Table 2.7. In $50 \%$ of the cases ( 17 out of 34 ) the piles were driven to a blow count of or exceeding 8 bpi . Additional $40 \%$ were driven to a resistance between 4 to 8 bpi which is the range beyond "easy driving." The data matches quite well with that of Table 2.6 suggesting $90 \%$ of the piles were driven to resistance in a competent layer.

Table 2.8 and Figure 2.1 provide a summary of driving equipment used for the driving of the 42 indicator piles. All hammers are diesel hammers ranging in nominal energy from 42 to 75 kip- ft , with the most common hammer per project (13 out of 42) being the Delmag D25-32 and the most length driven using the APE D30-42 (28.8\% of all pile length driven or $33.3 \%$ excluding DE50B for which exact specs are not available). About $75 \%$ of the piles were driven with hammers having nominal energy of about 70kips-ft (ranging from 66.2 to $75.4 \mathrm{kip}-\mathrm{ft}$ ) and ram weight of about $6,000 \mathrm{lb}$ (ranging from 5,500 to $6,600 \mathrm{lb}$ ).

### 2.7.2 Contractors' Perspective

Appendix B contains the response to a questionnaire that was completed by three contractors familiar with $\mathrm{Mn} / \mathrm{DOT}$ construction practices. The pile driving hammers available to the contractors are overall diesel hammers ranging in energy according to what was presented in Table 2.8. Other details match well with the data presented in Table 2.5 to 2.7. It seems like jetting is rarely used and pile penetration using vibratory hammers is utilized for initial segment installation only.


Figure 2.1 Hammer type as percent of total projects use or pile length weighted driven length.

### 2.8 CONCLUSIONS

The presented summary tables provide quantitative information matching the oral and written reports provided by the $\mathrm{Mn} / \mathrm{DOT}$ personnel.

1. Majority of bridge foundations are based on Closed Ended Pipe (CEP) and H piles.
2. CEP piles range in diameter from 12 to 20 " and comprise of $85 \%$ of the driven piles.
3. Most common CEP piles used are $12 " \times 0.25 "$ and $16 " \times 0.3125 "$, installed as $40 \%$ and $25 \%$ of the total foundation length, respectively (based on 28 bridge projects).
4. H piles comprise $15 \%$ of the driven pile foundations with sizes ranging between $10 \times 42$ to $14 \times 73$.
5. Typical (average) driven pile length is 66 feet with a load of 186 kips. More specific categorization is provided in Table 2.5, e.g. Average CEP 12 " $\times 0.25$ " pile length is 77 feet and it carries 155 kips design (factored) load.
6. Diesel hammers are most commonly used for driving piles ranging in size from D 1932 (42.4 kip-ft) to D 30-32 (75.4 kip-ft).
7. Over $90 \%$ of the piles are driven beyond the easy driving resistance zone of 4 bpi , hence allowing more accurate capacity evaluation when utilizing the dynamic methods. Fifty percent $(50 \%)$ of the piles were driven to a final penetration of 8 or more bpi.

## CHAPTER 3 DATABASE COMPILATION

### 3.1. OBJECTIVES AND OVERVIEW

The objective of this chapter is to present the development of a new database (Mn/DOT LT 2008) addressing the specific needs of Minnesota DOT pile foundation practices as established in Chapter 2. The database was developed in two stages. In the first stage, two robust H and Pipe pile databases were constructed and analyzed. This effort was presented in a preliminary report entitled "Task 2 - Databases Compilation" submitted on March 16, 2008. The second stage was carried out following comments made by Mn/DOT review team after the preliminary submittal of Task 3 and 4 reports on May 23, 2008. In that stage a comprehensive review and reevaluation of the original databases were taken focusing on the driving conditions match to $\mathrm{Mn} / \mathrm{DOT}$ practices. This review resulted with some modifications and re-evaluation based on hammer type and energy, but by and large, had not affected significantly the original databases. Both database development stages are presented here for the following reasons:

1. The explanations provided regarded the case histories and their evaluation are valid for both databases.
2. Both databases (initial and final stages) are robust and, hence, the relatively small modifications made did not result in a substantial difference in analysis outcome or the trend of the obtained results.
3. The first stage database was accompanied by a large scale analysis that remains valid for the condition examined. All the analyses results are presented in Chapter 4 and hence, it is appropriate to present all the databases associated with those analyses.

### 3.2. METHOD OF APPROACH

The actions required to develop dedicated databases included the following:

1. Review of all Database PD/LT 2000 cases and elimination of data not relevant to $\mathrm{Mn} / \mathrm{DOT}$ practices; e.g. different pile types and sizes.
2. Searching for additional case histories relevant to the $\mathrm{Mn} / \mathrm{DOT}$ practices.
3. Extraction of all relevant information and populating database Mn/DOT LT 2008.
4. Develop the statistics of database Mn/DOT LT 2008 and examine it in light of the foundations' statistics presented in Chapter 2.
5. Re-evaluation of the data and its sortment according to hammer type and energy in addition to pile type.
6. Developing separately a subset of the database containing dynamic measurements and a control database of cases not used as part of the main databases.

### 3.3. CASE HISTORIES

### 3.3.1. Past Databases

A database containing dynamic measurements of piles along with static load test results was originally developed by Paikowsky et al. (1994) for examining the reliability of the dynamic measurements and establishing the effectiveness of the Energy Approach method. This database was further enhanced by Stenersen (2001) to become database PD/LT 2000 as presented by Paikowsky and Stenersen (2000) and Paikowsky et al. (2004). Database PD/LT 2000 was the backbone of the AASHTO LRFD calibration for dynamic analyses of driven piles as described by Paikowsky et al. (2004). Database PD/LT 2000 contained information regarding 210 piles out of which 44 were H-Piles, 69 CEP (Closed Ended Pipe) and 24 OEP (Open Ended Pipe). Since 2000, the database was further enhanced to contain 66 H -Piles and 108 pipe piles. Upon establishing the Mn/DOT practices (described in Chapter 2), the enhanced PD/LT 2000 database was sieved and cases relevant to the $\mathrm{Mn} / \mathrm{DOT}$ pile foundation practices have been identified to form the basis for Mn/DOT/LT 2008 database. This database contained 40 H -Pile case histories, establishing Mn/DOT/LT 2008 H-Pile database. Mn/DOT/LT 2008 Pipe Pile database was also established containing 65 CEP and 12 OEP case histories.

### 3.3.2. Database Enhancement

A search for additional case histories was undertaken in order to enhance the aforementioned $\mathrm{Mn} / \mathrm{DOT}$ databases aspiring for optimal calibration conditions. Additional case histories had been obtained in four ways:

1. Request for information was sent to all state DOT engineers and other related officials. The request and a summary of the responses are presented in Appendix C of this report. Six states had responded to our request providing relevant data. A large number of valuable case histories were obtained from Connecticut.
2. Consulting companies and personal communication were used to obtain case histories. Some of this effort was specifically taken to address the need for as many case histories as possible for 16 inch diameter pipe piles.
3. Available reports and publications at the UML Geotechnical Engineering Research Laboratory. These newer reports were accumulated over the past five years and were not used in the enhanced PD/LT 2000 database. The reports examined, case histories were identified, classified and extracted to Mn/DOT/LT 2008.
4. The old FHWA pile database was physically researched and relevant case histories were extracted.

The developed databases at the first stage of analyses are described below. The modified databases are described in Section 3.6 and differ only slightly from the databases described in the following section.

### 3.4. MN/DOT/LT 2008 H PILES DATABASE

### 3.4.1. Data Summary

The Mn/DOT/LT 2008 H-Pile database was increased by 126 new case histories from 40 relevant past available cases to 166 cases. It should be noted that the 166 case histories refer to only 137 different piles, such that 48 cases are essentially multiple dynamic and/or static data for only 19 different piles. For example, cases 41 and 42 refer to dynamic data at the end of driving (EOD) and dynamic data at a later time, at the beginning of restrike (BOR) for the same pile. A summary of the information sorted by pile type, geometry and failure load is presented in Table 3.1 for all the H pile cases considering each case history as a separate pile. This way of analysis while provides the information for all possible data cases may cause some distortion in the "use" of piles and other statistics, a factor that should be bear in mind while reviewing the information presented below.

### 3.4.2. Database Information

The current attributes of the database are presented in Table 3.2. Table 3.2 provides example information for two of the case histories. The data are currently sorted in 63 columns, the most relevant information is presented in the 31 columns of Table 3.2 including:

1. Reference information (columns 1-3), case number, original reference identification and UML volume ID.
2. Location (Column 4) usually state or country.
3. Pile Details (Columns 5, 6, 9, 10) section, area, total length, and weight.
4. Soil Details (Column 11) soil type at the side and tip at the end of driving.
5. Driving System (Columns 7, 8, 12, 13, 17) hammer and driving component details, relevant to dynamic analyses.
6. Driving Data (Columns 15, 16, 18) observed stroke, associated driving energy and driving resistance.
7. Static Pile Capacity (Column 19) static pile capacity obtained for the application of Davisson's failure criterion to the measured or extrapolated static load displacement relations.
8. Dynamic Measurements (Columns 14, 28, 30) measured energy (many other related dynamic measurements details were inserted into the database but are not presented in Table 3.2) and calculated capacity using CAPWAP and the Energy Approach method.
9. Evaluated Dynamic Equations (Columns 20, 22, 24, 26) calculated capacity based on various established and researched dynamic equations, unexecuted yet and to be modified as needed.
10. Bias (Columns 21, 23, 25, 27, 29, 31) ratio of measured capacity as determined by Davisson's failure criterion of the static load test over the calculated capacity based on the relevant method of analysis.

Table 3.1 Summary of Mn/DOT/LT H-Pile Database Sorted by Pile Type, Geometry and Load

| Pile Type | CrossSectional Area (in ${ }^{2}$ ) | Moment of Inertia (Strong/Weak) $\left(\right.$ in $\left.^{4}\right)$ | No. of Pile Cases ${ }^{1}$ | No. of Projects | Total Length of Piles <br> (ft) | $\%$ of Total Piles |  | Range of Lengths <br> (ft) | Average Pile Length +/- 1 SD <br> (ft) | $\begin{gathered} \text { Average Pile } \\ \text { Capacity }^{2} \\ \text { +/-1 SD } \\ \text { (kips) } \\ \hline \hline \end{gathered}$ | No. of Cases with PDA <br> Measurements |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| HP10X42 | 12.4 | 210/71.7 | 28 | 14 | 2076 | 16.87 | 14.01 | 15-160 | $74+/-37$ | $287+/-62$ | 6 |
| HP10X57 | 16.8 | 294/101 | 4 | 3 | 172 | 2.41 | 1.16 | 36-50 | $43+/-8$ | $370+/-71$ | 3 |
| HP11X75 | 14.0 | 472/153 | 2 | 1 | 210 | 1.20 | 1.42 | 105 | 105 | $461+/-48$ | 0 |
| HP12X53 | 15.5 | 393 / 127 | 41 | 25 | 3365 | 24.70 | 22.70 | 22-151 | $77+/-37$ | $305+/-142$ | 6 |
| HP12X63 | 18.4 | 472 / 173 | 10 | 1 | 1532 | 6.02 | 10.34 | 147-159 | $153+/-6$ | $275+/-52$ | 10 |
| HP12X74 | 21.8 | 569 / 186 | 43 | 24 | 3730 | 25.90 | 25.16 | 15-291 | $87+/-56$ | $468+/-166$ | 20 |
| HP12X89 | 26.2 | 693 / 226 | 3 | 2 | 349 | 1.81 | 2.35 | 93-140 | $116+/-24$ | $517+/-189$ | 2 |
| HP14X73 | 21.4 | 729/261 | 16 | 9 | 1518 | 9.64 | 10.24 | 39-196 | $95+/-30$ | $398+/-189$ | 11 |
| HP14X89 | 26.1 | 904/326 | 10 | 6 | 1103 | 6.02 | 7.44 | 40-157 | $110+/-33$ | $619+/-273$ | 4 |
| HP14X117 | 34.4 | 1220 / 443 | 9 | 5 | 768 | 5.42 | 5.18 | 51-113 | $85+/-23$ | 988 +/- 248 | 4 |
| Totals | N/A | N/A | 166 | 90 | 14823 | 100.00 | 100.00 | 15-196 | 88 +/- 44 | 415 +/- 228 | 66 |

Notes: ${ }^{1}$ The number relate to the total of 166 cases on 137 different piles
${ }^{2}$ Capacity based on Davisson's failure criterion including 17 cases of load-test extrapolations.

Table 3.2 Typical Attributes of Mn/DOT/LT H-Piles Database

|  | Pile-Case ${ }^{2}$ | Refer. ${ }^{3}$ |  |  | $\text { Pile }^{6}$ | Capblock ${ }^{7}$ | Pile ${ }^{8}$ <br> Weight + | Pile ${ }^{9}$ | $\text { Total }^{10}$ | Soil Type ${ }^{11}$ |  | $\begin{gathered} \text { Hammer }^{12} \\ \text { Type } \end{gathered}$ | Rated ${ }^{13}$ <br> Hammer <br> Energy <br> (kip-ft) | Delivered ${ }^{14}$ <br> Energy <br> (kip-ft) | Final ${ }^{15}$ Stroke (ft) | Final ${ }^{16}$ <br> Energy <br> (kip-ft) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| o. | Number | No. |  | $\begin{gathered} \text { Type } \\ \text { (in x lb) } \end{gathered}$ | Weight (lbs) | (lbs) | Capblock <br> (lbs) | $\begin{aligned} & \text { Area } \\ & \text { (in2) } \end{aligned}$ | Length <br> (ft) | Side | Tip |  |  |  |  |  |
| 62 | 63-151-3 | 116 | Connecticut | HP12X53 | 1881.5 |  | 1882 | 15.5 | 35.5 | F,M,Till | Rock | Vulcan 1 | 15 |  |  |  |
| 65 | 63-138-2 | 116 | Connecticut | HP10X42 | 2975.7 |  | 2976 | 12.4 | 70.85 | C,Till | Rock | Vulcan 50C | 15.1 |  |  |  |


| $\left\lvert\, \begin{gathered} \text { Hammer }^{17} \\ \text { Weight } \\ \text { (lbs) } \end{gathered}\right.$ | $\begin{array}{\|c\|} \text { Blow }^{18} \\ \text { Count } \\ \text { (BPI) } \end{array}$ | $\begin{gathered} \text { Davisson's }{ }^{19} \\ \text { Criteria } \\ \text { (kips) } \end{gathered}$ | Gates $^{20}$ <br> Formula <br> $\mathbf{R}_{G}$ <br> (kips) | $\begin{gathered} \text { Measured }^{21} \\ \text { Calculated } \\ \mathbf{K}_{\mathbf{G}} \end{gathered}$ | ENR $^{22}$ <br> Equation <br> $\mathbf{R}_{\mathrm{E}}$ <br> (kips) | Measured ${ }^{23}$ <br> Calculated <br> $K_{E}$ | Mod. Gates ${ }^{24}$ Equation $\mathbf{R}_{\mathbf{F}}$ (kips) | Measured $/ 25$ Calculated $\mathbf{K}_{F}$ | $\begin{gathered} \text { Mn/DOT }{ }^{26} \\ \text { Equation } \\ \mathbf{R}_{M} \\ \text { (kips) } \\ \hline \end{gathered}$ | $\begin{array}{\|c} \text { Measured }{ }^{27} \\ \text { Calculated } \\ \mathbf{K}_{\mathrm{M}} \end{array}$ | $\begin{aligned} & \text { CAPWAP }{ }^{28} \\ & \text { TEPWAP } \\ & \text { (kips) } \end{aligned}$ | Measured ${ }^{2 s}$ Calculated CAPWAP | Energy $^{30}$ <br> Appr. <br> Ru <br> (kips) | Ksp ${ }^{31}$ <br> Measured $/$ <br> Calculated <br> Ru |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5000 | 20.57 | 280 |  |  |  |  |  |  |  |  |  |  |  |  |
| 5000 | 47 | 216 |  |  |  |  |  |  |  |  |  |  |  |  |

## Notes

${ }^{1}$ Database Case Number
${ }^{2}$ Project Number/Pile Number of Original Reference
${ }^{3}$ UMass Lowell Volume Reference Number
${ }^{4}$ Project Location
${ }^{5}$ H-Pile Section
${ }^{6}$ Pile Weight $=\mathrm{lb} / \mathrm{ft} \times$ length of pile
${ }^{7}$ Weight of capblock (if applicable)
${ }^{8}$ Weight of capblock added to weight of pile
${ }^{9}$ Cross-Sectional Area of Pile during driving
${ }^{10}$ Total Driven Length of Pile
${ }^{11}$ Soil type on pile side and at pile tip
${ }^{12}$ Type of Hammer used in final driving
${ }^{13}$ Rated Hammer Energy per Manufacturer (nominal)
${ }^{14}$ Delivered Energy recorded by PDA
${ }^{15}$ Final stroke of hammer at the end of driving
${ }^{16}$ Final Energy (final stroke x ram weight)
${ }^{17}$ Weight of Ram per Manufacturer
${ }^{18}$ Final blow count of pile in blows per inch
${ }^{19}$ Capacity based on Davisson's Failure Criterion
${ }^{20}$ Gates Dynamic Formula
${ }^{21}$ bias $=$ static Davisson capacity / calculated Gates capacity
${ }^{22}$ Engineering News Record Dynamic Formula
${ }^{23}$ bias $=$ static Davisson capacity / calculated ENR capacity
${ }^{24}$ Modified Gates Dynamic Formula
${ }^{25}$ bias = static Davisson capacity / calculated Modified Gates capacity
${ }^{26} \mathrm{Mn} /$ DOT Dynamic Formula
${ }^{27}$ bias = static Davisson capacity / calculated $\mathrm{Mn} /$ DOT capacity
${ }^{28}$ CAPWAP/TEPWAP Capacity
${ }^{29}$ bias $=$ static Davisson capacity / calculated CAPWAP capacity
${ }^{30}$ Energy Approach Capacity
${ }^{31}$ bias $=$ static Davisson capacity $/$ calculated Energy Approach capacity

### 3.4.3. Pile Capacity - Static Load Test

The benchmark pile capacity was established by employing the Davisson's failure criterion (Davisson, 1972) to the static load-settlement relations. The Davisson's failure criterion was selected as the preferable geotechnical pile failure criterion following investigations of five different interpretation methods on 186 case histories as presented by Paikowsky et al. (2004). The interpretation provided the best objective and consistent estimate of the pile capacity with a normal distribution ("correct" capacity over Davisson's interpretation) with a mean of 1.103 and a standard deviation of 0.0829 for 186 cases. This uncertainty may be taken into consideration when applicable. For twenty cases out of the 333 case histories currently comprising the Mn/DOT/LT 2008 database, the static load test was not carried out to intersect the curve of the Davisson's failure criterion. Out of these twenty cases, 16 relate to H-Pile case histories and four relate to pipe piles. For these cases, load test extrapolation was carried out following the procedure proposed by Paikowsky and Tolosko (1999). Table 3.3 summarizes the cases for which static load test extrapolation was carried out, providing in addition to the case ID, the failure obtained by the application of Davisson's criterion to the extrapolated curve along with the actual highest load applied to the pile during the load test. The column described by the extrapolation ratio provides the ratio between the failure load to the actual highest static load applied to the pile during the static load test.

Table 3.3 Case Histories of Mn/DOT/LT 2008 Database for which Load Test Extrapolation Curve was used to Define Failure by Davisson's Criterion

| Mn/DOT No. | CT Project <br> Number | Davisson's <br> Criterion <br> (kips) | Maximum <br> Load From SLT <br> (kips) | Extrapolation <br> Ratio |
| :---: | :---: | :---: | :---: | :---: |
| H-353 | $100-60-1$ | 308 | 280 | 1.100 |
| H-206 | $103-38-1$ | 184 | 140 | 1.314 |
| H-142 | $105-172-1$ | 884 | 700 | 1.263 |
| H-60 | $105-172-3$ | 508 | 400 | 1.270 |
| H-324 | $105-172-4$ | 638 | 475 | 1.343 |
| H-287 | $164-176-3$ | 1034 | 996 | 1.038 |
| H-18 | $42-246-1$ | 912 | 830 | 1.099 |
| H-9 | $44-102-3$ | 460 | 440 | 1.045 |
| H-58 | $63-136-2$ | 510 | 280 | 1.821 |
| H-61 | $63-137-1$ | 350 | 345 | 1.014 |
| H-346 | $63-137-4$ | 408 | 390 | 1.046 |
| H-211 | $63-141-1$ | 314 | 280 | 1.121 |
| H-221 | $91-118-2$ | 452 | 354 | 1.277 |
| H-203 | $92-111-1$ | 298 | 240 | 1.242 |
| P-9 | $92-124-1$ | 282 | 240 | 1.175 |
| P-10 | $92-124-2$ | 268 | 240 | 1.117 |
| P-11 | $92-124-3$ | 400 | 250 | 1.600 |
| H-347 | $92-94-1$ | 230 | 200 | 1.150 |
| H-348 | $92-94-2$ | 248 | 240 | 1.033 |
| H-1 | $96-39-1$ | 128 | 114 | 1.123 |

Notes: ${ }^{1}$ Extrapolation was carried out using the procedure developed by Paikowsky and Tolosko (1999)
${ }^{2}$ Extrapolation Ratio = Failure load obtained from the extrapolated load-displacement curve over the highest load applied during static testing

Paikowsky and Tolosko (1999) investigated the accuracy of their extrapolation procedure and found out that it is related to the degree of extrapolation required, i.e. the ratio between the extrapolated failure to the maximum load applied. They found out that extrapolation of up to $33 \%$ of the maximum load resulted with an accuracy of $0.99+/-0.26$ (mean $+/-1$ S.D.), extrapolation of up to $200 \%$ of the maximum load resulted with an accuracy of $0.89+/-0.41$. The data in Table 3.3 suggests that only in two cases, the ratio between the extrapolated load to the maximum applied load, exceeded 1.33. These cases (H-58 and P-11) were further examined as to their bias performance.

### 3.4.4. Data Sorting and Evaluation

Tables 3.4 to 3.6 present summaries related to the cases of the Mn/DOT/LT 2008 H-Piles database regarding the soil type, end of driving resistance and range of hammer rated energy, respectively. Beyond the absolute value of the data, the provided information is compared to that presented in Chapter 2. Table 3.4 presents the data regarding the soil conditions in the database and should be compared to Table 2.6 that summarizes soil conditions for $\mathrm{Mn} / \mathrm{DOT}$ indicator pile cases. For example; $40.4 \%$ of all piles are driven to rock by the $\mathrm{Mn} / \mathrm{DOT}$ and $34.0 \%$ of the H-Piles in Mn/DOT/LT 2008 H -Piles database were driven to rock. Similarly, Table 2.7 suggests that $50 \%$ of the $\mathrm{Mn} / \mathrm{DOT}$ piles are driven to refusal ( $>8 \mathrm{bpi}$ ) and Table 3.5 suggests that $68.7 \%$ of the H-Piles in the database also were driven to final driving resistance equal to or exceeding 8 bpi. Table 2.8 suggests that diesel hammers are used for pile driving by the $\mathrm{Mn} / \mathrm{DOT}$ with energies ranging from 42.4 to 75.4 kips- ft . Table 3.6 shows that $37.4 \%$ of the piles in the database were driven with hammers ranging in energy from 40 to $75 \mathrm{kips}-\mathrm{ft}$. Over half of the piles were driven with diesel hammers; $45.5 \%$ in the case of the 25 to $40 \mathrm{kips}-\mathrm{ft}$ energy range and $62.5 \%$ in the case of the 40 to 50 kips-ft energy range.

Table 3.4 Summary of Mn/DOT/LT H-Pile Database Sorted by Soil Type at the Pile's Tip and Side

| Soil Condition | Rock | Till | Sand \& Gravel | Sand | Silt | Clay |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Tip | 54 | 27 | 11 | 47 | 6 | 14 |
| Side | 0 | 0 | 10 | 90 | 19 | 40 |

Note: 159 total number of cases as 7 pile cases had no soil data available.

Table 3.5 Summary of Mn/DOT/LT H-Pile Database Sorted by End of Driving Resistance

| Drivng Resistance (BPI) | $0-4$ | $4-8$ | $>8$ |
| :---: | :---: | :---: | :---: |
| Number of Indicator Piles | 34 | 18 | 114 |
| \% of Cases | 20.5 | 10.8 | 68.7 |

Table 3.6 Summary of Mn/DOT/LT H-Pile Database Sorted by Range of Hammer Rated Energies

| Rated Energy <br> (kips-ft) | No. of Piles | \% of Piles | No. of <br> Projects | No. of <br> Hammers | No. of Diesel <br> Hammers | \% of Diesel <br> Hammers |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $7-25$ | 57 | 34.3 | 32 | 16 | 4 | $25.0 \%$ |
| $25-40$ | 40 | 24.1 | 24 | 11 | 5 | $45.5 \%$ |
| $40-50$ | 25 | 15.1 | 13 | 8 | 5 | $62.5 \%$ |
| $50-75$ | 37 | 22.3 | 17 | 13 | 10 | $76.9 \%$ |
| $>75$ | 7 | 4.2 | 4 | 5 | 4 | $80.0 \%$ |
| Totals | $\mathbf{1 6 6}$ | $\mathbf{1 0 0}$ | $\mathbf{9 0}$ | $\mathbf{5 3}$ | $\mathbf{2 8}$ | $\mathbf{5 2 . 8 3 \%}$ |

Figures 3.1 and 3.2 present graphically some of the important features of Mn/DOT/LT 2008 database along with a comparison of data reflecting the $\mathrm{Mn} / \mathrm{DOT}$ foundation practices as presented in Chapter 2. The information in Figure 3.1 presents mean failure load ( $+/-1$ standard deviation) for each pile type/size category comprising the database, along with the number of cases related to that information. In addition, the mean LRFD factored (design) load for the $\mathrm{Mn} / \mathrm{DOT}$ for the applicable pile cases is presented along with the number of piles it is based upon. For example, 41 case histories of the database are related to HP12X53. The mean failure load of these cases was $305 \mathrm{kips}+/-142 \mathrm{kips}(1 \mathrm{SD})$. The mean factored load of this type of pile by the Mn/DOT is 157 kips based on 337 HP12X53 piles. These data alone suggests that the mean safety margin of the $\mathrm{Mn} / \mathrm{DOT}$ is $1.943+/-0.904$ in comparison with the database information (not including the load factor) or the covering of approximately 1 S.D range (lower value of resistance is 163 kips compared to a load of 157 kips ) translates to a target reliability of $\beta=1$ and a probability of failure $\mathrm{p}_{\mathrm{f}}=15.9 \%$. The information in Figure 3.2 presents the distribution of the case histories in the database based on the pile sizes in comparison with the distribution of use of the same pile by $\mathrm{Mn} / \mathrm{DOT}$. To be relevant, the frequency of use of the H Piles by the $\mathrm{Mn} / \mathrm{DOT}$, presented in Figure 3.2, reflects the use of the particular pile type out of the H-Piles only and not out of all driven piles. For example, 41 pile cases of HP12X53 are available in the database ( $24.7 \%$ of all cases), while the Mn/DOT uses this pile in $55.5 \%$ of the cases where H -Piles are being used.


Figure 3.1 Range of pile capacity based on static load test (mean +/- 1 S.D.) and Mn/DOT mean factored design loads sorted by H pile type and cross-sectional area.


Figure 3.2 Distribution of Database Mn/DOT/LT H-Piles by pile area cross-section along with the frequency and pile type used by $M n / D O T$.

### 3.5. MN/DOT/LT 2008 PIPE PILES DATABASE

### 3.5.1. Data Summary

The Mn/DOT/LT 2008 Pipe - Pile database was increased by 90 new case histories from 77 relevant past available cases to 167 cases. Although only closed ended pipe piles are used in the $\mathrm{Mn} / \mathrm{DOT}$ practice, the difficulty in obtaining case histories for 16 inch diameter pipe piles made it logical to include in the database available information regarding four cases of 16 inch open ended pipe piles. It should be noted that the 167 case histories refer to only 138 different piles, such that 54 cases are essentially multiple dynamic and/or static data for only 25 different piles. For example, cases 20 and 21 refer to dynamic data at the end of driving (EOD) and dynamic data at a later time, at the beginning of restrike (BOR) for the same pile. A summary of the information sorted by pile type, geometry and failure load is presented in Table 3.7 for all the pipe pile cases considering each case history as a separate pile. This way of analysis while provides the information for all possible data cases may cause some distortion in the "use" of piles and other statistics, a factor that should be bear in mind while reviewing the information presented below.

### 3.5.2. Database Information

The current attributes of the database are presented in Table 3.8. Table 3.8 provides example information for two of the case histories. The data are currently sorted in 67 columns, the most relevant information is presented in the 34 columns of Table 3.8 including:

1. Reference information (columns 1-3), case number, original reference identification and UML volume ID.
2. Location (Column 4) usually state or country.
3. Pile Details (Columns 5, 6, 7, 11, 12, 13) type (diameter and closed vs open ended), wall thickness, weight of unit length, total weight, section area and total length.
4. Soil Details (Column 14) soil type at the side and tip at the end of driving.
5. Driving System (Columns 5, 15, 16, 18) hammer and driving component details, relevant to dynamic analyses.
6. Driving Data (Columns 19, 20, 31) observed stroke, associated driving energy and driving resistance.
7. Static Pile Capacity (Column 22) static pile capacity obtained for the application of Davisson's failure criterion to the measured or extrapolated static load displacement relations.
8. Dynamic Measurements (Columns 17, 31, 33) measured energy (many other related dynamic measurements details were inserted into the database but are not presented in Table 3.7) and calculated capacity using CAPWAP and the Energy Approach method.
9. Evaluated Dynamic Equations (Columns 23, 25, 27, 29) calculated capacity based on various established and researched dynamic equations, unexecuted yet and to be modified as needed.
10. Bias (Columns 24, 26, 28, 30, 32, 34) ratio of measured capacity as determined by Davisson's failure criterion of the static load test over the calculated capacity based on the relevant method of analysis.

Table 3.7 Summary of Mn/DOT/LT Pipe Pile Database Sorted by Pile Type, Geometry and Load

| Pile Type | Cross-Sectional Area Range (in ${ }^{2}$ ) | $\begin{aligned} & \text { No. of Pile } \\ & \text { Cases }^{1} \end{aligned}$ | No. of Projects | Total <br> Length Of <br> Piles (ft) | \% of <br> Total <br> Piles | \% of <br> Total <br> Length | Range of Lengths <br> (ft) | Average Pile Length +/-SD (ft) | $\begin{gathered} \hline \text { Average Pile } \\ \text { Capacity }^{2} \\ +/- \text { SD (kips) } \end{gathered}$ | No. of Cases with PDA <br> Measurements |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CEP 10" or less | 7.9-18.4 | 23 | 9 | 2861 | 13.8\% | 18.3\% | 28-175 | $124+/-45$ | $422+/-160$ | 20 |
| CEP 12" | 8.5-13.7 | 12 | 7 | 1015 | 7.2\% | 6.5\% | 27-134 | $85+/-34$ | $388+/-173$ | 3 |
| CEP 12.75" | 7.7-14.6 | 65 | 35 | 5485 | 38.9\% | 35.1\% | 15-175 | $84+/-39$ | $372+/-195$ | 30 |
| CEP 14" | 10.8-21.2 | 29 | 11 | 2777 | 17.4\% | 17.8\% | 31-158 | 96+/-38 | 454 +/-199 | 23 |
| CEP 16" | 9.3-24.3 | 10 | 10 | 863 | 6.0\% | 5.5\% | 24-125 | $86+/-30$ | $650+/-396$ | 4 |
| CEP 18" | 27.5-34.1 | 12 | 7 | 1372 | 7.2\% | 8.8\% | 60-170 | $114+/-37$ | $545+/-198$ | 9 |
| CEP 20" - 26" | 36.9-67.7 | 12 | 4 | 932 | 7.2\% | 6.0\% | 44-166 | $78+/-29$ | $767+/-135$ | 12 |
| OEP 16" | 24.35 | 4 | 1 | 321 | 2.4\% | 2.1\% | 52-109 | 80+/-33 | $431+/-260$ | 3 |
| Totals | N/A | 167 | 84 | 15625 | 100.00\% | 100.00\% | 15-175 | $94+/-42$ | $452+/-230$ | 104 |

Notes: ${ }^{1}$ The number relate to the total of 167 cases on 138 different piles
${ }^{2}$ Capacity based on Davisson's failure criterion including 3 cases of load-test extrapolations.

Table 3.8 Typical Attributes of Mn/DOT/LT Pipe Piles Database

|  |  |  |  |  | Wall ${ }^{6}$ | $\text { \| } \text { Pile }^{7}$ |  | Capblock ${ }^{9}$ | $\overline{\text { Pile }}^{10}$ | Pile ${ }^{11}$ | $\begin{gathered} \text { Cross }^{12} \\ \text { Sectional } \end{gathered}$ | Total ${ }^{13}$ | Soil | ype ${ }^{14}$ |  | $\text { Rated }^{16}$ Hammer | $\mathbf{d}^{17}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No. ${ }^{\text {a }}$ | umber | No. | L | Type | Thickness <br> (in) | Weight (lbs/ft) | Weight <br> (lbs) | (lbs) | Capblock (lbs) | Area (in2) | $\begin{aligned} & \text { Area } \\ & \text { (in2) } \\ & \hline \end{aligned}$ | $\begin{array}{\|c\|c\|} \hline \text { Length } \\ \text { (ft) } \end{array}$ | Side | Tip | Type | Energy <br> (kip-ft) | (kip-ft) |
| 25 | CNB351-1 | 117 | Tennessee | CEP 16" | 0.5 | 82.8 | 6207.8 |  | 6207.8 | 201.1 | 24.3 | 75.0 | C,S | Sand | Vulcan 506 | 32.5 |  |
| 73 | A-1-137-BOR | 10 | Canada | CEP 12.75" | 0.315 | 41.8 | 2510.0 |  | 2510.0 | 127.7 | 12.3 | 60 | Clay | Till | B-300 | 40.31 |  |


| $\left\lvert\, \begin{gathered} \text { Hammer }^{18} \\ \text { Weight } \\ \text { (lbs) } \end{gathered}\right.$ | Final ${ }^{19}$ Stroke <br> (ft) | Final ${ }^{20}$ Delivered Energy (kip-ft) | Blow $^{21}$ <br> Count <br> (BPI) | $\begin{aligned} & \text { Davisson's²2 } \\ & \text { Criteria } \\ & \text { (kips) } \end{aligned}$ | $\begin{array}{\|c\|} \text { Gates }^{23} \\ \text { Formula } \\ \mathbf{R}_{\mathrm{G}} \\ \text { (kips) } \end{array}$ | $\begin{gathered} \text { Measured }^{24}{ }^{24} \\ \text { Calculated } \\ \mathbf{K}_{\mathbf{G}} \end{gathered}$ | $\begin{array}{\|c\|} \hline \text { ENR }^{25} \\ \text { Equation } \\ \mathbf{R}_{\mathrm{E}} \\ \text { (kips) } \end{array}$ | $\begin{aligned} & \text { Measured }{ }^{26} \\ & \text { Calculated } \\ & K_{E} \end{aligned}$ | Mod. <br> Gates ${ }^{27}$ <br> Equation $\mathrm{R}_{\mathrm{F}}$ <br> (kips) | $\begin{gathered} \text { Measured }^{28} \\ \text { Calculated } \\ K_{F} \end{gathered}$ | $\begin{gathered} \text { Mn/DOT }{ }^{29} \\ \text { Equation } \\ \mathbf{R}_{\mathrm{M}} \\ \text { (kips) } \end{gathered}$ | $\begin{array}{\|c} \text { Measured }{ }^{30} \\ \text { Calculated } \\ K_{M} \end{array}$ | $\begin{gathered} \text { CAPWAP }^{31} \\ \text { TEPWAP } \\ \text { (kips) } \end{gathered}$ | Measured ${ }^{32}$ <br> Calculated <br> CAPWAP | Energy $^{33}$ Appr. Ru (kips) | Ksp ${ }^{34}$ Measured/ Calculated $\mathbf{R u}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6500 | 5 | 32.5 | 4.50 | 230 |  |  |  |  |  |  |  |  |  |  |  |  |
| 3750 |  |  | 11.00 | 384 |  |  |  |  |  |  |  |  |  |  |  |  |

Notes:
${ }^{1}$ Database Case Number
${ }^{2}$ Project Number/Pile Number of Original Reference
${ }^{3}$ UMass Lowell Volume Reference Number
${ }^{4}$ Project Location
${ }^{5}$ Pipe Pile Section
${ }^{6}$ Wall Thickness of Pile
${ }^{7}$ Unit Weight of pile per foot
${ }^{8}$ Pile Weight = Unit weight of pile x total driven length
${ }^{9}$ Weight of capblock (if applicable)
${ }^{10}$ Weight of capblock added to weight of pile
${ }^{11}$ Area of Pile at tip
${ }^{12}$ Cross-Sectional Area of Pile during driving
${ }^{13}$ Total Driven Length of Pile
${ }^{14}$ Soil type on pile side and at pile tip
${ }^{15}$ Type of Hammer used in final driving
${ }^{16}$ Rated Hammer Energy per Manufacturer (nominal)
${ }^{17}$ Delivered Energy recorded by PDA
${ }^{18}$ Weight of Ram per Manufacturer
${ }^{19}$ Final stroke of hammer prior at the end of driving
${ }^{20}$ Final Energy (final strokes x ram weight)
${ }^{21}$ Final blow count of pile in blows per inch
${ }^{22}$ Capacity based on Davisson's Failure Criterion
${ }^{23}$ Gates Dynamic Formula
${ }^{24}$ bias = static Davisson capacity / calculated Gates capacity
${ }^{25}$ Engineering News Record Dynamic Formula
${ }^{26}$ bias = static Davisson capacity / calculated ENR capacity
${ }^{27}$ Modified Gates Dynamic Formula
${ }^{28}$ bias = static Davisson capacity / calculated Modified Gates capacity
${ }^{29} \mathrm{Mn}$ /DOT Dynamic Formula
${ }^{30}$ bias = static Davisson capacity / calculated Mn/DOT capacity
${ }^{31}$ CAPWAP/TEPWAP Capacity
${ }^{32}$ bias $=$ static Davisson capacity $/$ calculated CAPWAP capacity
${ }^{33}$ Energy Approach Capacity
${ }^{34}$ bias $=$ static Davisson capacity $/$ calculated Energy Approach capacity

### 3.5.3. Pile Capacity - Static Load Test

Refer to section 3.4.3.

### 3.5.4. Data Sorting and Evaluation

Tables 3.9 to 3.11 present summaries related to the cases of the Mn/DOT/LT 2008 Pipe Piles database regarding the soil type, end of driving resistance and range of hammer rated energy, respectively. Beyond the absolute value of the data, the provided information is compared to the data presented in Chapter 2. Table 3.9 presents the data regarding the soil conditions in the database and should be compared to Table 2.6. For example $40.4 \%$ of all piles driven to rock by the $\mathrm{Mn} / \mathrm{DOT}$ and only $16.0 \%$ of the pipe piles in Mn/DOT/LT 2008 Pipe Piles database were driven to rock. Similarly, Table 2.7 suggests that $50 \%$ of the $\mathrm{Mn} /$ DOT piles are driven to refusal ( $>8 \mathrm{bpi}$ ) while Table 3.10 suggests that $37.1 \%$ of the pipe piles in the database also were driven to final driving resistance equal to or exceeding 8 bpi. Table 2.8 suggests that diesel hammers are used for pile driving by the $\mathrm{Mn} / \mathrm{DOT}$ with energies ranging from 42.4 to $75.4 \mathrm{kips}-\mathrm{ft}$. Table 3.11 shows that $40.8 \%$ of the piles in the database were driven with hammers ranging in energy from 40 to 75 kips-ft. About half of the piles were driven with diesel hammers; $40.0 \%$ in the case of the 25 to 40 kips- ft energy range and $57.1 \%$ in the case of the 40 to $50 \mathrm{kips}-\mathrm{ft}$ energy range.

Table 3.9 Summary of Mn/DOT/LT Pipe Pile Database Sorted by Soil Type at the Pile’s Tip and Side

| Sile Location | Rock | Till | Sand \& Gravel | Sand | Silt | Clay |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Tip | 16 | 40 | 7 | 64 | 13 | 27 |
| Side | 0 | 8 | 4 | 80 | 19 | 56 |

Notes: ${ }^{1}$ Total number of cases is 167

Table 3.10 Summary of Mn/DOT/LT Pipe Pile Database Sorted by End of Driving Resistance

| Drivng Resistance (BPI) | $0-4$ | $4-8$ | $>8$ |
| :---: | :---: | :---: | :---: |
| Number of Indicator Piles | 67 | 38 | 62 |
| \% of Cases | 40.1 | 22.8 | 37.1 |

Table 3.11 Summary of Mn/DOT/LT Pipe Pile Database Sorted by Range of Hammer Rated Energies

| Rated Energy <br> (kips-ft) | No. of <br> Piles | \% of <br> Piles | No. of <br> Projects | No. of <br> Hammers | No. of Diesel <br> Hammers | \% of Diesel <br> Hammers |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $7-25$ | 32 | 19.2 | 23 | 5 | 2 | 40.0 |
| $25-40$ | 41 | 24.6 | 14 | 10 | 4 | 40.0 |
| $40-50$ | 27 | 16.2 | 16 | 7 | 4 | 57.1 |
| $50-75$ | 42 | 25.1 | 21 | 12 | 9 | 75.0 |
| $>75$ | 25 | 15.0 | 10 | 9 | 7 | 77.8 |
| Totals | $\mathbf{1 6 7}$ | $\mathbf{1 0 0 . 0}$ | $\mathbf{8 4}$ | $\mathbf{4 3}$ | $\mathbf{2 6}$ | $\mathbf{6 0}$ |

Figures 3.3 and 3.4 present graphically some of the important features of Mn/DOT/LT 2008 database along with a comparison of data reflecting the $\mathrm{Mn} / \mathrm{DOT}$ foundation practices as presented in the Task 1 report. The information in Figure 3.3 presents mean failure load $(+/-1$ standard deviation) for each pile type/size category (by pipe pile diameter) comprising the database, along with the number of cases related to that information. In addition, the mean LRFD factored (design) load for the $\mathrm{Mn} /$ DOT for the applicable pile cases is presented along with the number of piles it is based upon. For example, 12 and 65 case histories of the database are related to 12.00 and 12.75 inch diameter piles, respectively. The mean failure load of these
 respectively. The mean factored load of the 12 and 12.75 inch piles by the $\mathrm{Mn} / \mathrm{DOT}$ is 155 and 120 kips , based on 1055 and 11612 and 12.75 inch diameter pipe piles, respectively. These data alone suggests that the mean safety margin of the Mn/DOT 12 and 12.75 inch diameter piles is $2.503+/-1.116$ and $3.100+/-1.625$ in comparison with the database information (not including the load factor) or the covering of approximately 1.3 S.D range (lower value of resistance is 1.29 and 1.35 standard deviations from the mean, hence approximately taken as 1.3 ) translates to a target reliability of $\beta=1.3$ and a probability of failure $\mathrm{p}_{\mathrm{f}}=9.8 \%$. The information in Figure 3.4 presents the distribution of the case histories in the database based on the pile sizes in comparison with the distribution of use of the same pile by $\mathrm{Mn} / \mathrm{DOT}$. To be relevant, the frequency of use of the pipe piles by the $\mathrm{Mn} / \mathrm{DOT}$, presented in Figure 3.4, reflecting the use of the particular pile type out of the pipe piles only and not out of all driven piles. For example, 77 pile cases of 12 and 12.75 inch diameter piles are available in the database ( $46.1 \%$ of all cases), while the $\mathrm{Mn} / \mathrm{DOT}$ uses these diameter piles in $50.0 \%$ of the projects where pipe piles are being used. The major difficulty of the database as presented in Figure 3.4 is evidently related to the 16 inch diameter closed ended pipe piles. This type of piles are used by the Mn/DOT in $22.9 \%$ of all projects and $26.9 \%$ of all pipe piles but only 10 closed ended and 4 open ended 16 inch diameter piles are available at the database.


Figure 3.3 Range of pile capacity based on static load test (mean +/- 1 S.D.) and Mn/DOT mean factored design loads sorted by pipe pile type and pipe pile diameter.


Figure 3.4 Distribution of Database Mn/DOT/LT pipe piles by pile area cross-section along with the frequency and pile type used by Mn/DOT.

### 3.6. DATABASES MODIFICATION - SECOND RESEARCH STAGE

### 3.6.1. Overview

Following the TAP meeting that took place in Minnesota on August 8, 2008, an extensive examination of the databases took place primarily to re-check what seems more relevant to the $\mathrm{Mn} / \mathrm{DOT}$ practice. The databases re-examination consisted of the following:

1. Re-examination of the capacity of all the pipe piles in the database. It was identified that the variability of the data is higher for the pipe piles, contributing to larger variability in the dynamic analyses. Pipe piles are driven empty, but then are being used and statically tested after being filled with concrete. We examined all cases to make sure there was not a discrepancy in the load test interpretation between shell stiffness to that of a concrete filled pipe. It was a tedious task and by and large, the quality of the data were affirmed. We also examined possible corrections for 19 case histories, all found to be ok. We did identify five cases to be removed for various reasons (battered piles, very low blow count, etc.), but added others so overall ended with the same number of cases but three less EOD cases compared to the number of cases that were represented first.
2. Re-examination of all the H-pile cases mostly to double check the determined static pile capacity and the reliability of the dynamic data. We have not changed anything in that pile category. Table 3.12 summarizes our second stage database review including dynamic and static measurements.

Table 3.12 Second Stage Mn/DOT Database Review

| Pile Type | Reviewed \# <br> All/EOD | Excluded/Added | To be used <br> All/EOD |
| :---: | :---: | :---: | :---: |
| H | $135 / 125$ | $0 / 0$ | $135 / 125$ |
| Pipe | $128 / 102$ | $-5 /+5 /-3$ | $128 / 99$ |

## Notes:

1. Reviewed number relates to $1^{\text {st }}$ stage database.
2. Two H pile cases were excluded from the original H pile database during $1^{\text {st }}$ stage analysis, so 135 piles refer to the original 137 with 2 piles removed.
3. All $=$ all pile cases. $\mathrm{EOD}=$ cases for which End of Driving data are available.
4. "To be used" refers to the 2 nd stage database and final analysis.

### 3.6.2. Database Applicability to Mn/DOT Construction Practices

Section 3.4.4 (see Tables 3.5, 3.6), and section 3.5.4 (see Tables 3.10, 3.11) examined the database hammer energy and driving resistances compared to $\mathrm{Mn} / \mathrm{DOT}$ practices for H and Pipe pile, respectively. Additional examination was performed once more details of assumptions made by $\mathrm{Mn} / \mathrm{DOT}$ equation application were identified (e.g. assumed hammer energy efficiency of $75 \%$ if stroke measurements are not available). The process taken, the findings, and the conclusions are described below.

1. All the original reports were examined to see if records of stroke measurements could be found. Fifteen cases of pipe piles and 58 records of H piles were identified for which the stroke was specified in the reports. Table 3.13 provides a summary of these records.
2. All the cases for which dynamic measurements were available, were examined in order to establish the typical energy transfer and accuracy of the prediction compared to the dynamic equations for the same cases. The original database was updated with the summary presented in Table 3.13.

Table 3.13 Dynamic Data Details for Mn/DOT/LT 2008 Database

| Pile <br> Type | Dynamic Measurements |  |  | Stroke Measurements |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | No Data | Some | All | No Data | Available |  |
| H | 66 | 6 | 27 | 40 | 59 | Some stroke values may be <br> theoretically calculated |
| Pipe | 31 | 7 | 56 | 83 | 16 |  |

3. Tables 3.14 to 3.16 provide details about the hammers used in driving the piles comprising Mn/DOT/LT 2008 Databases. The data presented in these tables are compared to the data presented in Table 2.8 , summarizing the $\mathrm{Mn} / \mathrm{DOT}$ common equipment based on the bridge construction analyses presented in Chapter 2. The following comments and conclusions can be made when comparing the data in Table 2.8 to that in Tables 3.14 to 3.16:
a. Based on Table 2.8, about $75 \%$ of the piles were driven with hammers having nominal energy of about 70kip-ft (ranging from 66.2 to $75.4 \mathrm{kip}-\mathrm{ft}$ ), and ram weight of about $6,000 \mathrm{lb}$ (ranging from 5,500 to $6,600 \mathrm{lb}$ ).
b. The details provided in Tables 3.14 to 3.16 of the developed database suggest the following:
i. $80 \%$ of the diesel hammers used for the H piles have a nominal energy of about 50 kip -ft (range from 40.6 to $0.885 \mathrm{kip}-\mathrm{ft}$ ) and a ram weight of about $6,000 \mathrm{lb}$ (range from 4,910 to 7,9301b), and
ii. The average of all the diesel hammers used for the Pipe and H piles together ( 87 cases) is a nominal energy of $61.0 \mathrm{kip}-\mathrm{ft}$ ) and a ram weight of 6,553lb.
These observations lead to the following conclusions:
i. The database provides a larger range of hammer sizes and energies compared to $\mathrm{Mn} / \mathrm{DOT}$ practice, but overall overlaps well with the hammers used in $\mathrm{Mn} /$ DOT projects, and
ii. The research program remained as planned, i.e. work on small and large groups from most selective match cases (e.g. diesel hammer size, energy, pile, driving resistance, etc.) to the most robust cases (all hammers, all piles) and check the influence of the subgroup vs. all group on the statistical results.

Table 3.14 Summary of Hammers Type and Energy Used for Driving the H Piles in the Dataset of Mn/DOT/LT 2008

| H Piles - All Hammer Types |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hammer Type | Max. <br> Energy <br> (kips-ft) | Ram Weight (lbs) | No. of Projects Used | Total Pile <br> Length Driven (ft) | $\%$ of <br> Total <br> Use | Weighted Ave. |
| APE D30-32 | 70.1 |  | 1 | 40 | 0.5\% | 0.9\% |
| B-300 | 34.0 | 3750 | 4 | 331 | 4.1\% | 3.7\% |
| B-400 | 46.0 | 5000 | 1 | 121 | 1.5\% | 1.8\% |
| Conmaco 125E5 | 62.5 | 12500 | 6 | 940 | 11.7\% | 19.2\% |
| Delmag D-12 | 23.7 | 2750 | 4 | 224 | 2.8\% | 1.7\% |
| Delmag D19-32 | 42.4 | 4000 | 1 | 35 | 0.4\% | 0.5\% |
| Delmag D-22 | 40.6 | 4910 | 1 | 100 | 1.2\% | 1.3\% |
| Delmag D25-32 | 61.5 | 5510 | 2 | 213 | 2.7\% | 4.3\% |
| Delmag D30-32 | 73.8 | 6600 | 3 | 250 | 3.1\% | 6.0\% |
| Delmag D-36 | 83.8 | 7930 | 1 | 157 | 2.0\% | 4.3\% |
| Delmag D36-32 | 88.5 | 7930 | 1 | 102 | 1.3\% | 2.9\% |
| ICE 1070 | 72.6 | 10000 | 1 | 54 | 0.7\% | 1.3\% |
| ICE 520 | 30.4 | 5070 | 2 | 139 | 1.7\% | 1.4\% |
| ICE 640B | 40.6 | 6000 | 2 | 180 | 2.2\% | 2.4\% |
| ICE 70S | 70.0 | 7000 | 1 | 94 | 1.2\% | 2.1\% |
| IHC S-70 | 51.3 | 7730 | 1 | 131 | 1.6\% | 2.2\% |
| Junttan HHK 4a | 34.7 | 8818 | 2 | 264 | 3.3\% | 3.0\% |
| Junttan HHK 7a | 61.6 | 15431 | 1 | 104 | 1.3\% | 2.1\% |
| LB 660 | 51.6 | 7570 | 8 | 930 | 11.6\% | 15.7\% |
| MKT 10B3 | 13.1 | 3000 | 1 | 68 | 0.8\% | 0.3\% |
| MKT 11B3 | 19.2 | 5000 | 3 | 290 | 3.6\% | 1.8\% |
| MKT 9B3 | 8.8 | 1600 | 1 | 59 | 0.7\% | 0.2\% |
| MKT DE30 | 22.4 | 2800 | 1 | 69 | 0.9\% | 0.5\% |
| MKT DE-30B | 23.8 | 2800 | 2 | 80 | 1.0\% | 0.6\% |
| MKT S8 | 26.0 | 8000 | 3 | 377 | 4.7\% | 3.2\% |
| Raymond 65C | 19.5 | 6500 | 1 | 90 | 1.1\% | 0.6\% |
| Vulcan 06 | 19.5 | 6500 | 3 | 78 | 1.0\% | 0.5\% |
| Vulcan 1 | 15.0 | 5000 | 16 | 988 | 12.3\% | 4.8\% |
| Vulcan 1 Mod. | 19.5 |  | 3 | 278 | 3.5\% | 1.8\% |
| Vulcan 2 | 7.3 | 3000 | 1 | 40 | 0.5\% | 0.1\% |
| Vulcan 506 | 32.5 | 6500 | 5 | 355 | 4.4\% | 3.8\% |
| Vulcan 50C | 15.1 | 5000 | 7 | 561 | 7.0\% | 2.8\% |
| Vulcan 80C | 24.5 | 8000 | 3 | 292 | 3.6\% | 2.3\% |
|  | $38.6$ <br> Aver | $\begin{array}{r} 6200 \\ \text { age* } \end{array}$ | 93 | $\begin{array}{\|c\|} \hline 8033 \\ \\ \\ \text { Tota } \end{array}$ | $100 \%$ | $100 \%$ |


| H Piles - Diesel Hammers |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hammer |  |  |  |  |  |  |  |  |  |  |  |  |
| Type | Max. <br> Energy <br> (kips-ft) | Ram <br> Weight <br> (lbs) | No. of <br> Projects <br> Used | Total Pile <br> Length <br> Driven (ft) | \% of <br> Total <br> Use | Weighted <br> Ave. |  |  |  |  |  |  |
| APE D30-32 | 70.1 | 0 | 1 | 40 | $1.3 \%$ | $1.8 \%$ |  |  |  |  |  |  |
| B-300 | 34.0 | 3750 | 4 | 331 | $10.6 \%$ | $7.1 \%$ |  |  |  |  |  |  |
| B-400 | 46.0 | 5000 | 1 | 121 | $3.9 \%$ | $3.5 \%$ |  |  |  |  |  |  |
| Delmag D-12 | 23.7 | 2750 | 4 | 224 | $7.2 \%$ | $3.4 \%$ |  |  |  |  |  |  |
| Delmag D19-32 | 42.4 | 4000 | 1 | 35 | $1.1 \%$ | $0.9 \%$ |  |  |  |  |  |  |
| Delmag D-22 | 40.6 | 4910 | 1 | 100 | $3.2 \%$ | $2.6 \%$ |  |  |  |  |  |  |
| Delmag D25-32 | 61.5 | 5510 | 2 | 213 | $6.8 \%$ | $8.3 \%$ |  |  |  |  |  |  |
| Delmag D30-32 | 73.8 | 6600 | 3 | 250 | $8.0 \%$ | $11.7 \%$ |  |  |  |  |  |  |
| Delmag D-36 | 83.8 | 7930 | 1 | 157 | $5.0 \%$ | $8.3 \%$ |  |  |  |  |  |  |
| Delmag D36-32 | 88.5 | 7930 | 1 | 102 | $3.3 \%$ | $5.7 \%$ |  |  |  |  |  |  |
| ICE 1070 | 72.6 | 10000 | 1 | 54 | $1.7 \%$ | $2.5 \%$ |  |  |  |  |  |  |
| ICE 520 | 30.4 | 5070 | 2 | 139 | $4.5 \%$ | $2.7 \%$ |  |  |  |  |  |  |
| ICE 640B | 40.6 | 6000 | 2 | 180 | $5.8 \%$ | $4.6 \%$ |  |  |  |  |  |  |
| ICE 70S | 70.0 | 7000 | 1 | 94 | $3.0 \%$ | $4.2 \%$ |  |  |  |  |  |  |
| LB 660 | 51.6 | 7570 | 8 | 930 | $29.8 \%$ | $30.5 \%$ |  |  |  |  |  |  |
| MKT DE30 | 22.4 | 2800 | 1 | 69 | $2.2 \%$ | $1.0 \%$ |  |  |  |  |  |  |
| MKT DE-30B | 23.8 | 2800 | 2 | 80 | $2.6 \%$ | $1.2 \%$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |
| 50.4 |  |  |  |  |  |  |  | 5601 | 36 | 3118 | $100 \%$ | $100 \%$ |

*excluding hammer APE D30-32
*excluding hammer APE D30-32

Table 3.15 Summary of Hammers Type and Energy Used for Driving the Pipe Piles in the Dataset of Mn/DOT/LT 2008

| Pipe Piles - All Hammer Types |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hammer Type |  | Ram Weight (lbs) | No. of Projects Used | Total Pile Length Driven (ft) | $\%$ of Total Use | Weighted Ave. |
| B-225 | 29.0 | 3000 | 3 | 418 | 4.5\% | 2.6\% |
| B-300 | 34.0 | 3750 | 5 | 349 | 3.8\% | 2.5\% |
| B-400 | 46.0 | 5000 | 4 | 498 | 5.4\% | 4.9\% |
| Delmag D30 | 59.7 | 6600 | 1 | 60 | 0.6\% | 0.8\% |
| Delmag D30-32 | 73.8 | 6600 | 4 | 326 | 3.5\% | 5.1\% |
| Delmag D-12 | 23.7 | 2750 | 12 | 856 | 9.3\% | 4.3\% |
| Delmag D-22 | 40.6 | 4910 | 3 | 294 | 3.2\% | 2.5\% |
| Delmag D46-32 | 113.1 | 10140 | 4 | 399 | 4.3\% | 9.6\% |
| Delmag D62-22 | 152.5 | 13660 | 1 | 74 | 0.8\% | 2.4\% |
| HMC-86 | 64.0 | 16000 | 6 | 654 | 7.1\% | 8.9\% |
| HPSI 1000 | 50.0 | 10000 | 1 | 119 | 1.3\% | 1.3\% |
| HPSI 2000 | 80.0 | 20000 | 3 | 446 | 4.8\% | 7.6\% |
| ICE 160 | 64.0 | 16000 | 1 | 135 | 1.5\% | 1.8\% |
| ICE 1070 | 72.6 | 10000 | 7 | 750 | 8.1\% | 11.6\% |
| ICE-640 | 40.6 | 6000 | 8 | 970 | 10.5\% | 8.4\% |
| Junttan HHK 7a | 61.6 | 15431 | 2 | 237 | 2.6\% | 3.1\% |
| K-25 | 51.5 | 5510 | 3 | 166 | 1.8\% | 1.8\% |
| K-45 | 92.8 | 9920 | 3 | 261 | 2.8\% | 5.2\% |
| LB 312 | 15.0 | 3860 | 2 | 171 | 1.9\% | 0.5\% |
| MKT DE110C | 150.0 | 15000 | 1 | 63 | 0.7\% | 2.0\% |
| Vulcan 80C | 24.5 | 8000 | 4 | 488 | 5.3\% | 2.5\% |
| Vul-010 | 32.5 | 10000 | 5 | 797 | 8.6\% | 5.5\% |
| Vul-200C | 50.2 | 20000 | 2 | 266 | 2.9\% | 2.8\% |
| Vulcan 1 | 15.0 | 5000 | 3 | 284 | 3.1\% | 0.9\% |
| Vulcan 506 | 32.5 | 6500 | 2 | 161 | 1.7\% | 1.1\% |
|  | 60.0 | 9610 | 90 | 9240 | 100\% | 100\% |
|  | Average* |  | Totals |  |  |  |


| Pipe Piles - Diesel Hammers |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hammer <br> Type | Max. <br> Energy <br> (kips-ft) | Ram <br> Weight <br> (lbs) | No. of <br> Projects <br> Used | Total Pile <br> Length <br> Driven (ft) | \% of <br> Total <br> Use | Weighted <br> Ave. |  |  |  |  |  |  |
| B-225 | 29.0 | 3000 | 3 | 418 | $9.0 \%$ | $4.7 \%$ |  |  |  |  |  |  |
| B-300 | 34.0 | 3750 | 5 | 349 | $7.5 \%$ | $4.6 \%$ |  |  |  |  |  |  |
| B-400 | 46.0 | 5000 | 4 | 498 | $10.8 \%$ | $8.9 \%$ |  |  |  |  |  |  |
| Delmag D30-32 | 73.8 | 6600 | 4 | 326 | $7.0 \%$ | $9.3 \%$ |  |  |  |  |  |  |
| Delmag D-12 | 23.7 | 2750 | 12 | 856 | $18.5 \%$ | $7.8 \%$ |  |  |  |  |  |  |
| Delmag D-22 | 40.6 | 4910 | 3 | 294 | $6.3 \%$ | $4.6 \%$ |  |  |  |  |  |  |
| Delmag D46-32 | 113.1 | 10140 | 4 | 399 | $8.6 \%$ | $17.4 \%$ |  |  |  |  |  |  |
| Delmag D62-22 | 152.5 | 13660 | 1 | 74 | $1.6 \%$ | $4.4 \%$ |  |  |  |  |  |  |
| ICE 1070 | 72.6 | 10000 | 7 | 750 | $16.2 \%$ | $21.0 \%$ |  |  |  |  |  |  |
| K-25 | 51.5 | 5510 | 3 | 166 | $3.6 \%$ | $3.3 \%$ |  |  |  |  |  |  |
| K-45 | 92.8 | 9920 | 3 | 261 | $5.6 \%$ | $9.3 \%$ |  |  |  |  |  |  |
| LB 312 | 15.0 | 3860 | 2 | 171 | $3.7 \%$ | $1.0 \%$ |  |  |  |  |  |  |
| MKT DE110C | 150.0 | 15000 | 1 | 63 | $1.4 \%$ | $3.7 \%$ |  |  |  |  |  |  |
| 72.1 |  |  |  |  |  |  |  | 7592 | 52 | 4624 | $100 \%$ | $100 \%$ |
|  | Average* |  |  | Totals |  |  |  |  |  |  |  |  |

*excluding hammer B-225

Table 3.16 Summary of Diesel Hammers Used for Driving H and Pipe Piles in the Dataset of Mn/DOT/LT 2008

| Pipe \& H Piles - Diesel Hammers |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Hammer Type | Max. Energy (kips-ft) | Ram Weight (lbs) | No. of Projects Used | Total Pile Length Driven (ft) | \% of Total Use | Weighted Ave. |
| APE D30-32 | 70.1 | 0 | 1 | 40 | 0.5\% | 0.7\% |
| B-225 | 29.0 | 3000 | 3 | 418 | 5.4\% | 2.9\% |
| B-300 | 34.0 | 3750 | 9 | 680 | 8.8\% | 5.5\% |
| B-400 | 46.0 | 5000 | 5 | 619 | 8.0\% | 6.8\% |
| Delmag D-12 | 23.7 | 2750 | 16 | 1080 | 13.9\% | 6.1\% |
| Delmag D19-32 | 42.4 | 4000 | 1 | 35 | 0.4\% | 0.4\% |
| Delmag D-22 | 40.6 | 4910 | 4 | 394 | 5.1\% | 3.8\% |
| Delmag D25-32 | 61.5 | 5510 | 2 | 213 | 2.8\% | 3.1\% |
| Delmag D30-32 | 73.8 | 6600 | 7 | 576 | 7.4\% | 10.2\% |
| Delmag D-36 | 83.8 | 7930 | 1 | 157 | 2.0\% | 3.2\% |
| Delmag D36-32 | 88.5 | 7930 | 1 | 102 | 1.3\% | 2.2\% |
| Delmag D46-32 | 113.1 | 10140 | 4 | 399 | 5.2\% | 10.8\% |
| Delmag D62-22 | 152.5 | 13660 | 1 | 74 | 1.0\% | 2.7\% |
| ICE 1070 | 72.6 | 10000 | 8 | 804 | 10.4\% | 14.0\% |
| ICE 520 | 30.4 | 5070 | 2 | 139 | 1.8\% | 1.0\% |
| ICE 640B | 40.6 | 6000 | 2 | 180 | 2.3\% | 1.8\% |
| ICE 70S | 70.0 | 7000 | 1 | 94 | 1.2\% | 1.6\% |
| K-25 | 51.5 | 5510 | 3 | 166 | 2.1\% | 2.1\% |
| K-45 | 92.8 | 9920 | 3 | 261 | 3.4\% | 5.8\% |
| LB 312 | 15.0 | 3860 | 2 | 171 | 2.2\% | 0.6\% |
| LB 660 | 51.6 | 7570 | 8 | 930 | 12.0\% | 11.5\% |
| MKT DE110C | 150.0 | 15000 | 1 | 63 | 0.8\% | 2.3\% |
| MKT DE30 | 22.4 | 2800 | 1 | 69 | 0.9\% | 0.4\% |
| MKT DE-30B | 23.8 | 2800 | 2 | 80 | 1.0\% | 0.5\% |
|  | $61.3$ <br> Ave | $\begin{aligned} & 6553 \\ & \hline \end{aligned}$ | 88 | $\begin{array}{r} \hline 7742 \\ \text { Totals } \\ \hline \end{array}$ | 100\% | 100\% |

*excluding hammer APE D30-32
4. Separate databases were examined, providing rates of energy transfer based on dynamic measurements. These databases contain independent data for which no other data are available, but the hammer and pile types match the Mn/DOT practice. Figure 3.5 presents the most updated information available from all the different sources we have and was provided by GRL, Inc. of Cleveland, Ohio. It matches well previously published data, only it is more extensive than we knew of before. The information in Figure 3.5 refers to 1103 case histories. Based on personal communications with Mr. Garland Likins of Pile Dynamics, Inc., each case refers to an average of a site (not a single pile!), hence the information reflects many more piles than 1103.
5. The data has been analyzed and summarized in Table 3.17 in order to check the adequacy of the databases built for the $\mathrm{Mn} / \mathrm{DOT}$ and presented in this chapter (having all the information including load test results to failure) to the large database of GRL in Figure 3.5 (for only energy transfer). The data analysis in Table 3.17 clearly shows that the mean energy transfer for diesel hammers on H and Pipe Piles in the databases developed for the $\mathrm{Mn} /$ DOT was $37.4 \%$ and $39.8 \%$, respectively, compared to $37.7 \%$ of GRL database for all steel piles. The standard deviations of the Mn/DOT databases are a bit higher, $11.9 \%$ and $13.6 \%$ compared to $9.8 \%$ of GRL's; something one can expect from 20 and 34 case databases compared to thousands.

The aforementioned observations verify that the piles in the $\mathrm{Mn} / \mathrm{DOT}$ database are very much typical of thousands of sites where steel piles are being driven with diesel hammers (the typical Mn/DOT practice).

Table 3.17 Summary of Driving Data Statistics for Mn/DOT/LT 2008 Databases

| Pile <br> Type | Driving System Efficiency (PDA) |  |  |  |  |  | Stroke Measurments |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | All Hammers |  |  | Diesel Hammers |  |  | All Hammers |  |  | Diesel Hammers |  |  |
|  | n | $\begin{gathered} \text { Mean } \\ \% \end{gathered}$ | $\begin{gathered} \text { S.D. } \\ \% \end{gathered}$ | n | $\begin{gathered} \text { Mean } \\ \% \end{gathered}$ | $\begin{gathered} \text { S.D. } \\ \% \end{gathered}$ | n | $\begin{gathered} \text { Mean } \\ \% \end{gathered}$ | $\begin{gathered} \text { S.D. } \\ \% \end{gathered}$ | n | $\begin{gathered} \text { Mean } \\ \% \end{gathered}$ | $\begin{gathered} \text { S.D. } \\ \% \end{gathered}$ |
| H | 27 | 41.2 | 15.1 | 20 | 37.4 | 11.9 | 59 | 83.8 | 23.9 | 11 | 79.0 | 13.4 |
| Pipe | 56 | 47.8 | 18.5 | 34 | 39.8 | 13.6 | 16 | 70.2 | 25.9 | 6 | 62.5 | 24.3 |

## ALL DIESEL HAMMERS ON STEEL

N=1103; MEDIAN=37.7\%



Figure 3.5 Probability Distribution Function (PBD) and Cumulative Distribution Function (CDF) for energy transfer when driving steel piles with diesel hammers (This chart has been assembled from data collected by GRL engineers and may only be copied with the express written permission of GRL Engineers, Inc.).
6. The stroke measurements available in the assembled databases are presented in Table 3.17. The following can be noted regarding these data:
a. Measured energy allows calculating the total efficiency, i.e. the ratio between energy delivered to the pile itself to the nominal energy specified to the hammer. However, this low number may be somehow misleading due to the operation principle of diesel hammers. Energy manufactured by the hammer depends upon the setting of the fuel pump as well as the driving resistance. Only full setting and high blow count would allow the hammer to produce nominal energy (neglecting hammer internal losses and problematic operation like early ignition). Thus, unless actual dynamic measurements are available, it is useful just for checking the data or WEAP analysis, but not related to stroke measurements.
b. The efficiency related to stroke measurements provides the ratio between the calculated potential energy (based on stroke times the ram weight) relative to the nominal energy. This is only an indirect indication as to the energy arriving to the pile, which is greatly affected by the losses in the driving system (cushion, helmet, cap block, etc.).
c. The use of stroke is beneficial to evaluate typical hammer operation, i.e. 'actual' produced energy (subjected to the accuracy of stroke measurements), but it is only indirectly helpful for estimating the energy transferred to the pile.
d. The above stroke measurements suggest that typically the diesel hammers' stroke is $79 \%$ for H piles and $62.5 \%$ for Pipe piles. These values compare quite well with the assumed stroke recommended by the $\mathrm{Mn} / \mathrm{DOT}$ (i.e. $75 \%$ of nominal energy) when stroke information is not recorded.

### 3.6.3. Subset Database of Dynamic Measurements

Two subset databases containing dynamic analysis results of signal matching (CAPWAP) or information to calculate the Energy Approach predictions (see section 1.7.2), were developed for the H and pipe piles out of $\mathrm{Mn} / \mathrm{DOT} / \mathrm{LT} 2008$. While Table 3.13 presents the number of cases used to evaluate the energy transfer based on measurements, Table 3.18 details the number and type of dynamic analysis predictions available under each category of driving conditions, e.g. 74 CAPWAP analyses and 59 Energy Approach analyses for all pipe piles’ conditions to only 12 cases related to EOD with Diesel hammers within the energy range of Mn/DOT practice on pipe piles driven to 4 or more bpi.

The capacity predictions based on dynamic measurements are presented in Chapter 7 for comparison with the static load test in order to examine the prediction ability of dynamic analyses based on measured data to that based on field observations without measurements.

Table 3.18 Summary of Cases in Mn/DOT/LT 2008 Database for which Dynamic Analyses Based on Dynamic Measurements are Available

| Condition | H Piles |  | Pipe Piles |  |
| :---: | :---: | :---: | :---: | :---: |
|  | CAPWAP | Energy Approach | CAPWAP | Energy Approach |
| All Cases | 38 | 33 | 74 | 59 |
| EOD | 31 | 26 | 58 | 43 |
| Diesel Hammers | 24 | 20 | 36 | 32 |
| EOD/Diesel <br> BC $\geq$ 4BPI | 17 | 16 | 21 | 19 |
| EOD/Diesel <br> BC $\geq 4 \mathrm{BPI} / \mathrm{Mn} / D O T ~ E n e r g y ~ R a n g e ~$ | 4 | 2 | 12 | 12 |

### 3.6.4. Control Database

To enable independent evaluation of the research findings, a separate set of data was developed not used in the development of uncertainty for the new equation. This database denoted as Mn/DOT/LT 2008 Control contains only H pile cases as detailed in Table 3.19. The database was developed from information becoming available while the research took place. Due to the scarcity of pipe pile information and in particular data related to sizes most commonly used by the $\mathrm{Mn} / \mathrm{DOT}$ (i.e. 16inch diameter), no control database is available for pipe piles. It should be noted regarding Mn/DOT/LT 2008 Control, that only two of the 24 cases (or 20 when referring to EOD with $\mathrm{BC} \geq 4 \mathrm{BPI}$ ) are for piles driven with diesel hammers. Chapter 8 presents the control database analysis in the evaluation of the recommendations made based on the major database Mn/DOT/LT 2008.

# Table 3.19 Summary of H Pile Cases Compiled in a Control Database (Mn/DOT/LT 2008 Control) for Independent Evaluation of the Research Findings 

| Condition | No. of Cases |
| :---: | :---: |
| All Cases | 24 |
| EOD / BC $\geq$ 4BPI | 20 |
| EOD / Diesel Hammers | 2 |

### 3.7. CONCLUSIONS

### 3.7.1. First Stage Database Development

Robust databases of driven H and pipe piles were assembled, answering to the $\mathrm{Mn} / \mathrm{DOT}$ bridge foundation design practices established in Chapter 2. The databases contain 333 case histories related to 274 different piles. Each case history includes as a minimum requirement, the data regarding the pile type and geometry, subsurface conditions, driving equipment, driving resistance obtained in field observations and static load test results. Twenty load test results require extrapolation to failure, two of which are in the range of possible increased error and require further monitoring. Large number of the cases contain dynamic measurements and relate
to different driving times, allowing the examination of the actual driving system efficiency (energy transfer) and the variation of driving resistance with time. The developed database faces only one difficulty because the use of 16 inch diameter piles is very common in Minnesota bridges but not so common elsewhere. As a result, only 14 cases of 16 inch diameter piles had been acquired. The 14 obtained 16 inch diameter cases along with a large number of pipe piles with diameters marginally smaller (e.g. 29 cases of 14 inch pipes) and marginally larger (e.g. 12 cases of 18 inch pipes) should allow reliable evaluation of the dynamic equations and development, representing the 16 inch diameter cases.

### 3.7.2. Database Examination and Modification - Second Stage

Re-examination of the databases and some elimination and addition, essentially ended up with similar size database for both H and Pipe piles as were initially analyzed. The closer scrutiny as to the comparison between the assembled databases to Mn/DOT practices revealed that the energy transfer measured in the cases available in the database are very much similar to that measured on a very large number of piles, and the typical diesel hammer stroke is very similar to that recommended by the $\mathrm{Mn} / \mathrm{DOT}$ to be used when actual stroke measurements are not available.

### 3.7.3. Relevance for Analysis

The presented databases are ready for the analyses and research for which they were developed. As $\mathrm{Mn} /$ DOT practice relates to diesel hammers only and typically pile driving to 4bpi or more at the end of driving, sub-categorization based on hammer type and blow count will be followed.

## CHAPTER 4 DATABASE ANALYSES - PART I

### 4.1 OBJECTIVES

Analysis of all relevant case histories of the databases using at least four dynamic equations including (1) Mn/DOT equation, (2) FHWA modified Gates, (3) ENR, and (4) Washington State DOT. The analyses presented in Chapter 4 are related to the databases developed in the first stage of the research (see Chapter 3 sections 3.1 to 3.6).

### 4.2 PLAN OF ACTION

The required actions included:

1. Evaluate the static capacity of all tested piles using Davisson's failure criterion (described in Chapter 3).
2. Final review of the databases and eliminate inadequate/questionable cases.
3. Evaluate the pile capacity of the database case histories using five different dynamic equations.
4. Evaluate the bias of each method, being the ratio between the measured capacity (static load test, \#1 above) to the capacity calculated by the specific method (as outlined in \#3 above).
5. Examine the above calculated values and relations in various ways in order to obtain insight as to the obtained results.
6. Develop the resistance factors associated with the different equations and their condition of application.

### 4.3 INVESTIGATED EQUATIONS

Table 4.1 summarizes the investigated dynamic equations. The format of the ENR equation presented in Table 4.1 is the original equation and not the so called "modified" or "new" ENR, which has a 2 instead of a 12 in the numerator, hence contains a factor of safety of 6 . This is the equation presented in the AASHTO specification calibrations but not the one traditionally used and calibrated in Paikowsky et al. (2004). The format of the $\mathrm{Mn} /$ DOT equation is the one in which a uniform equation is applied to all pile types. This format was initially presented as the preferable format for the LRFD application and calibration.

### 4.4 DATA ANALYSIS - H PILES

### 4.4.1 Summary of Results

Table 4.2 presents a summary of the statistics and other information related to the dynamic equations presented in Table 4.1, along with the new Mn/DOT dynamic equation, to be presented in Chapter 6. The information and graphs related to the new Mn/DOT equation were kept in this section for completion only, allowing its presentation next to the examined equations. The number of cases analyzed in Table 4.2 refers to the following:

Table 4.1 - Investigated Equations

| Eq <br> $\#$ | Equation | Description | Reference |
| :---: | :---: | :---: | :---: |
| 4.1 | $R_{u}=\frac{12\left(W_{r} * h\right)}{S+0.1}$ | Drop Hammer | Engineering <br> News-Record <br> $(1892)$ |
| 4.2 | $R_{u}=27.11 \sqrt{E_{n} * e_{h}}(1-\log s)$ |  | Gates <br> $(1957)$ |
| 4.3 | $R_{u}=1.75 \sqrt{E_{n}} * \log (10 * N)-100$ | Modified Gates <br> Equation | FHWA <br> (1982) |
| 4.4 | $R_{u}=6.6 * F_{\text {eff }} * E * L n(10 N)$ |  | Washington <br> State DOT <br> (Allen, 2005) |
| 4.5 | $R_{u}=\frac{10.5 E}{S+0.2} x \frac{W+0.1 M}{W+M}$ | Uniform Format <br> for all piles | Minnesota DOT <br> (2006) |
| 4.6 | $R_{u}=35 \sqrt{E_{h}} \times \log (10 N)$ | See Chapter 6 <br> for details | First Stage Proposed <br> New Mn/DOT Equation |

Notes:
$\mathrm{R}_{\mathrm{u}}=$ ultimate carrying capacity of pile, in kips
$\mathrm{W}=$ mass of the striking part of the hammer in pounds
$\mathrm{M}=$ total mass of pile plus mass of the driving cap in pounds
$\mathrm{E}=$ developed energy, equal to W times H , in foot-kips (1.4)
$\mathrm{E}=$ energy per blow for each full stroke in foot-pounds (1.5)
$\mathrm{e}_{\mathrm{h}}=$ efficiency
$\mathrm{E}_{\mathrm{n}}=$ rated energy of hammer per blow, in kips-foot
$\mathrm{Ln}=$ the natural logarithm, in base "e"
$\mathrm{W}_{\mathrm{r}}=$ weight of falling mass, in kips $\mathrm{s}=$ final set of pile, in inches $\mathrm{N}=$ blows per inch (BPI)
$\mathrm{h}=$ height of free fall of ram, in feet $\mathrm{F}_{\text {eff }}=$ hammer efficiency factor

Table 4.2 - Dynamic Equation Predictions for all H-Piles

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) |  | Resistance Factor $\phi$ $\beta=2.33, \mathrm{p}_{\mathrm{f}}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | MC ${ }^{3}$ | Recom |  |
| ENR | 135 | 0.2936 | 0.2163 | 0.7365 | $\mathrm{Ru}^{1}=5.069^{* 2} \mathrm{Rs}$ | 0.777 | 0.063 | $\begin{aligned} & \hline 0.067 \\ & 0.066 \end{aligned}$ | 0.05 | 22.1 |
| Gates | 135 | 1.4470 | 0.5208 | 0.3599 | $\mathrm{Ru}=0.612$ *Rs | 0.880 | 0.697 | $\begin{aligned} & \hline 0.781 \\ & 0.771 \\ & \hline \end{aligned}$ | 0.75 | 51.8 |
| Modified Gates | 135 | 0.8182 | 0.3237 | 0.3956 | $\mathrm{Ru}=1.168 * \mathrm{Rs}$ | 0.875 | 0.365 | $\begin{aligned} & \hline 0.408 \\ & 0.400 \\ & \hline \end{aligned}$ | 0.40 | 48.9 |
| WSDOT | 135 | 0.8697 | 0.3254 | 0.3742 | $\mathrm{Ru}=1.225^{*} \mathrm{Rs}$ | 0.851 | 0.406 | $\begin{aligned} & \hline 0.454 \\ & 0.448 \end{aligned}$ | 0.45 | 51.7 |
| Mn/DOT | 135 | 0.8408 | 0.5470 | 0.6796 | $\mathrm{Ru}=1.574 * \mathrm{Rs}$ | 0.761 | 0.203 | $\begin{aligned} & \hline 0.217 \\ & 0.213 \end{aligned}$ | 0.20 | 23.8 |
| $\begin{gathered} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT} \\ \hline \hline \end{gathered}$ | 135 | 1.0291 | 0.3704 | 0.3599 | $\mathrm{Ru}=0.860$ *Rs | 0.880 | 0.496 | $\begin{aligned} & 0.556 \\ & 0.548 \\ & \hline \hline \end{aligned}$ | 0.55 | 53.4 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation upper values for 10,000 simulations, lower values for 100,000 simulations

1. 137 H pile cases were presented in section 3.4.1.
2. Two (2) cases were excluded as one (1) case had a large load extrapolation ratio (case MH-92, see $\mathrm{H}-234$ in Table $3.3 \mathrm{HP} 14 \times 84$ ), and one case had incomplete driving data (MH-24, HP12×89).
3. This 135 piles refer to 163 cases when multiple restrikes are included.
4. Out of the 135 cases, 125 cases have EOD data and 10 of the cases have BOR only. Hence, first restrike data was used in Table 4.2 for the presented information. A further separation to 125 EOD cases only is presented in section 4.4.3.

The analyzed data in Table 4.2 are presented in the following way (referring to the columns from left to right):

1. Equation - see Table 4.1 and for the new $\mathrm{Mn} /$ DOT details, see Chapter 6.
2. Number of piles analyzed including 125 EOD and 10 first restrike data.
3. $m_{\lambda}$ the mean of the bias of all cases. The bias being the ratio of the measured static capacity (Davisson failure criterion) to the predicted capacity of the same case using the relevant equation presented in column 1.
4. Standard deviation of the bias.
5. Coefficient of Variation $\left(\mathrm{COV}_{\lambda}=\sigma_{\lambda} / \mathrm{m}_{\mathrm{x}}\right)$.
6. The equation of the best fit line (using linear regression analysis by the least square error method) between the measured $\left(\mathrm{R}_{\mathrm{s}}\right)$ to the calculated $\left(\mathrm{R}_{\mathrm{u}}\right)$ pile capacity (graphical presentation to follow).
7. Coefficient of determination $\left(r^{2}\right)$ of the equation presented in column 6 where $r^{2}=1$ is a perfect match. Paikowsky et al. (1994) suggested the following guidelines for $r^{2}$ when applied to geotechnical data interpretations: $\mathrm{r}^{2} \geq 0.80$ good correlation, $0.60 \leq \mathrm{r}^{2}<0.80$ moderate correlation, and $\mathrm{r}^{2}<0.60$ poor correlation.
8. Resistance factor, $\phi$, evaluated in three ways:
a. FOSM - First Order Second Moment, using the closed form solution proposed by Barker et al. (1991):

$$
\begin{equation*}
\phi=\frac{\lambda_{R}\left(\frac{\gamma_{D} Q_{D}}{Q_{L}}+\gamma_{L}\right) \sqrt{\left[\frac{\left(1+C O V_{Q_{D}}^{2}+C O V_{Q_{L}}^{2}\right)}{\left(1+C O V_{R}^{2}\right)}\right]}}{\left.\left(\frac{\lambda_{Q_{D}} Q_{D}}{Q_{L}}+\lambda_{Q_{L}}\right) \exp \left\{\beta_{T} \sqrt{\ln \left[\left(1+C O V_{R}^{2}\right)\left(1+C O V_{Q_{D}}^{2}+C O V_{Q_{L}}^{2}\right)\right.}\right)\right\}} \tag{4.7}
\end{equation*}
$$

$\lambda_{\mathrm{R}}=$ resistance bias factor $C O V_{Q_{L}}=\mathrm{COV}$ of the live load
$\mathrm{COV}_{\mathrm{R}}=\mathrm{COV}$ of the resistance
$C O V_{Q_{D}}=\mathrm{COV}$ of the dead load
$\beta_{\mathrm{T}}=$ target reliability index
$\mathrm{Q}_{\mathrm{D}} / \mathrm{Q}_{\mathrm{L}}=$ dead to live load ratio
$\gamma_{\mathrm{D}}, \gamma_{\mathrm{L}}=$ dead and live load factors
$\lambda_{\mathrm{QD} .}, \lambda_{\mathrm{QL}}=$ dead $\&$ live load bias factors
b. MC - Monte Carlo Simulation. Using two sets of simulations, 10,000 simulations (upper value) and 100,000 simulations (lower values).
c. Recommended resistance factors, considering the results obtained by FOSM and MC simulation and rounded for practicality to the closest 0.05 accuracy.
9. Efficiency factor, $\phi / \lambda$, is a measure for evaluating the relative efficiency of the design methods. The ratio is systematically higher for methods which predict more accurately and hence more economically effective to be used, regardless of the absolute value of the resistance factor, for more details see Paikowsky et al. (2004).

All load factors and distributions were those selected by Paikowsky et al. (2004) for calibration of piles under vertical-axial load, namely: for live loads $\gamma_{\mathrm{L}}=1.75, \lambda_{\mathrm{QL}}=1.15, \mathrm{COV}_{\mathrm{QL}}$ $=0.20$, and for dead loads $\gamma_{\mathrm{D}}=1.25, \lambda_{\mathrm{QD}},=1.05, \mathrm{COV}_{\mathrm{QD}}=0.10$. The target reliability of $\beta=$ $2.33, \mathrm{p}_{\mathrm{f}}=1 \%$ associated with redundant pile support (five or more piles) is used.

### 4.4.2 Presentation of Results

The uncertainty of the 135 H -pile cases analyzed by the different dynamic equations and summarized in Table 4.2 are presented graphically in this section. The data, related to each of the six (6) investigated methods, are presented repetitively in Figures 4.1 through 4.6 in a format of four (4) relations in the following way:
i) Figure (a) - presenting the scatter of the data using the vertical axis for the calculated capacity and the horizontal axis for the measured static capacity. The data are subdivided to the major pile types such that the 135 H -pile cases are categorized into five (5) size groups ranging from HP $10 \times 92$ and HP $11 \times 75$ to HP $14 \times 117$. Two lines are added to each of the scatter graphs; a best fit line equation presented as a dashed line, and measured capacity equal to calculated capacity presented as a continuous black line. The scatter of the data allows the evaluation of the prediction as well as the amount of conservatism or risk associated with the prediction. For example, all data above the solid line means that the calculated capacity is higher than the measured capacity and hence on the unsafe side. See, for example, the large number of overpredicted cases in Figure 4.5(a) relating to the current $\mathrm{Mn} /$ DOT equation.
ii) Figure (b) - presenting the scatter of the data using the vertical axis for the bias calculated for each case (ratio of measured to calculated capacity) and the horizontal axis as the measured capacity, in a similar way to Figure (a). The presentation comes to identify if the bias of the method is associated with the capacity of the pile. In particular, for the cases in which the bias is smaller than one, the predicted capacity is higher than the measured capacity, therefore being on the unsafe condition. In order to assist with the evaluation of the bias's magnitude, two lines were added; one presenting the mean bias for all cases and the other the two (2) standard deviation boundary beyond which the cases are clear outliers of the method, in this case on the conservative side. For example, examining the Gates method in Figure 4.2(b) suggests increase in the bias with increase in the capacity and six (6) cases being very conservative and most significant un-conservative (dangerous) cases to be in the zone of static capacity smaller than 200kips. In contrast, examining the existing Mn/DOT method in Figure 4.5(b) suggests no correlation between the bias and the magnitude of the static capacity and large number of unsafe cases over a large range of capacity (0 to 800kips).
iii) Figures (c) and (d) - Factors affecting the Dynamic Methods - Paikowsky et al. (1994) theorized and demonstrated that the inaccuracy of the dynamic methods
(especially those simulated by the one-dimensional wave equation) is associated with theoretical limitation of the problem formulation by which the inertia of the soil displaced during penetration is not being taken into consideration. As such, larger soil inertia will result in a large energy loss that is not connected to the work done by the pile in resisting the penetration, resulting in a larger inaccuracy in the prediction. The displaced soil inertia is mostly pronounced at the tip of the pile and should be associated with the size of the pile tip and its acceleration. The area of the tip is a varying factor more associated with the relative importance of the soil at the tip to that in the circumference and hence the parameter area ratio was developed:

$$
\begin{equation*}
A_{R}=A_{\text {skin }} / A_{\text {tip }}=\text { Area of soil in contact with the pile skin/tip area } \tag{4.8}
\end{equation*}
$$

The effect of the tip soil movement becomes smaller as the pile penetration is getting larger, for example, assuming a closed-ended pipe pile:

$$
A_{R}=\frac{2 \pi R \times D}{\pi R^{2}}=\frac{2 D}{R}
$$

$\mathrm{D}=$ penetration depth
$\mathrm{R}=$ pile diameter
such that a 14 inch O.D. pile has an area ratio of 69 at a depth of 20 ft and an area ratio of 360 at a depth of 105 ft . Area ratio smaller than 350 was found to be of importance (Paikowsky and Stenersen, 2000). The acceleration of the tip is associated with the measured blow count, hence the lower the blow count the higher the acceleration. A boundary of 4BPI was identified as significant by Paikowsky and Stenersen (2000), suggesting lower soil inertia effects for pile penetrations above 4BPI. These data are presented in the following way:

Figure (c) - presenting the relations between the bias on the vertical axis to the pile's area ratio on the horizontal scale.
Figure (d) - presenting the relations between the bias on the vertical axis to the driving resistance on the horizontal axis.
For example, examining the current $\mathrm{Mn} /$ DOT dynamic equation performance, Figure 4.5(c) suggests that the scatter increases when the area ratio exceeds a certain value (about 3000 to be checked). It is also evident that the performance of the equation becomes more consistent with a significantly lower scatter when the blow count exceeds 4BPI (referring to Figure 4.5(d)).


Figure 4.1 ENR presentation of H-pile results (a) static capacity vs. ENR dynamic formula (b)
Static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.2 Gates presentation of H-pile results (a) static capacity vs. gates dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.3 Modified Gates presentation of H-pile results (a) static capacity vs. Modified Gates dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.4 WSDOT presentation of H-pile results (a) static capacity vs. WSDOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure $4.5 \mathrm{Mn} / D O T$ presentation of H -pile results (a) static capacity vs. Mn/DOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.6 New Mn/DOT presentation of H-pile results (a) static capacity vs. New Mn/DOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias

### 4.4.3 Analysis of EOD Data Only

While section 4.4.1 presented the data for all the $H$ pile cases for which either EOD or BOR was provided, a subset of those cases was investigated for EOD only. Dynamic equations are aimed at EOD analyses. However, in some cases (e.g. capacity gain with time) the pile response during a restrike is evaluated as a better representation of the pile capacity. Similarly some states analyze EOD for refusal/end bearing piles and BOR for all other cases. As such, subsets of only EOD cases were evaluated and presented. The format of Table 4.3 is identical to that of Table 4.2, as outlined in section 4.4.1, hence, the explanation provided in section 4.4.1 for Table 4.2 should be used in reference to Table 4.3 as well.

Table 4.3 Dynamic Equation Predictions for H-Piles EOD Condition Only

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | MC ${ }^{3}$ | Recom |  |
| ENR | 125 | 0.2976 | 0.2221 | 0.7465 | $\mathrm{Ru}^{1}=5.027 *{ }^{*} \mathrm{Rs}$ | 0.819 | 0.062 | 0.066 | 0.05 | 16.8 |
| Gates | 125 | 1.4296 | 0.5056 | 0.3536 | $\mathrm{Ru}=0.625 * \mathrm{Rs}$ | 0.896 | 0.698 | 0.782 | 0.75 | 52.5 |
| $\begin{array}{\|\|c\|} \hline \text { Modified } \\ \text { Gates } \end{array}$ | 125 | 0.8133 | 0.3229 | 0.3970 | $\mathrm{Ru}=1.118 * \mathrm{Rs}$ | 0.893 | 0.362 | 0.404 | 0.40 | 49.2 |
| WSDOT | 125 | 0.8718 | 0.3275 | 0.3756 | $\mathrm{Ru}=1.223 * \mathrm{Rs}$ | 0.901 | 0.406 | 0.454 | 0.45 | 51.6 |
| Mn/DOT | 125 | 0.8060 | 0.5537 | 0.6870 | $\mathrm{Ru}=1.555^{*} \mathrm{Rs}$ | 0.822 | 0.191 | 0.204 | 0.20 | 24.8 |
| New <br> Mn/DOT | 125 | 1.0168 | 0.3596 | 0.3536 | $\mathrm{Ru}=0.879 * \mathrm{Rs}$ | 0.896 | 0.496 | 0.557 | 0.55 | 54.1 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.

Comparison between the data analysis presented in Table 4.2 to that presented in Table 4.3 suggests very little variation in the H-piles performance when using the two data sets of 135 cases including 10 restriked piles (for which EOD data were not available), and the 125 cases database consisting only of the EOD H-pile cases of Table 4.3.

### 4.5 DATABASE ANALYSIS - PIPE PILES

### 4.5.1 Summary of Results

Table 4.4 presents a summary of the statistics and other information related to the dynamic equations presented in Table 4.1, along with the new $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation (for comparison only), to be presented in Chapter 6. The number of cases analyzed in Table 4.4 refer to the following:

1. 138 Pipe pile cases were presented in section 3.5.1.
2. Ten (10) cases were excluded as one (1) case had a large load extrapolation ratio (case P-11 in Table 3.3), and nine cases had incomplete data that could not have been obtained, resulting with 128 cases.
3. This 128 piles refer to 158 cases when multiple restrikes are included.
4. Out of the 128 cases, 102 cases have EOD data and 26 of the cases have BOR only. Hence, first restrike data was used in Table 4.4 for the presented information. A further separation to 102 EOD only cases is presented in section 4.5.3.

Refer to section 4.4.1 for details regarding the analyzed data in Table 4.4, being identical in format to that presented in Table 4.2.

Table 4.4 Dynamic Equation Predictions for all Pipe Piles

| Equation | No. of Cases (n) | Mean Bias <br> Measured/ <br> Calculated <br> ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| ENR | 128 | 0.3047 | 0.3181 | 1.0439 | $R u^{1}=4.493{ }^{2} \mathrm{Rs}$ | 0.767 | 0.0360 | 0.038 | 0.05 | 9.8 |
| Gates | 128 | 1.4947 | 0.7722 | 0.5157 | $\mathrm{Ru}=0.387 * \mathrm{Rs}$ | 0.907 | 0.5140 | 0.558 | 0.55 | 36.8 |
| Modified Gates | 128 | 0.8381 | 0.5031 | 0.6003 | $\mathrm{Ru}=1.132 * \mathrm{Rs}$ | 0.854 | 0.2400 | 0.256 | 0.25 | 29.8 |
| WSDOT | 128 | 0.7941 | 0.4510 | 0.5680 | $\mathrm{Ru}=1.268 * \mathrm{Rs}$ | 0.874 | 0.2430 | 0.262 | 0.25 | 31.5 |
| Mn/DOT | 128 | 0.7311 | 0.6606 | 0.9035 | $\mathrm{Ru}=1.656$ *Rs | 0.779 | 0.1120 | 0.118 | 0.10 | 13.7 |
| New Mn/DOT | 128 | 1.0650 | 0.5492 | 0.5157 | $\mathrm{Ru}=.840$ *Rs | 0.861 | 0.3660 | 0.397 | 0.35 | 32.9 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.

### 4.5.2 Presentation of Results

Refer to section 4.4.2 for detailed explanation regarding the figures format and interpretations.


Figure 4.7 ENR presentation of pipe pile results (a) static capacity vs. ENR dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.8 Gates presentation of pipe pile results (a) static capacity vs. Gates dynamic formula
(b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.9 Modified Gates presentation of pipe pile results (a) static capacity vs. Modified Gates dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias
(d) driving resistance vs. bias


Figure 4.10 WSDOT presentation of pipe pile results (a) static capacity vs. WSDOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.11 Mn/DOT presentation of pipe pile results (a) static capacity vs. Mn/DOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias (d) driving resistance vs. bias


Figure 4.12 New Mn/DOT presentation of pipe pile results (a) static capacity vs. New Mn/DOT dynamic formula (b) static capacity vs. bias (c) area ratio vs. bias
(d) driving resistance vs. bias

### 4.5.3 Analysis of EOD Data Only

While section 4.5 .1 presented the data for all the pipe pile cases for which either EOD or BOR was provided, a subset of those cases was investigated for EOD only. Dynamic equations are aimed at EOD analyses. However, in some cases (e.g. capacity gain with time) the pile response during a restrike is evaluated as a better representation of the pile capacity. Similarly some states analyze EOD for refusal/end bearing piles and BOR for all other cases. As such, subsets of only EOD cases were evaluated and presented. The format of Table 4.5 is identical to that of Table 4.2, as outlined in section 4.4.1, hence, the explanation provided in section 4.4.1 for Table 4.2 should be used in reference to Table 4.5 as well.

Table 4.5 Dynamic Equation Predictions for Pipe Piles EOD Condition Only

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{\mathrm{f}}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | MC ${ }^{3}$ | Recom |  |
| ENR | 102 | 0.3389 | 0.3474 | 1.0249 | $\mathrm{Ru}^{1}=4.157{ }^{2} \mathrm{Rs}$ | 0.730 | 0.041 | 0.043 | 0.05 | 11.8 |
| Gates | 102 | 1.5754 | 0.8314 | 0.5278 | $\mathrm{Ru}=0.570$ * Rs | 0.850 | 0.527 | 0.572 | 0.55 | 34.9 |
| $\begin{aligned} & \text { Modified } \\ & \text { Gates } \end{aligned}$ | 102 | 0.8913 | 0.5454 | 0.6119 | $\mathrm{Ru}=1.079 * \mathrm{Rs}$ | 0.841 | 0.248 | 0.265 | 0.25 | 28.0 |
| WSDOT | 102 | 0.8315 | 0.4934 | 0.5934 | $\mathrm{Ru}=1.238 * \mathrm{Rs}$ | 0.858 | 0.241 | 0.259 | 0.25 | 30.1 |
| Mn/DOT | 102 | 0.8107 | 0.7180 | 0.8856 | $\mathrm{Ru}=1.495^{*} \mathrm{Rs}$ | 0.755 | 0.128 | 0.136 | 0.15 | 18.5 |
| New Mn/DOT | 102 | 1.1205 | 0.5913 | 0.5278 | $\mathrm{Ru}=0.802 * \mathrm{Rs}$ | 0.851 | 0.375 | 0.407 | 0.40 | 35.7 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.

Comparison between the data analysis presented in Table 4.3 to that presented in Table 4.5 suggests that elimination of the 26 cases associated with the beginning of restrike had resulted in a slight increase in the bias (approximately by $5 \%$ with $11 \%$ for the existing Mn/DOT equation) and a very small variation in the scatter as expressed by the COV; hence, resulting with similar calculated resistance factors other than a rounded up (by 0.05 ) resistance factors for the existing and new Mn/DOT equations.

### 4.6 PRELIMINARY CONCLUSIONS AND RECOMMENDATIONS

### 4.6.1 Mn/DOT Dynamic Equation - General Formulation

The following conclusions relate to the investigated format of the equation as presented in Table 4.1, i.e. uniform format for H and Pipe pile and the use of the nominal hammer energy and not $75 \%$ of that value if measured stroke is not available.

1. The investigated $\mathrm{Mn} / \mathrm{DOT}$ equation provides on the average an over-predictive (unsafe) capacity resulting in a mean bias of 0.81 (statically measured capacity over dynamically predicted) for both H and pipe piles (total 227 cases) at the end of driving.
2. The investigated $\mathrm{Mn} / \mathrm{DOT}$ equation performs poorly as the scatter of its predictions is very large, represented by coefficient of variation ratios for EOD predictions of 0.69 and 0.89 for H and pipe piles, respectively.
3. The recommended resistance factors to be used with the investigated $\mathrm{Mn} / \mathrm{DOT}$ equation for EOD prediction and redundant pile support ( 5 or more piles per cap) are $\phi=0.20$ for H piles, $\phi=0.15$ for pipe piles.
4. An approximation of the equivalent safety factor can be performed by using the following relations based on Paikowsky et al. (2004):

$$
F . S . \approx 1.4167 / \phi
$$

This means that the approximate Factor of Safety requires for the Mn/DOT is 8.0 due to the poor prediction reliability.
5. The use of $\phi=0.40$ (F.S. $\approx 3.5$ ) currently in place means that the probability of failure is greater than $1 \%$ overall. Special attention needs to be given to low capacity piles (statically less than 200kips) that for now should be avoided by keeping a driving criterion at the EOD of 4BPI or higher, and restrike friction piles in particular in clays and silty or mix soil conditions.

### 4.6.2 Other Examined Dynamic Equations

All other examined equations performed as expected, reasonably well. While their scatter is similar, having a COV of about 0.35 to 0.40 for H-piles and 0.52 to 0.61 for pipe piles, the bias of these methods is either too high (1.43-1.58) for the Gates equation, or too low ( $0.81-0.89$ ) for the other equations. A rationale for the development of an independent $\mathrm{Mn} / \mathrm{DOT}$ new dynamic equation is, therefore, presented and followed up in Chapter 6.

## CHAPTER 5 DATABASE ANALYSES - PART II

### 5.1 OVERVIEW

Chapter 4 presented the basic analyses of all the evaluated dynamic formulas concentrating mostly on all cases (i.e., all pile sizes and all hammer types) and End of Driving (EOD) conditions. The $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation used in Chapter 4 relates to the uniform format (identical to both H and pipe piles) as presented in equation 4.5 (Table 4.1) without applying a measured stroke or alternatively, $75 \%$ of the hammer energy, being the Mn/DOT form of application, as reported by the Technical Advisory Panel (TAP).

Following comments made by the Technical Advisory Panel (TAP) for the project, a reevaluation of the database was undertaken (described in section 3.6) and a new database analysis was conducted. This analysis and its relevance to Mn/DOT construction practices is described in the present chapter.

### 5.2 OBJECTIVES

Analysis of all case histories of the updated databases including: (1) five dynamic equations, and (2) detailed performance of the $\mathrm{Mn} / \mathrm{DOT}$ equation under various conditions (e.g. time of driving, hammer type, energy level and driving resistance).

### 5.3 PLAN OF ACTION

The required actions include:

1. Evaluate the static capacity of all tested piles using Davisson's failure criterion (described in Chapter 3).
2. Evaluate the pile capacity of the database case histories using five different dynamic equations.
3. Evaluate the bias of each method, being the ratio between the measured capacity (static load test, \#1 above) to the capacity calculated by the specific method (as outlined in \#2 above).
4. Examine the above calculated values and relations under different driving conditions and criteria in order to obtain insight as to the sensitivity of the results to variation and the performance of the $\mathrm{Mn} / \mathrm{DOT}$ under most strict sub-categorization of the general cases, e.g. all hammers vs. diesel hammers, and diesel hammers of specific energy range to all diesel hammers, etc.
5. Develop the resistance factors associated with the different equations and their condition of application.

### 5.4 INVESTIGATED EQUATIONS

Table 5.1 summarizes the investigated dynamic equations. The format of the ENR equation presented in Table 5.1 is the original equation and not the so called "modified" or "new" ENR, which has a 2 instead of a 12 in the numerator, hence contains a factor of safety of 6 . This is the
equation presented in the AASHTO specification calibrations but not the one traditionally used and calibrated in Paikowsky et al. (2004). The format of the $\mathrm{Mn} /$ DOT equation is the one in which a different factor is applied to the driven mass for driven H or pipe piles.

Table 5.1 Investigated Equations

| Eq <br> $\#$ | Equation | Description | Reference |
| :---: | :---: | :---: | :---: |
| 5.1 | $R_{u}=\frac{12\left(W_{r} * h\right)}{S+0.1}$ | Drop Hammer | Engineering <br> News-Record <br> $(1892)$ |
| 5.2 | $R_{u}=27.11 \sqrt{E_{n} * e_{h}}(1-\log s)$ |  | Gates <br> $(1957)$ |
| 5.3 | $R_{u}=1.75 \sqrt{E_{n}} * \log (10 * N)-100$ | Modified Gates <br> Equation | FHWA <br> (1982) |
| 5.4 | $R_{u}=6.6 * F_{e f f} * E * \operatorname{Ln}(10 N)$ |  | Washington <br> State DOT <br> (Allen, 2005) |
| 5.5 | $R_{u}=\frac{10.5 E}{S+0.2} x \frac{W+C * M}{W+M}$ | Different format <br> for H and pipe piles | Minnesota DOT <br> (2006) |
| 5.6 | $R_{u}=35 \sqrt{E_{h}} \times \log (10 N)$ | See Chapter 6 <br> for details | Proposed General New <br> Mn/DOT Dynamic Equation |


| Notes: |  |
| :--- | :--- |
| $R_{\mathrm{u}}=$ ultimate carrying capacity of pile, in kips | Ln= the natural logarithm, in base "e" |
| $\mathrm{W}=$ mass of the striking part of the hammer in pounds | $\mathrm{W}_{\mathrm{r}}=$ weight of falling mass, in kips |
| $\mathrm{M}=$ = total mass of pile plus mass of the driving cap in pounds | $\mathrm{s}=$ final set of pile, in inches |
| $\mathrm{E}=$ developed energy, equal to W times H, in foot-kips $(1.4)$ | $\mathrm{N}=$ blows per inch (BPI) |
| $\mathrm{E}=$ energy per blow for each full stroke in foot-pounds $(1.5)$ | $\mathrm{h}=$ height of free fall of ram, in feet |
| $\mathrm{e}_{\mathrm{h}}=$ efficiency | $\mathrm{F}_{\text {eff }}=$ hammer efficiency factor |
| $\mathrm{E}_{\mathrm{n}}=$ rated energy of hammer per blow, in kips-foot |  |
| $\mathrm{C}=0.1$ for timber, concrete and shell type piles, 0.2 for steel $H$ piling |  |

### 5.5 DATABASE ANALYSIS - H PILES

### 5.5.1 Summary of Results

Table 5.2 presents a summary of the statistics and other information related to the dynamic equations presented in Table 5.1 under End of Driving conditions. The results of the equations are presented, along with the new General $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation (for comparison only), developed and detailed in Chapter 6. The number of cases analyzed in Table 5.2 refers to 125 H pile cases at EOD as presented in section 3.6.1. These cases do not differ from the cases used in the analysis presented in section 4.4.3.

Table 5.2 Dynamic Equation Predictions for H-Piles EOD Condition Only

| Equation | No. of Cases (n) | Mean Bias Measured/ | Stand. Dev. | Coef. of Var. | Best Fit Line Equation | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} \text { Calculated } \\ \left(\mathbf{m}_{\lambda}\right) \end{gathered}$ | $\left(\sigma_{\lambda}\right)$ | $\left(\mathrm{COV}_{\lambda}\right)$ | (least square) |  | FOSM | MC ${ }^{3}$ | Recom |  |
| ENR | 125 | 0.2972 | 0.2223 | 0.7479 | $\mathrm{Ru}^{1}=5.031 * \mathrm{Rs}^{2}$ | 0.819 | 0.062 | 0.066 | 0.07 | 23.6 |
| Gates | 125 | 1.4289 | 0.5060 | 0.3542 | $\mathrm{Ru}=0.626 * \mathrm{Rs}$ | 0.896 | 0.697 | 0.761 | 0.75 | 52.5 |
| Modified Gates | 125 | 0.8129 | 0.3232 | 0.3976 | $\mathrm{Ru}=1.189^{*} \mathrm{Rs}$ | 0.893 | 0.361 | 0.393 | 0.40 | 49.2 |
| WSDOT | 125 | 0.8738 | 0.3290 | 0.3765 | $\mathrm{Ru}=1.221 * \mathrm{Rs}$ | 0.900 | 0.406 | 0.443 | 0.45 | 51.5 |
| Mn/DOT | 125 | 0.9842 | 0.6499 | 0.6604 | $\mathrm{Ru}=1.268 * \mathrm{Rs}$ | 0.833 | 0.247 | 0.260 | 0.25 | 25.4 |
| $\begin{gathered} \text { New } \\ \mathrm{Mn} / \mathrm{DOT}^{4} \end{gathered}$ | 125 | 1.0163 | 0.3599 | 0.3542 | $\mathrm{Ru}=0.880$ *Rs | 0.896 | 0.495 | 0.542 | 0.55 | 54.1 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations
4. New $\mathrm{Mn} / \mathrm{DOT}$ formula uses a coefficient of 35 .

The analyzed data in Table 5.2 are presented in the following way (referring to the columns from left to right):

1. Equation - see Table 5.1 and for the new $\mathrm{Mn} /$ DOT details, see Chapter 6.
2. Number of piles analyzed including 125 EOD cases.
3. $\mathrm{m}_{\lambda}$ the mean of the bias of all cases. The bias being the ratio of the measured static capacity (Davisson failure criterion) to the predicted capacity of the same case using the relevant equation presented in column 1.
4. Standard deviation of the bias.
5. Coefficient of Variation $\left(\mathrm{COV}_{\lambda}=\sigma_{\lambda} / \mathrm{m}_{\mathrm{x}}\right)$.
6. The equation of the best fit line (using linear regression analysis by the least square error method) between the measured $\left(R_{s}\right)$ to the calculated $\left(R_{u}\right)$ pile capacity (graphical presentation to follow).
7. Coefficient of determination $\left(r^{2}\right)$ of the equation presented in column 6 where $r^{2}=1$ is a perfect match. Paikowsky et al. (1994) suggested the following guidelines for $\mathrm{r}^{2}$ when applied to geotechnical data interpretations: $\mathrm{r}^{2} \geq 0.80$ good correlation, $0.60 \leq \mathrm{r}^{2}$ $<0.80$ moderate correlation, and $\mathrm{r}^{2}<0.60$ poor correlation.
8. Resistance factor, $\phi$, evaluated in three ways:
a. FOSM - First Order Second Moment, using the closed form solution proposed by Barker et al. (1991):

$$
\begin{equation*}
\phi=\frac{\lambda_{R}\left(\frac{\gamma_{D} Q_{D}}{Q_{L}}+\gamma_{L}\right) \sqrt{\left[\frac{\left(1+C O V_{Q_{D}}^{2}+\operatorname{COV}_{Q_{L}}^{2}\right)}{\left(1+C O V_{R}^{2}\right)}\right]}}{\left.\left(\frac{\lambda_{Q_{D}} Q_{D}}{Q_{L}}+\lambda_{Q_{L}}\right) \exp \left\{\beta_{T} \sqrt{\ln \left[\left(1+\operatorname{COV}_{R}^{2}\right)\left(1+C O V_{Q_{D}}^{2}+\operatorname{COV}_{Q_{L}}^{2}\right)\right.}\right]\right\}} \tag{5.7}
\end{equation*}
$$

$\lambda_{\mathrm{R}}=$ resistance bias factor $\operatorname{COV}_{Q_{L}}=\mathrm{COV}$ of the live load $\beta_{\mathrm{T}}=$ target reliability index $\mathrm{Q}_{\mathrm{D}} / \mathrm{Q}_{\mathrm{L}}=$ dead to live load ratio
$\mathrm{COV}_{\mathrm{R}}=\mathrm{COV}$ of the resistance
$C O V_{Q_{D}}=\mathrm{COV}$ of the dead load
$\gamma_{\mathrm{D}}, \gamma_{\mathrm{L}}=$ dead and live load factors
$\lambda_{\mathrm{QD} .}, \lambda_{\mathrm{QL}}=$ dead $\&$ live load bias factors
b. MC - Monte Carlo Simulation. Using two sets of simulations, 10,000 simulations (upper value) and 100,000 simulations (lower values).
c. Recommended resistance factors, considering the results obtained by FOSM and MC simulation and rounded for practicality to the closest 0.05 accuracy.
9. Efficiency factor, $\phi / \lambda$, is a measure for evaluating the relative efficiency of the design methods. The ratio is systematically higher for methods which predict more accurately and hence more economically effective to be used, regardless of the absolute value of the resistance factor, for more details see Paikowsky et al. (2004).

All load factors and distributions were those selected by Paikowsky et al. (2004) for calibration of piles under vertical-axial load, namely: for live loads $\gamma_{\mathrm{L}}=1.75, \lambda_{\mathrm{QL}}=1.15, \mathrm{COV}_{\mathrm{QL}}$ $=0.20$, and for dead loads $\gamma_{\mathrm{D}}=1.25, \lambda_{\mathrm{QD}},=1.05, \mathrm{COV}_{\mathrm{QD}}=0.10$. The target reliability of $\beta=$ $2.33, \mathrm{p}_{\mathrm{f}}=1 \%$ associated with redundant pile support (five or more piles) is used.

### 5.5.2 Presentation of Results

The uncertainty of the 125 H -pile cases analyzed by the different dynamic equations and summarized in Table 5.2 are presented graphically in this section. The scatter of the data, related to each of the six (6) investigated methods, are graphed in Figures 5.1 through 5.6. The presented relations use the vertical axis for the calculated dynamic capacity and the horizontal axis for the measured static capacity. Two lines are added to each of the scatter graphs; a best fit line equation presented as a dashed line, and measured capacity equal to calculated capacity presented as a continuous black line. The scatter of the data allows the evaluation of the prediction as well as the amount of conservatism or risk associated with the prediction. For example, all data above the solid line means that the calculated capacity is higher than the measured capacity and hence on the unsafe side. See, for example, the large number of overpredicted cases in Figure 5.5 relating to the current $\mathrm{Mn} / \mathrm{DOT}$ equation compared to that in Figure 5.6 related to the newly proposed $\mathrm{Mn} / \mathrm{DOT}$ equation.


Figure 5.1 Measured static capacity vs. ENR dynamic equation prediction for 125 EOD cases.


Figure 5.2 Measured static capacity vs. Gates dynamic equation prediction for 125 EOD cases.


Figure 5.3 Measured static capacity vs. FHWA Modified Gates dynamic equation prediction for 125 EOD cases.


Figure 5.4 Measured static capacity vs. WS DOT dynamic equation prediction for 125 EOD cases.


Figure 5.5 Measured static capacity vs. Mn/DOT dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) prediction for 125 EOD cases.


Figure 5.6 Measured static capacity vs. new general Mn/DOT dynamic equation prediction for 125 EOD cases.

### 5.5.3 Observations

The analysis results presented in Table 5.2 are identical to those presented in Table 4.3 with the exception of those related to $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation. As the dataset was not changed for the 125 EOD H pile cases, all analyses remain the same. The difference regarding the results of the $\mathrm{Mn} / \mathrm{DOT}$ equation stems from the application of the equation to H piles. The format of equation 5.5 differs from that of equation 4.5 in the application of 0.2 to the pile and driving system weight (M) and the application of 0.75 to the nominal hammer energy. This variation resulted with a bias increase from 0.8060 to 0.9842 followed, however, by an increase in the standard deviation, bringing to a similar coefficient of variation for both analyses ( 0.6870 vs. 0.6604 ). Due to the increase in the bias (from an unsafe level), the calculated resistance factor increased from 0.204 to 0.260 (MC simulation) and, hence, the recommended resistance factor from 0.20 to 0.25 . The resistance factor remains relatively low due to the large scatter of the method as evident in Figure 5.5.

As a result of the above, a detailed study of the $\mathrm{Mn} /$ DOT dynamic equation under different conditions was carried out, to be presented in section 5.7.

### 5.6 DATABASE ANALYSIS - PIPE PILES

### 5.6.1 Summary of Results

Table 5.3 presents a summary of the statistics and other information related to the dynamic equations presented in Table 5.1 under End of Driving conditions. The results of the equations are presented, along with the new General $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation (for comparison only), developed and detailed in Chapter 6. The number of cases analyzed in Table 5.3 refer to 99 Pipe pile cases at EOD as presented in section 3.6.1, compared to 102 pile cases presented in section 4.5.3. Refer to section 5.5 .1 for details regarding the analyzed data in Table 5.3, being identical in format to that presented in Table 5.2.

### 5.6.2 Presentation of Results

The uncertainty of the 99 pipe pile cases analyzed by the different dynamic equations and summarized in Table 5.3 are presented graphically in this section. The data, related to each of the six (6) investigated methods, are graphed in Figures 5.7 through 5.12 in a format of relations presenting the scatter of the data using the vertical axis for the calculated capacity and the horizontal axis for the measured static capacity. Two lines are added to each of the scatter graphs; a best fit line equation presented as a dashed line, and measured capacity equal to calculated capacity presented as a continuous black line. The scatter of the data allows the evaluation of the prediction as well as the amount of conservatism or risk associated with the prediction. For example, all data above the solid line means that the calculated capacity is higher than the measured capacity and hence on the unsafe side. See, for example, the large number of overpredicted cases in Figure 5.11 relating to the current $\mathrm{Mn} /$ DOT equation compared to that in Figure 5.12 related to the newly proposed $\mathrm{Mn} / \mathrm{DOT}$ equation.

Table 5.3 Dynamic Equation Predictions for Pipe Piles EOD Condition Only

| Equation | No. of Cases (n) | Mean Bias <br> Measured/ <br> Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$EfficiencyFactor(\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| ENR | 99 | 0.3306 | 0.3477 | 1.0517 | $\mathrm{Ru}^{1}=4.183 * \mathrm{Rs}^{2}$ | 0.728 | 0.038 | 0.040 | 0.04 | 12.1 |
| Gates | 99 | 1.5592 | 0.8372 | 0.5370 | $\mathrm{Ru}=0.573 * \mathrm{Rs}$ | 0.849 | 0.511 | 0.542 | 0.50 | 32.1 |
| Modified Gates | 99 | 0.8776 | 0.5490 | 0.6255 | $\mathrm{Ru}=1.085 * \mathrm{Rs}$ | 0.839 | 0.238 | 0.251 | 0.25 | 28.5 |
| WSDOT | 99 | 0.8157 | 0.4925 | 0.6038 | $\mathrm{Ru}=1.257 * \mathrm{Rs}$ | 0.862 | 0.231 | 0.244 | 0.25 | 30.6 |
| $\mathrm{Mn} / \mathrm{DOT}^{4}$ | $\begin{gathered} \hline 99 \\ (96) \\ \hline \end{gathered}$ | $\begin{aligned} & \hline 1.1031 \\ & (0.961) \\ & \hline \end{aligned}$ | $\begin{array}{\|l\|} \hline 1.2781 \\ (0.738) \\ \hline \end{array}$ | $\begin{aligned} & 1.1586 \\ & (0.767) \\ & \hline \end{aligned}$ | $\mathrm{Ru}=1.142 * \mathrm{Rs}$ | 0.759 | $\begin{array}{c\|} \hline 0.106 \\ (0.193) \\ \hline \end{array}$ | $\begin{gathered} \hline 0.110 \\ (0.204) \\ \hline \end{gathered}$ | $\begin{gathered} \hline 0.10 \\ (0.20) \\ \hline \end{gathered}$ | $\begin{gathered} 9.1 \\ (20.8) \\ \hline \end{gathered}$ |
| $\begin{array}{\|l\|} \hline \text { New } \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{array}$ | 99 | 1.1089 | 0.5955 | 0.5370 | $\mathrm{Ru}=0.805 * \mathrm{Rs}$ | 0.849 | 0.364 | 0.385 | 0.35 | 31.6 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. For the $\mathrm{Mn} / \mathrm{DOT}$ equation results presented in parentheses, see section 5.6.3.
5. New Mn/DOT formula uses a coefficient of 35 .


Figure 5.7 Measured static capacity vs. ENR dynamic equation prediction for 99 EOD cases.


Figure 5.8 Measured static capacity vs. Gates dynamic equation prediction for 99 EOD cases.


Figure 5.9 Measured static capacity vs. FHWA Modified Gates dynamic equation prediction for 99 EOD cases.


Figure 5.10 Measured static capacity vs. WSDOT dynamic equation prediction for 99 EOD cases.


Figure 5.11 Measured static capacity vs. Mn/DOT dynamic equation ( $C=0.1$, stroke $=75 \%$ of nominal) prediction for 99 EOD cases.


Figure 5.12 Measured static capacity vs. new Mn/DOT dynamic equation prediction for 99 EOD cases.

### 5.6.3 Observations

The analysis results presented in Table 5.3 compare well to those presented in Table 4.5 with the exception of those related to $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation. These are an expected outcome as most of the cases in both databases overlap ( 102 vs. 99 EOD cases). However, the application of the $\mathrm{Mn} / \mathrm{DOT}$ equation in the format of equation 5.5 and $75 \%$ nominal energy has resulted in outlier biases (mostly values in excess of 3.5) that greatly affect the COV and hence, the resistance factor. For example, excluding only three cases with biases $0.30,7.30$ and 9.31 have resulted with a mean bias of 0.961 , COV of 0.767 and a resistance factor of $0.20\left(\phi_{\mathrm{MC}}=0.204\right.$, $\left.\phi_{\text {FORM }}=0.193\right)$. These values are more in line with those presented in Table 4.5 and the other values in Table 5.3.

### 5.7 DETAILED INVESTIGATION OF THE MN/DOT DYNAMIC EQUATION

### 5.7.1 Overview

Chapter 3 described in detail the various conditions to be examined in relation to the driving possibilities, i.e. EOD, EOD for diesel hammers only, driving resistance equal or exceeding 4BPI, etc. Many combinations are possible and as the restrictions are compounded (e.g. EOD piles driven with diesel hammers with the energy range typical of Mn/DOT practice to a resistance equal or greater than 4 BPI ), so is the dataset associated with that 'bin', becoming smaller (i.e. the sets of data answering to the specific conditions). This investigation is important from two reasons:

1. To see the change in the prediction in relation to the increased 'match' between the examined case and the Mn/DOT practice.
2. To examine the confidence of using a more inclusive category to describe a more restrictive condition, e.g. all diesel hammers vs. diesel hammers restricted to the energy level of Mn/DOT practice.

### 5.7.2 Summary of Results

A summary of the sub-categorization of the driving conditions applied to the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation are presented in Figures 5.13 and 5.14 in the form of flow charts. Each flowchart presents the analysis results for both H and pipe piles under all data (EOD and BOR) and EOD data only, respectively. The flowchart provides the statistics and the associated resistance factor from the most general case of all pile cases (denoted as A) to the most restrictive condition (denoted as B 8.1 or C 8.1 ). Each cell contains the condition applied, associated number of cases, the mean and coefficient of variation of the bias, and the associated calculated resistance factor. $\mathrm{Mn} / \mathrm{DOT}$ equation 5.5 was applied to the analyses of the presented cases and $75 \%$ of nominal hammer energy was assumed.

As the dynamic equations are mostly applied to the EOD case, a review of the results for the EOD case will be most beneficial. Following the flowchart in Figure 5.14, the following can be observed:

1. All piles without outliers ( H and pipe, case A ), $\mathrm{n}=211$, mean $=0.860$, resistance factor $=0.317$
2. Looking separately (without outliers, cases B 1 and C 1 ), for H piles the resistance factor $=0.380$ for $\mathrm{n}=117$, and for the pipe piles, the resistance factor $=0.263$ for $\mathrm{n}=$ 94 cases.
3. When examining only the cases of diesel hammers (without outliers, cases B2.1 and C 2.1 ) for H piles resistance factor $=0.270$ for $\mathrm{n}=53$, and for the pipe piles resistance factor $=0.214$ for $\mathrm{n}=58$.
4. When further examining the cases of diesel hammers with the range of $\mathrm{Mn} / \mathrm{DOT}$ experience (without outliers, cases B5.1 and C5.1), for H piles the resistance factor $=$ 0.173 for $\mathrm{n}=17$, and for the pipe piles the resistance factor $=0.188$ for $\mathrm{n}=20$.
5. When viewing the most restrictive group (i.e. piles at the EOD, driven by diesel hammers within the energy range of $\mathrm{Mn} / \mathrm{DOT}$ experience and blow count $\geq 4 \mathrm{BPI}$, cases B8.1 and C8.1), for H piles the resistance factor $=0.257$ for $\mathrm{n}=13$ and for the pipe piles the resistance factor $=0.295$ for $\mathrm{n}=16$.


Figure 5.13 Flow chart describing the statistical parameters of a normal distribution for the Mn/DOT dynamic equation grouped by various controlling parameters under EOD and BOR conditions and the resulting resistance factor assuming a lognormal distribution and probability of exceeding criteria ("failure") of 0.1\%.


Figure 5.14 Flow chart describing the statistical parameters of a normal distribution for the Mn/DOT dynamic equation grouped by various controlling parameters under end of driving conditions and the resulting resistance factor assuming a lognormal distribution and probability of exceeding criteria ("failure") of 0.1\%.

The above observation leads to the conclusion, that there is not much variation in the resistance factors in the entire flowchart. The reason may lie in the fact that once moving from the general case in which the bias is close to 1 but the COV is very large, to the diesel hammer cases in which the bias is lower than 2 (overprediction on the unsafe side) but the COV decreases so overall the resistance factor does not change much. Applying the 0.75 reduction to the energy resulted with higher resistance factors compared to what was obtained in Chapter 4. The most optimal resistance factor to be used would be $(\phi) \mathrm{RF}=0.25$ for H piles and possibly $\mathrm{RF}=0.30$ for pipe piles, or practically using 0.25 for both. While the equation variation and energy limitation resulted with higher RF than previous values, these are still lower than what currently is recommended by the $\mathrm{Mn} / \mathrm{DOT}(\mathrm{RF}=0.4)$ and suggests that the method altogether is not very efficient.

### 5.7.3 Detailed Presentation of Selected H Piles Sub-Categories of Mn/DOT Driving Conditions

Selective key sub-categories summarized in Figure 5.14 flowchart are presented in a tabulated and graphical form in this section. Tables 5.4 to 5.7 present the statistical details for the $\mathrm{Mn} / \mathrm{DOT}$ equation (equation (5.5)) and the new Mn/DOT equation (presented in Chapter 6), while figures 5.15 to 5.18 present graphically the relevant information. The following discussion refers to these data:

1. Table 5.4 presents the EOD cases for all diesel hammers with driving resistances of $\mathrm{BC} \geq 4 \mathrm{BPI}$. The graphical detailed presentations of this case are shown in Figures 5.15 to 5.17 in the form of a scatter graph, bias vs. dynamic resistance graph, and bias vs. static capacity graph, respectively. Detailed explanations about such data presentation are provided in section 4.4.2. The analysis results show that the statistical parameters for 53 H piles, EOD driven with diesel hammers (case B.2.1) have very similar statistics to the 39 cases when resistance is limited to $\mathrm{BC} \geq 4 \mathrm{BPI}$ (case B6 detailed in Table 5.4). These statistics did not change significantly when one outlier is removed as detailed in Table 5.5 (not shown in Figure 5.14).
2. Table 5.6 presents the statistical parameters for the more restrictive sub-category in which all aspects match the typical $\mathrm{Mn} / \mathrm{DOT}$ pile driving conditions, i.e. EOD, diesel hammer within the energy range of $\mathrm{Mn} / \mathrm{DOT}$ hammers and $\mathrm{BC} \geq 4 \mathrm{BPI}$. Table 5.7 presents the same condition with one Cook outlier removed (to be detailed in Chapter 6). In spite of the limited number of cases ( $\mathrm{n}=13$ and 12 , respectively), the statistics does not change in any significant way for the one related to all diesel hammers with $B C \geq 4 B P I(n=39)$, or all diesel hammers ( $n=56$ cases), or practically for all EOD cases all together ( $\mathrm{n}=125$ cases). The conclusion derived, therefore, is that the type of hammer or the end of driving resistance has a limited importance in the accuracy of the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation when applied to H piles.
3. The above observations are further supported by the graphical presentation of Figures 5.16 to 5.18 showing little correlation to the magnitude of the capacity, or the magnitude of the blow count and presenting similar scatter for the most restrictive (Figure 5.18) compared to the more generic cases (Figures 5.15 and 5.5).

Table 5.4 End of Driving Prediction for H-Piles Driven with Diesel Hammers to a Driving Resistance of 4 BPI or Higher (All Cases)

| Equation | No. of Cases <br> (n) | Mean Bias Measured/ | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{\mathrm{f}}=1 \%$, Redundant |  |  | $\phi / \lambda$ Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Calculated <br> ( $\mathrm{m}_{\lambda}$ ) |  | $\left(\mathbf{C O V}_{\lambda}\right)$ |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 39 | 0.6757 | 0.3003 | 0.4445 | $\mathrm{Ru}=1.505^{*} \mathrm{Rs}$ | 0.857 | 0.271 | 0.292 | 0.30 | 44.4 |
| $\begin{array}{\|c} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{array}$ | 39 | 1.0760 | 0.3417 | 0.3176 | $\mathrm{Ru}=0.812$ * Rs | 0.907 | 0.566 | 0.628 | 0.60 | 55.8 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New Mn/DOT Formula uses a coefficient of 30 .

Table 5.5 End of Driving Prediction for H-Piles Driven with Diesel Hammers to a Driving Resistance of 4 BPI or Higher (Cook's Outliers Removed)

| Equation | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | MC ${ }^{3}$ | Recom. |  |
| Mn/DOT | 38 | 0.6647 | 0.2964 | 0.4459 | $\mathrm{Ru}=1.60{ }^{*} \mathrm{Rs}$ | 0.873 | 0.266 | 0.286 | 0.25 | 37.6 |
| $\begin{gathered} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{gathered}$ | 38 | 1.0458 | 0.2888 | 0.2762 | $\mathrm{Ru}=0.873$ *Rs | 0.935 | 0.598 | 0.674 | 0.65 | 62.2 |

Notes: $\quad 1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New $\mathrm{Mn} /$ DOT Formula uses a coefficient of 30 .

Table 5.6 End of Driving Prediction for H-Piles Driven with Diesel Hammers in the Mn/DOT Energy Range to a Driving Resistance of 4 BPI or Higher (All Cases)

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated $\left(\mathrm{m}_{\lambda}\right)$ | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 13 | 0.6221 | 0.2899 | 0.4661 | $\mathrm{Ru}=1.468 * \mathrm{Rs}$ | 0.822 | 0.238 | 0.257 | 0.25 | 40.2 |
| $\begin{array}{\|c} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{6} \end{array}$ | 13 | 1.1419 | 0.4531 | 0.3968 | $\mathrm{Ru}=0.759 * \mathrm{Rs}$ | 0.870 | 0.508 | 0.553 | 0.55 | 48.2 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. $\mathrm{Mn} /$ DOT Energy Range is $42.4 \leq \mathrm{E}_{\mathrm{n}} \leq 75.4 \mathrm{k}-\mathrm{ft}$
6. The New $\mathrm{Mn} /$ DOT Formula uses a coefficient of 30 .

Table 5.7 End of Driving Prediction for H-Piles Driven with Diesel Hammers in the Mn/DOT Energy Range to a Driving Resistance of 4 BPI or Higher (Cook's Outliers Removed)

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated$\left(\mathbf{m}_{\lambda}\right)$ | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 12 | 0.5830 | 0.2646 | 0.4539 | $\mathrm{Ru}=1.701 * \mathrm{Rs}$ | 0.857 | 0.229 | 0.247 | 0.25 | 42.9 |
| New $\mathrm{Mn} / \mathrm{DOT}^{6}$ | 12 | 1.0518 | 0.3297 | 0.3135 | $\mathrm{Ru}=0.889$ *Rs | 0.924 | 0.558 | 0.620 | 0.60 | 57.0 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. $\mathrm{Mn} /$ DOT Energy Range is $42.4 \leq \mathrm{E}_{\mathrm{n}} \leq 75.4 \mathrm{k}-\mathrm{ft}$
6. The New Mn/DOT Formula uses a coefficient of 30 .


Figure 5.15 Measured static capacity vs. Mn/DOT Dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) applied to EOD cases of diesel hammers with $B C \geq 4 B P I$ (a) all subset cases, and (b) with outliers removed.


Figure 5.16 Driving resistance vs. bias (measured over predicted capacity) using Mn/DOT dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) applied to $E O D$ cases of diesel hammers


Figure 5.17 Measured static capacity vs. bias (measured over predicted capacity) using Mn/DOT dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) applied to $E O D$ cases of diesel hammers with $B C \geq 4 B P I$.


Figure 5.18 Measured static capacity vs. Mn/DOT Dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) applied to EOD cases of diesel hammers within the energy range of Mn/DOT practice with $B C \geq 4 B P I$ (a) all subset cases, and (b) with outliers removed.

### 5.7.4 Detailed Presentation of Selected Pipe Piles Sub-Categorization of Mn/DOT Driving Conditions

Selective key sub-categories summarized in Figure 5.14 flowchart are presented in a tabulated and graphical form in this section. Tables 5.8 to 5.11 present the statistical details for the $\mathrm{Mn} / \mathrm{DOT}$ equation (equation (5.5)) and the new $\mathrm{Mn} /$ DOT equation (presented in Chapter 6), while figures 5.19 to 5.22 present graphically the relevant information. The following discussion refers to these data:

1. Table 5.8 presents the EOD cases for all diesel hammers with driving resistances of $\mathrm{BC} \geq 4 \mathrm{BPI}$. The graphical detailed presentations of this case are shown in Figures 5.19 to 5.21 in the form of a scatter graph, bias vs. dynamic resistance graph, and bias vs. static capacity graph, respectively. Detailed explanations about such data presentation are provided in section 4.4.2. The analysis results show that the statistical parameters for 58 pipe piles, EOD driven with diesel hammers (case C.2.1) have very similar statistics to the 41 cases when resistance is limited to $\mathrm{BC} \geq 4 \mathrm{BPI}$ (case C6 detailed in Table 5.8). These statistics did not change significantly when one outlier is removed as detailed in Table 5.9 (not shown in Figure 5.14).
2. Table 5.10 presents the statistical parameters for the more restrictive sub-category in which all aspects match the typical $\mathrm{Mn} / \mathrm{DOT}$ pile driving conditions, i.e. EOD, diesel hammer within the energy range of $\mathrm{Mn} / \mathrm{DOT}$ hammers and BC $\geq 4 \mathrm{BPI}$. Table 5.11 presents the same condition with one Cook outlier removed (to be detailed in Chapter 6). In spite of the limited number of cases ( $\mathrm{n}=16$ and 14 , respectively), the statistics does not change in any significant way for the one related to all diesel hammers with $B C \geq 4 B P I(n=41)$, though a decrease in the COV suggests a more consistent subset as a result of a large group of piles within the subset relating to a single site. The general trend of the pipe pile data suggests a decrease in the bias and the COV as the sub-categorization of the set leads to smaller subsets. The conclusion derived, therefore, is that the type of hammer or the end of driving resistance affects the accuracy of the $\mathrm{Mn} /$ DOT dynamic equation when applied to pipe piles.
3. The above observations are further supported by the graphical presentation of Figures 5.19 to 5.22 showing increased bias with the magnitude of the capacity, and the magnitude of the blow count and presenting less scatter for the most restrictive (Figure 5.22) vs. the more generic cases (Figures 5.19 and 5.11).

Table 5.8 End of Driving Prediction for Pipe Piles Driven with Diesel Hammers to a
Driving Resistance of 4 BPI or Higher (All Cases)

| Equation | No. of Cases | Mean Bias <br> Measured/ | Stand. Dev. | Coef. of Var. | Best Fit Line Equation | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (n) | $\begin{aligned} & \text { Calculated } \\ & \left(\mathbf{m}_{\lambda}\right) \end{aligned}$ | $\left(\sigma_{\lambda}\right)$ | $\left(\mathrm{COV}_{\lambda}\right)$ | (least square) |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| $\mathrm{Mn} / \mathrm{DOT}$ | 41 | 0.6149 | 0.3454 | 0.5616 | $\mathrm{Ru}=1.653 * \mathrm{Rs}$ | 0.872 | 0.191 | 0.202 | 0.20 | 32.5 |
| $\begin{array}{\|c\|} \hline \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{array}$ | 41 | 0.9519 | 0.4078 | 0.4284 | $\mathrm{Ru}=0.902 * \mathrm{Rs}$ | 0.918 | 0.396 | 0.427 | 0.40 | 42.0 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New Mn/DOT Formula uses a coefficient of 30 .

Table 5.9 End of Driving Prediction for Pipe Piles Driven with Diesel Hammers to a Driving Resistance of 4 BPI or Higher (Cook's Outliers Removed)

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated $\left(\mathrm{m}_{\lambda}\right)$ | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{\mathrm{f}}=1 \%$, Redundant |  |  | $\phi / \lambda$ Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | MC ${ }^{3}$ | Recom. |  |
| Mn/DOT | 38 | 0.5657 | 0.2187 | 0.3865 | $\mathrm{Ru}=1.773 * \mathrm{Rs}$ | 0.919 | 0.257 | 0.280 | 0.25 | 44.2 |
| $\begin{gathered} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{gathered}$ | 38 | 0.9071 | 0.3149 | 0.3472 | $\mathrm{Ru}=0.946$ *Rs | 0.946 | 0.449 | 0.492 | 0.45 | 49.6 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New $\mathrm{Mn} / \mathrm{DOT}$ Formula uses a coefficient of 30 .

Table 5.10 End of Driving Prediction for Pipe Piles Driven with Diesel Hammers in the Mn/DOT Energy Range to a Driving Resistance of 4 BPI or Higher (All Cases)

| Equation | No. of Cases (n) | Mean Bias Measured/ | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} \text { Calculated } \\ \left(\mathbf{m}_{\lambda}\right) \\ \hline \hline \end{gathered}$ |  | $\left(\mathrm{COV}_{\lambda}\right)$ |  |  | FOSM | MC ${ }^{3}$ | Recom. |  |
| Mn/DOT | 16 | 0.6007 | 0.2379 | 0.3960 | $\mathrm{Ru}=1.832 * \mathrm{Rs}$ | 0.929 | 0.268 | 0.291 | 0.30 | 49.9 |
| $\begin{gathered} \mathrm{New} \\ \mathrm{Mn} / \mathrm{DOT}^{6} \end{gathered}$ | 16 | 1.1284 | 0.2051 | 0.1818 | $\mathrm{Ru}=0.878 * \mathrm{Rs}$ | 0.974 | 0.766 | 0.905 | 0.85 | 75.3 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. $\mathrm{Mn} /$ DOT Energy Range is $42.4 \leq \mathrm{E}_{\mathrm{n}} \leq 75.4 \mathrm{k}-\mathrm{ft}$
6. The New Mn/DOT Formula uses a coefficient of 30 .

Table 5.11 End of Driving Prediction for Pipe Piles Driven with Diesel Hammers in the Mn/DOT Energy Range to a Driving Resistance of 4 BPI or Higher (Cook's Outliers Removed)

| Equation | No. of Cases (n) | Mean Bias Measured/ | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Calculated $\left(\mathrm{m}_{\lambda}\right)$ |  | $\left(\mathrm{COV}_{\lambda}\right)$ |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 14 | 0.5591 | 0.1425 | 0.2549 | $\mathrm{Ru}=1.930$ *Rs | 0.960 | 0.333 | 0.379 | 0.35 | 62.6 |
| New $\mathrm{Mn} / \mathrm{DOT}^{6}$ | 14 | 1.1065 | 0.1273 | 0.1151 | $\mathrm{Ru}=0.895 * \mathrm{Rs}$ | 0.988 | 0.825 | 1.012 | 0.90 | 81.3 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. $\mathrm{Mn} /$ DOT Energy Range is $42.4 \leq \mathrm{E}_{\mathrm{n}} \leq 75.4 \mathrm{k}$-ft
6. The New $\mathrm{Mn} / \mathrm{DOT}$ Formula uses a coefficient of 30 .


Figure 5.19 Measured static capacity vs. Mn/DOT Dynamic equation ( $C=0.1$, stroke $=75 \%$ of nominal) applied to EOD cases of diesel hammers with $B C \geq 4 B P I$ (a) all subset cases, and (b) with outliers removed.


Figure 5.20 Driving resistance vs. bias (measured over predicted capacity) using Mn/DOT dynamic equation ( $C=0.1$, stroke $=75 \%$ of nominal) applied to $E O D$ cases of diesel hammers


Figure 5.21 Measured static capacity vs. bias (measured over predicted capacity) using Mn/DOT dynamic equation ( $C=0.1$, stroke $=75 \%$ of nominal) applied to $E O D$ cases of diesel hammers with $B C \geq 4 B P I$.


Figure 5.22 Measured static capacity vs. Mn/DOT Dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) applied to EOD cases of diesel hammers within the energy range of Mn/DOT practice with $B C \geq 4 B P I$ (a) all subset cases, and (b) with outliers removed.

### 5.8 IN-DEPTH EXAMINATION OF THE MN/DOT EQUATION DISTRIBUTION FUNCTIONS FIT FOR LRFD CALIBRATION

Chapters 4 and 5 present the resistance factors calculation for various calibrated conditions. As explained in section 4.4, the calibrations were carried out assuming resistance in agreement with a lognormal distribution for which the statistical parameters are presented. In actuality, the normal distribution function parameters are detailed while in the calibration a translation to a lognormal distribution is made. The mathematical and graphical examination of this hypothesis are presented in this section in the following way:

1. The $\chi$-square goodness of fit (GOF) tests have been carried out to examine the fit of the theoretical normal and lognormal distributions to bias data. Table 5.12 lists in detail the $\chi^{2}$ values obtained for various key sub-categorization cases, both for H and pipe piles for $\log$ and lognormal distributions. If the $\chi^{2}$ values obtained for an assumed distribution is greater than the acceptance $\chi^{2}$ value of a certain significance level (usually of $1 \%$ or $5 \%$ ), then the distribution is rejected. The $\chi^{2}$ values of the 1 and $5 \%$ significance values are provided in Table 5.12 as well. Observing the $\chi^{2}$ values in Table 5.12 suggests that (a) all lognormal distribution $\chi^{2}$ values are significantly lower than the $\chi^{2}$ values for the normal distribution, suggesting a better fit to the distribution, (b) all $\chi^{2}$ values for the lognormal distribution are below the significance level of $1 \%$ and except of one, all are below the significance level of $5 \%$. Hence, the lognormal distribution is accepted by the $\chi$-squared GOF test.
2. Presenting the relevant examined data cases against the theoretical normal and lognormal distributions (as standard normal quantile of bias data) is shown in Figure 5.23 for three examined subsets of H pile cases and in Figure 5.24 for three examined subsets of pipe pile cases. The bias data in Figure 5.23 shows an excellent match to the theoretical lognormal distribution for all investigated subsets, affirming the $\chi^{2}$ GOF test results of Table 5.12 and suggesting no outliers in all three subsets. The bias data in Figure 5.24 shows also a very good match to the theoretical lognormal distribution for all investigated subsets, also affirming the $\chi^{2}$ GOF test results of Table 5.12, but also indicate on a lesser quality match as the database decreases, especially for the most restrictive case of pipe piles at the EOD driven by diesel hammers within the $\mathrm{Mn} / \mathrm{DOT}$ energy range for $\mathrm{BC} \geq 4 \mathrm{BPI}$.

Table 5.12 Summary of $\chi^{2}$ values for Mn/DOT Equation

|  |  | $\chi^{2}$ |  |
| :---: | :---: | :---: | :---: |
| Pile Type | Condition | Normal | Lognormal |
| H | EOD Only | 9419.2 | 21.4 |
| H | EOD Only excluding Cook's Outliers | - | - |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 101.7 | 7.8 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{1}$, B.C. $\geq 4$ BPI | 12.1 | 8.4 |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{1}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| Pipe | EOD Only | $1.9 \times 10^{6}$ | 20.6 |
| Pipe | EOD Only excluding Cook's Outliers | - | - |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 400.1 | 12.7 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{1}$, B.C. $\geq 4$ BPI | 44.8 | 19.2 |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{1}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |

$\begin{array}{ll}\text { Chi square }(1 \%) & =21.665994 \\ \text { Chi square }(5 \%) & =16.918978\end{array}$
Notes: ${ }^{1} \mathrm{Mn} / \mathrm{DOT}$ energy range contains hammers with rated energies between 42.4 and $75.4 \mathrm{k}-\mathrm{ft}$


Figure 5.23 Standard normal quantile of bias data (measured capacity over calculated using Mn/DOT equation) and predicted quantiles of normal and lognormal distributions for $H$ piles: (a) all EOD data, (b) EOD all diesel hammers and BC $\geq 4 B P I$, and (c) EOD, diesel hammers within Mn/DOT energy range and $B C \geq 4 B P I$.
(a)

(b)


Bias $\lambda$
(c)


Figure 5.24 Standard normal quantile of bias data (measured capacity over calculated using Mn/DOT equation) and predicted quantiles of normal and lognormal distributions for pipe piles: (a) all EOD data, (b) EOD all diesel hammers and BC $\geq 4 B P I$, and (c) EOD, diesel hammers within Mn/DOT energy range and $B C \geq 4 B P I$.

### 5.9 PRELIMINARY CONCLUSIONS AND RECOMMENDATIONS

### 5.9.1 Mn/DOT Dynamic Equation - General Formulation

The following conclusions relate to the investigated format of the equation as presented in Table 5.1, i.e. different coefficient for H and Pipe pile and the use of $75 \%$ the nominal stroke.

1. The investigated $\mathrm{Mn} / \mathrm{DOT}$ equation provides on the average an over-predictive (unsafe) capacity when examining the conditions most applicable to Mn/DOT pile driving practices. The general conditions (EOD all hammers) start with a mean bias of approximately 1.0 that decreases with the subset restriction to about 0.60 for both H and pipe piles.
2. The investigated $\mathrm{Mn} / \mathrm{DOT}$ equation performs poorly as the scatter of its predictions is very large, represented by coefficient of variation ratios for EOD predictions of 0.50 to 0.60 for H piles and 0.40 to 0.80 for pipe piles.
3. The recommended resistance factors to be used with the investigated $\mathrm{Mn} / \mathrm{DOT}$ equation for EOD prediction and redundant pile support ( 5 or more piles per cap) are $\phi=0.25$ for H piles, and pipe piles; to be further detailed and discussed in Chapters 7 and 8.
4. An approximation of the equivalent safety factor can be performed by using the following relations based on Paikowsky et al. (2004):

$$
F . S . \approx 1.4167 / \phi
$$

This means that the approximate Factor of Safety requires for the Mn/DOT is 5.7 due to the poor prediction reliability.
5. The use of $\phi=0.40$ (F.S. $\approx 3.5$ ) currently in place means that the safety margin is smaller compared to the recommended resistance factors. Special attention needs to be given to low capacity piles (statically less than 200kips) that for now should be avoided by keeping a driving criterion at the EOD of 4BPI or higher, and restrike friction piles in particular in clays and silty or mix soil conditions.

### 5.9.2 Additional Examined Dynamic Equations

Table 5.13 summarizes the performance of all other investigated methods (in addition to $\mathrm{Mn} / \mathrm{DOT}$ existing and proposed new equations) and the associated recommended resistance and efficiency factors. The findings in Table 5.13 for the investigated dynamic equations demonstrate the power of pile specific databases. Paikowsky et al. (2004) calibrated the different dynamic equations using inclusive databases, without differentiating between pile types. The recommended resistance factors were $\phi=0.25,0.75$ and 0.40 for ENR, Gates and modified Gates, respectively. These values are in line with those presented in Table 5.13 for H piles, excluding ENR that was investigated in its typical formulation in contrast to that presented in AASHTO specifications and Table 5.13 where the equation was modified to exclude the "builtin" factor of safety of 6.0. In contrast to the "typical" values found for the H piles, the resistance
factors developed for the pipe piles are significantly lower than those developed for the H piles and do not match the generic parameters proposed by Paikowsky et al. (2004) and appear in the AASHTO specifications. It is important to note that this is the result of the significantly larger scatter that exists in predicting the capacity of pipe piles compared to H piles. While the mean bias of H piles and pipe piles is similar in all cases, the coefficient of variation (COV) of the pipe piles is about 1.5 times larger than that of the H piles.

Table 5.13 Summary of the Performance and Calibration of the Examined Dynamic Equations at EOD Conditions

|  | H Piles |  |  |  |  | Pipe Piles |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Equation | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathbf{m}_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | $\begin{gathered} \text { Resistance } \\ \text { Factor } \\ \phi \end{gathered}$ | $\phi / \lambda$ Efficiency Factor (\%) | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathbf{m}_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ | $\phi / \lambda$ Efficiency Factor (\%) |
| ENR | 125 | 0.2972 | 0.7479 | 0.07 | 23.6 | 99 | 0.3306 | 1.0517 | 0.04 | 12.1 |
| Gates | 125 | 1.4289 | 0.3542 | 0.75 | 52.5 | 99 | 1.5592 | 0.5370 | 0.50 | 32.1 |
| Modified Gates | 125 | 0.8129 | 0.3976 | 0.40 | 49.2 | 99 | 0.8776 | 0.6255 | 0.25 | 28.5 |
| WSDOT | 125 | 0.8738 | 0.3765 | 0.45 | 51.5 | 99 | 0.8157 | 0.6038 | 0.25 | 30.6 |
| Mn/DOT | 125 | 0.9842 | 0.6604 | 0.25 | 25.4 | $\begin{gathered} 99 \\ (96) \\ \hline \end{gathered}$ | $\begin{aligned} & 1.1031 \\ & (0.961) \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 1.1586 \\ & (0.767) \end{aligned}$ | $\begin{gathered} 0.10 \\ (0.20) \\ \hline \end{gathered}$ | $\begin{gathered} 9.1 \\ (20.8) \end{gathered}$ |
| New $\mathrm{Mn} / \mathrm{DOT}^{4}$ | 125 | 1.0163 | 0.3542 | 0.55 | 54.1 | 99 | 1.1089 | 0.5370 | 0.35 | 31.6 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations
4. New Mn/DOT formula using a coefficient of 35 .

## CHAPTER 6 DEVELOPMENT OF A NEW MN/DOT DYNAMIC EQUATION

### 6.1 RATIONALE

The development of a new $\mathrm{Mn} / \mathrm{DOT}$ equation is beyond the scope of the requested and proposed research, but became a necessity as a result of the findings. The data presented in Chapters 4 and 5 strongly suggest that the current Mn/DOT dynamic equation has a poor performance second only to that of the ENR equation. While all other equations (Gates, FHWA modified Gates, and WSDOT) provide a better alternative; each has limitations when considering the very specific $\mathrm{Mn} / \mathrm{DOT}$ deep foundations practice.
a) Gates equation traditionally presents lower scatter but higher bias. The bias was, therefore, improved by the FHWA modified Gates Equation.
b) FHWA modified Gates equation, while providing a good match for a wide variety of piles, systematically overpredicts (on the unsafe side) H and pipe piles as evident in the bias varying between 0.8 to 0.9 in Tables 4.2 through 4.5 and Tables 5.2 and 5.3.
c) WSDOT equation also shows systematically lower bias (in particular for pipe piles) varying between 0.79 to 0.87 in addition to the need of varying the coefficients based on hammer type. It also should be noted the WSDOT equation was developed using the database presented by Paikowsky et al. (1994) and hence, its relatively lower COV should be cautiously examined.

In light of the above, and considering the fact that Mn/DOT practice is quite focused, it is attractive to try and develop a dynamic equation that specifically answers to the $\mathrm{Mn} / \mathrm{DOT}$ needs allowing increased accuracy and reduction in scatter, hence, resulting with a measureable economic gain.

### 6.2 PLAN OF ACTION

1. Developing an independent equation for the $\mathrm{Mn} /$ DOT needs, using object oriented programming.
2. Examine the new Mn/DOT dynamic equations by the following steps: (a) evaluate the pile static capacity of all tested piles using Davisson's failure criterion (described in Chapter 3), (b) evaluate the pile capacity of the database case histories using the developed new equation, (c) evaluate the bias of the method as the ratio between measured (stage 'a') to calculated (stage 'b') capacity, and (d) examine the statistical parameters of the bias.
3. Conduct an in-depth evaluation to the new $\mathrm{Mn} /$ DOT equation by examining subsets of various conditions.
4. Examine the new $\mathrm{Mn} /$ DOT distribution functions fit to LRFD calibration.
5. Develop the resistance factors associated with the different conditions, using both FOSM and MC simulation methods.
6. Examine the recommended resistance facts in comparison to the performance of the existing Mn/DOT and other dynamic equations.

The above steps 1 to 5 are described in this chapter, further examination, comparisons, assessment and recommendations are presented in Chapters 7 and 8.

### 6.3 PRINCIPLE

A regression analysis can provide parameters that connect the major factors affecting the pile capacity (e.g. energy, driving resistance, etc.) and allow the development of a dynamic equation. A limited attempt was made in that direction, but most obtained equations have no engineering "feel" to them and are constructed of arbitrary terms and parameters.

A different approach was then taken. Recognizing the unique success of the Gates equation in associating the pile capacity to the square of the hammers' nominal energy, and the simplicity in using logarithm of the blow count, a linear regression analysis of the data was performed looking for the best fit parameters to the anticipated formulation. This process is outlined in the following section.

### 6.4 METHOD OF APPROACH

S-PLUS is a commercial advanced statistics package sold by Insightful Corporation of Seattle, Washington. It features object oriented programming capabilities and advanced analytical algorithms. The source of the S-PLUS program used in this research was a free one year demo from the Insightful Corporation website (http://www.insightful.com/). To develop the New Mn/DOT Dynamic Equation, a linear regression was performed using the S-PLUS program. Static capacity and Gates Parameters (which are square root of hammer energy and log of 10 times the blow count) were provided as input parameters into an S-PLUS worksheet. Linear regression was then performed for each of the eight (8) different examined cases. Report files are obtained as output presenting the coefficient for the New Mn/DOT Dynamic Equation as well as the coefficient of determination, $\mathrm{r}^{2}$ of the proposed relationship. Another form of output was the Cook's Distance graph enabling to identify the data outliers.

Cook's Distance is a commonly used estimate of the influence of a data point when doing least squares regression. Cook's distance measures the effect of deleting a given observation. Data points with large residuals (outliers) and/or high leverage may distort the outcome and accuracy of a regression. Points with a Cook's distance of 1 or more are considered to merit closer examination in the analysis. Cook's distance is a measurement of the influence of the $\mathrm{i}^{\text {th }}$ data point on all the other data points. In other words, it tells how much influence the $i^{\text {th }}$ case has upon the model. The formula to find Cook's distance, $\mathrm{D}_{\mathrm{i}}$, is, (Cook, 1979):

$$
\begin{equation*}
D_{i}=\frac{\sum\left(\hat{Y}_{j}-\hat{Y}_{j(i)}\right)^{2}}{p \bullet M S E} \tag{6.1}
\end{equation*}
$$

where
$\hat{Y}_{j}$ is the predicted (fitted) value of the $\mathrm{i}^{\text {th }}$ observation;
$\hat{Y}_{j(i)}$ is the predicted value of the $\mathrm{j}^{\text {th }}$ observation using a new regression equation found by deleting the $i^{\text {th }}$ case;
p is the number of parameters in the model;
and MSE is the Mean Square Error
Using the F distribution to compare with Cook's distance, the influence that the $\mathrm{i}^{\text {th }}$ data point has on the model can be found. Values in the F distribution table can be used to express the percentage of influence the $\mathrm{i}^{\text {th }}$ data point has. A percentage of $50 \%$ or more would indicate a large influence on the model. The larger the error term implies that the $D_{i}$ is also larger which means it has a greater influence on the model.

The new Mn /DOT equation was developed in two stages described in the following sections. The most generic form is described in section 6.5 and is investigated in section 6.6. A more specific form is described in section 6.7 and is investigated in section 6.8.

### 6.5 THE GENERAL NEW MN/DOT DYNAMIC EQUATION DEVELOPMENT

### 6.5.1 Analysis Results

Appendix D provides the analysis results using the program S-PLUS and a diagram of Cook's outliers for eight investigated cases. Table 6.1 presents a summary of the results, obtained by applying the analysis to all cases and EOD cases of the initial database (stage I) described in sections 3.4 and 3.5 for H and pipe piles, respectively.

Table 6.1 Summary of S-PLUS Linear Regression Analysis Results for the New General Mn/DOT Dynamic Equation

| Pile Type | Condition | No. of Cases | Searched <br> Coefficient | Coefficient of <br> Determination <br> $\mathbf{r}^{\mathbf{2}}$ |
| :---: | :---: | :---: | :---: | :---: |
| H | All Cases | 135 | 35.814 | 0.880 |
| H | All excluding Cook's Outliers | 132 | 35.170 | 0.896 |
| H | EOD Only | 125 | 35.660 | 0.896 |
| H | EOD excluding Cook Outlier's | 123 | 34.550 | 0.914 |
| Pipe | All Cases | 128 | 35.866 | 0.861 |
| Pipe | All excluding Cook's Outliers | 125 | 34.875 | 0.877 |
| Pipe | EOD Only | 102 | 37.142 | 0.851 |
| Pipe | EOD excluding Cook Outlier's | 99 | 35.866 | 0.868 |

${ }^{1}$ Searched coefficient for the equation $\mathrm{Ru}=$ Coeff. $\sqrt{E_{h}} \bullet \log (10 N)$

### 6.5.2 Conclusions and Recommended General Equation

The obtained results summarized in Table 6.1 suggest the following:

1. For both pile types under all data selection criteria, the recommended coefficient varied between 34.5 to 37.1 .
2. All regressions resulted with a coefficient of determination greater than 0.85 . As a lower coefficient means a more conservative evaluation and the scatter of the pipe piles predictions is higher than that for the H-piles, it is reasonable to use one coefficient, 35.
3. The final equation recommended as the new $\mathrm{Mn} /$ DOT dynamic equation for the most general case (all hammers, all conditions) is therefore:

$$
\begin{equation*}
R_{u}=35 \sqrt{E_{h}} * \log (10 * N) \tag{6.2}
\end{equation*}
$$

$\mathrm{R}_{\mathrm{u}}=$ predicted pile capacity in kips
$\mathrm{E}_{\mathrm{h}}=$ rated hammer energy kips $\cdot \mathrm{ft}$
$\mathrm{N}=$ blows per inch (PBI) at the End of Driving (EOD)
4. Based on the data presented in Tables 4.2 to 4.5 and 5.2 to 5.11 , the recommended preliminary resistance factors for equation 6.2 are $\phi=0.55$ for H-piles and $\phi=0.40$ for pipe piles. Further details and discussion of these recommendations are presented in section 6.10.

### 6.6 INVESTIGATION OF THE NEW GENERAL MN/DOT DYNAMIC EQUATION

### 6.6.1 Overview

Once a dynamic equation for use is developed (and accepted) a thorough investigation needs to be carried out with the following goals:

1. Identify the equations' performance under different conditions and the controlling parameters.
2. Identify the appropriate statistical parameters to be used for the calibration of the equation.
3. Identify the conditions under which the performance of the equation may results in unsafe predictions.
4. Investigate all of the above combined in order to develop a coherent application of the recommended equation and associated parameters in the field.

### 6.6.2 Initial and Advanced Investigation

Initial examination of the uncertainty of the proposed new equation and the associated resistance factors was presented as part of the dynamic equations investigation outlined in Chapters 4 and 5 , specifically summarized in Tables 4.2 to 4.5 and Figure 4.6 for H-piles and Figure 4.12 for pipe piles as well as tables 5.2 and 5.3, Figures 5.6 and 5.12. The presentations of the new equation's performance in Chapters 4 and 5 were presented so comparisons can be held between the proposed new equation and all other investigated methods. Figures 6.1 and 6.2 are identical to Figures 5.6 and 5.12, presenting the scatter of the new equation in the form of static (measured) capacity vs. predicted capacity for H and pipe piles, respectively. The obtained
results suggest a consistent higher performance of the equation for H piles (efficiency factor of about $53 \%$ to $54 \%$ ) and a resistance factor of 0.55 . The results also suggest the highest performance of the equation for pipe piles ( $36 \%$ ) with a recommended resistance factor of 0.40 . Further in-depth investigations are presented in the following sections for H and pipe piles, respectively. Section 6.7 follows the more restrictive Mn /DOT pile driving conditions in examining the applicability of the equation or a variation of it.


Figure 6.1 Measured static capacity vs. new General Mn/DOT dynamic equation prediction for 125 EOD cases.


Figure 6.2 Measured static capacity vs. new Mn/DOT dynamic equation prediction for 99 EOD cases.

### 6.6.3 H-Piles

Table 6.2 summarizes the obtained analyses for an in-depth investigation of the performance obtained by applying the new $\mathrm{Mn} /$ DOT equation to different data conditions focusing mostly on EOD, driving resistance and pile capacity, and not on hammer type and energy level. General guidelines for Table 6.2 are provided below. The columns (from left to right) describe the following:

1. The examined case, numbered from 1 to 15
2. Case description for which the subset refers to
3. Number of case histories in the subset
4. mean, standard deviation and coefficient of variation of the bias $\left(\mathrm{m}_{\lambda}, \sigma_{\lambda}, \mathrm{COV}_{\lambda}\right)$
5. mean and standard deviation of the static capacity of the examined subset $\left(\mathrm{m}_{\mathrm{Rs}}, \sigma_{\mathrm{Rs}}\right)$
6. Mean and standard deviation of the dynamic capacity of the examined subset ( $\mathrm{m}_{\mathrm{Ru}}$, $\sigma_{\mathrm{Ru}}$ )

Table 6.2 New General Mn/DOT Dynamic Equation Statistics - H-Piles In-Depth Investigation

| Case <br> No. | Description | No. of <br> Cases | Mean <br> Bias <br> $\mathbf{m}_{\lambda}$ | $\sigma_{\lambda}$ | $\mathbf{C O V}_{\lambda}$ | Mean Static <br> Capacity <br> $\mathbf{m}_{\mathbf{R s}}$ | $\sigma_{\mathbf{R S}}$ | Mean <br> $\mathbf{D y n a m i c ~}^{\mathbf{m}_{\mathrm{Ru}}}$ | $\sigma_{\mathrm{Ru}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | All Cases | 135 | 1.0291 | 0.3704 | 0.3599 | 399.4 | 221.4 | 388.6 | 155.6 |
| 2 | w/o Cook's <br> Outliers | 132 | 1.0157 | 0.3458 | 0.3404 | 384.0 | 191.9 | 380.3 | 144.2 |
| 3 | w/o Outlier's $>2$ <br> S.D. | 128 | 0.9724 | 0.2810 | 0.2890 | 375.5 | 180.2 | 388.1 | 154.9 |
| 4 | w/o Outlier's $>2$ <br>  | 125 | 0.9869 | 0.2677 | 0.2713 | 381.9 | 177.2 | 390.9 | 155.5 |
| 5 | $\lambda<0.5$ | $\lambda<0.5$ | 3 | 0.3695 | 0.1103 | 0.2986 | 105.3 | 52.2 | 273.6 |
| 6 | $\lambda<0.61$ | 11 | 0.5301 | 0.1160 | 0.2189 | 227.0 | 156.0 | 407.9 | 235.3 |
| 7 | Restrike Only (No <br> EOD) included in <br> the above | 10 | 1.1838 | 0.4821 | 0.4072 | 576.1 | 314.7 | 504.7 | 226.3 |
| 8 | Last Restrike Only | 28 | 1.2136 | 0.5666 | 0.4669 | 537.0 | 287.6 | 458.7 | 182.5 |
| 9 | w/o Restrike EOD <br> Only | 125 | 1.0168 | 0.3596 | 0.3536 | 385.3 | 207.6 | 379.3 | 145.8 |
| 10 |  <br> w/o $>2$ S.D. | 119 | 0.9663 | 0.2820 | 0.2919 | 367.1 | 180.2 | 380.0 | 15.0 |
| 11 | Ru $\leq 150$ kips | 3 | 1.2725 | 0.3067 | 0.2410 | 165.7 | 32.6 | 131.3 | 8.5 |
| 12 | Ru $\leq 200$ kips | 13 | 1.1352 | 0.3845 | 0.3388 | 191.8 | 72.6 | 169.2 | 25.5 |
| 13 | Ru $\leq 250$ kips | 27 | 1.0661 | 0.4160 | 0.3902 | 211.5 | 92.9 | 198.8 | 35.5 |
| 14 | Ru $\leq 275$ kips | 35 | 1.0557 | 0.3762 | 0.3564 | 224.7 | 88.1 | 213.7 | 41.8 |
| 15 | Rs $\leq 200$ kips | 20 | 0.7969 | 0.2995 | 0.3758 | 153.0 | 40.3 | 204.1 | 52.8 |

The rows of the different subsets are described by the following:

1. Case 1 refers to all H-pile data as presented in Table 4.2.
2. Case 2 is Case 1 without the Cook's outliers for the general case (see Table 6.1 and Appendix D).
3. Case 3 omits the outliers of extreme conservative predictions greater than two standard deviations beyond the mean.
4. Case 4 refers to Case 3 without cases of extreme unsafe predictions with a bias smaller than 0.5 .
5. Case 5 checks the statistics of the extreme unsafe predictions (omitted when moving from case 3 to case 4), suggesting a mean bias of 0.37 for 3 cases for which the mean measured capacity was 105 kips and the mean predicted capacity 274kips.
6. Case 6 expands the range of unsafe predictions to include biases smaller than 0.61 resulting with 11 cases for which the mean bias was 0.531 and average calculated and measured capacities of 408 and 227 kips , respectively.
7. Case 7 investigates the restrike cases including the earlier data, hence the first restrike for piles for which no EOD data are available.
8. Case 8 examines all BOR cases looking at the last BOR if multiple restrikes are available.
9. Case 9 looks at EOD cases only, identical to the cases presented in Table 4.3.
10. Case 10 looks at the data used in Cast 9 , eliminating the extreme conservative outliers beyond two standard deviations.
11. Cases 11 to 15 are investigations of different segment of lower capacity piles recognizing that the most unsafe predictions are associated with lower static capacities (refer to Figure 4.6(b)). As static capacity is unknown at the time of the test, different predictions were searched and cases 11 to 14 refer to dynamic predictions and case 15 to static capacity.

Graphical presentation of Case 1 dataset is provided in Figure 4.6 in which the predictions of the new equation are presented against measured data, and the bias of the equation presented against static capacity, area ratio and driving resistance.

### 6.6.4 Pipe Piles

Table 6.3 summarizes the obtained analyses for an in-depth investigation of the performance obtained by applying the new $\mathrm{Mn} /$ DOT equation to different data conditions focusing mostly on EOD, driving resistance and pile capacity, and not on hammer type and energy level. Refer to section 6.6 .3 for explanations regarding the Table's attributes. Graphical presentation of Case 1 dataset is provided in Figure 4.12 in which the predictions of the new equation are presented against measured data, and the bias of the equation presented against static capacity, area ratio and driving resistance.

Table 6.3 New General Mn/DOT Dynamic Equation Statistics - Pipe Piles In-Depth Investigation

| Case <br> No. | Description | No. of <br> Cases | Mean <br> Bias <br> $\mathbf{m}_{\lambda}$ | $\sigma_{\lambda}$ | $\mathbf{C O V}_{\lambda}$ | Mean Static <br> Capacity <br> $\mathbf{m}_{\text {Rs }}$ | $\mathbf{\sigma}_{\mathbf{R S}}$ | Mean <br> Dynamic <br> Capacity <br> $\mathbf{m}_{\text {Ru }}$ | $\sigma_{\mathbf{R u}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | All Cases | 128 | 1.0650 | 0.5492 | 0.5157 | 417.2 | 210.6 | 401.6 | 132.6 |
| 2 | w/o Cook's <br> Outliers | 125 | 1.0362 | 0.5207 | 0.5025 | 404.6 | 196.6 | 401.0 | 133.7 |
| 3 | w/o Outlier's $>2$ <br> S.D. | 122 | 0.9844 | 0.4104 | 0.4169 | 403.4 | 201.3 | 408.2 | 130.5 |
| 4 | w/o Outlier's $>2$ <br> S.D. \& $\lambda<0.5$ | 113 | 1.0376 | 0.3770 | 0.3634 | 427.7 | 188.4 | 416.4 | 131.2 |
| 5 | $\lambda<0.5$ | 9 | 0.3152 | 0.1160 | 0.3681 | 97.7 | 45.8 | 305.9 | 63.3 |
| 6 | Restrike Only <br> (No EOD) <br> included in the <br> above | 26 | 0.8474 | 0.2403 | 0.2836 | 392.7 | 192.4 | 446.8 | 115.1 |
| 7 | Last Restrike <br> Only | 50 | 0.9415 | 0.2984 | 0.3169 | 437.7 | 192.1 | 459.1 | 126.5 |
| 8 | w/o Restrike <br> EOD Only | 102 | 1.1205 | 0.5913 | 0.5278 | 423.4 | 215.4 | 390.0 | 134.8 |
| 9 |  <br> w/o $>2$ S.D. | 96 | 1.0214 | 0.4391 | 0.4299 | 406.3 | 204.5 | 397.8 | 133.0 |
| 10 | Ru $\leq 250$ kips | 15 | 1.4592 | 0.9329 | 0.6393 | 279.2 | 172.9 | 198.2 | 34.7 |
| 11 | Ru $\leq 300$ kips | 32 | 1.1053 | 0.8181 | 0.7402 | 248.7 | 168.7 | 240.7 | 47.8 |
| 12 | Ru $\leq 350$ kips | 48 | 1.1659 | 0.7804 | 0.6693 | 306.8 | 211.1 | 268.9 | 56.6 |
| 13 | Rs $\leq 200$ kips | 19 | 0.5380 | 0.2639 | 0.4905 | 129.7 | 48.1 | 261.6 | 68.8 |

### 6.7 THE DETAILED NEW MN/DOT DYNAMIC EQUATION DEVELOPMENT

### 6.7.1 Overview

The examination of the more restrictive pile driving conditions of Mn/DOT practice led to the re-examination of the dataset and its sub-categorization as described in section 3.6.8. Chapter 5 presented the analyses of these datasets. The approach and method of analysis presented in sections 6.2 to 6.5 were used for searching an optional new Mn/DOT equation that would (if possible) better fit the specific conditions than the general case of equation 6.2 presented earlier.

### 6.7.2 Analysis Results

Appendix D provides the analysis results using the program S-PLUS and a diagram of Cook's outliers for twelve investigated cases. Table 6.4 presents a summary of the results, obtained by applying the analysis to the modified database (second stage) described in section 3.6.

Table 6.4 Summary of S-PLUS Linear Regression Analysis Results for the New Detailed Mn/DOT Dynamic Equation

| Pile <br> Type | Condition | No. of <br> Cases | Searched <br> Coefficient $^{1}$ | Coefficient of <br> Determination ra |
| :---: | :---: | :---: | :---: | :---: |
| H | EOD Only | 125 | 35.637 | 0.896 |
| H | EOD Only excluding Cook's Outliers | 122 | 34.151 | 0.925 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 39 | 33.527 | 0.907 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | 38 | 32.126 | 0.935 |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 13 | 34.401 | 0.870 |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI <br> excluding Cook's Outliers | 12 | 31.181 | 0.924 |
| Pipe | EOD Only | 99 | 36.746 | 0.850 |
| Pipe | EOD Only excluding Cook's Outliers | 97 | 35.839 | 0.859 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 41 | 30.532 | 0.918 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | 38 | 29.983 | 0.946 |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 16 | 33.294 | 0.974 |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 14 | 33.146 | 0.989 |

Notes:
${ }^{1}$ Searched coefficient for the equation $\mathrm{Ru}=\operatorname{Coeff} . \sqrt{E_{h}} \bullet \log (10 N)$
${ }^{2} \mathrm{Mn} / \mathrm{DOT}$ energy range contains hammers with rated energies between 42.4 and 75.4 k - ft

### 6.7.3 Conclusions and Recommended General Equation

The obtained results summarized in Table 6.4 suggest the following:

1. For both pile types under all EOD data selection criteria (with or without the outliers), the recommended coefficient varied between 34.2 to 36.7 reaffirming the coefficient of 35 recommended for the general equation as appeared in equation 6.2.
2. All regressions resulted with a coefficient of determination greater than 0.85 suggesting good performance of the proposed format and obtained coefficients.
3. When restricting the EOD data to diesel hammers only and a blow count of equal or greater to 4BPI (with or without the outliers) the recommended coefficients are 32.1 to 33.5 for the H piles and 30.0 to 30.5 for the pipe piles. Both subsets contain significant number of cases ( 38 H piles and 38 pipe piles when eliminating outliers).
4. When further restricting the conditions described in (3) above by looking at the energy range of the diesel hammers typically used in Mn/DOT practice, the subsets decrease to $13 / 12 \mathrm{H}$ pile cases and $16 / 14$ pipe pile cases, with and without outliers, respectively. These are marginal size sets that result with coefficients varying between 31.2 to 34.4 for H piles and 33.1 to 33.3 for pipe piles.
5. Close examination of the most restrictive subsets described in (4) above (i.e. 13 H piles and 16 pipe piles before removing the outliers) show that in both subsets a relatively (to the subset size) large group of cases are of different piles of the same size tested at the same site (e.g. 7 out of the 16 pipe piles are 14 " diameter piles from Deer Island project in Massachusetts and 6 of the H piles are $12 \times 53$ from site no. 37 in Canada). As such, the data are too biased as not only the set is marginal in size,
but about $50 \%$ of the cases are related to the same project. The statistics and coefficient obtained from that subset should, therefore, cautiously be applied.
6. As a lower coefficient means a more conservative evaluation, the above discussion and the observations presented in (3) should serve as the guideline for the new $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation that suits better to $\mathrm{Mn} /$ DOT pile driving practice of diesel hammers and $B C \geq 4 B P I$.
7. The equation recommended as the new $\mathrm{Mn} /$ DOT dynamic equation for the specific practice (diesel hammers) is therefore:

$$
\begin{equation*}
R_{u}=30 \sqrt{E_{h}} * \log (10 * N) \tag{6.3}
\end{equation*}
$$

$\mathrm{R}_{\mathrm{u}}=$ predicted pile capacity in kips
$\mathrm{E}_{\mathrm{h}}=$ rated hammer energy kips $\cdot \mathrm{ft}$
$\mathrm{N}=$ blows per inch (PBI) at the End of Driving (EOD)
8. Based on the data presented in Tables 5.2 to 5.11 , the associated recommended preliminary resistance factors for equation 6.3 are $\phi=0.60$ for H-piles and $\phi=0.45$ for pipe piles. Further details and discussion of these recommendations are presented in section 6.10.

### 6.8 INVESTIGATION OF THE DETAILED NEW MN/DOT DYNAMIC EQUATION

### 6.8.1 Overview

The sub-categorizations of the data related to the conditions that were used to examine the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation (section 5.7) and to develop equation 6.3 are described in Table 6.4. The same subsets were used to examine the statistical parameters of equation 6.3 under EOD conditions starting from all hammers EOD cases (for which equation 6.2 is applied) to the most restrictive conditions directly related to the $\mathrm{Mn} / \mathrm{DOT}$ practices and ranges. The results of these analyses are presented below.

### 6.8.2 H Piles

Table 6.5 presents the statistical details of the new Mn/DOT dynamic equation (equation 63) while Figures 6.3 to 6.7 present graphically the relevant information. For the most generic case of EOD with all piles, the statistics of both equations ( 6.2 and 6.3) are presented in Table 6.5 and Figures 6.3 a and 6.3 b . This is done so to examine the applicability of using the detailed equation (6.3) under all driving conditions.

The presented information suggests that the performance of equation 6.3 is consistent and reliable for all H piles driven with diesel hammers regardless of the energy range. The use of equation 6.3 for all type of hammers at EOD and all driving resistances naturally would provide a safer evaluation compared to that of equation 6.2 that was developed for that situation specifically. This can be clearly seen in Figure 6.3 where the cases plotted above the solid line represent the 'unsafe' cases for which the prediction was higher than the measured capacity, and
the use of a coefficient of 30 vs. 35 essentially reduced the calculated capacity by $6 / 7$. The greater mean bias obtained when using equation 6.3 allows, therefore, to select a consistent resistance factor of $\phi=0.60$ to be used for all the cases when applying equation 6.3. This conclusion is further examined and reaffirmed against an independent control database in section 7.2.

### 6.8.3 Pipe Piles

Table 6.6 presents the statistical details for the new $\mathrm{Mn} /$ DOT dynamic equation (equation 6.3 ) while Figures 6.8 to 6.12 present graphically the relevant information. For the most generic case of EOD with all piles, the statistics of both equations ( 6.2 and 6.3) are presented in Table 6.6 and Figures 6.8 a and 6.8 b . This is done to examine the applicability of using the detailed equation (6.3) under all driving conditions.

The presented information suggests that equation 6.2 provides accurate predictions for all cases (mean about 1.0), however, due to the larger scatter associated with the capacity prediction of pipe piles, the coefficient of variation is typically higher than that for the H piles, and hence, the associated resistance factors are lower. Exception to that are the cases of the most restrictive subsets, matching closely the $\mathrm{Mn} / \mathrm{DOT}$ practice by the hammers energy range in addition to diesel hammers and $\mathrm{BC} \geq 4 \mathrm{BPI}$. These subsets result with an under-prediction and, hence, a bias greater than 1.0 along with low coefficients of variation, resulting with very high resistance factors. The reasons for that behavior were discussed in section 6.7.2, as the small subset is biased due to large number of piles from the same site, the use of these parameters is not safe. However, a consistent resistance factor of 0.45 could be used when applying equation 6.3 for all H pile cases. Figure 6.8 shows that while the scatter remains about the same when using equation 6.3 instead of equation 6.2, the number of under-predicted cases decreases as the prediction decreases by $6 / 7$ when applying equation 6.3 instead of 6.2 . Figures 6.9 to 6.11 show that the most unsafe cases are associated with low static capacities of about 50kips that is not well correlated to the driving resistance in the field being approximately 5 to 7BPI.

Table 6.5 Statistical Parameters and Resistance Factors of the New Detailed Mn/DOT Dynamic Equation for H Piles

| Case <br> No. | No. of Cases <br> (n) | Coeff. | Condition | Mean Bias Measured/ | Stand. Dev. | Coef. of Var. | Best Fit Line Equation | Coeff. of Determi | Resistance Factor $\phi$ $\beta=2.33, p_{\mathrm{f}}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> $(\%)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | Calculated ( $\mathrm{m}_{\lambda}$ ) | $\left(\sigma_{\lambda}\right)$ | $\left(\mathrm{COV}_{\lambda}\right)$ | (least square) | nation ( $\mathrm{r}^{2}$ ) | FOSM | MC ${ }^{3}$ | Recom |  |
| 1 | 125 | 35 | EOD Only | 1.0163 | 0.3599 | 0.3542 | $\mathrm{R}_{\mathrm{u}}=0.888 \mathrm{R}_{\text {s }}$ | 0.896 | 0.495 | 0.542 | 0.55 | 54.1 |
|  |  | 30 |  | 1.1856 | 0.4199 | 0.3542 | $\mathrm{R}_{\mathrm{u}}=0.754 \mathrm{R}_{\mathrm{s}}$ | 0.896 | 0.578 | 0.632 | 0.60 | 50.6 |
| 2 | 39 | 30 | EOD, Diesel, $\mathrm{BC} \geq 4 \mathrm{BPI}$ | 1.0760 | 0.3417 | 0.3176 | $\mathrm{R}_{\mathrm{u}}=0.812 \mathrm{R}_{\mathrm{s}}$ | 0.907 | 0.566 | 0.628 | 0.60 | 55.8 |
| 3 | 38 | 30 | EOD, Diesel, $\mathrm{BC} \geq 4 \mathrm{BPI}$ w/o outliers | 1.0458 | 0.2888 | 0.2762 | $\mathrm{R}_{\mathrm{u}}=0.873 \mathrm{R}_{\mathrm{s}}$ | 0.935 | 0.598 | 0.674 | 0.65 | 62.2 |
| 4 | 13 | 30 | EOD, Diesel, Mn/DOT Energy, BC $\geq 4 \mathrm{BPI}$ | 1.1419 | 0.4531 | 0.3968 | $\mathrm{R}_{\mathrm{u}}=0.759 \mathrm{R}_{\text {s }}$ | 0.870 | 0.508 | 0.553 | 0.55 | 48.2 |
| 5 | 12 | 30 | EOD, Diesel, Mn/DOT Energy, BC $\geq 4 \mathrm{BPI}$ w/o outliers | 1.0518 | 0.3297 | 0.3135 | $\mathrm{R}_{\mathrm{u}}=0.889 \mathrm{R}_{\mathrm{s}}$ | 0.924 | 0.558 | 0.620 | 0.60 | 57.0 |

Notes: 1. calculated capacity using $\mathrm{Mn} /$ DOT new dynamic equation $\mathrm{Ru}=\operatorname{Coeff} . \sqrt{E_{h}} \bullet \log (10 N)$.
2. Rs is the static capacity of the pile examined by Davisson's failure criterion
3. MC - Monte Carlo Simulation for 10,000 simulations


Figure 6.3 Measured static capacity vs. the new Mn/DOT equation prediction for 125 EOD H pile cases (a) coeff. $=0.35$ (equation 6.2), and (b) coeff. $=0.30$ (equation 6.3).


Figure 6.4 Measured static capacity vs. the new Mn/DOT dynamic equation (coeff. $=0.30$ ) applied to EOD cases of diesel hammers with BC $\geq 4 B P I$ (a) all subset cases and (b) with outliers removed.


Figure 6.5 Driving resistance vs. bias (measured over predicted capacity) using New Mn/DOT dynamic equation (coeff. = 30) applied to EOD cases of diesel hammers with $B C \geq 4 B P I$.


Figure 6.6 Measured static capacity vs. bias (measured over predicted capacity) using New $M n / D O T$ dynamic equation (coeff. $=30$ ) applied to $E O D$ cases of diesel hammers with $B C \geq$ 4BPI.


Figure 6.7 Measured static capacity vs. New Mn/DOT Dynamic equation (coeff. = 30) applied to EOD cases of diesel hammers within the energy range of Mn/DOT practice with BC $\geq 4 B P I$ (a) all subset cases, and (b) with outliers removed.

Table 6.6 Statistical Parameters and Resistance Factors of the New Detailed Mn/DOT Dynamic Equation for Pipe Piles

| Case <br> No. | No. of Cases <br> (n) | Coeff. | Condition | Mean Bias Measured/ | Stand. Dev. | Coef. of Var. | Best Fit Line Equation | Coeff. of Determi | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | $\begin{gathered} \text { Calculated } \\ \left(\mathbf{m}_{\lambda}\right) \\ \hline \hline \end{gathered}$ | ( $\sigma_{\lambda}$ ) | $\left(\mathrm{COV}_{\lambda}\right)$ | (least square) | nation ( $\mathrm{r}^{2}$ ) | FOSM | MC ${ }^{3}$ | Recom |  |
| 1 | 99 | 35 | EOD Only | 1.1089 | 0.5955 | 0.5955 | $\mathrm{R}_{\mathrm{u}}=0.805 \mathrm{R}_{\mathrm{s}}$ | 0.849 | 0.364 | 0.385 | 0.35 | 31.6 |
|  |  | 30 |  | 1.2937 | 0.6947 | 0.5370 | $\mathrm{R}_{\mathrm{u}}=0.694 \mathrm{R}_{\text {s }}$ | 0.850 | 0.424 | 0.450 | 0.45 | 34.8 |
| 2 | 41 | 30 | EOD, Diesel, $\mathrm{BC} \geq 4 \mathrm{BPI}$ | 0.9519 | 0.4078 | 0.4284 | $\mathrm{R}_{\mathrm{u}}=0.902 \mathrm{R}_{\text {s }}$ | 0.918 | 0.396 | 0.427 | 0.40 | 42.0 |
| 3 | 38 | 30 | EOD, Diesel, $\mathrm{BC} \geq 4 \mathrm{BPI}$ w/o outliers | 0.9071 | 0.3149 | 0.3472 | $\mathrm{R}_{\mathrm{u}}=0.946 \mathrm{R}_{\text {s }}$ | 0.946 | 0.449 | 0.492 | 0.45 | 49.6 |
| 4 | 16 | 30 | EOD, Diesel, Mn/DOT Energy, BC $\geq 4 \mathrm{BPI}$ | 1.1284 | 0.2051 | 0.1818 | $\mathrm{R}_{\mathrm{u}}=0.878 \mathrm{R}_{\mathrm{s}}$ | 0.974 | 0.766 | 0.905 | 0.85 | 45.3 |
| 5 | 14 | 30 | EOD, Diesel, Mn/DOT Energy, BC $\geq$ 4BPI w/o outliers | 1.1065 | 0.1273 | 0.1151 | $\mathrm{R}_{\mathrm{u}}=0.895 \mathrm{R}_{\mathrm{s}}$ | 0.988 | 0.825 | 1.012 | 0.90 | 81.3 |

Notes: 1 . calculated capacity using Mn/DOT new dynamic equation $\mathrm{Ru}=$ Coeff. $\sqrt{E_{h}} \bullet \log (10 N)$.
2. Rs is the static capacity of the pile examined by Davisson's failure criterion
3. MC - Monte Carlo Simulation for 10,000 simulations


Figure 6.8 Measured static capacity vs. the new Mn/DOT equation prediction for 99 EOD pipe pile cases (a) coeff. $=0.35$ (equation 6.2), and (b) coeff. $=0.30$ (equation 6.3).


Figure 6.9 Measured static capacity vs. the new Mn/DOT dynamic equation (coeff. $=0.30$ ) applied to EOD cases of diesel hammers with BC $\geq 4 B P I$ (a) all subset cases and (b) with outliers removed.


Figure 6.10 Driving resistance vs. bias (measured over predicted capacity) using New Mn/DOT dynamic equation (coeff. $=30$ ) applied to $E O D$ cases of diesel hammers with $B C \geq 4 B P I$.


Figure 6.11 Measured static capacity vs. bias (measured over predicted capacity) using New Mn/DOT dynamic equation (coeff. = 30) applied to EOD cases of diesel hammers with $B C \geq$ 4BPI.


Figure 6.12 Measured static capacity vs. New Mn/DOT Dynamic equation (coeff. = 30) applied to EOD cases of diesel hammers within the energy range of Mn/DOT practice with $B C \geq 4 B P I$
(a) all subset cases, and (b) with outliers removed.

### 6.9 IN-DEPTH EXAMINATION OF THE NEW MN/DOT EQUATION DISTRIBUTION FUNCTIONS FIT FOR LRFD CALIBRATION

Tables 6.5 and 6.6 presented the resistance factors calculation for various calibrated conditions. As explained in section 4.4, the calibrations were carried out assuming resistance in agreement with a lognormal distribution for which the statistical parameters are presented. In actuality, the normal distribution function parameters are detailed while in the calibration, a translation to a lognormal distribution is made. The mathematical and graphical examination of this hypothesis are presented in this section in the following way:

1. The $\chi$-square goodness of fit (GOF) tests have been carried out to examine the fit of the theoretical normal and lognormal distributions to bias data. Table 6.7 lists in detail the $\chi^{2}$ values obtained for various key sub-categorization cases, both for H and pipe piles for $\log$ and lognormal distributions. If the $\chi^{2}$ values obtained for an assumed distribution is greater than the acceptance $\chi^{2}$ value of a certain significance level (usually of $1 \%$ or $5 \%$ ), then the distribution is rejected. The $\chi^{2}$ values of the 1 and $5 \%$ significance values are provided in Table 6.7 as well. Observing the $\chi^{2}$ values in Table 6.7 suggests that (a) all lognormal distribution $\chi^{2}$ values are significantly lower than the $\chi^{2}$ values for the normal distribution, suggesting a better fit to the distribution, (b) all $\chi^{2}$ values for the lognormal distribution are below the significance level of $1 \%$ except of one. Hence, the lognormal distribution is accepted by the $\chi$-squared GOF test.
2. Presenting the relevant examined data cases against the theoretical normal and lognormal distributions (as standard normal quantile of bias data) is shown in Figure 6.13 for three examined subsets of H pile cases and in Figure 6.14 for three examined subsets of pipe pile cases. The bias data in Figure 6.13 shows a good match to the theoretical lognormal distribution for all investigated subsets, affirming the $\chi^{2}$ GOF test results of Table 6.7 and suggesting no outliers in all three subsets. The lower fit to the tail in Figure 6.13c shows data on the 'safer' side (higher bias) than the theoretical distribution and, hence, the use of the theoretical distribution is safe. The bias data in Figure 6.14 shows also a reasonably good match to the theoretical lognormal distribution for all investigated subsets. While affirming the $\chi^{2}$ GOF test results of Table 6.7, it also indicates on a lesser quality match as the database decreases, especially for the case of pipe piles at the EOD driven by diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$ (Figure 6.14 b ) for which the use of a lognormal distribution is on the "unsafe" side. In both problematic matches, datasets without outliers had been examined as presented in Table 6.6.

Table 6.7 Summary of $\chi^{2}$ values for the New Mn/DOT Equation (coeff. = 30)

|  |  | $\chi^{2}$ |  |
| :---: | :---: | :---: | :---: |
| Pile Type | Condition | Normal | Lognormal |
| H | EOD Only | 47.8 | 8.7 |
| H | EOD Only excluding Cook's Outliers | - | - |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 24.2 | 8.1 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 30.2 | 21.0 |
| H | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| Pipe | EOD Only | 110.1 | 19.0 |
| Pipe | EOD Only excluding Cook's Outliers | - | - |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 34.7 | 29.1 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 18.5 | 12.5 |
| Pipe | EOD, Diesel Hammer, Mn/DOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | - | - |

Chi square $(1 \%)=21.6659943$
Chi square $(5 \%)=16.9189776$
Notes: ${ }^{1}$ Searched coefficient for the equation $\mathrm{Ru}=$ Coeff. $\sqrt{E_{h}} \bullet \log (10 N)$
${ }^{2} \mathrm{Mn} / \mathrm{DOT}$ energy range contains hammers with rated energies between 42.4 and $75.4 \mathrm{k}-\mathrm{ft}$


Figure 6.13 Standard normal quantile of bias data (measured capacity over calculated using the New Mn/DOT equation) and predicted quantiles of normal and lognormal distributions for $H$ piles: (a) all EOD data, (b) EOD all diesel hammers and $B C \geq 4 B P I$, and (c) EOD, diesel hammers within $M n / D O T$ energy range and $B C \geq 4 B P I$.


Figure 6.14 Standard normal quantile of bias data (measured capacity over calculated using the New Mn/DOT equation) and predicted quantiles of normal and lognormal distributions for pipe piles: (a) all EOD data, (b) EOD all diesel hammers and BC $\geq 4 B P I$, and (c) EOD, diesel hammers within $M n / D O T$ energy range and $B C \geq 4 B P I$.

### 6.10 PRELIMINARY CONCLUSIONS AND RECOMMENDATION

1. The development of a new general $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation addressing EOD conditions of all hammers with all energies and driving resistances resulted with equation (6.2) being:

$$
\begin{equation*}
R_{u}=35 \sqrt{E_{h}} * \log (10 * N) \tag{6.2}
\end{equation*}
$$

$\mathrm{R}_{\mathrm{u}}=$ predicted pile capacity in kips
$\mathrm{E}_{\mathrm{h}}=$ rated hammer energy kips $\cdot \mathrm{ft}$
$\mathrm{N}=$ blows per inch (PBI) at the End of Driving (EOD)
The associated recommended resistance factors using equation 6.2 are $\phi=0.55$ for $\mathrm{H}-$ piles and $\phi=0.40$ for pipe piles.
2. The associated Factor of Safety with the use of this equation is F.S. $\approx 2.6$ for H piles and F.S. $\approx 3.5$ for pipe piles, reflecting the varied confidence in its use.
3. Considering subsets addressing better the $\mathrm{Mn} / \mathrm{DOT}$ pile driving practices resulted with a new detailed dynamic equation recommended to be used by the Mn/DOT for all conditions:

$$
\begin{equation*}
R_{u}=30 \sqrt{E_{h}} * \log (10 * N) \tag{6.3}
\end{equation*}
$$

$\mathrm{R}_{\mathrm{u}}=$ predicted pile capacity in kips
$\mathrm{E}_{\mathrm{h}}=$ rated hammer energy kips•ft
$\mathrm{N}=$ blows per inch (PBI) at the End of Driving (EOD)
4. The equation was developed specifically for the $\mathrm{Mn} /$ DOT pile driving practices (diesel hammers and $\mathrm{BC} \geq 4 \mathrm{BPI}$ ) and is suitable for both H and pipe piles. It was then examined for the general EOD cases.
5. The recommended resistance factors to be used with equation 6.3 are $\phi=0.60$ for H piles, $\phi=0.45$ for pipe piles.
6. The same equation and resistance factors are recommended for all hammers under EOD conditions.
7. Additional investigation of the proposed equation is performed on the separate control group database (see section 3.6.4) is presented in Chapter 7.

# CHAPTER 7 PERFORMANCE EVALUATION OF METHODS UTILIZING DYNAMIC MEASUREMENTS AND THE MN/DOT DYNAMIC EQUATIONS UTILIZING A CONTROL DATABASE 

### 7.1 ANALYSIS BASED ON DYNAMIC MEASUREMENTS

### 7.1.1 Overview

The pursuit of pile capacity prediction during driving remains (like all other engineering discussions) subjected to economic evaluation. While the preceding chapters concentrated on the performance evaluation and the development of dynamic equations, the present section evaluates the performance of dynamic analyses based on dynamic equations. Such performance should be compared to that of the dynamic measurements and the use of dynamic measurements can then be economically evaluated based on the findings. Section 3.6 .3 presents the data subset containing dynamic measurements and the following sections present the performance of methods utilizing these data. Two analysis methods utilizing the dynamic measurements are evaluated, the signal matching method (CAPWAP) described in section 1.7.3, and the field method Energy Approach (EA) described in section 1.7.2. Both methods have different datasets (as often only CAPWAP prediction is provided in a report without the measurements' details) and hence, when compared to the performance of the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equations (existing and new), both datasets had been analyzed.

### 7.1.2 H Piles

Table 7.1 summarizes the performance of both CAPWAP and the Energy Approach for the following conditions: (a) all the available data cases, (b) EOD only, (c) EOD by diesel hammers, (d) EOD by diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$ and (e) subset ' d ' with the energy range of $\mathrm{Mn} / \mathrm{DOT}$ practice only. Table 7.2 summarizes for the same data the performance of $\mathrm{Mn} / \mathrm{DOT}$ equation and the New $\mathrm{Mn} / \mathrm{DOT}$ equation. In order to allow for accurate comparisons, both equations were evaluated for both datasets.

Figures 7.1 and 7.2 present the measured static capacity (determined using Davisson's Criterion) vs. CAPWAP and Energy Approach predictions for all (EOD and BOR) H pile cases, respectively. Figures 7.3 and 7.4 present the measured static capacity vs. CAPWAP and Energy Approach predictions for EOD, diesel hammer driven H pile cases, respectively.

The data in Tables 7.1 and 7.2, and Figures 7.1 to 7.4 suggests the following:

1. CAPWAP systematically under-predicted the pile capacities, hence, resulted in a mean bias significantly greater than 1.0 for most subsets.
2. The scatter of the CAPWAP method (measured via the COV) is better than the typical dynamic equations excluding the new $\mathrm{Mn} / \mathrm{DOT}$ equation, which is consistently lower than that of CAPWAP, but also was developed using the analyzed dataset as part of its database.
3. CAPWAP best performed for driving conditions of diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$, however, also for that category the COV was 0.443 .
4. The Energy Approach systematically provided a bias closer to 1.0 and a scatter smaller than that of CAPWAP (EA COV $\approx 0.35$ vs. CAPWAP COV $\approx 0.45$ ).
5. The Energy Approach marginally over-predicts (mean $=0.89$ ) the conditions for diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$.
6. Due to the above, while CAPWAP results with a higher calculated resistance factor (as a result of a high bias), the Energy Approach shows to have systematically higher efficiency factor and hence, economic advantage for the piles for which dynamic measurements data were available.
7. The Mn /DOT dynamic equation (equation 5.5) had resulted with systematically accurate average predictions, hence, biases around 1.0 , however, the scatter of the equation is extremely large expressed as COV around 0.7 . The resulting calculated resistance factor was $\phi=0.25$ which is identical to the one recommended in section 5.9.
8. The new $\mathrm{Mn} /$ DOT dynamic equation (equation 6.3) had resulted with exceptional good performance. The systematic higher biases are a result of the fact that equation 6.3 was developed for $\mathrm{Mn} / \mathrm{DOT}$ practices and, hence, is most suitable for diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$, performing well for that category. Using equation 6.2 that was developed for all cases would result with the mean biases reduced by $6 / 7$ and, hence, more accurate predictions. The COV of the new equation is systematically low, just marginally higher than that of the Energy Approach and lower than that of CAPWAP. These findings need, however to be reviewed in light of the fact that the new equation was developed using in part the data of Table 7.2 for which it was evaluated. The calculated resistance factors in Table 7.2 of $\phi=0.60$, matches that recommended in section 6.10 and mitigates the under-prediction (higher bias) of the equation when applied to all hammer types.

### 7.1.3 Pipe Piles

Table 7.3 summarizes the performance of both CAPWAP and the Energy Approach for the following conditions: (a) all the available data cases, (b) EOD only, (c) EOD by diesel hammers, (d) EOD by diesel hammers with $\mathrm{BC} \geq 4 \mathrm{BPI}$ and (e) subset ' d ' with the energy range of $\mathrm{Mn} / \mathrm{DOT}$ practice only. Table 7.4 summarizes for the same data the performance of $\mathrm{Mn} / \mathrm{DOT}$ equation and the New $\mathrm{Mn} / \mathrm{DOT}$ equation. In order to allow for accurate comparisons, both equations were evaluated for both datasets.

Figures 7.5 and 7.6 present the measured static capacity (determined using Davisson's Criterion) vs. CAPWAP and Energy Approach predictions for all (EOD and BOR) pipe pile cases, respectively. Figures 7.7 and 7.8 present the measured static capacity vs. CAPWAP and Energy Approach predictions for all EOD pipe pile cases, respectively. Figures 7.9 and 7.10 present the measured static capacity vs. CAPWAP and Energy Approach predictions for all EOD diesel hammer driven pipe piles, respectively.

Table 7.1 Statistical Parameters of Dynamic Analyses of H Piles Using Dynamic Measurements and the Associated Resistance
Factors

| Condition | CAPWAP |  |  |  |  |  |  |  | ENERGY APPROACH |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | No. of Cases <br> (n) | Mean Bias <br> Measured/ <br> Calculated <br> ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) |  | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency <br> Factor <br> ( $\phi / \lambda$ ) <br> \% | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{\mathrm{f}}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 38 | 1.456 | 0.656 | 0.451 | 0.577 | 0.622 | 0.60 | 41.2 | 33 | 0.989 | 0.326 | 0.329 | 0.508 | 0.561 | 0.55 | 55.6 |
| EOD | 31 | 1.457 | 0.635 | 0.436 | 0.596 | 0.642 | 0.60 | 41.2 | 26 | 0.991 | 0.346 | 0.349 | 0.488 | 0.535 | 0.50 | 50.5 |
| Diesel | 24 | 1.333 | 0.609 | 0.457 | 0.521 | 0.562 | 0.55 | 41.2 | 20 | 0.967 | 0.370 | 0.383 | 0.444 | 0.484 | 0.45 | 46.5 |
| B.C. $\geq 4 \mathrm{BPI}$ | 17 | 1.072 | 0.475 | 0.443 | 0.431 | 0.464 | 0.45 | 42.0 | 16 | 0.893 | 0.337 | 0.377 | 0.415 | 0.453 | 0.45 | 50.4 |
| Mn/DOT Energy | 4 | 1.400 | 0.801 | 0.572 | 0.425 | 0.449 | 0.45 | 32.1 | 2 | 1.505 | 0.407 | 0.270 | 0.871 | 0.985 | N/A | N/A |

Table 7.2 Statistical Parameters of the Mn/DOT Dynamic Equations (Existing and New) Developed for the Dataset Containing Dynamic Measurements on H Piles and the Associated Resistance Factors

| CAPWAP Dataset |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Condition | Mn/DOT Equation (75\%) |  |  |  |  |  |  |  | New Mn/DOT Equation (coeff. = 30) |  |  |  |  |  |  |  |
|  | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. <br> Dev. <br> ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, \mathrm{p}_{\mathrm{f}}=1 \%$ Redundant |  |  | EfficiencyFactor$(\phi / \lambda)$$\%$ |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 38 | 1.056 | 0.711 | 0.674 | 0.258 | 0.272 | 0.25 | 23.7 | 38 | 1.349 | 0.533 | 0.395 | 0.603 | 0.656 | 0.60 | 44.5 |
| EOD | 31 | 1.072 | 0.743 | 0.693 | 0.251 | 0.265 | 0.25 | 23.3 | 31 | 1.337 | 0.513 | 0.383 | 0.613 | 0.668 | 0.60 | 44.9 |
| Diesel | 24 | 1.027 | 0.698 | 0.680 | 0.247 | 0.261 | 0.25 | 24.3 | 24 | 1.348 | 0.549 | 0.407 | 0.587 | 0.637 | 0.60 | 44.5 |
| B.C. $\geq 4 \mathrm{BPI}$ | 17 | 0.721 | 0.392 | 0.544 | 0.233 | 0.247 | 0.25 | 34.7 | 17 | 1.153 | 0.413 | 0.359 | 0.556 | 0.607 | 0.60 | 52.0 |
| Energy Approach Dataset |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Condition | Mn/DOT Equation (75\%) |  |  |  |  |  |  |  | New Mn/DOT Equation (coeff. = 30) |  |  |  |  |  |  |  |
|  | No. of Cases <br> (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% | No. of Cases (n) | Mean Bias Measured/ Calculated (m ${ }_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, \mathrm{p}_{\mathrm{f}}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 33 | 1.162 | 0.456 | 0.393 | 0.521 | 0.567 | 0.55 | 47.3 | 33 | 1.355 | 0.533 | 0.393 | 0.608 | 0.662 | 0.60 | 44.3 |
| EOD | 26 | 1.028 | 0.711 | 0.692 | 0.241 | 0.255 | 0.25 | 24.3 | 26 | 1.343 | 0.508 | 0.378 | 0.622 | 0.678 | 0.60 | 44.7 |
| Diesel | 20 | 0.928 | 0.626 | 0.675 | 0.226 | 0.238 | 0.25 | 26.9 | 20 | 1.331 | 0.551 | 0.414 | 0.571 | 0.618 | 0.60 | 45.1 |
| B.C. $\geq 4 \mathrm{BPI}$ | 16 | 0.749 | 0.388 | 0.519 | 0.256 | 0.272 | 0.25 | 33.4 | 16 | 1.201 | 0.408 | 0.340 | 0.603 | 0.663 | 0.60 | 50.0 |



Figure 7.1 Measured static capacity vs. signal matching (CAPWAP) prediction for 38 H pile cases (EOD and BOR).


Figure 7.2 Measured static capacity vs. Energy Approach (EA) prediction for 33 H pile cases (EOD and BOR).


Figure 7.3 Measured static capacity vs. signal matching (CAPWAP) prediction for 24 EOD, diesel driven H pile cases.


Figure 7.4 Measured static capacity vs. Energy Approach (EA) prediction for 20 EOD, diesel driven $H$ pile cases.

The data in Tables 7.3 and 7.4, and Figures 7.5 to 7.10 suggests the following:

1. CAPWAP systematically under-predicts the pile capacities in all the subsets, typically by a bias factor of about 1.4.
2. The scatter of the CAPWAP method is better than the typical dynamic equations excluding the $\mathrm{Mn} /$ DOT equation, and similar to the one obtained for the H piles.
3. The Energy Approach method systematically provided a bias lower than that of CAPWAP (close to 1.0), but a scatter higher than that of CAPWAP for the generic cases (all EOD) as well as lower than that of CAPWAP for all EOD with diesel hammers and those for $\mathrm{BC} \geq 4 \mathrm{BPI}$, meaning that the Energy Approach is more suitable for EOD conditions in the field.
4. Due to the above, while CAPWAP results with higher calculated resistance factors (due to the high bias), the Energy Approach shows to have a higher efficiency factor for EOD diesel hammers and with cases having BC $\geq 4 \mathrm{BPI}$.
5. The $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation (equation 5.5 ) had resulted with systematically problematic scatter except of the cases for which the combination of diesel hammer and $\mathrm{BC} \geq 4 \mathrm{BPI}$ were achieved, for which the dataset was biased by 13 cases related to two sites only ( 6 of the Civic Center project and 7 of the Deer Island project identical piles in each location all obtained from GZA of MA). A low COV for this subset was observed in all analyzed methods. The very large coefficient of variation resulted with resistance factors of about $\phi=0.10$ for the general cases and 0.20 and 0.35 for the EOD diesel and EOD diesel with $\mathrm{BC} \geq$ 4 BPI . The later are compatible with the recommended resistance facto of $\phi=$ 0.25 presented in section 5.9.
6. The new $\mathrm{Mn} /$ DOT dynamic equation (equation 6.3 ) had resulted with good performance compared to the other methods' performance for pipe piles. The systematic higher biases are a result of the equation's adjustment to the Mn/DOT diesel hammer and higher blow count as discussed in the previous section for the H piles. The high scatter (COV), though very good compared to all other methods (second only to CAPWAP), results with resistance factors consistent with the $\phi=0.45$ recommendations of section 6.10. The higher resistance factors calculated for the smaller subgroups are a result of the fact that the equation was developed for those conditions and the large number of piles came from small number of sites as discussed above.

Table 7.3 Statistical Parameters of Dynamic Analysis of Pipe Piles Using Dynamic Measurements and the Associated Resistance Factors

| Condition | CAPWAP |  |  |  |  |  |  |  | ENERGY APPROACH |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | No. of Cases <br> (n) | Mean Bias <br> Measured/ <br> Calculated <br> ( $\mathrm{m}_{\lambda}$ ) | $\begin{gathered} \text { Stand. } \\ \text { Dev. } \\ \left(\sigma_{\lambda}\right) \end{gathered}$ | of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  |  | No. of Cases (n) | Mean Bias <br> Measured/ <br> Calculated <br> ( $\mathbf{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency <br> Factor <br> ( $\phi / \lambda$ ) <br> \% |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 74 | 1.358 | 0.563 | 0.415 | 0.582 | 0.630 | 0.60 | 44.2 | 59 | 1.138 | 0.675 | 0.593 | 0.330 | 0.349 | 0.35 | 30.8 |
| EOD | 58 | 1.441 | 0.597 | 0.414 | 0.618 | 0.668 | 0.65 | 45.1 | 43 | 1.261 | 0.744 | 0.590 | 0.369 | 0.389 | 0.35 | 27.8 |
| Diesel | 36 | 1.381 | 0.501 | 0.363 | 0.661 | 0.721 | 0.70 | 50.7 | 32 | 1.019 | 0.247 | 0.243 | 0.621 | 0.709 | 0.70 | 68.7 |
| B.C. $\geq 4$ BPI | 21 | 1.327 | 0.455 | 0.343 | 0.663 | 0.728 | 0.70 | 52.8 | 19 | 0.976 | 0.166 | 0.170 | 0.675 | 0.802 | 0.70 | 71.7 |
| Mn/DOT Energy | 12 | 1.502 | 0.527 | 0.351 | 0.737 | 0.807 | 0.75 | 49.9 | 12 | 0.953 | 0.175 | 0.183 | 0.645 | 0.761 | 0.70 | 73.5 |

Table 7.4 Statistical Parameters of the Mn/DOT Dynamic Equations (Existing and New) Developed for the Dataset Containing Dynamic Measurements on Pipe Piles and the Associated Resistance Factors

| CAPWAP Dataset |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Condition | Mn/DOT Equation (75\%) |  |  |  |  |  |  |  | New Mn/DOT Equation (coeff. = 30) |  |  |  |  |  |  |  |
|  | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% | No. of Cases (n) | Mean Bias <br> Measured/ Calculated ( $\mathrm{m}_{\lambda}$ ) | Stand. <br> Dev. <br> $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency <br> Factor <br> ( $\phi / \lambda$ ) \% |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 74 | 1.073 | 1.384 | 1.289 | 0.083 | 0.086 | 0.10 | 9.3 | 74 | 1.368 | 0.675 | 0.493 | 0.492 | 0.528 | 0.50 | 36.5 |
| EOD | 58 | 1.227 | 1.533 | 1.249 | 0.101 | 0.105 | 0.10 | 8.1 | 58 | 1.467 | 0.714 | 0.487 | 0.537 | 0.577 | 0.55 | 77.0 |
| Diesel | 36 | 0.874 | 0.618 | 0.708 | 0.198 | 0.209 | 0.20 | 22.9 | 36 | 1.280 | 0.550 | 0.430 | 0.530 | 0.527 | 0.50 | 39.1 |
| B.C. $\geq 4 \mathrm{BPI}$ | 21 | 0.618 | 0.224 | 0.362 | 0.296 | 0.323 | 0.30 | 48.5 | 21 | 1.077 | 0.210 | 0.195 | 0.715 | 0.838 | 0.80 | 74.3 |
| Energy Approach Dataset |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Condition | Mn/DOT Equation (75\%) |  |  |  |  |  |  |  | New Mn/DOT Equation (coeff. = 30) |  |  |  |  |  |  |  |
|  | No. of Cases (n) | Mean Bias Measured/ Calculated ( $\mathbf{m}_{\lambda}$ ) | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency <br> Factor <br> ( $\phi / \lambda$ ) \% | No. of Cases (n) | Mean Bias <br> Measured/ <br> Calculated <br> ( $\mathrm{m}_{\lambda}$ ) | Stand. Dev. ( $\sigma_{\lambda}$ ) | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$ Redundant |  |  | Efficiency Factor ( $\phi / \lambda$ ) \% |
|  |  |  |  |  | FOSM | MCS | Recom |  |  |  |  |  | FOSM | MCS | Recom |  |
| All | 59 | 1.196 | 1.586 | 1.327 | 0.087 | 0.090 | 0.10 | 8.4 | 59 | 1.369 | 0.734 | 0.536 | 0.450 | 0.477 | 0.45 | 32.9 |
| EOD | 43 | 1.437 | 1.803 | 1.255 | 0.117 | 0.121 | 0.10 | 7.0 | 43 | 1.502 | 0.801 | 0.533 | 0.497 | 0.527 | 0.50 | 33.3 |
| Diesel | 32 | 0.899 | 0.635 | 0.707 | 0.205 | 0.216 | 0.20 | 22.2 | 32 | 1.288 | 0.569 | 0.442 | 0.520 | 0.560 | 0.55 | 42.7 |
| B.C. $\geq 4 \mathrm{BPI}$ | 19 | 0.648 | 0.215 | 0.332 | 0.331 | 0.365 | 0.35 | 54.0 | 19 | 1.079 | 0.216 | 0.200 | 0.710 | 0.831 | 0.75 | 69.5 |



Figure 7.5 Measured static capacity vs. signal matching (CAPWAP) prediction for 74 pipe piles (EOD and BOR).


Figure 7.6 Measured static capacity vs. Energy Approach (EA) prediction for 59 pipe piles (EOD and BOR).


Figure 7.7 Measured static capacity vs. signal matching (CAPWAP) prediction for 58 EOD pipe piles.


Figure 7.8 Measured static capacity vs. Energy Approach (EA) prediction for 43 EOD pipe piles.


Figure 7.9 Measured static capacity vs. signal matching (CAPWAP) prediction for 36 EOD, diesel hammer driven pipe piles.


Figure 7.10 Measured static capacity vs. Energy Approach (EA) prediction for 32 EOD, diesel hammer driven pipe piles.

### 7.1.4 Conclusions

1. The use of dynamic measurements and analyses based on those measurements reduces significantly the scatter in the pile capacity predictions.
2. The Energy Approach field method provides an excellent prediction at the EOD. The recommended resistance factor of $\phi=0.55$ for the Energy Approach at EOD based on all type of piles (Paikowsky et al., 2004) seems to match the findings for the H piles but needs to be re-examined for the cases of pipe piles.
3. The CAPWAP method recommendations of $\phi=0.65$ for EOD (except for large displacement piles at easy driving) presented by Paikowsky et al. (2004) seems to match well the findings for both H and pipe piles.
4. The use of the new $\mathrm{Mn} / \mathrm{DOT}$ equation for the dynamic measurements dataset provided with excellent results, those need, however, to be re-examined with a control dataset for which the data was not used in developing the equation itself.

### 7.2 CONTROL DATABASE

### 7.2.1 Overview

The recommendation of resistance factors and the evaluation of a newly developed empirical dynamic equation, can best be examined via independent control databases not being part of the data originally used. Section 3.6 .4 presents the database developed for that end and its analysis results are described below.

### 7.2.2 Results

Tables 7.5 through 7.7 summarize the performance of both the $\mathrm{Mn} / \mathrm{DOT}$ equation (equation 5.5 and application of $75 \%$ of the nominal stroke) and the new $\mathrm{Mn} / \mathrm{DOT}$ equation (equation 6.3) for the control database under (a) all EOD, (b) all EOD and BC $\geq 4 \mathrm{BPI}$, and (c) EOD with diesel hammers, respectively. Though the data refers mostly to hammers other than diesel hammers, the examination presented is still valid as the analyses in Chapters 4 and 5 revealed that both equations were less sensitive to the use of different hammers (than diesel) for H piles compared to pipe piles.

Figures 7.11 to 7.13 present the static capacity (Davisson's Criterion) vs. the calculated capacity using the $\mathrm{Mn} /$ DOT equation for the above described conditions and Figures 7.14 to 7.16 present the same data compared to the calculated capacity using the new Mn/DOT equation.

Table 7.5 End of Driving Prediction for All H-Piles (Control Database)

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated $\left(\mathrm{m}_{\lambda}\right)$ | Stand. <br> Dev. <br> ( $\sigma_{\lambda}$ ) | Coef. of Var.$\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination $\left(r^{2}\right)$ | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 24 | 1.1679 | 0.9617 | 0.8234 | $\mathrm{Ru}=1.047 * \mathrm{Rs}$ | 0.846 | 0.209 | 0.219 | 0.20 | 17.1 |
| New $\mathrm{Mn} / \mathrm{DOT}^{5}$ | 24 | 0.8494 | 0.2559 | 0.3013 | $\mathrm{Ru}=1.092 * \mathrm{Rs}$ | 0.911 | 0.462 | 0.515 | 0.50 | 58.9 |

Notes: 1. Ru is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New Mn/DOT Formula uses a coefficient of 35 .

Table 7.6 End of Driving Prediction for All H-Piles Driven to a Driving Resistance of 4 BPI or Higher (Control Database)

| Equation | No. of Cases (n) | Mean Bias Measured/ Calculated $\left(\mathrm{m}_{\lambda}\right)$ | Stand. Dev. $\left(\sigma_{\lambda}\right)$ | Coef. of Var. $\left(\mathrm{COV}_{\lambda}\right)$ | Best Fit Line Equation (least square) | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ <br> Efficiency <br> Factor <br> (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  | FOSM | $\mathrm{MC}^{3}$ | Recom. |  |
| Mn/DOT | 20 | 0.9455 | 0.2902 | 0.3070 | $\mathrm{Ru}=1.094 * \mathrm{Rs}$ | 0.865 | 0.508 | 0.566 | 0.50 | 47.3 |
| $\begin{gathered} \text { New } \\ \mathrm{Mn} / \mathrm{DOT}^{5} \end{gathered}$ | 20 | 0.9822 | 0.2794 | 0.2845 | $\mathrm{Ru}=0.943$ *Rs | 0.914 | 0.552 | 0.620 | 0.60 | 61.1 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New $\mathrm{Mn} /$ DOT Formula uses a coefficient of 30 .

Table 7.7 End of Driving Prediction for H-Piles Driven with Diesel Hammers (Control Database)

|  |  | Mean Bias Measured/ |  | Coef. <br> of Var | Best Fit Line | Coefficient of Determination ( $\mathrm{r}^{2}$ ) | Resistance Factor $\phi$ $\beta=2.33, p_{f}=1 \%$, Redundant |  |  | $\phi / \lambda$ Efficiency Factor (\%) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (n) | Calculated $\left(\mathbf{m}_{\lambda}\right)$ | $\left(\sigma_{\lambda}\right)$ | $\left(\mathrm{COV}_{\lambda}\right)$ | (least square) |  | FOSM | MC ${ }^{3}$ | Recom. |  |
| Mn/DOT | 2 | 0.5422 | 0.3799 | 0.7006 | $\mathrm{Ru}=1.413 * \mathrm{Rs}$ | 0.832 | 0.125 | 0.132 | 0.10 | 18.4 |
| New Mn/DOT | 2 | 0.8664 | 0.6169 | 0.7120 | $\mathrm{Ru}=0.883 * \mathrm{Rs}$ | 0.824 | 0.195 | 0.206 | 0.20 | 23.1 |

Notes: $1 . \mathrm{Ru}$ is the calculated capacity using each of the dynamic formulae.
2. Rs is the Static Capacity of the pile determined by Davisson's Failure Criterion.
3. MC - Monte Carlo Simulation for 10,000 simulations.
4. BPI is blows per inch.
5. The New $\mathrm{Mn} /$ DOT Formula uses a coefficient of 30 .


Figure 7.11 Measured static capacity vs. Mn/DOT dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) prediction for 24 EOD $H$ pile control database cases.


Figure 7.13 Measured static capacity vs. Mn/DOT dynamic equation ( $C=0.2$, stroke $=75 \%$ of nominal) prediction for 2 EOD diesel driven H pile control database cases


Figure 7.14 Measured static capacity vs. the New Mn/DOT dynamic equation (coeff. = 30) prediction for 24 EOD H pile control database cases.


Figure 7.15 Measured static capacity vs. New Mn/DOT dynamic equation (coeff. $=30$ ) prediction for 20 EOD with $B C \geq 4 B P I H$ pile control database cases.


Figure 7.16 Measured static capacity vs. New Mn/DOT dynamic equation (coeff. $=30$ ) prediction for 2 EOD diesel driven $H$ pile control database cases.

### 7.2.3 Observations and Conclusions

1. The new $\mathrm{Mn} / \mathrm{DOT}$ equation performed better than the existing Mn/DOT equation in both accuracy and bias.
2. The existing $\mathrm{Mn} / \mathrm{DOT}$ preformed reasonably well for driving conditions of $\mathrm{BC} \geq$ 4BPI, but extremely poor for all conditions. This means that for the four cases included in Table 7.5 but excluded from Table 7.6, that had BC $<4 \mathrm{BPI}$, the existing $\mathrm{Mn} / \mathrm{DOT}$ equation performed extremely poorly. Those cases can be identified when observing Figure 7.11 against Figure 7.12.
3. The major importance of the examined analyses relate to the new Mn/DOT equation. As the equation was developed based on databases specifically compiled for $\mathrm{Mn} / \mathrm{DOT}$, the use of unrelated data allows for a true independent evaluation of that development. The numerical statistics and the graphical presentation clearly show that (a) the new equation predicted very well the measured capacity under all conditions, and (b) the assigned resistance factors recommended for H piles in section $6.10(\phi=0.45)$ are adequate.
4. The resistance factor for the $\mathrm{Mn} / \mathrm{DOT}$ recommended in section $5.9(\phi=0.25)$ was also found to be adequate for the control database.

## CHAPTER 8 SUMMARY AND RECOMMENDATIONS

### 8.1 SUMMARY OF DYNAMIC EQUATIONS AND RESISTANCE FACTORS

### 8.1.1 Dynamic Equations

The $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation calibrated in the research is presented in Equation 8.1. The calibration of the equation in this format is presented in Chapter 5 and thereafter. All calibrations assumed a stroke of $75 \%$ of the nominal stroke per $\mathrm{Mn} / \mathrm{DOT}$ practices informed by the Technical Advisory Panel (TAP). The assumed value was found to match typical stroke measurements in the database. The format of equation 8.1 differs from that appearing in the original research request, being uniform for H and other piles (i.e. $\mathrm{C}=0.1$ for all piles) and not assuming a reduction in the stroke. The format of the original equation (see equation 4.5 ) was investigated in Chapter 4.

$$
\begin{equation*}
R_{u}=\frac{10.5 E}{S+0.2} \times \frac{W+C * M}{W+M} \tag{8.1}
\end{equation*}
$$

where $\mathrm{R}_{\mathrm{u}}=$ ultimate carrying capacity of pile, in kips
$\mathrm{W}=$ mass of the striking part of the hammer in pounds
$\mathrm{M}=$ total mass of pile plus mass of the driving cap in pounds
$\mathrm{S}=$ final set of pile, in inches
$\mathrm{E}=$ energy per blow for each full stroke in foot-pounds (1.5)
$\mathrm{C}=0.1$ for timber, concrete and shell type piles, 0.2 for steel H piling
The development of a new general $\mathrm{Mn} /$ DOT dynamic equation was also carried out in two stages as presented in Chapter 6. Section 6.5 present the first stage, addressing EOD conditions of all hammers with all energies and driving resistances; resulted with equation (6.2). Its adaptation to the $\mathrm{Mn} / \mathrm{DOT}$ specific practices of diesel hammers and driving resistance of $\mathrm{BC} \geq$ 4BPI is presented in section 6.7 and resulted in equation 8.2

$$
\begin{equation*}
R_{u}=30 \sqrt{E_{h}} * \log (10 * N) \tag{8.2}
\end{equation*}
$$

where $R_{u}=$ predicted pile capacity in kips
$\mathrm{E}_{\mathrm{h}}=$ rated hammer energy kips $\cdot \mathrm{ft}$
$\mathrm{N}=$ blows per inch (PBI) at the End of Driving (EOD)
Equation 8.2 was then examined to the general driving conditions and appropriate resistance factors were developed as summarized below.

### 8.1.2 Recommended Resistance Factors

Table 8.1 and Figure 8.1 summarize the findings regarding resistance factors developments for H Piles with the use of relevant databases. Related to the $\mathrm{Mn} / \mathrm{DOT}$ existing equation (equation 8.1); the use of all End of Driving (EOD) data (125 cases) results with a recommended
resistance factor of 0.25 . When limiting the data to diesel hammers only and Blow Count (BC) greater or equation to 4 BPI ( 39 cases), the recommended resistance factor becomes $\phi=0.30$. When omitting one outlier, the factor becomes back $\phi=0.25$. When restricting the data to a subset containing diesel hammers within the range used by Mn/DOT and EOD BC $\geq 4 \mathrm{BPI}$ (13 cases), the recommended resistance factor does not change ( $\phi=0.25$ ), and the same stands when one outlier is omitted. Figures 5.13 and 5.14 presented in a flowchart all the databases analyzed and the resulting resistance factors. Graphical presentation of all the major findings summarized in Table 8.1 are provided in Figure 8.1, expressed as almost a horizontal line regardless of the dataset. In summary, the data in all stages strongly supports the recommendation of a resistance factor of $\phi=0.25$ for the $\mathrm{Mn} / \mathrm{DOT}$ equation when applied to H Piles, assuming redundant pile use (i.e. five piles or more under one pile cap).

Further examination of these results via a controlled database, is described in section 7.2. The control database included mostly hammers different than Diesel. The calculated resistance factors vary between $\phi=0.2$ for all cases to $\phi=0.5$ for all EOD cases with BC $\geq 4 \mathrm{BPI}$. Case no. 6 of Table 8.1 relates to these findings, suggesting that for the examined cases, the $\mathrm{Mn} / \mathrm{DOT}$ equation in general applications would require a resistance factor of $\phi=0.20$. As only two out of the 24 cases of the controlled database relate to Diesel hammers and further limiting the data to $B C \geq 4 \mathrm{BPI}$ does not lead to reasonable results due to the fact that many of the piles come from a few sites only. The control database findings are presented in Figure 8.1 as well.

The recommendations of the resistance factors for the new dynamic equation proposed to be used by the $\mathrm{Mn} / \mathrm{DOT}$ (equation 8.2 ) was investigated in a similar way to the process described for equation 8.1. Table 8.1 and Figure 8.1 present the findings leading to the conclusion that the appropriate resistance factors to be used for H Piles under $\mathrm{Mn} /$ DOT practices (and all conditions as well) would be $\phi=0.60$ assuming redundant pile use.

Table 8.1. Summary of Developed Resistance Factors for H-Piles

| Case <br> No. | No. of <br> Cases | Condition | Recommended $\phi$ |  | New <br> Mn/DOT <br> nn/DOT | New <br> Rn/DOT | Reference |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |



Figure 8.1. Developed and recommended resistance factors as a function of H piles' database and its subsets for existing and proposed Mn/DOT dynamic equations.

Table 8.2 and Figure 8.2 summarize the findings regarding resistance factors developments for Pipe Piles with the use of relevant databases. Related to $\mathrm{Mn} / \mathrm{DOT}$ existing equation, (equation 8.1); the use of all EOD data ( 99 cases) results with a recommended resistance factor of 0.10 only. When limiting the data to diesel hammers only and $\mathrm{BC} \geq 4 \mathrm{BPI}$ ( 41 cases), the recommended resistance factor increased to $\phi=0.20$. When omitting three outliers, the resistance factor further increases to $\phi=0.25$. When restricting the data to diesel hammers within the energy range of $\mathrm{Mn} / \mathrm{DOT}$ practice and EOD BC $\geq 4 \mathrm{BPI}$ ( 16 cases), the recommended resistance factor increases to $\phi=0.30$ and further increases to $\phi=0.35$ upon the removal of two outliers ( 14 cases remaining). The small datasets associated with the best match to the $\mathrm{Mn} / \mathrm{DOT}$ practices has several sets of identical piles from a small number of sites and hence result with a reduced variability (i.e. COV) and increased resistance factor. Figure 8.2 expresses this trend showing a consistent increase in the resistance factor with the decreased number of cases in the database (or more accurately, with an increased alliance of the database with $\mathrm{Mn} / \mathrm{DOT}$ practices). Figures 5.13 and 5.14 presented in a flowchart all the databases analyzed and the resulting resistance factors.

In summary, a recommended resistance factor of 0.25 seems to be appropriate for the use with the existing Mn/DOT for Pipe Piles under Mn/DOT practices.

Table 8.2. Summary of Developed Resistance Factors for Pipe-Piles

| Case <br> No. | No. of <br> Cases | Condition | Recommended $\phi$ |  | New <br> Mn/DOT <br> Mn/DOT | New <br> Mn/DOT | Reference |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |



Figure 8. 2. Developed and recommended resistance factors as a function of pipe piles' database and its subsets for existing and proposed Mn/DOT dynamic equations.

The recommendations of the resistance factors for the new dynamic equation proposed to be used by the $\mathrm{Mn} / \mathrm{DOT}$ (equation 8.2 ) was investigated in a similar way to the process described for equation 8.1. Table 8.2 and Figure 8.2 present the findings leading to the conclusion that the appropriate resistance factors to be used for Pipe Piles under Mn/DOT practices (and all conditions as well) would be $\phi=0.45$ assuming redundant pile use.

Discussion: The difference in the behavior of the two pile types is evident. While H Piles are predominantly small displacement piles, pipe piles are large displacement piles and would be, therefore, more sensitive to soil inertia effects expressed via blow count and hammer type and energy. As a result, it is unwise to rely on the smaller subsets that provide resistance factors of $\phi=0.30$. A unique resistance factor is therefore recommended to be used with the $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation for all H and Pipe Piles, driven by Diesel hammer to EOD BC $\geq 4 \mathrm{BPI}$ being $\phi=0.25$.

Table 8.3 summarizes the recommended resistance factors.

## Table 8.3. Summary of Recommended Resistance Factors for the Existing and Proposed Mn/DOT Dynamic Equations

| Pile Type | Recommended $\phi$ |  | Assumptions |
| :---: | :---: | :---: | :---: |
|  | Mn/DOT (Equation 8.1) | New Mn/DOT <br> (Equation 8.2) |  |
| H Piles | 0.25 | 0.60 | Resistance Factors were calculated for a target reliability $\beta=2.33$, |
| Pipe Piles | 0.25 | 0.45 | probability of failure $p_{f}=1 \%$, assuming redundant pile use |

### 8.2 EXAMPLE

### 8.2.1 Given Details

The following examples are constructed based on typical piles and driving equipment as presented in Chapters 2 and 3.

| H Pile: |  |
| :--- | :--- |
| Pile: HP $12 \times 53$ <br> Length: 40 ft |  |
| Design Factored Load: | 160 kips |
| Hammers: | Delmag 19-42 and APE D30-32 <br> Driving Resistance at EOD: <br>  <br> From 2 to 12 BPI |
| Pipe Pile: |  |
| Pile: | CEP $12 " \times 0.25 "$ |
| Length: | 70 ft |
| Design Factored Load: | 160 kips |
| Hammers: | Delmag D19-42 and APE D30-32 |
| Driving Resistance at EOD: | From 2 to 12 BPI |

Table 8.4 provides the relevant information for the hammer, pile and driving system required for using equations 8.1 and 8.2.

Table 8.4 Summary of Hammer, Driving System and Pile Parameters

| Hammer | $\begin{aligned} & \text { Energy } \\ & \text { E } \\ & \text { kipeft } \end{aligned}$ | Weight (kips) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Hammer |  |  | Pile |  | Mn/DOT Equation |  |
|  |  | Ram W | Impact Block | Helmet | HP 12x53@ 40’ | CEP 12x0.25@70’ | M H-Pile | M Pipe Pile |
| $\begin{aligned} & \text { Delmag } \\ & \text { D19-42 } \end{aligned}$ | 42.4 | 4.02 | 0.75 | 6.60 | 2.12 | 2.20 | 9.47 | 9.55 |
| $\begin{gathered} \text { APE } \\ \text { D30-32 } \end{gathered}$ | 70.1 | 6.61 | 1.36 | 8.00 | 2.12 | 2.20 | 11.48 | 11.56 |

[^0]
### 8.2.2 Example Calculations

Proposed New Mn/DOT (Equation: 8.2): $\quad R_{u}=30 \sqrt{E_{h}} * \log (10 * N)$

1. Using Delamg D19-42 for all piles, $\mathrm{EOD}=6 \mathrm{BPI} \rightarrow \mathrm{R}_{\mathrm{u}}=347^{\mathrm{k}}$
2. Using APE D30-32 for all piles, $\mathrm{EOD}=6 \mathrm{BPI} \rightarrow \mathrm{R}_{\mathrm{u}}=447^{\mathrm{k}}$

Current Mn/DOT (Equation 8.1): $\quad R_{u}=\frac{10.5 E}{S+0.2} \times \frac{W+C * M}{W+M}$
Pile Weight:
H-pile $=40 \mathrm{ft} \times 53 \mathrm{lb} / \mathrm{ft}=2120 \mathrm{lb}=2.12 \mathrm{kips}$
Pipe Pile $=70 \mathrm{ft} \times 31.4 \mathrm{lb} / \mathrm{ft}=2197 \mathrm{lb}=2.20 \mathrm{kips}$
Using Delamg D19-42:
Ram Weight:
Capblock + Helmet Weight:
$\mathrm{W}=4.02 \mathrm{kips}$
$\mathrm{M}_{\mathrm{H} \text {-pile: }}$ :
$=7.35 \mathrm{kips}$
$\mathrm{M}_{\text {pipe pile: }}$ :
$7.35+2.12=9.47 \mathrm{kips}$
$R_{u_{H}}=\frac{10.5 \bullet 42.4 \bullet 0.75}{S+0.2} \times 0.438 \quad R_{u_{p_{p e}}}=\frac{10.5 \bullet 42.4 \bullet 0.75}{S+0.2} \times 0.367$
H-pile $\quad \mathrm{EOD}=6 \mathrm{BPI} \rightarrow \mathrm{R}_{\mathrm{u}}=399^{\mathrm{k}}$
Pipe Pile $\mathrm{EOD}=6 \mathrm{BPI} \rightarrow \mathrm{R}_{\mathrm{u}}=334^{\mathrm{k}}$

### 8.2.3 Summary of Calculations

Tables 8.5 and 8.6 summarize the calculations of the examples for Delmag D19-42 and APE D30-32, respectively. Table 8.5 and 8.6 include for both, the $H$ pile and the Pipe Pile, the calculated and factored resistances using the currently employed resistance factor for the $\mathrm{Mn} / \mathrm{DOT}$ as well as the newly recommended resistance factor for the same equation, alongside the newly recommended dynamic equation and the associated resistance factor.

Figures 8.3 to 8.6 present the findings of Tables 8.5 and 8.6 in a graphical form. Figures 8.3 and 8.4 present the driving resistance vs. pile capacity (and factored resistance) for H and Pipe piles driven with Delmag D19-42, respectively. Figures 8.5 and 8.6 present the driving resistance vs. pile capacity (and factored resistance) for H and Pipe piles driven with APE D3031 , respectively.

Table 8.5. Summary Capacities and Resistances for the Examples Using Delmag D19-42

| Pile Type | $\begin{aligned} & \text { EOD } \\ & \text { (BPI) } \end{aligned}$ | Current Mn/DOT Equation$R_{u}=\frac{10.5 E}{S+0.2} \times \frac{W+0.1 M}{W+M}$ |  |  |  |  | Proposed Mn/DOT Equation$R_{u}=30 \sqrt{E_{h}} * \log \left(10^{*} N\right)$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Capacity (kips) | $\phi^{1}$ | Factored Resistance (kips) | $\phi^{2}$ | Factored Resistance (kips) | Capacity (kips) | $\phi^{3}$ | Factored Resistance (kips) |
| HP 12"×53 | 2 | 209 | 0.25 | 52 | 0.40 | 84 | 254 | 0.60 | 152 |
| HP 12"×53 | 4 | 325 | 0.25 | 81 | 0.40 | 130 | 313 | 0.60 | 188 |
| HP 12"×53 | 6 | 399 | 0.25 | 100 | 0.40 | 160 | 347 | 0.60 | 208 |
| HP 12"×53 | 8 | 450 | 0.25 | 113 | 0.40 | 180 | 372 | 0.60 | 223 |
| HP 12"×53 | 10 | 488 | 0.25 | 122 | 0.40 | 195 | 391 | 0.60 | 234 |
| HP 12"×53 | 12 | 517 | 0.25 | 129 | 0.40 | 207 | 406 | 0.60 | 244 |
| CEP 12"×0.25" | 2 | 175 | 0.25 | 44 | 0.40 | 70 | 254 | 0.45 | 114 |
| CEP 12"×0.25" | 4 | 272 | 0.25 | 68 | 0.40 | 109 | 313 | 0.45 | 141 |
| CEP 12" $\times 0.25$ " | 6 | 334 | 0.25 | 83 | 0.40 | 134 | 347 | 0.45 | 156 |
| CEP 12"×0.25" | 8 | 377 | 0.25 | 94 | 0.40 | 151 | 372 | 0.45 | 167 |
| CEP 12" $\times 0.25$ " | 10 | 408 | 0.25 | 102 | 0.40 | 163 | 391 | 0.45 | 176 |
| CEP 12" $\times 0.25$ " | 12 | 432 | 0.25 | 108 | 0.40 | 173 | 406 | 0.45 | 183 |

${ }^{1}$ Recommended resistance factors for current $\mathrm{Mn} /$ DOT equation
${ }^{2}$ Resistance factor currently used by the $\mathrm{Mn} / \mathrm{DOT}$
${ }^{3}$ Recommended resistance factors for the new $\mathrm{Mn} /$ DOT equation
Note - Mn/DOT equation application assumes 75\% stroke


Figure 8.3 Driving resistance vs. capacity (calculated and factored) using the existing and proposed Mn/DOT dynamic equations for H pile driven with Delamg D19-42.


Figure 8.4 Driving resistance vs. capacity (calculated and factored) using the existing and proposed Mn/DOT dynamic equations for pipe pile driven with Delamg D19- 42.

Table 8.6. Summary Capacities and Resistances for the Example Using APE D30-31

| Pile Type | $\begin{aligned} & \text { EOD } \\ & \text { (BPI) } \end{aligned}$ | Current $\mathrm{Mn} /$ DOT Equation$R_{u}=\frac{10.5 E}{S+0.2} \times \frac{W+0.1 M}{W+M}$ |  |  |  |  | Proposed Mn/DOT Equation$R_{u}=30 \sqrt{E_{h}} * \log (10 * N)$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Capacity (kips) | $\phi^{1}$ | $\begin{gathered} \text { Factored } \\ \text { Resistance } \\ \text { (kips) } \\ \hline \end{gathered}$ | $\phi^{2}$ | Factored Resistance (kips) | Capacity (kips) | $\phi^{3}$ | Factored Resistance (kips) |
| HP 12"×53 | 2 | 388 | 0.25 | 97 | 0.40 | 155 | 327 | 0.60 | 196 |
| HP 12"×53 | 4 | 604 | 0.25 | 151 | 0.40 | 242 | 402 | 0.60 | 241 |
| HP 12"×53 | 6 | 741 | 0.25 | 185 | 0.40 | 296 | 447 | 0.60 | 268 |
| HP 12"×53 | 8 | 836 | 0.25 | 209 | 0.40 | 334 | 478 | 0.60 | 287 |
| HP 12"×53 | 10 | 906 | 0.25 | 226 | 0.40 | 362 | 502 | 0.60 | 301 |
| HP 12"×53 | 12 | 959 | 0.25 | 240 | 0.40 | 384 | 522 | 0.60 | 313 |
| CEP 12" $\times 0.25$ " | 2 | 387 | 0.25 | 97 | 0.40 | 155 | 327 | 0.45 | 147 |
| CEP 12" $\times 0.25$ " | 4 | 602 | 0.25 | 151 | 0.40 | 241 | 402 | 0.45 | 181 |
| CEP 12" $\times 0.25$ " | 6 | 739 | 0.25 | 185 | 0.40 | 296 | 447 | 0.45 | 201 |
| CEP 12"×0.25" | 8 | 834 | 0.25 | 209 | 0.40 | 334 | 478 | 0.45 | 215 |
| CEP 12" $\times 0.25$ " | 10 | 904 | 0.25 | 226 | 0.40 | 361 | 502 | 0.45 | 226 |
| CEP 12" $\times 0.25$ " | 12 | 957 | 0.25 | 239 | 0.40 | 383 | 522 | 0.45 | 235 |

${ }^{1}$ Recommended resistance factors for current $\mathrm{Mn} /$ DOT equation
${ }^{2}$ Resistance factor currently used by the $\mathrm{Mn} / \mathrm{DOT}$
${ }^{3}$ Recommended resistance factors for the new Mn/DOT equation
Note - Mn/DOT equation application assumes $75 \%$ stroke

### 8.2.4 Example Observations

1. The two chosen hammers represent the lower and higher ends of energies within the typical range of $\mathrm{Mn} /$ DOT practices applied to two typical piles.
2. The use of the Delmag D19-42 for the H and pipe piles shows that for a low driving resistance, ( BC in the range of 4 to 6 BPI ) the proposed new equation predicts higher capacity than the current $\mathrm{Mn} / \mathrm{DOT}$ equation. Beyond the range of 4 to 6 BPI , the current $\mathrm{Mn} / \mathrm{DOT}$ equation exceeds the capacity prediction of the new equation.
3. Using a heavier hammer set-up with higher energy (APE D30-32) increases significantly the predicted capacity of the existing Mn/DOT equation compared to the proposed equation. This can be expected as the resistance of the $\mathrm{Mn} / \mathrm{DOT}$ equation is a function of the hammer energy directly and using a hammer twice the energy will double the capacity. In the new equation the pile capacity is a function of the square of the hammer energy, hence, doubling the hammer energy would increase the capacity by $1.4(\sqrt{2})$ only.


Figure 8.5 Driving resistance vs. capacity (calculated and factored) using the existing and proposed Mn/DOT dynamic equations for H pile driven with APE D30-31.


Figure 8.6 Driving Resistance vs. Capacity (Calculated and Factored) using the existing and proposed Mn/DOT dynamic equations for Pipe pile Driven with APE D30-31.
4. Figures 8.3 and 8.4 demonstrate that for the lower energy hammer, in spite of the lower capacities predicted by the $\mathrm{Mn} / \mathrm{DOT}$ new equation, the factored resistance is higher than that obtained using the current $\mathrm{Mn} / \mathrm{DOT}$ resistance factor $(\phi=0.4)$, let alone the proposed $\mathrm{Mn} /$ DOT equation LRFD calibrated factor $(\phi=0.25)$.
5. Figures 8.5 and 8.6 demonstrate that for the higher energy hammer the use of the existing resistance factor results with capacities exceeding those obtained from using the new equation with the recommended resistance factor and certainly the factored resistance obtained using the $\mathrm{Mn} / \mathrm{DOT}$ equation with the newly developed resistance factor.
6. The use of the LRFD developed factors with the existing $\mathrm{Mn} / \mathrm{DOT}$ dynamic equation translates to a decreased capacity by a factor of $0.625(0.25 / 0.40)$, which is a significant economic loss for a gain in safety.
7. The use of the newly proposed equation along with the recommended developed resistance factors may translate to gain or lose in factored resistance, depending on the specific pile/hammer/driving resistance combination. It should, however, provide a consistent level of reliability in the pile construction.

### 8.3 CONCLUSIONS

### 8.3.1 Current Mn/DOT Dynamic Equation

1. The current $\mathrm{Mn} / \mathrm{DOT}$ equation provides on the average an over-predictive (unsafe) capacity resulting in a mean bias of about 0.8 (statically measured capacity over dynamically predicted) for both H and pipe piles (refer to Figure 5.14).
2. The current $\mathrm{Mn} / \mathrm{DOT}$ equation performs poorly as the scatter of its predictions is very large, represented by coefficient of variation ratios for EOD predictions of 0.50 to 0.80 for H and pipe piles (refer to Figure 5.14).
3. The systematic over-prediction and large scatter resulted with a recommended resistance factor to be used with the current $\mathrm{Mn} / \mathrm{DOT}$ equation for EOD prediction and redundant pile support ( 5 or more piles per cap) of $\phi=0.25$ for both H piles and pipe piles.
4. An approximation of the equivalent safety factor can be performed by using the following relations based on Paikowsky et al. (2004):

$$
\begin{equation*}
F . S . \approx 1.4167 / \phi \tag{8.3}
\end{equation*}
$$

This means that the approximate Factor of Safety requires for the Mn/DOT is 5.7 due to the poor prediction reliability.
5. The use of $\phi=0.40$ (F.S. $\approx 3.5$ ) currently in place means that the probability of failure is greater than $1 \%$ overall. Special attention needs to be given to low capacity piles (statically less than 200kips) that for now should be avoided by keeping a driving criterion at the EOD of 4BPI or higher, and restrike friction piles in particular in clays and silt or mix soil conditions. Attention also should be given to piles driven with large hammers for which the $\mathrm{Mn} / \mathrm{DOT}$ equation tends (due to its structure) to substantially over-predict the capacity.

### 8.3.2 Other Examined Dynamic Equations

All other examined equations performed as expected, reasonably well. While their scatter is similar, having a COV of about 0.35 to 0.40 for H-piles and 0.52 to 0.61 for pipe piles, the bias of these methods is either too high (1.43-1.58) for the Gates equation, or too low ( $0.81-0.89$ ) for the other equations. A rationale for the development of an independent $\mathrm{Mn} / \mathrm{DOT}$ new dynamic equation is, therefore, presented and followed up in Chapter 6.

### 8.3.3 New Mn/DOT Dynamic Equation

1. The recommended resistance factor for the use with the newly developed $\mathrm{Mn} / \mathrm{DOT}$ equation is $\phi=0.6$ for H piles and $\phi=0.45$ for pipe piles. The varied resistance factors come from the clear differences in the ability to predict the capacity of the two pile types and, hence, the greater uncertainty in the prediction of pipe pile capacity.
2. The associated Factor of Safety with the use of the newly developed equation is F.S. $\approx 2.4$ for H piles and F.S. $\approx 3.1$ for pipe piles, reflecting the higher confidence in the use of the proposed equation.
3. Further investigation of the proposed equation should be carried out as part of its implementation as outlined in the following recommendations.

### 8.4 RECOMMENDATIONS

1. The resistance factors developed and recommended to be used in this study reflect a decrease to $63 \%$ of the factored resistance, when compared to the current practice. There is no question that it is a significant economical constraint, but at the same time it reflects the uncertain nature of the existing equation and to toll demanded to obtain a consistent risk in its use.
2. It is highly recommended to implement the proposed new equation in a transitional process.
3. The implementation of the new equation is proposed to be applied immediately to ongoing projects in the following way:
a. Calculate pile capacity using the current $\mathrm{Mn} /$ DOT dynamic equation.
b. Apply to the obtained capacity both resistance factors; 0.25 and 0.40 , i.e. the new recommended resistance factor and the currently used factor, respectively.
c. Calculate pile capacity using the new proposed $\mathrm{Mn} / \mathrm{DOT}$ equation.
d. Apply to the obtained capacity a resistance factor of 0.60 for the use with $H$ piles and 0.45 for the use with pipe piles.
e. Maintain the records and apply a safe factored resistance value based on all the results.
4. The data accumulation from large number of projects can enable the analysis and reevaluation of the recommendation.
5. Devise a systematic program while collecting data as described in item \#3. The program should include a series of routine dynamic measurements (with a PDA and/or other instruments to be discussed) along with some static load tests in key projects when possible.
6. The above steps may result with modifications to the new proposed equation and/or to its proposed resistance factors.
7. The long term goal should be a reduction in the prediction scatter so to obtain a systematic increase in the prediction reliability and a decrease in the foundation cost.

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## APPENDIX A

Mn/DOT FOUNDATION CONSTRUCTION DETAILS OF 28 REPRESENTATIVE BRIDGES

Table A-1. Mn/DOT Foundation Construction Details of Bridge No. 27V66

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& N \& S \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{1} \& \multirow[t]{8}{*}{27V66} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
6888 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 3 6 4} \\
(\text { LRFD }) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 2 8 0} \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
7560 \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
246 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
246 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
276 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
252 \\
\text { (LRFD) }
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{gathered}
\text { APE } \\
\text { D30-42 }
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D30-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D30-42 }
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D30-42 }
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \(\mathbf{0 . 1 5 0} \mathbf{~ i n / b l o w}\)
(avg 28 piles
EOID)
\(\mathbf{0 . 1 0 0} \mathbf{~ i n / b l o w ~}\)
(TP 7 EIOD)
\(\mathbf{0 . 0 1 3}\) in/blow
(TP 8 "restrike"
drove 4 ft to
refusal)
\(\mathbf{8 0} \mathbf{~ b p f}\)
(avg 28 piles)
\(\mathbf{1 2 0} \mathbf{~ b p f}\)
(TP 7 EOID)
\(\mathbf{1 0 0 0}\) bpf
(TP 8 restrike) \& - \& - \& \begin{tabular}{l}
0.235 in/blow (avg 30 piles EOID) \\
0.923 in/blow (TP 5 EOID) 0.125 in/blow (TP 5 restrike) 0.225 in/blow (TP 6 EIOD)
\[
\begin{gathered}
50 \text { bpf } \\
\text { (avg } 30 \text { piles) } \\
13 \text { bpf } \\
\text { (TP } 5 \text { EIOD) } \\
100 \text { bpf } \\
\text { (TP } 5 \text { restrike) } \\
50 \text { bpf } \\
\text { (TP } 6 \text { EOID) }
\end{gathered}
\]
\end{tabular} \& -

- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 6.7 bpi for 12 inches (avg. 28 piles) 10.0 bpi for 12 inches (TP 7) |
| :--- |
| 75.0 bpi for 12 inches |
| (TP 8 "restrike" drove 4 ft to refusal) | \& - \& - \& | 4.3 bpi for 12 |
| :---: |
| inches |
| (avg. 30 piles |
| EIOD) |
| $\mathbf{1 . 1}$ bpi for 12 |
| inches |
| (TP 5 EIOD) |
| $\mathbf{8 . 0}$ bpi for 12 |
| inches |
| (TP 5 restrike) |
| 4.4 bpi for 12 |
| inches |
| (TP 6 EIOD) |
| 20 P | \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 28 Pile Avg.
812
(Mn/DOT
formula)
----------
TP 7A (EOID)
1050
(Mn/DOT
formula)
$\mathbf{4 3 9 . 2}$ \& - \& - \& 30 Pile Avg.
726
(Mn/DOT
formula)
----------
TP 5 (EOID)
232
(Mn/DOT
formula)
336.5 \& - \& - \& - \& <br>
\hline
\end{tabular}



Table A-2. Mn/DOT Foundation Construction Details of Bridge No. 27V69

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[t]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{2} \& \multirow[t]{8}{*}{27V69} \& 1. \& Structure Type \& A6 \& A6 \& D1M \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
3196 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
2820 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
3384 \\
(\text { LRFD })
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
188 \\
(\text { LRFD })
\end{gathered}
\] \& \[
\begin{gathered}
188 \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
188 \\
\text { (LRFD) }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{gathered}
\text { APE } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D19-42 }
\end{gathered}
\] \& \[
\begin{gathered}
\hline \text { APE } \\
\text { D19-42 }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& - \& - \& 0.34 in/blow (avg 16 piles) 0.480 in/blow (TP3 EOID) 0.462 in/blow (TP4 EOID) 35 bpf (avg 16 piles) 25 bpf (TP3 EOID) 26 bpf (TP4 EOID) \& \& -

- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& - \& - \& $3 / 8$ inch per 5
blows
(2.67 bpi)
(TP 3 BOR)
$3 / 8$ inch per 5
blows
(2.67 bpi)
(TP 4 BOR) \& \& - \& - \& - \& <br>
\hline \& \& 7. \& Estimated field capacity (kips) \& - \& - \& 16 Pile Avg.
294
(Mn/DOT
formula)
---------
TP 3 (EOID)
$\mathbf{1 8 0}$
(Mn/DOT
formula)
$\mathbf{1 3 8}$
(CAPWAP)
328
(Case Method)
$---\mathbf{- a} 3$
TP
(Restrike)
566
(Mn/DOT
formula)
343
(CAPWAP) \& \& - \& - \& - \& <br>
\hline
\end{tabular}



Table A-3. Mn/DOT Foundation Construction Details of Bridge No. 27V73

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{3} \& \multirow[t]{8}{*}{27V73} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
6302 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
2260 \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
5740 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{5 7 8 0} \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
274 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
274 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
287 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
289 \\
(\mathrm{LRFD})
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& APE
D40-32
D30-42
D30-32 \& APE
D40-32
D30-42
D30-32 \& APE
D40-32
D30-42
D30-32 \& APE
D40-32
D30-42
D30-32 \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.240 in/blow (avg 21 piles) 0.235 in/blow (TP1 EOID) 0.231 in/blow (TP2 EOID) 50 bpf (avg 21 piles) 51 bpf (TP1 EOID) 52 bpf (TP2 EOID) \& 0.230 in/blow (avg 31 piles) 0.150 in/blow (TP7 EOID) 0.200 in/blow (TP8 EOID) 52 bpf (avg 31 piles) 80 bpf (TP7 EOID) 60 bpf (TP8 EOID) \& 0.230 in/blow (avg 18 piles) 0.174 in/blow (TP3 EOID) 0.203 in/blow (TP4 EOID) 52 bpf (avg 18 piles) 69 bpf (TP3 EOID) 59 bpf (TP4 EOID) \& 0.230 in/blow (avg 18 piles) 0.200 in/blow (TP5 EOID) 0.194 in/blow (TP6 EOID) 52 bpf (avg 18 piles) 60 bpf (TP5 EOID) 62 bpf (TP6 EOID) \& -

- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 4.2 bpi for 12 inches (avg. 21 piles) 4.2 bpi for 12 inches (TP 1) |
| :--- |
| 4.3 bpi for 12 inches (TP 2) | \& | 4.3 bpi for 12 inches (avg. 31 piles) 6.7 bpi for 12 inches (TP 7) |
| :--- |
| 5.0 bpi for 12 inches (TP 8) | \& | 4.3 bpi for 12 inches (avg. 18 piles) 5.7 bpi for 12 inches (TP 3) |
| :--- |
| 4.9 bpi for 12 inches (TP 4) | \& | 4.3 bpi for 12 inches (avg. 18 piles) 5.0 bpi for 12 inches (TP 5) |
| :--- |
| 5.2 bpi for 12 inches (TP 6) | \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 21 Pile Avg.
816
(Mn/DOT
formula)
--------
TP 1 (EOID)
$\mathbf{8 1 6}$
(Mn/DOT
formula)
$\mathbf{6 3 8}$
(CAPWAP)
$\mathbf{4 5 6}$
(Case Method)
----------
TP 2 (EOID)
$\mathbf{8 2 4}$
(Mn/DOT
formula) \& 31 Pile Avg.
$\mathbf{8 4 0}$
(Mn/DOT
formula)
--------
TP 7 (EOID)
$\mathbf{1 0 5 0}$
(Mn/DOT
formula)
$\mathbf{8 2 0}$
(CAPWAP)
$\mathbf{4 5 6}$
(Case Method)
----------
TP $\mathbf{8}$ (EOID)
$\mathbf{9 7 0}$
(Mn/DOT
formula) \& 18 Pile Avg.
$\mathbf{8 0 6}$
(Mn/DOT
formula)
--------
TP 3 (EOID)
$\mathbf{9 2 8}$
(Mn/DOT
formula)
$\mathbf{6 3 5}$
(CAPWAP)
$\mathbf{4 7 8}$
(Case Method)
---------
TP $\mathbf{4}$ (EOID)
$\mathbf{8 6 0}$
(Mn/DOT
formula) \& 18 Pile Avg.
$\mathbf{8 0 0}$
(Mn/DOT
formula)
$---\cdots----$
TP $\mathbf{5}$ (EOID)
$\mathbf{8 6 8}$
(Mn/DOT
formula)
$\mathbf{4 8 2}$
(CAPWAP)
$\mathbf{4 9 8}$
(Case Method)
---------
TP $\mathbf{6}$ (EOID)
$\mathbf{8 8 2}$
(Mn/DOT
formula) \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-4. Mn/DOT Foundation Construction Details of Bridge No.27V75

| Case <br> No. | Bridge <br> No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | W | E | 1 | 2 | 3 | 4 | 5 |  |
| 4 | 27V75 | 1. | Structure Type | A6 | A6 | D1S | D1S | D1S | D1S | D1S |  |
|  |  | 2. | Design load total (kips) | $\begin{aligned} & \hline \mathbf{1 3 , 8 8 8} \\ & \text { (LRFD) } \\ & \hline \end{aligned}$ | $\begin{gathered} 9240 \\ (\text { LRFD }) \\ \hline \end{gathered}$ | $\begin{gathered} 9792 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} \hline \mathbf{1 0 , 6 4 0} \\ \text { (LRFD) } \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{1 2 , 6 0 0} \\ (\text { LRFD }) \\ \hline \end{gathered}$ | $\begin{aligned} & \hline \mathbf{1 1 , 2 0 0} \\ & \text { (LRFD) } \\ & \hline \end{aligned}$ | $\begin{gathered} \mathbf{1 0 , 6 4 0} \\ \text { (LRFD) } \\ \hline \end{gathered}$ |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 248 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 220 \\ (\text { LRFD }) \end{gathered}$ | $\begin{gathered} 272 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 266 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 280 \\ (\text { LRFD }) \end{gathered}$ | $\begin{gathered} 280 \\ (\text { LRFD }) \end{gathered}$ | $\begin{gathered} 266 \\ (\mathrm{LRFD}) \end{gathered}$ |  |
|  |  | 4. | Driving equipment | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \\ \hline \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \\ \hline \end{gathered}$ |  |
|  |  | 5. | Penetration criterion | C | C | C | C | C | C | C |  |
|  |  | 6. | Final driving Resistance (typ.) <br> Blows/ft (avg.) | - | - | - | 0.175 in/blow (TP5 EOID) 0.200 in/blow (TP6 EOID) 69 bpf (TP5 EOID) 60 bpf (TP6 EOID) | - | - | - |  |
|  |  |  | Blows/inch (detail) | - | - | - | 5.7 bpi for 12 inches (TP 5) <br> 5.0 bpi for 12 inches (TP 6) | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | - | - | - | TP 5 (EOID) $\mathbf{8 7 3}$ (Mn/DOT formula) 550 (CAPWAP) -------- TP 6 (EOID) $\mathbf{8 1 9}$ (Mn/DOT formula) 545 (CAPWAP) | - | - | - |  |

Table A-5. Mn/DOT Foundation Construction Details of Bridge No. 27V78

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{5} \& \multirow[t]{8}{*}{27V78} \& 1. \& Structure Type \& A6 \& A6 \& - \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\mathbf{8 3 6 4} \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 3 6 4} \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
246 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
246 \\
(\mathrm{LRFD})
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \text { D25-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 } \\
\text { D25-32 } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& - \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.080 in/blow
(avg 25 piles)
\(\mathbf{0 . 0 4 0} \mathbf{~ i n} / \mathrm{blow}\)
(TP1 EOID)
\(\mathbf{0 . 0 2 5} \mathbf{~ i n} / \mathrm{blow}\)
(TP2 EOID)
\(\mathbf{4 6}\) bpf
(avg 25 piles)
\(\mathbf{3 0 0}\) bpf
(TP1 EOID)
480 bpf
(TP2 EOID) \& 0.260 in/blow (avg 24 piles) 0.138 in/blow (TP3 EOID) 0.163 in/blow (TP4 EOID) 46 bpf (avg 24 piles) 87 bpf (TP3 EOID) 74 bpf (TP4 EOID) \& -

- 
- \& -
- \& -
- 
- \& -
- 
- \& -
- 
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 3.8 bpi for 12 inches (avg. 25 piles) 41 blows for 1.625 inches (25.2 bpi) (TP 1) |
| :--- |
| 10 blows for 0.25 inch (0.025 bpi) (TP 2) | \& | 3.8 bpi for 12 inches (avg. 24 piles) 72 bpi for 12 inches (TP 3) |
| :--- |
| 6.1 bpi for 12 inches (TP 4) | \& - \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 25 Pile Avg.
586
(Mn/DOT
formula)
--------
TP 1 (EOID)
740
(Mn/DOT
formula)
TP 1
(Restrike)
399
(CAPWAP)
----------
TP 2 (EOID)
740
(Mn/DOT \& 24 Pile Avg.
700
(Mn/DOT
formula)
--------
TP 3 (EOID)
1023
(Mn/DOT
formula)
$\mathbf{4 8 1}$
(CAPWAP)
--------
TP 4 (EOID)
952
(Mn/DOT
formula)
523 \& - \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

|  |  |  |  | $\begin{gathered} \hline \text { formula) } \\ \mathbf{4 1 1} \\ \text { (CAPWAP) } \end{gathered}$ | (CAPWAP) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |

Table A-6. Mn/DOT Foundation Construction Details of Bridge No. 27V79

| Case No. | Bridge No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | W | E | 1 | 2 | 3 | 4 | 5 |  |
| 6 | 27V79 | 1. | Structure Type | A6 | A6 | D1S | D1S | D1S | D1S | D1S |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{9 4 6 0} \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} \mathbf{6 2 8 8} \\ (\mathrm{LRFD}) \\ \hline \end{gathered}$ | $\begin{gathered} 9216 \\ (\text { LRFD }) \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{9 3 6 0} \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{aligned} & \mathbf{1 1 , 7 0 0} \\ & \text { (LRFD) } \end{aligned}$ | $\begin{aligned} & \hline \mathbf{1 1 , 0 9 6} \\ & \text { (LRFD) } \\ & \hline \end{aligned}$ | $\begin{aligned} & \mathbf{1 0 , 2 9 6} \\ & (\mathrm{LRFD}) \end{aligned}$ |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 220 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 262 \\ (\text { LRFD }) \end{gathered}$ | $\begin{gathered} 256 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 260 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 260 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 292 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 286 \\ \text { (LRFD) } \end{gathered}$ |  |
|  |  | 4. | Driving equipment | $\begin{gathered} \text { APE } \\ \text { D30-42 } \\ \hline \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \\ \hline \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ | $\begin{gathered} \text { APE } \\ \text { D30-42 } \end{gathered}$ |  |
|  |  | 5. | Penetration criterion | C | C | C | C | C | C | C |  |
|  |  | 6. | Final driving Resistance (typ.) <br> Blows/ft (avg.) | - | - | - | 0.110 in/blow (avg 34 piles) 0.200 in/blow (TP5 EOID) 0.200 in/blow (TP6 EOID) 109 bpf (avg 34 piles) 60 bpf (TP5 EOID) 60 bpf (TP6 EOID) | - | - | - |  |
|  |  |  | Blows/inch (detail) | - | - | - | $\begin{aligned} & \text { 4.9.1 bpi for } 12 \\ & \text { inches } \\ & \text { (avg. } 34 \text { piles) } \\ & 5.0 \text { bpi for } 12 \\ & \text { inches } \\ & \text { (TP 5) } \\ & 5.0 \text { bpi for } 12 \\ & \text { inches } \\ & \text { (TP 6) } \\ & \hline \end{aligned}$ | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | - | - | - | 34 Pile Avg. 1071 (Mn/DOT formula) --------- TP 5 (EOID) $\mathbf{8 6 4}$ (Mn/DOT formula) $--\cdots-----$ TP 6 (EOID) $\mathbf{8 1 8}$ (Mn/DOT formula) | - | - | - |  |

Table A-7. Mn/DOT Foundation Construction Details of Bridge No. 27V84

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{7}{*}{7} \& \multirow[t]{7}{*}{27V84} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline \mathbf{1 1 , 7 7 6} \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 4 4 8} \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 7056 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
184 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
192 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
196 \\
\text { (LRFD) }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& APE
DELMAG
D19-42 \& APE
DELMAG
D19-42 \& APE
DELMAG
D19-42 \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \begin{tabular}{l}
0.240 in/blow (avg 33 piles Abutment) \\
0.330 in/blow (avg 29 piles Wing Wall) \\
0.238 in/blow (TP1 EOID) \\
0.700 in/blow (TP2 EOID) 50.0 bpf (avg 33 piles Abutment) 36.4 bpf (avg 29 piles Wing Wall) 50.4 bpf (TP1 EOID) 17.1 bpf (TP2 EOID)
\end{tabular} \& \begin{tabular}{l}
0.130 in/blow (avg 42 piles) 0.025 in/blow (TP5 EOID) 0.056 in/blow (TP6 EOID) \\
92 bpf (avg 42 piles) 480 bpf (TP5 EOID) 214 bpf (TP6 EOID)
\end{tabular} \& \begin{tabular}{l}
0.150 in/blow (avg 34 piles) 0.100 in/blow (TP3 EOID) \\
0.545 in/blow (TP4 EOID) 0.088 in/blow (TP4 Restrike) \\
80 bpf (avg 34 piles) 120 bpf (TP3 EOID) 22 bpf (TP4 EOID) 137 bpf (TP4 EOID)
\end{tabular} \& -

- \& \begin{tabular}{c}
- <br>
<br>
<br>
<br>
<br>
\hline

 \& 

- <br>
<br>
<br>
<br>
\hline

 \& 

- <br>
<br>
<br>
<br>
\hline
\end{tabular} \& <br>

\hline \& \& \& Blows/inch (detail) \& | 10 blows for 3.375 inches (3.0 bpi) |
| :--- |
| 5 blows for 1.500 inches (3.3 bpi) $\qquad$ |
| 10 blows for 2.375 inches (4.2 bpi) $\qquad$ |
| 5 blows for 3.500 inches (1.4 bpi) |
| 4.2 bpi for 12 inches (avg. 33 piles) 3.0 bpi for 12 | \& \[

$$
\begin{gathered}
7.7 \text { bpi for } 12 \\
\text { inches } \\
\text { (avg. } 42 \text { piles) } \\
40.0 \text { bpi for } 12 \\
\text { inches } \\
\text { (TP 5) } \\
\text { 17.9 bpi for } 12 \\
\text { inches } \\
\text { (TP 6) }
\end{gathered}
$$

\] \& | 6.7 bpi for 12 inches |
| :--- |
| (avg. 34 piles) |
| 10.0 bpi for 12 |
| inches |
| (TP 3) |
| 1.8 bpi for 12 |
| inches |
| (TP 4) |
| 10 blows for |
| 0.875 inches |
| (11.4 bpi for 12 inches) |
| (TP 4 - |
| Restrike) | \& - \& - \& - \& - \& <br>

\hline
\end{tabular}



Table A-8. Mn/DOT Foundation Construction Details of Bridge No. 03009

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{7}{*}{8} \& \multirow[t]{7}{*}{03009} \& 1. \& Structure Type \& ? \& ? \& D2 \& D2 \& D2 \& D2 \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
2550 \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 4750 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
5338 \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{6 1 2 0} \\
\text { (LRFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
6392 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
5712 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
170 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
190 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
157 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
180 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
188 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
168 \\
\text { (LRFD) }
\end{gathered}
\] \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { APE } \\
\text { D25-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& C \& C \& - \& \\
\hline \& \& 6. \& Final driving Resistance (typ.) \& 0.860 in/blow
(avg 5 piles -
stage 1)
\(\mathbf{0 . 6 0 0}\) in/blow
(avg 8 piles -
stage 2)
\(\mathbf{0 . 9 2}\) in/blow
(TP1 EOID)
\(\mathbf{0 . 3 8}\) in/blow
(TP1 Restrike)
\(\mathbf{0 . 9 2}\) in/blow
(TP2 EOID)
\(\mathbf{0 . 2 0}\) in/blow
(TP2 Restrike)
\(\mathbf{1 4} \mathbf{~ b p f}\)
(avg 5 piles -
stage 1 )
20 bpf
(avg 8 piles -
stage 2 )
\(\mathbf{1 3}\) bpf
(TP1 EOID)
\(\mathbf{3 2}\) bpf
(TP1 Restrike)
\(\mathbf{1 3}\) bpf
(TP2 EOID)
\(\mathbf{6 0}\) bpf
(TP2 Restrike) \& \(\mathbf{0 . 1 9 0}\) in/blow
(avg 10 piles -
stage 1)
\(\mathbf{0 . 2 2 0} \mathbf{~ i n} / \mathbf{b l o w}\)
(avg 13 piles -
stage 2)
\(\mathbf{0 . 3 0}\) in/blow
(TP11 EOID)

0.12 in/blow
(TP12 EOID)
$\mathbf{0 . 0 5}$ in/blow
(TP12 Restrike)
$\mathbf{6 3}$ bpf
(avg 10 piles -
stage 1 )
$\mathbf{5 5}$ bpf
(avg 13 piles -
stage 2 )
$\mathbf{4 0}$ bpf
(TP11 EOID)

$\mathbf{1 0 0}$ bpf
(TP12 EOID)
$\mathbf{2 4 0}$ bpf

(TP12 Restrike) \& | 0.570 in/blow |
| :--- |
| (avg 20 piles stage 2) |
| 0.92 in/blow |
| (TP3 EOID) |
| 0.05 in/blow |
| (TP3 Restrike) |
| 0.57 in/blow |
| (TP4 EOID) |
| 0.13 in/blow |
| (TP4 Restrike) |
| 21 bpf |
| (avg 20 piles stage 2) 13 bpf (TP3 EOID) 240 bpf (TP3 Restrike) 21 bpf (TP4 EOID) 92 bpf (TP4 Restrike) | \& 0.620 in/blow

(avg 12 piles -
stage 1)
$\mathbf{0 . 4 8 0}$ in/blow
(avg 20 piles -
stage 2)
$\mathbf{0 . 8 6}$ in/blow
(TP5 EOID)
$\mathbf{0 . 0 5}$ in/blow
(TP5 Restrike)
$\mathbf{0 . 6 3}$ in/blow
(TP6 EOID)
$\mathbf{0 . 1 1}$ in/blow
(TP6 Restrike)
$\mathbf{1 9}$ bpf
(avg 12 piles -
stage 1)
25 bpf
(avg 20 piles -
stage 2)
$\mathbf{1 4} \mathbf{~ b p f}$
(TP5 EOID)
$\mathbf{2 4 0}$ bpf
(TP5 Restrike)
$\mathbf{1 9}$ bpf
(TP6 EOID)
$\mathbf{1 1 0 ~ b p f ~}$
(TP6 Restrike) \& 0.690 in/blow
(avg 19 piles -
stage 1)
$\mathbf{0 . 5 3 0}$ in/blow
(avg 12 piles -
stage 2)
$\mathbf{0 . 7 1}$ in/blow
(TP7 EOID)
$\mathbf{0 . 1 0}$ in/blow
(TP7 Restrike)
$\mathbf{0 . 4 8}$ in/blow
(TP8 EOID)
$\mathbf{0 . 1 4}$ in/blow
(TP8 Restrike)
$\mathbf{1 7}$ bpf
(avg 19 piles -
stage 1)
$\mathbf{2 3}$ bpf
(avg 12 piles -
stage 2)
$\mathbf{1 7}$ bpf
(TP7 EOID)
$\mathbf{1 2 0}$ bpf
(TP7 Restrike)
$\mathbf{2 5}$ bpf
(TP8 EOID)
$\mathbf{8 6}$ bpf
(TP8 Restrike) \& 0.250 in/blow
(avg 12 piles -
stage 1)
$\mathbf{0 . 5 6 0}$ in/blow
(avg 20 piles -
stage 2)
$\mathbf{0 . 5 7}$ in/blow
(TP9 EOID)
$\mathbf{0 . 1 0}$ in/blow
(TP9 Restrike)
$\mathbf{0 . 2 1}$ in/blow
(TP10 EOID)
$\mathbf{0 . 0 5}$ in/blow
(TP10 Restrike)
$\mathbf{4 8}$ bpf
(avg 12 piles -
stage 1 )
$\mathbf{2 1}$ bpf
(avg 20 piles -
stage 2 )
$\mathbf{2 1}$ bpf
(TP9 EOID)
$\mathbf{1 2 0}$ bpf
(TP9 Restrike)
$\mathbf{5 7}$ bpf
(TP10 EOID)
$\mathbf{2 4 0}$ bpf
(TP10 Restrike)

(0 \& | - |
| :---: |
|  |
|  |
|  |
|  |
|  |
| - | \& <br>

\hline \& \& \& Blows/inch (detail) \& | 1.2 bpi for 12 inches (avg 5 piles stage 1) 1.7 bpi for 12 inches |
| :--- |
| (avg 8 piles stage 2) |
| 1.1 bpi for 12 inches (TP1 EOID) 5.0 bpi for 12 | \& | 5.3 bpi for 12 inches |
| :--- |
| (avg 10 piles stage 1) |
| 4.5 bpi for 12 inches |
| (avg 13 piles stage 2) |
| 3.3 bpi for 12 inches (TP11 EOID) | \& | 1.8 bpi for 12 inches |
| :--- |
| (avg 20 piles stage 2) |
| 1.1 bpi for 12 inches (TP3 EOID) 20.0 bpi for 12 | \& | 1.6 bpi for 12 inches |
| :--- |
| (avg 12 piles stage 1) |
| 2.1 bpi for 12 inches |
| (avg 20 piles stage 2) |
| 1.2 bpi for 12 inches (TP5 EOID) 20.0 bpi for 12 | \& | 1.4 bpi for 12 inches (avg 19 piles stage 1) |
| :--- |
| 1.9 bpi for 12 inches |
| (avg 12 piles stage 2) |
| 1.4 bpi for 12 inches (TP7 EOID) 10.0 bpi for 12 | \& | 4.0 bpi for 12 inches |
| :--- |
| (avg 12 piles stage 1) |
| 1.8 bpi for 12 inches |
| (avg 20 piles stage 2) |
| 1.8 bpi for 12 inches |
| (TP9 EOID) |
| 10.0 bpi for 12 | \& - \& <br>

\hline
\end{tabular}



Table A-9. Mn/DOT Foundation Construction Details of Bridge No. 25027

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{9} \& \multirow[t]{8}{*}{25027} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
1930 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 2060 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1635 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 6 0 0} \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
102 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
98 \\
\text { (LFD) }
\end{gathered}
\] \& \[
\begin{gathered}
150 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
146 \\
\text { (LFD) }
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-42 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D25-42 }
\end{gathered}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-42 }
\end{aligned}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.27 in/blow (avg 17 piles) 0.167 in/blow (TP1 EOID) 0.200 in/blow (TP2 EOID) 44 bpf (avg 17 piles) 72 bpf (TP1 EOID) 60 bpf (TP2 EOID) \& \(\mathbf{0 . 2 0}\) in/blow
(avg 19 piles)
\(\mathbf{0 . 1 1 2 5}\) in/blow
(TP7 EOID)
\(\mathbf{0 . 1 2 6 ~ i n / b l o w ~}\)
(TP8 EOID)
\(\mathbf{6 0}\) bpf
(avg 19 piles)
\(\mathbf{1 0 7}\) bpf
(TP7 EOID)
\(\mathbf{9 5}\) bpf
(TP8 EOID) \& \(\mathbf{0 . 1 4} \mathbf{~ i n / b l o w}\)
(avg 9 piles)
\(\mathbf{0 . 0 8 7 5}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 0 8 7 5}\) in/blow
(TP4 EOID)
\(\mathbf{8 6}\) bpf
(avg 9 piles)
\(\mathbf{1 3 7}\) bpf
(TP3 EOID)
\(\mathbf{1 3 7}\) bpf
(TP4 EOID) \& 0.24 in/blow
(avg 9 piles)
\(\mathbf{0 . 1 7 5}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 1 1 2 5}\) in/blow
(TP6 EOID)
\(\mathbf{5 0}\) bpf
(avg 9 piles)
\(\mathbf{6 9}\) bpf
(TP5 EOID)
\(\mathbf{1 0 7}\) bpf
(TP6 EOID) \& -

- 
- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 3.7 bpi for 12 |
| :--- |
| inches |
| (avg. 17 piles) |
| 6.0 bpi for 12 |
| inches |
| (TP 1) |
| 5.0 bpi for 12 |
| inches |
| (TP 2) | \& | $\mathbf{5 . 0}$ bpi for 12 |
| :--- |
| inches |
| (avg. 19 piles) |
| $\mathbf{8 . 9}$ bpi for 12 |
| inches |
| (TP 7) |
| 7.9 bpi for 12 |
| inches |
| (TP 8) | \& 7.1 bpi for 12

inches
(avg. 9 piles)
11.4 bpi for 12
inches
(TP 3)
11.4 bpi for 12
inches

(TP 4) \& | 4.2 bpi for 12 |
| :--- |
| inches |
| (avg. 9 piles) |
| 5.7 bpi for 12 |
| inches |
| (TP 5) |
| 8.9 bpi for 12 |
| inches |
| (TP 6) | \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 17 Pile Avg.
134
(Mn/DOT
formula)
---------
TP 1 (EOID)
173
(Mn/DOT
formula)
--------
TP 2 (EOID)
178
(Mn/DOT

formula) \& \begin{tabular}{c}
19 Pile Avg. <br>
160 <br>
(Mn/DOT <br>
formula) <br>
--------- <br>
TP 7 (EOID) <br>
270 <br>
(Mn/DOT <br>
formula) <br>
-------- <br>
TP 8 (EOID) <br>
172 <br>
(Mn/DOT <br>
formula) <br>
\hline

 \& 

9 Pile Avg. <br>
240 <br>
(Mn/DOT <br>
formula) <br>
-------- <br>
TP 3 (EOID) <br>
248 <br>
(Mn/DOT <br>
formula) <br>
--------- <br>
TP 4 (EOID) <br>
272 <br>
(Mn/DOT <br>
formula) <br>
\hline

 \& 

9 Pile Avg. <br>
240 <br>
(Mn/DOT <br>
formula) <br>
-------- <br>
TP 5 (EOID) <br>
264 <br>
(Mn/DOT <br>
formula) <br>
-------- <br>
TP 6 (EOID) <br>
280 <br>
(Mn/DOT <br>
formula) <br>
\hline
\end{tabular} \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-10. Mn/DOT Foundation Construction Details of Bridge No. 34027

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[t]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[t]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{10} \& \multirow[t]{8}{*}{34027} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\mathbf{1 8 0 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 8 0 0} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
2688 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
2688 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
90 \\
(\mathrm{ASD})
\end{gathered}
\] \& \[
\begin{gathered}
90 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 4} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{8 4} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 }
\end{gathered}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.12 in/blow
(avg 18 piles)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP1 EOID)
\(\mathbf{0 . 1 3 8}\) in/blow
(TP2 EOID)
\(\mathbf{1 0 0}\) bpf
(avg 18 piles)
\(\mathbf{1 2 0}\) bpf
(TP1 EOID)
\(\mathbf{8 7}\) bpf
(TP2 EOID) \& 0.16 in/blow
(avg 17 piles)
\(\mathbf{0 . 1 2 5}\) in/blow
(TP7 EOID)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP8 EOID)
75 bpf
(avg 17 piles)
\(\mathbf{9 6}\) bpf
(TP7 EOID)
\(\mathbf{1 2 0}\) bpf
(TP8 EOID) \& 0.11 in/blow
(avg 30 piles)
\(\mathbf{0 . 0 5 0}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 0 5 0}\) in/blow
(TP4 EOID)
\(\mathbf{1 0 9}\) bpf
(avg 30 piles)
\(\mathbf{2 4 0}\) bpf
(TP3 EOID)
\(\mathbf{2 4 0} \mathbf{~ b p f}\)
(TP4 EOID) \& \(\mathbf{0 . 1 3}\) in/blow
(avg 24 piles)
\(\mathbf{0 . 0 8 8}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 0 8 8}\) in/blow
(TP6 EOID)
\(\mathbf{9 2}\) bpf
(avg 24 piles)
\(\mathbf{1 3 6} \mathbf{~ b p f}\)
(TP5 EOID)
\(\mathbf{1 3 6} \mathbf{~ b p f}\)
(TP6 EOID) \& -

- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& 8.33 bpi for 12 inches (avg. 18 piles) 1.000 inch for 10 blows (TP 1) 1.375 inches for 10 blows (TP 2) \& 6.25 bpi for 12 inches (avg. 17 piles) 1.250 inches for 10 blows (TP 7) 1.000 inches for 10 blows (TP 8) \& 9.09 bpi for 12 inches (avg. 30 piles) 0.500 inches for 10 blows (TP 3) 0.500 inches for 10 blows (TP 4) \& 7.69 bpi for 12 inches (avg. 24 piles) 0.875 inches for 10 blows (TP 5) 0.875 inches for 10 blows (TP 6) \& - \& - \& - \& <br>
\hline \& \& 7. \& Estimated field capacity (kips) \& 18 Pile Avg.
128
(Mn/DOT
formula)
---------
TP 1 (EOID)
156
(Mn/DOT
formula)
--------
TP 2 (EOID)
136
(Mn/DOT
formula) \& 17 Pile Avg.
126
(Mn/DOT
formula)
---------
TP 7 (EOID)
136
(Mn/DOT
formula)
--------
TP $8(E O I D)$
$\mathbf{1 6 2}$
(Mn/DOT
formula) \& 30 Pile Avg.
124
(Mn/DOT
formula)
---------
TP 3 (EOID)
156
(Mn/DOT
formula)
--------
TP 4 (EOID)
172
(Mn/DOT

formula) \& | 24 Pile Avg. |
| :---: |
| 138 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 5 (EOID) |
| 186 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 6 (EOID) |
| $\mathbf{1 6 4}$ |
| (Mn/DOT |
| formula) | \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-11. Mn/DOT Foundation Construction Details of Bridge No. 34028

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\[
\begin{aligned}
\& \hline \hline \text { Case } \\
\& \text { No. }
\end{aligned}
\]} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{11} \& \multirow[t]{8}{*}{34028} \& 1. \& Structure Type \& A6 \& A6 \& - \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 3364 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 3364 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
116 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
116 \\
\text { (ASD) }
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \text { D19-42 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 } \\
\text { D19-42 }
\end{gathered}
\] \& - \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& - \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \begin{tabular}{c}
\(\mathbf{0 . 1 8}\) in/blow \\
(avg 26 piles) \\
\(\mathbf{0 . 1 0 0}\) in/blow \\
(TP1 EOID) \\
\(\mathbf{0 . 1 0 0}\) in/blow \\
(TP2 EOID) \\
\(\mathbf{0 . 1 1 2}\) in/blow \\
(TP2A EOID) \\
67 bpf \\
(avg 26 piles) \\
120 bpf \\
(TP1 EOID) \\
120 bpf \\
(TP2 EOID) \\
107 bpf \\
(TP2A EOID) \\
\hline
\end{tabular} \& 0.19 in/blow
(avg 27 piles)
0.225 in/blow
(TP3 EOID)
\(\mathbf{0 . 1 6 2 ~ i n / b l o w ~}\)
(TP4 EOID)

63 bpf
(avg 27 piles)
53 bpf
(TP3 EOID)
74 bpf
(TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 5.56 bpi for 12 inches (avg. 26 piles) 1.000 inch for 10 blows (TP 1) |
| :--- |
| 1.000 inch for 10 blows (TP 2) |
| 1.125 inches for 10 blows (TP 2A) | \& 5.26 bpi for 12 inches (avg. 27 piles) 2.250 inches for 10 blows (TP 3) 1.625 inches for 10 blows (TP 4) \& - \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 26 Pile Avg.
149
(Mn/DOT
formula)
---------
TP 1 (EOID)
188
(Mn/DOT
formula)
---------
TP 2 (EOID)
188 \& 27 Pile Avg.
142
(Mn/DOT
formula)
---------
TP 3 (EOID)
136
(Mn/DOT
formula)
---------
TP 4 (EOID)
$\mathbf{1 4 6}$ \& - \& - \& - \& - \& - \& <br>
\hline
\end{tabular}



Table A-12. Mn/DOT Foundation Construction Details of Bridge No. 34013

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[t]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[t]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{12} \& \multirow[t]{8}{*}{34013} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline \mathbf{4 4 0 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{4 2 1 2} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{array}{r}
6513 \\
\text { (ASD) } \\
\hline
\end{array}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
110 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
108 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
167 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.18 in/blow
(avg 38 piles)
\(\mathbf{0 . 0 6 2}\) in/blow
(TP1 EOID)
\(\mathbf{0 . 0 7 5}\) in/blow
(TP2 EOID)
\(\mathbf{6 7}\) bpf
(avg 38 piles)
\(\mathbf{1 9 4}\) bpf
(TP1 EOID)
\(\mathbf{1 6 0} \mathbf{~ b p f}\)
(TP2 EOID) \& 0.17 in/blow (avg 37 piles) 0.088 in/blow (TP5 EOID) 0.100 in/blow (TP6 EOID) 71 bpf (avg 37 piles) 136 bpf (TP5 EOID) 120 bpf (TP6 EOID) \& 0.075 in/blow (avg 16 piles) 0.025 in/blow (TP3 EOID) 0.025 in/blow (TP4 EOID) 160 bpf (avg 16 piles) 480 bpf (TP3 EOID) 480 bpf (TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& 5.56 bpi for 12 inches (avg. 38 piles) 0.625 inch for 10 blows (TP 1) 0.750 inches for 10 blows (TP 2) \& 5.88 bpi for 12 inches (avg. 37 piles) 0.875 inches for 10 blows (TP 5) 1.000 inches for 10 blows (TP 6) \& 13.3 bpi for 12 inches (avg. 16 piles) 0.250 inches for 10 blows (TP 3) 0.250 inches for 10 blows (TP 4) \& - \& - \& - \& - \& <br>
\hline \& \& 7. \& Estimated field capacity (kips) \& 38 Pile Avg.
167
(Mn/DOT
formula)
---------
TP 1 (EOID)
254
(Mn/DOT
formula)
--------
TP 2 (EOID)
200
(Mn/DOT
formula) \& 37 Pile Avg.
143
(Mn/DOT
formula)
---------
TP 5 (EOID)
170
(Mn/DOT
formula)
$--\cdots-----$
TP 6 (EOID)
$\mathbf{1 7 0}$
(Mn/DOT
formula) \& 16 Pile Avg.
196
(Mn/DOT
formula)
---------
TP 3 (EOID)
216
(Mn/DOT
formula)
T--------
TP 4 (EOID)
236
(Mn/DOT
formula) \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-13. Mn/DOT Foundation Construction Details of Bridge No. 35010

| Case | Bridge No. | Details |  | ${ }_{W}$ Abutments |  | Piers |  |  |  |  | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No. |  |  |  | W | E | 1 | 2 | 3 | 4 | 5 |  |
| 13 | 35010 | 1. | Structure Type | A6 | A6 | D2 | D2 | D2 | D2 | D2 | D2 |
|  |  | 2. | Design load total (kips) | $\begin{gathered} 1420 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 1420 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 2064 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 2064 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 2064 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 2064 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 2064 \\ (\mathrm{LRFD}) \end{gathered}$ | $\begin{gathered} 2064 \\ \text { (LRFD) } \end{gathered}$ |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 142 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 142 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ | $\begin{gathered} 258 \\ \text { (LRFD) } \end{gathered}$ |
|  |  | 4. | Driving equipment | $\begin{gathered} \text { DELMAG } \\ \text { D30-32 } \end{gathered}$ | $\begin{gathered} \text { DELMAG } \\ \text { D30-32 } \end{gathered}$ | $\begin{gathered} \text { DELMAG } \\ \text { D30-32 } \end{gathered}$ | $\begin{gathered} \text { DELMAG } \\ \text { D30-32 } \\ \hline \end{gathered}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D30-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D30-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D30-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D30-32 } \\ & \hline \end{aligned}$ |
|  |  | 5. | Penetration criterion | C | C | C | C | C | C | C | C |
|  |  | 6. | Final driving Resistance (typ.) <br> Blows/ft (avg.) | $\mathbf{0 . 1 1}$ in/blow (avg 8 piles) $\mathbf{0 . 1 3 3 3}$ in/blow (TP1 EOID) $\mathbf{0 . 1 4 6 4}$ in/blow (TP2 EOID) $\mathbf{1 0 9}$ bpf (avg 8 piles) 90 bpf (TP1 EOID) $\mathbf{8 2}$ bpf (TP2 EOID) | 0.12 in/blow (avg 8 piles) 0.083 in/blow (TP15 EOID) 0.200 in/blow (TP16 EOID) 100 bpf (avg 8 piles) 144 bpf (TP15 EOID) 60 bpf (TP16 EOID) | - | - | $\mathbf{0 . 1 0}$ in/blow (avg 6 piles) $\mathbf{0 . 0 5 5 6}$ in/blow (TP1 EOID) $\mathbf{0 . 0 4 2 3} \mathbf{~ i n / b l o w ~}$ (TP2 EOID) $\mathbf{1 2 0}$ bpf (avg 6 piles) 216 bpf (TP7 EOID) 284 bpf (TP8 EOID) | $\mathbf{0 . 0 6}$ in/blow (avg 6 piles) $\mathbf{0 . 0 3 0 0}$ in/blow (TP1 EOID) $\mathbf{0 . 0 9 3 8}$ in/blow (TP2 EOID) 200 bpf (avg 6 piles) 400 bpf (TP9 EOID) $\mathbf{1 2 8}$ bpf (TP10 EOID) | $\mathbf{0 . 1 0}$ in/blow (avg 6 piles) $\mathbf{0 . 0 5 2 2}$ in/blow (TP11 EOID) $\mathbf{0 . 0 6 1 5}$ in/blow (TP12 EOID) $\mathbf{1 2 0}$ bpf (avg 6 piles) $\mathbf{2 3 0}$ bpf (TP11 EOID) $\mathbf{1 9 5}$ bpf (TP12 EOID) | $\mathbf{0 . 0 6}$ in/blow (avg 6 piles) $\mathbf{0 . 0 5 4 5}$ in/blow (TP13 EOID) $\mathbf{0 . 0 5 0 0}$ in/blow (TP14 EOID) 200 bpf (avg 6 piles) 220 bpf (TP13 EOID) 240 bpf (TP14 EOID) |
|  |  |  | Blows/inch (detail) | 9.1 bpi for 12 inches (avg. 8 piles) 7.5 bpi for 12 inches (TP 1) 6.8 bpi for 12 inches (TP 2) | $\mathbf{8 . 3}$ bpi for 12 <br> inches <br> (avg. 8 piles) <br> $\mathbf{1 . 2}$ bpi for 12 <br> inches <br> (TP 15) <br> 5.0 bpi for 12 <br> inches <br> (TP 16) <br> 8 Pis | - | - | 10.0 bpi for 12 <br> inches <br> (avg. 6 piles) <br> $\mathbf{1 8 . 0}$ bpi for 12 <br> inches <br> (TP 7) <br> 23.7 bpi for 12 <br> inches <br> (TP 8) | 16.7 bpi for 12 <br> inches <br> (avg. 6 piles) <br> $\mathbf{3 3 . 3}$ bpi for 12 <br> inches <br> (TP 9) <br> 10.7 bpi for 12 <br> inches <br> (TP 10) <br> 6 P | $\mathbf{1 0 . 0}$ bpi for 12 <br> inches <br> (avg.6 piles) <br> $\mathbf{1 0 . 0}$ bpi for 12 <br> inches <br> (TP 11 ) <br> $\mathbf{1 6 . 2}$ bpi for 12 <br> inches <br> (TP 12) <br> P P | 16.7 bpi for 12 <br> inches <br> (avg. 6 piles) <br> 18.3 bpi for 12 <br> inches <br> (TP 13) <br> 20.0 bpi for 12 <br> inches <br> (TP 14) <br> P |
|  |  | 7. | Estimated field capacity (kips) | $\begin{aligned} & \hline 8 \text { Pile Avg. } \\ & 1212 \\ & \text { (Mn/DOT } \\ & \text { formula) } \end{aligned}$ | $\begin{aligned} & 8 \text { Pile Avg. } \\ & 1218 \\ & (\mathrm{Mn} / \mathrm{DOT} \\ & \text { formula) } \end{aligned}$ | - | - | $\begin{gathered} \hline 6 \text { Pile Avg. } \\ \mathbf{9 8 2} \\ (\mathrm{Mn} / \mathrm{DOT} \\ \text { formula) } \end{gathered}$ | $\begin{gathered} 6 \text { Pile Avg. } \\ 1084 \\ \text { (Mn/DOT } \\ \text { formula) } \end{gathered}$ | 6 Pile Avg. 978 (Mn/DOT formula) ---------- | 6 Pile Avg. 1166 (Mn/DOT formula) ----------- |
|  |  |  |  | $\begin{gathered} \text { TP } 1 \text { (EOID) } \\ 896 \\ \text { (Mn/DOT } \\ \text { formula) } \\ -----------~ \end{gathered}$ | $\begin{gathered} \text { TP } 15 \text { (EOID) } \\ 1090 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \text {----------- } \end{gathered}$ |  |  | $\begin{gathered} \text { TP } 7 \text { (EOID) } \\ 1060 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \text {----------- } \end{gathered}$ | $\begin{gathered} \text { TP } 9 \text { (EOID) } \\ 1206 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \text {----------- } \end{gathered}$ | $\begin{gathered} \text { TP } 11 \text { (EOID) } \\ 1100 \\ \text { (Mn/DOT } \\ \text { formula) } \\ -----------~ \end{gathered}$ | $\begin{gathered} \text { TP } 13 \text { (EOID) } \\ 1140 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \text {----------- } \end{gathered}$ |
|  |  |  |  | $\begin{gathered} \text { TP } 2 \text { (EOID) } \\ 822 \\ (\mathrm{Mn} / \mathrm{DOT} \\ \text { formula) } \\ \hline \hline \end{gathered}$ | $\begin{gathered} \text { TP } 16 \text { (EOID) } \\ 764 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \hline \hline \end{gathered}$ |  |  | $\begin{gathered} \text { TP } 8 \text { (EOID) } \\ 1146 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \hline \hline \end{gathered}$ | $\begin{gathered} \text { TP } 10 \text { (EOID) } \\ 944 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \hline \hline \end{gathered}$ | $\begin{gathered} \text { TP } 12 \text { (EOID) } \\ 1060 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \hline \hline \end{gathered}$ | $\begin{gathered} \text { TP } 14 \text { (EOID) } \\ 1218 \\ \text { (Mn/DOT } \\ \text { formula) } \\ \hline \hline \end{gathered}$ |

Table A-14. Mn/DOT Foundation Construction Details of Bridge No. 35012

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\[
\begin{aligned}
\& \hline \hline \text { Case } \\
\& \text { No. }
\end{aligned}
\]} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{14} \& \multirow[t]{8}{*}{35012} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
1302 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1302 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1680 \\
(\mathrm{LRFD}) \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
186 \\
(\mathrm{LRFD})
\end{gathered}
\] \& \[
\begin{gathered}
186 \\
\text { (LRFD) }
\end{gathered}
\] \& \[
\begin{gathered}
240 \\
\text { (LRFD) }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D30-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D30-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D30-32 }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \(\mathbf{0 . 0 9}\) in/blow
(avg 5 piles)
0.01875
in/blow
(TP1 EOID)
\(\mathbf{0 . 1 7 6 5}\) in/blow
(TP2 EOID)
\(\mathbf{1 3 3} 3\) bpf
(agg 5 piles)
\(\mathbf{6 4 0}\) bpf
(TP1 EOID)
\(\mathbf{6 8}\) bpf
(TP2 EOID) \& 0.10 in/blow
(avg 5 piles)
\(\mathbf{0 . 0 6 0 0}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 1 1 6 5}\) in/blow
(TP6 EOID)
\(\mathbf{1 2 0}\) bpf
(avg 5 piles)
200 bpf
(TP5 EOID)
\(\mathbf{1 0 3 ~ b p f ~}\)
(TP6 EOID) \& 0.115 in/blow
(avg 5 piles)
\(\mathbf{0 . 0 9 6 0}\) in/blow
(TP3 EOID)
0.0088 in/blow
(TP4 EOID)
\(\mathbf{1 0 4}\) bpf
(avg 5 piles)
\(\mathbf{1 2 5}\) bpf
(TP3 EOID)
136 bpf
(TP4 EOID) \& -

- \& -
- \& -
- 
- \& -
- 
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 0.1875 inches for 10 blows 11.1 bpi for 12 inches (avg. 5 piles) 53 bpi for 12 inches (TP 1) |
| :--- |
| 5.7 bpi for 12 inches (TP 2) | \& | 10.0 bpi for 12 inches (avg. 5 piles) 16.7 bpi for 12 inches (TP 5) |
| :--- |
| 8.6 bpi for 12 inches (TP 6) | \& | 8.7 bpi for 12 inches (avg. 5 piles) 10.4 bpi for 12 inches (TP 3) |
| :--- |
| 11.3 bpi for 12 inches (TP 4) | \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 5 Pile Avg.
$\mathbf{1 1 4 0}$
(Mn/DOT
formula)
---------
TP 1 (EOID)
1540
(Mn/DOT
formula)
--------
TP 2 (EOID)
$\mathbf{7 8 6}$
(Mn/DOT
formula) \& 5 Pile Avg.
1368
(Mn/DOT
formula)
---------
TP 5 (EOID)
$\mathbf{1 3 1 0}$
(Mn/DOT
formula)
T--------
TP 6 (EOID)
1040
(Mn/DOT
formula) \& 5 Pile Avg.
$\mathbf{8 6 8}$
(Mn/DOT
formula)
---------
TP 3 (EOID)
$\mathbf{8 1 4}$
(Mn/DOT
formula)
--------
TP $\mathbf{4}$ (EOID)
$\mathbf{1 1 8 0}$
(Mn/DOT
formula) \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-15. Mn/DOT Foundation Construction Details of Bridge No. 43016

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\[
\begin{aligned}
\& \hline \hline \text { Case } \\
\& \text { No. } \\
\& \hline
\end{aligned}
\]} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{15} \& \multirow[t]{8}{*}{43016} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
3752 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
3752 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{3 1 8 0} \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{3 1 8 0} \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
134 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
134 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
106 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
106 \\
(\mathrm{LFD})
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-32 }
\end{aligned}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.225 in/blow
(avg 26 piles)
\(\mathbf{0 . 0 8 8} \mathbf{~ i n} /\) blow
(TP1 EOID)
\(\mathbf{0 . 2 5 0} \mathbf{~ i n / b l o w ~}\)
(TP2 EOID)
53 bpf
(avg 26 piles)
\(\mathbf{1 3 6}\) bpf
(TP1 EOID)
48 bpf
(TP2 EOID) \& 0.34 in/blow (avg 26 piles) 0.175 in/blow (TP7 EOID) 0.225 in/blow (TP8 EOID) 35 bpf (avg 26 piles) 69 bpf (TP7 EOID) 53 bpf (TP8 EOID) \& 0.34 in/blow (avg 28 piles) 0.262 in/blow (TP3 EOID) 0.275 in/blow (TP4 EOID) 35 bpf (avg 28 piles) 46 bpf (TP3 EOID) 44 bpf (TP4 EOID) \& \(\mathbf{0 . 3 2}\) in/blow
(avg 28 piles)
\(\mathbf{0 . 2 3 8}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 2 5 0}\) in/blow
(TP6 EOID)
37 bpf
(avg 28 piles)
\(\mathbf{5 0}\) bpf
(TP5 EOID)
\(\mathbf{4 8} \mathbf{~ b p f}\)
(TP6 EOID) \& -

- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& 4.4 bpi for 12 inches (avg. 26 piles) 0.875 inches for 10 blows (TP 1) 2.500 inches for 10 blows (TP 2) \& 2.9 bpi for 12 inches (avg. 26 piles) 1.750 inches for 10 blows (TP 7) 2.250 inches for 10 blows (TP 8) \& 2.9 bpi for 12 inches (avg. 28 piles) 2.625 inches for 10 blows (TP 3) 2.750 inches for 10 blows (TP 4) \& 3.1 bpi for 12 inches (avg. 28 piles) 2.375 inches for 10 blows (TP 5) 2.500 inches for 10 blows (TP 6) \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& | 26 Pile Avg. |
| :---: |
| 215 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 1 (EOID) |
| 274 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 2 (EOID) |
| 198 |
| (Mn/DOT |
| formula) | \& | 26 Pile Avg. |
| :---: |
| 158 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 7 (EOID) |
| 206 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 8 (EOID) |
| 192 |
| (Mn/DOT |
| formula) | \& | 28 Pile Avg. |
| :---: |
| 182 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 3 (EOID) |
| 194 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 4 (EOID) |
| 186 |
| (Mn/DOT |
| formula) | \& | 28 Pile Avg. |
| :---: |
| 167 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 5 (EOID) |
| 194 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 6 (EOID) |
| 176 |
| (Mn/DOT |
| formula) | \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-16. Mn/DOT Foundation Construction Details of Bridge No. 49037

| Case <br> No. | Bridge <br> No. | Details |  | S Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | 1 | 2 | 3 | 4 | 5 |  |
| 16 | 49037 | 1. | Structure Type |  |  | A6 | A6 | D2 | D2 | - | - | - |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{8 3 2} \\ (\mathrm{LFD}) \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{8 3 2} \\ (\mathrm{LFD}) \\ \hline \end{gathered}$ | $\begin{gathered} 1686 \\ \text { (LFD) } \\ \hline \end{gathered}$ | $\begin{gathered} 1686 \\ \text { (LFD) } \end{gathered}$ | - | - | - |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 104 \\ (\text { LFD }) \end{gathered}$ | $\begin{gathered} 104 \\ (\text { LFD }) \end{gathered}$ | $\begin{gathered} 105 \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} 105 \\ \text { (LFD) } \end{gathered}$ | - | - | - |  |
|  |  | 4. | Driving equipment | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \end{aligned}$ | - | - | - |  |
|  |  | 5. | Penetration criterion | C | C | C | C | - | - | - |  |
|  |  | 6. | Final driving Resistance (typ.) Blows/ft (avg.) | - |  | - |  | - | - | - |  |
|  |  |  | Blows/inch (detail) | - | - | - | - | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | TP 1 (EOID) 288 (Mn/DOT formula) --------- TP 2 (EOID) 288 (Mn/DOT formula) | TP 7 (EOID) 252 (Mn/DOT formula) --------- TP 8 (EOID) 312 (Mn/DOT formula) | TP 3 (EOID) 271 (Mn/DOT formula) --------- TP 4 (EOID) 258 (Mn/DOT formula) | TP 5 (EOID) 304 (Mn/DOT formula) --------- TP 6 (EOID) 346 (Mn/DOT formula) | - | - | - |  |

Table A-17. Mn/DOT Foundation Construction Details of Bridge No. 49038

| Case <br> No. | Bridge No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | S | N | 1 | 2 | 3 | 4 | 5 |  |
| 17 | 49038 | 1. | Structure Type | A6 | A6 | D2 | D2 | - | - | - |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{8 3 2} \\ (\mathrm{LFD}) \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{8 3 2} \\ (\mathrm{LFD}) \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{1 6 8 6} \\ \text { (LFD) } \end{gathered}$ | $\begin{gathered} 1686 \\ (\text { LFD }) \end{gathered}$ | - | - | - |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 104 \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} 104 \\ \text { (LFD) } \end{gathered}$ | $\begin{gathered} 105 \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} 105 \\ \text { (LFD) } \end{gathered}$ | - | - | - |  |
|  |  | 4. | Driving equipment | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{gathered} \text { DELMAG } \\ \text { D25-32 } \end{gathered}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \end{aligned}$ | - | - | - |  |
|  |  | 5. | Penetration criterion | C | C | C | C | - | - | - |  |
|  |  | 6. | Final driving Resistance (typ.) Blows/ft (avg.) |  |  |  |  | - | - | - |  |
|  |  |  | Blows/inch (detail) | - | - | - | - | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | $\begin{gathered} \hline \text { TP } 1 \text { (EOID) } \\ 171 \\ \text { (Mn/DOT } \\ \text { formula) } \end{gathered}$ | TP 7 (EOID) <br> 246 <br> (Mn/DOT <br> formula) <br> --------- <br> TP 8 (EOID) <br> 276 <br> (Mn/DOT <br> formula) | TP 3 (EOID) 286 (Mn/DOT formula) --------- TP 4 (EOID) 258 (Mn/DOT formula) | TP 5 (EOID) 290 (Mn/DOT formula) --------- TP 6 (EOID) 274 (Mn/DOT formula) | - | - | - |  |

Table A-18. Mn/DOT Foundation Construction Details of Bridge No. 49039

| Case <br> No. | Bridge No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | S | N | 1 | 2 | 3 | 4 | 5 |  |
| 18 | 49039 | 1. | Structure Type | A6 | A6 | D2 | D2 | - | - | - |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{8 5 3} \\ \text { (LFD) } \end{gathered}$ | $\begin{gathered} \mathbf{8 5 3} \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} \mathbf{2 8 8 6} \\ \text { (LFD) } \end{gathered}$ | $\begin{gathered} \mathbf{2 8 8 6} \\ \text { (LFD) } \end{gathered}$ | - | - | - |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 107 \\ (\mathrm{LFD}) \\ \hline \end{gathered}$ | $\begin{gathered} 107 \\ \text { (LFD) } \\ \hline \end{gathered}$ | $\begin{gathered} 131 \\ (\text { LFD }) \end{gathered}$ | $\begin{gathered} 131 \\ (\text { LFD }) \end{gathered}$ | - | - | - |  |
|  |  | 4. | Driving equipment | $\begin{gathered} \text { DELMAG } \\ \text { D25-32 } \\ \hline \end{gathered}$ | $\begin{aligned} & \hline \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{gathered} \text { DELMAG } \\ \text { D25-32 } \\ \hline \end{gathered}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | - | - | - |  |
|  |  | 5. | Penetration criterion | C | C | C | C | - | - | - |  |
|  |  | 6. | Final driving Resistance (typ.) Blows/ft (avg.) |  | 0.2875 in/blow |  | C - | - | - | - |  |
|  |  |  |  | - | - | ${ }^{-}$ | 2.750 inches for 10 blows | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | TP 1 (EOID) 236 (Mn/DOT formula) --------- TP 2 (EOID) 225 (Mn/DOT formula) | TP 7 (EOID) 215 (Mn/DOT formula) -------- TP 8 (EOID) 212 (Mn/DOT formula) | TP 3 (EOID) 258 (Mn/DOT formula) --------- TP 4 (EOID) 244 (Mn/DOT formula) | TP 5 (EOID) 231 $(\mathrm{Mn} / \mathrm{DOT}$ formula) --------- TP 6 (EOID) 244 (Mn/DOT formula) | - | - | - |  |

Table A-19. Mn/DOT Foundation Construction Details of Bridge No. 49040

| Case <br> No. | Bridge No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | S | N | 1 | 2 | 3 | 4 | 5 |  |
| 1 | 49040 | 1. | Structure Type | A6 | A6 | D2 | D2 | - | - | - |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{8 5 3} \\ \text { (LFD) } \\ \hline \end{gathered}$ | $\begin{gathered} \mathbf{8 5 3} \\ \text { (LFD) } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \mathbf{2 8 8 6} \\ \text { (LFD) } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \mathbf{2 8 8 6} \\ \text { (LFD) } \\ \hline \end{gathered}$ | - | - | - |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 107 \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} 107 \\ \text { (LFD) } \end{gathered}$ | $\begin{gathered} 131 \\ (\mathrm{LFD}) \end{gathered}$ | $\begin{gathered} 131 \\ (\mathrm{LFD}) \end{gathered}$ | - | - | - |  |
|  |  | 4. | Driving equipment | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \hline \end{aligned}$ | - | - | - |  |
|  |  | 5. | Penetration criterion | C | C | C | C | - | - | - |  |
|  |  | 6. | Final driving Resistance (typ.) | - | - | 0.100 in/blow (TP 4 EOID) | 0.275 in/blow <br> (TP 5 EOID) <br> 0.250 in/blow <br> (TP 6 EOID) | - | - | - |  |
|  |  |  | Blows/ft (avg.) | - | - | $\begin{gathered} 48 \text { bpf } \\ \text { (TP } 3 \text { EIOD) } \end{gathered}$ | - | - | - | - |  |
|  |  |  | Blows/inch (detail) | ${ }^{-}$ | ${ }^{-}$ | 1.000 inches for 10 blows (TP 4 EOID) | ${ }^{-}$ | - | - | - |  |
|  |  | 7. | Estimated field capacity (kips) | TP 1 (EOID) 212 (Mn/DOT formula) --------- TP 2 (EOID) 184 (Mn/DOT formula) | TP 7 (EOID) 192 (Mn/DOT formula) --------- TP 8 (EOID) $\mathbf{1 8 8}$ (Mn/DOT formula) | TP 3 (EOID) 244 (Mn/DOT formula) ---------- TP 4 (EOID) 212 (Mn/DOT formula) | TP 5 (EOID) 132 $(\mathrm{Mn} / \mathrm{DOT}$ formula) --------- TP 6 (EOID) 244 (Mn/DOT formula) | - | - | - |  |

Table A-20. Mn/DOT Foundation Construction Details of Bridge No. 55068

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{20} \& \multirow[t]{8}{*}{55068} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\mathbf{5 9 3 1} \\
(\mathrm{ASD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{5 9 3 1} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{5 2 5 6} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
135 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
135 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
131 \\
(\mathrm{ASD})
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D30-32 } \\
\& \text { D19-42 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{gathered}
\hline \text { DELMAG } \\
\text { D30-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \text { DELMAG } \\
\text { D30-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \(\mathbf{0 . 3 5}\) in/blow
(avg 42 piles)
\(\mathbf{0 . 2 5 0}\) in/blow
(TP1 EOID)
\(\mathbf{0 . 0 8 0}\) in/blow
(TP2 EOID)
\(\mathbf{3 4}\) bpf
(avg 42 piles)
\(\mathbf{4 8}\) bpf
(TP1 EOID)
150 bpf
(TP2 EOID) \& \(\mathbf{0 . 1 6}\) in/blow
(avg 42 piles)
\(\mathbf{0 . 1 5 0}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 0 8 0}\) in/blow
(TP6 EOID)
75 bpf
(avg 42 piles)
\(\mathbf{8 0}\) bpf
(TP5 EOID)
\(\mathbf{1 5 0} \mathbf{~ b p f}\)
(TP6 EOID) \& 0.17 in/blow
(avg 38 piles)
\(\mathbf{0 . 0 8 3}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 0 6 3}\) in/blow
(TP4 EOID)
71 bpf
(avg 38 piles)
145 bpf
(TP3 EOID)
190 bpf
(TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& 2.9 bpi for 12
inches
(avg. 42 piles)
4.0 bpi for 12
inches
(TP 1)
$\mathbf{1 2 . 5}$ bpi for 12
inches

(TP 2) \& | 6.2 bpi for 12 |
| :--- |
| inches |
| (avg. 42 piles) |
| 6.7 bpi for 12 |
| inches |
| (TP 5) |
| 12.5 bpi for 12 |
| inches |
| (TP 6) | \& 5.9 bpi for 12

inches
(avg. 38 piles)
12.0 bpi for 12
inches
(TP 3)
15.9 bpi for 12
inches
(TP 4) \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& | 42 Pile Avg. |
| :---: |
| 280 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 1 (EOID) |
| 332 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 2 (EOID) |
| 534 |
| (Mn/DOT |
| formula) | \& 42 Pile Avg.

412
(Mn/DOT
formula)
---------
TP 5 (EOID)
428
(Mn/DOT
formula)
--------
TP 6 (EOID)
506
(Mn/DOT
formula) \& 38 Pile Avg.
172
(Mn/DOT
formula)
---------
TP 3 (EOID)
271
(Mn/DOT
formula)
--------
TP 4 (EOID)
292
(Mn/DOT
formula) \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-21. Mn/DOT Foundation Construction Details of Bridge No. 55073

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{21} \& \multirow[t]{8}{*}{55073} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\mathbf{1 1 0 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1010 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
1859 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1809 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
\mathbf{1 0 0} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 0 1} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
133 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
129 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 } \\
\hline
\end{gathered}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.30 in/blow (avg 9 piles) 0.15 in/blow (TP1 EOID) 0.18 in/blow (TP2 EOID) 40 bpf (avg 9 piles) 80 bpf (TP1 EOID) 67 bpf (TP2 EOID) \& 0.31 in/blow (avg 8 piles) 0.18 in/blow (TP7 EOID) 0.20 in/blow (TP8 EOID) 39 bpf (avg 8 piles) 67 bpf (TP7 EOID) 60 bpf (TP8 EOID) \& 0.19 in/blow (avg 12 piles) 0.11 in/blow (TP3 EOID) 0.11 in/blow (TP4 EOID) 63 bpf (avg 12 piles) 109 bpf (TP3 EOID) 109 bpf (TP4 EOID) \& 0.18 in/blow (avg 12 piles) 0.10 in/blow (TP5 EOID) 0.10 in/blow (TP6 EOID) 67 bpf (avg 12 piles) 120 bpf (TP5 EOID) 120 bpf (TP6 EOID) \& -

- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& 3.3 bpi for 12 inches (avg. 9 piles) 6.7 bpi for 12 inches (TP 1) 5.6 bpi for 12 inches (TP 2) \& 3.2 bpi for 12 inches (avg. 8 piles) 5.6 bpi for 12 inches (TP 7) 5.0 bpi for 12 inches (TP 8) \& | 5.3 bpi for 12 inches (avg. 12 piles) 9.1 bpi for 12 inches (TP 3) |
| :--- |
| 9.1 bpi for 12 inches (TP 4) | \& 5.6 bpi for 12

inches
(avg. 12 piles)
$\mathbf{1 0 . 0}$ bpi for 12
inches
(TP 5)
$\mathbf{1 0 . 0}$ bpi for 12
inches
(TP 6) \& - \& - \& - \& <br>
\hline \& \& 7. \& Estimated field capacity (kips) \& 9 Pile Avg.
122
(Mn/DOT
formula)
---------
TP 1 (EOID)
178
(Mn/DOT
formula)
--------
TP 2 (EOID)
166
(Mn/DOT
formula) \& 8 Pile Avg.
156
(Mn/DOT
formula)
---------
TP 7 (EOID)
166
(Mn/DOT
formula)
--------
TP $\mathbf{8}$ (EOID)
167
(Mn/DOT
formula) \& 12 Pile Avg.
158
(Mn/DOT
formula)
---------
TP 3 (EOID)
213
(Mn/DOT
formula)
--------
TP 4 (EOID)
213
(Mn/DOT

formula) \& | 12 Pile Avg. |
| :---: |
| 124 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 5 (EOID) |
| 208 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 6 (EOID) |
| 208 |
| (Mn/DOT |
| formula) | \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-22. Mn/DOT Foundation Construction Details of Bridge No. 55075

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{22} \& \multirow[t]{8}{*}{55075} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 714 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 714 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{1 3 7 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \mathbf{1 3 7 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
102 \\
(\mathrm{ASD})
\end{gathered}
\] \& \[
\begin{gathered}
102 \\
(\mathrm{ASD})
\end{gathered}
\] \& \[
\begin{gathered}
137 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
137 \\
\text { (ASD) }
\end{gathered}
\] \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{gathered}
\hline \text { DELMAG } \\
\text { D19-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \text { DELMAG } \\
\text { D19-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline \text { DELMAG } \\
\text { D19-32 } \\
\text { D19-42 } \\
\hline
\end{gathered}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \text { D19-42 } \\
\& \hline
\end{aligned}
\] \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& -

- 
- \& 0.17 in/blow
(avg 5 piles)
0.17 in/blow
(TP7 EOID)
$\mathbf{0 . 1 2 5}$ in/blow
(TP8 EOID)
71 bpf
(avg 5 piles)
71 bpf
(TP7 EOID)
96 bpf
(TP8 EOID) \& 0.20 in/blow (avg 8 piles) 0.10 in/blow (TP3 EOID) 0.07 in/blow (TP4 EOID) 60 bpf (avg 8 piles) 120 bpf (TP3 EOID) 171 bpf (TP4 EOID) \& 0.14 in/blow
(avg 8 piles)
$\mathbf{0 . 1 0}$ in/blow
(TP5 EOID)
$\mathbf{0 . 1 1}$ in/blow
(TP6 EOID)
$\mathbf{8 6} \mathbf{~ b p f}$
(avg 8 piles)
$\mathbf{1 2 0} \mathbf{~ b p f}$
(TP5 EOID)
$\mathbf{1 0 9} \mathbf{~ b p f}$
(TP6 EOID) \& -
- \& -
- \& -
- 
- \& <br>

\hline \& \& \& Blows/inch (detail) \& - \& 5.9 bpi for 12 inches (avg. 5 piles) 5.9 bpi for 12 inches (TP 7) 8.0 bpi for 12 inches (TP 8) \& | 5.0 bpi for 12 inches (avg. 8 piles) 10.0 bpi for 12 inches (TP 3) |
| :--- |
| 14.3 bpi for 12 inches (TP 4) | \& | 7.1 bpi for 12 inches (avg. 8 piles) 10.0 bpi for 12 inches (TP 5) |
| :--- |
| 9.1 bpi for 12 inches (TP 6) | \& - \& - \& - \& <br>


\hline \& \& 7. \& Estimated field capacity (kips) \& - \& | 5 Pile Avg. |
| :---: |
| 174 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 7 (EOID) |
| 220 |
| (Mn/DOT |
| formula) |
| -------- |
| TP $\mathbf{8}$ (EOID) |
| $\mathbf{1 8 2}$ |
| (Mn/DOT |
| formula) | \& | 8 Pile Avg. |
| :---: |
| $\mathbf{1 7 0}$ |
| (Mn/DOT |
| formula) |
| --------- |
| TP 3 (EOID) |
| 232 |
| (Mn/DOT |
| formula) |
| $--\cdots-----$ |
| TP 4 (EOID) |
| 258 |
| (Mn/DOT |
| formula) | \& | 8 Pile Avg. |
| :---: |
| 200 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 5 (EOID) |
| 218 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 6 (EOID) |
| 224 |
| (Mn/DOT |
| formula) | \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-23. Mn/DOT Foundation Construction Details of Bridge No. 62902

| Case <br> No. | Bridge No. | Details |  | Abutments |  | Piers |  |  |  |  | Comments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | N | S | $1 / 2$ | $3 / 4$ | $5 / 6$ | $7 / 8$ |  |  |
| 23 | 62902 | 1. | Structure Type | A6 | A6 | D1M | D1M | D1M | D1M |  |  |
|  |  | 2. | Design load total (kips) | $\begin{gathered} \mathbf{5 5 8 6} \\ \text { (ASD) } \\ \hline \end{gathered}$ | $\begin{gathered} \hline 3248 \\ \text { (ASD) } \\ \hline \end{gathered}$ | $\begin{gathered} 3475 / 5387 \\ (\mathrm{ASD}) \\ \hline \end{gathered}$ | $\begin{aligned} & 6528 / 5760 \\ & (\mathrm{ASD}) \\ & \hline \end{aligned}$ | $\begin{gathered} 5824 / 5760 \\ (\mathrm{ASD}) \end{gathered}$ | $\begin{gathered} \hline 5404 / 5978 \\ \text { (ASD) } \\ \hline \end{gathered}$ |  |  |
|  |  | 3. | Design load per pile vert./horiz. (kips) | $\begin{gathered} 114 \\ \text { (ASD) } \\ \hline \end{gathered}$ | $\begin{gathered} 112 \\ \text { (ASD) } \end{gathered}$ | $\begin{gathered} 145 / 192 \\ \text { (ASD) } \\ \hline \end{gathered}$ | $\begin{gathered} 192 / 192 \\ (\mathrm{ASD}) \\ \hline \end{gathered}$ | $\begin{gathered} 182 / 192 \\ (\text { ASD }) \\ \hline \end{gathered}$ | $\begin{gathered} 193 / 187 \\ (\mathrm{ASD}) \\ \hline \end{gathered}$ |  |  |
|  |  | 4. | Driving equipment | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ | $\begin{aligned} & \text { DELMAG } \\ & \text { D25-32 } \\ & \text { D19-32 } \end{aligned}$ |  |  |
|  |  | 5. | Penetration criterion | C | C | C | C | C | C |  |  |
|  |  | 6. | Final driving Resistance (typ.) <br> Blows/ft (avg.) | 0.26 in/blow (avg 47 piles) 0.100 in/blow (TP1 EOID) 0.100 in/blow (TP2 EOID) <br> 46 bpf (avg 47 piles) 120 bpf (TP1 EOID) 120 bpf (TP2 EOID) | 0.33 in/blow (avg 27 piles) 0.125 in/blow (TP19 EOID) 0.350 in/blow (TP20 EOID) | $\mathbf{0 . 1 0} \mathbf{~ i n / b l o w}$ (avg 23 piles) $\mathbf{0 . 1 1 3}$ in/blow (TP3 EOID) $\mathbf{0 . 0 7 5}$ in/blow (TP4 EOID) $\mathbf{0 . 1 9} \mathbf{~ i n / b l o w ~}$ (avg 27 piles) $\mathbf{0 . 0 7 5}$ in/blow (TP5 EOID) $\mathbf{0 . 1 0 0}$ in/blow (TP6 EOID) $\mathbf{1 2 0} \mathbf{~ b p f ~}$ (avg 23 piles) $\mathbf{6 3} \mathbf{~ b p f ~}$ (avg 27 piles) | 0.18 in/blow (avg 25 piles) $\mathbf{0 . 2 5 0}$ in/blow (TP7 EOID) $\mathbf{0 . 0 2 5}$ in/blow (TP8 EOID) $\mathbf{0 . 1 6}$ in/blow (avg 30 piles) $\mathbf{0 . 3 2 5}$ in/blow (TP9 EOID) $\mathbf{0 . 1 2 5}$ in/blow (TP10 EOID) $\mathbf{6 7}$ bpf (avg 25 piles) 75 bpf (avg 30 piles) | 0.26 in/blow (avg 30 piles) 0.175 in/blow (TP11 EOID) 0.100 in/blow (TP12 EOID) 0.41 in/blow (avg 28 piles) 0.100 in/blow (TP13 EOID) 0.100 in/blow (TP14 EOID) 46 bpf (avg 30 piles) 29 bpf (avg 28 piles) | 0.18 in/blow (avg 26 piles) $\mathbf{0 . 1 0 0}$ in/blow (TP15 EOID) $\mathbf{0 . 1 0 0}$ in/blow (TP16 EOID) $\mathbf{1 7}$ in/blow (avg 30 piles) $\mathbf{0 . 2 0 0}$ in/blow (TP17 EOID) $\mathbf{0 . 2 5 0} \mathbf{~ i n} /$ blow (TP18 EOID) $\mathbf{6 7}$ bpf (avg 26 piles) $\mathbf{7 1}$ bpf (avg 30 piles) |  |  |
|  |  |  | Blows/inch (detail) | 3.8 bpi for 12 inches (avg. 47 piles) 10.0 bpi for 12 inches (TP 1 EOID) 10.0 bpi for 12 inches (TP 2 EOID) | 3.0 bpi for 12 inches (avg. 27 piles) 8.0 bpi for 12 inches (TP 19 EOID) 2.9 bpi for 12 inches (TP 20 EOID) | 10.0 bpi for 12 inches (avg. 23 piles) 5.3 bpi for 12 inches (avg. 27 piles) 0.500 inches for 10 blows (TP 6 Restrike) | 5.6 bpi for 12 inches (avg. 25 piles) 0.250 inches for 10 blows (TP 7 Restrike) 0.125 inches for 10 blows (TP8 Restrike) 6.2 bpi for 12 inches (avg. 30 piles) 1.250 inches for 10 blows (TP 9 Restrike) 0.500 inches for 10 blows (TP 10 Restrike) | 3.8 bpi for 12 inches (avg. 30 piles) 1.000 inches for 10 blows <br> (TP 11 <br> Restrike) <br> 0.750 inches for 10 blows <br> (TP 12 <br> Restrike) <br> 2.4 bpi for 12 inches <br> (avg. 28 piles) 0.500 inches for 10 blows (TP 14 <br> Restrike) | 5.6 bpi for 12 inches <br> (avg. 26 piles) 2.500 inches for 10 blows <br> (TP 15 <br> Restrike) <br> 2.250 inches for 10 blows <br> (TP 16 <br> Restrike) <br> 5.9 bpi for 12 inches <br> (avg. 30 piles) 1.250 inches for 10 blows (TP 17 <br> Restrike) <br> 1.500 inches for 10 blows (TP 18 <br> Restrike) |  |  |



Table A-24. Mn/DOT Foundation Construction Details of Bridge No. 73035

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{24} \& \multirow[t]{8}{*}{73035} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& D2 \& D2 \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 784 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 784 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 987 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 987 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 987 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
131 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
131 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
197 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
197 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
197 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { DE50B } \\
\& \text { D30-02 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { DE50B } \\
\& \text { D30-02 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { DE50B } \\
\& \text { D30-02 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { DE50B } \\
\& \text { D30-02 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { DE50B } \\
\& \text { D30-02 }
\end{aligned}
\] \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& C \& C \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \begin{tabular}{l}
0.140 in/blow (avg 4 piles) \\
0.100 in/blow \\
(TP1 EOID) \\
0.100 in/blow \\
(TP2 EOID) \\
86 bpf (avg 4 piles) 120 bpf (TP1 EOID) 120 bpf (TP2 EOID)
\end{tabular} \& \(\mathbf{0 . 1 6}\) in/blow
(avg 4 piles)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP9 EOID)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP10 EOID)
75 bpf
(avg 4 piles)
\(\mathbf{1 2 0}\) bpf
(TP9 EOID)
\(\mathbf{1 2 0}\) bpf
(TP10 EOID) \& 0.08 in/blow
(avg 3 piles)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP4 EOID)
150 bpf
(avg 3 piles)
\(\mathbf{1 2 0}\) bpf
(TP3 EOID)
120 bpf
(TP4 EOID) \& \begin{tabular}{l}
0.10 in/blow (avg 3 piles) \\
0.162 in/blow \\
(TP5 EOID) \\
0.156 in/blow \\
(TP6 EOID) \\
120 bpf \\
(avg 3 piles) \\
74 bpf \\
(TP5 EOID) \\
77 bpf \\
(TP6 EOID)
\end{tabular} \& \begin{tabular}{l}
0.13 in/blow (avg 3 piles) \\
0.150 in/blow \\
(TP7 EOID) \\
0.100 in/blow \\
(TP8 EOID) \\
92 bpf \\
(avg 3 piles) 80 bpf \\
(TP7 EOID) 120 bpf (TP8 EOID)
\end{tabular} \& -

- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& | 0.750 inches for 10 blows $\qquad$ |
| :--- |
| 2.000 inches for 10 blows $\qquad$ |
| 1.000 inches for 10 blows (TP 1) |
| 1.000 inches for 10blows (TP 2) | \& 4 Pile Avg. 6.25 bpi for 12 inches \&  \& 1.000 inches for 10 blows \& | 0.750 inches for 10 blows $\qquad$ |
| :--- |
| 2.125 inches for 10 blows $\qquad$ |
| 1.500 inches for 10 blows (TP 7) | \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 4 Pile Avg.
240
(Mn/DOT
formula)
---------
TP 1 (EOID)
240
(Mn/DOT
formula)
---------
TP 2 (EOID)
226
(Mn/DOT
formula) \& 4 Pile Avg.
240
(Mn/DOT
formula)
---------
TP 9 (EOID)
234
(Mn/DOT
formula)
--------
TP 10 (EOID)
280
(Mn/DOT
formula) \& 3 Pile Avg.
320
(Mn/DOT
formula)
---------
TP 3 (EOID)
288
(Mn/DOT
formula)
--------
TP 4 (EOID)
288
(Mn/DOT
formula) \& 3 Pile Avg.
280
(Mn/DOT
formula)
---------
TP 5 (EOID)
234
(Mn/DOT
formula)
--------
TP 6 (EOID)
244
(Mn/DOT
formula) \& 3 Pile Avg.
260
(Mn/DOT
formula)
---------
TP 7 (EOID)
$\mathbf{2 4 6}$
(Mn/DOT
formula)
--------
TP $\mathbf{8}$ (EOID)
$\mathbf{2 8 2}$
(Mn/DOT
formula) \& - \& - \& <br>
\hline
\end{tabular}

Table A-25. Mn/DOT Foundation Construction Details of Bridge No. 81003

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\[
\begin{aligned}
\& \hline \text { Case } \\
\& \text { No. } \\
\& \hline
\end{aligned}
\]} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& N \& S \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{25} \& \multirow[t]{8}{*}{81003} \& 1. \& Structure Type \& A6 \& A6 \& D1M \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 5328 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 4543 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\hline 4183 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
118 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
111 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 1 6} \\
\text { (LFD) }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \hline
\end{aligned}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& \begin{tabular}{l}
0.19 in/blow (avg 43 piles) \\
0.1125 in/blow (TP1 EOID)
\[
\begin{gathered}
63 \text { bpf } \\
\text { (avg } 43 \text { piles) } \\
\mathbf{1 0 7} \text { bpf } \\
\text { (TP1 EOID) }
\end{gathered}
\]
\end{tabular} \& \begin{tabular}{l}
0.22 in/blow (avg 39 piles) 0.150 in/blow (TP5 EOID) \\
0.150 in/blow (TP6 EOID) 55 bpf (avg 39 piles) 80 bpf (TP5 EOID) 80 bpf (TP6 EOID)
\end{tabular} \& \begin{tabular}{l}
0.19 in/blow (avg 34 piles) 0.625 in/blow (TP3 EOID) \\
0.1625 in/blow (TP4 EOID) 63 bpf (avg 34 piles) 19 bpf (TP3 EOID) 74 bpf (TP4 EOID)
\end{tabular} \& -

- \& -
- 
- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& $$
\begin{gathered}
5.3 \text { bpi for } 12 \\
\text { inches } \\
\text { (avg. } 43 \text { piles) } \\
\hline
\end{gathered}
$$ \& \[

$$
\begin{gathered}
4.5 \text { bpi for } 12 \\
\text { inches } \\
\text { (avg. } 39 \text { piles) }
\end{gathered}
$$

\] \& | 5.3 bpi for 12 inches |
| :--- |
| (avg. 34 piles) | \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 43 Pile Avg.
162
(Mn/DOT
formula)
--------
TP 1 (EOID)
202
(Mn/DOT
formula) \& 39 Pile Avg.
152
(Mn/DOT
formula)
---------
TP 5 (EOID)
180
(Mn/DOT
formula)
--------
TP $6(E O I D)$
180
(Mn/DOT
formula) \& 34 Pile Avg.
162
(Mn/DOT
formula)
---------
TP 3 (EOID)
240
(Mn/DOT
formula)
--------
TP 4 (EOID)
$\mathbf{1 7 4}$
(Mn/DOT
formula) \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-26. Mn/DOT Foundation Construction Details of Bridge No. 81004

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& N \& S \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{26} \& \multirow[t]{8}{*}{81004} \& 1. \& Structure Type \& A6 \& A6 \& D1M \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 4543 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
? \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{4 1 8 3} \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
111 \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
? \\
(\mathrm{LFD})
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 1 6} \\
(\mathrm{LFD})
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 }
\end{gathered}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.21 in/blow
(avg 39 piles)
\(\mathbf{0 . 0 3 7 5}\) in/blow
(TP1 EOID)
\(\mathbf{0 . 1 1 2 5}\) in/blow
(TP2 EOID)
\(\mathbf{5 7}\) bpf
(avg 39 piles)
\(\mathbf{3 2 0}\) bpf
(TP1 EOID)
107 bpf
(TP2 EOID) \& 0.20 in/blow
(avg 39 piles)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP5 EOID)
\(\mathbf{0 . 1 1 2 5}\) in/blow
(TP6 EOID)
\(\mathbf{6 0}\) bpf
(avg 39 piles)
\(\mathbf{1 2 0}\) bpf
(TP5 EOID)
107 bpf
(TP6 EOID) \& 0.22 in/blow (avg 34 piles) 0.203 in/blow (TP3 EOID) 0.113 in/blow (TP4 EOID) 55 bpf (avg 34 piles) 59 bpf (TP3 EOID) 106 bpf (TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& 4.8 bpi for 12 inches (avg. 39 piles) \& 5.0 bpi for 12 inches (avg. 39 piles) \& $$
\begin{gathered}
4.5 \text { bpi for } 12 \\
\text { inches } \\
\text { (avg. } 34 \text { piles) } \\
\hline
\end{gathered}
$$ \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 39 Pile Avg.
152
(Mn/DOT
formula)
---------
TP 1 (EOID)
242
(Mn/DOT
formula)
---------
TP 2 (EOID)
202
(Mn/DOT
formula) \& 39 Pile Avg.
158
(Mn/DOT
formula)
---------
TP 5 (EOID)
210
(Mn/DOT
formula)
--------
TP 6 (EOID)
202
(Mn/DOT
formula) \& 34 Pile Avg.
156
(Mn/DOT
formula)
---------
TP 3 (EOID)
156
(Mn/DOT
formula)
--------
TP 4 (EOID)
178
(Mn/DOT
formula) \& - \& - \& - \& - \& <br>
\hline
\end{tabular}

Table A-27. Mn/DOT Foundation Construction Details of Bridge No. 81005

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{Bridge No.} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& S \& N \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{27} \& \multirow[t]{8}{*}{81005} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
\hline 2974 \\
(\mathrm{ASD}) \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
3006 \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{5 5 0 0} \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{gathered}
\mathbf{1 1 4} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 1 6} \\
\text { (ASD) }
\end{gathered}
\] \& \[
\begin{gathered}
115 \\
\text { (ASD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D25-32 } \\
\hline
\end{gathered}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D25-32 }
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D25-32 } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.32 in/blow (avg 24 piles) 0.25 in/blow (TP1 EOID) 0.25 in/blow (TP2 EOID) 38 bpf (avg 24 piles) 48 bpf (TP1 EOID) 48 bpf (TP2 EOID) \& 0.36 in/blow (avg 24 piles) 0.2875 in/blow (TP5 EOID) 0.35 in/blow (TP6 EOID) 33 bpf (avg 24 piles) 42 bpf (TP5 EOID) 34 bpf (TP6 EOID) \& 0.27 in/blow
(avg 46 piles)
\(\mathbf{0 . 2 7 5}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 2 6 2 5}\) in/blow
(TP4 EOID)
44 bpf
(avg 46 piles)
44 bpf
(TP3 EOID)
46 bpf
(TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& <br>

\hline \& \& \& Blows/inch (detail) \& 3.1 bpi for 12 inches (avg. 24 piles) \& 2.8 bpi for 12 inches (avg. 24 piles) \& | 3.7 bpi for 12 inches |
| :--- |
| (avg. 46 piles) | \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& 24 Pile Avg.
224
(Mn/DOT
formula)
---------
TP 1 (EOID)
242
(Mn/DOT
formula)
--------
TP 2 (EOID)
242
(Mn/DOT
formula) \& 24 Pile Avg.
198
(Mn/DOT
formula)
---------
TP 5 (EOID)
198
(Mn/DOT
formula)
--------
TP 6 (EOID)
224
(Mn/DOT

formula) \& | 46 Pile Avg. |
| :---: |
| 236 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 3 (EOID) |
| 230 |
| (Mn/DOT |
| formula) |
| -------- |
| TP 4 (EOID) |
| 234 |
| (Mn/DOT |
| formula) | \& - \& - \& - \& - \& <br>

\hline
\end{tabular}

Table A-28. Mn/DOT Foundation Construction Details of Bridge No. 85024

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Case \\
No.
\end{tabular}} \& \multirow[t]{2}{*}{\begin{tabular}{l}
Bridge \\
No.
\end{tabular}} \& \multicolumn{2}{|r|}{\multirow[b]{2}{*}{Details}} \& \multicolumn{2}{|c|}{Abutments} \& \multicolumn{5}{|c|}{Piers} \& \multirow[b]{2}{*}{Comments} \\
\hline \& \& \& \& W \& E \& 1 \& 2 \& 3 \& 4 \& 5 \& \\
\hline \multirow[t]{8}{*}{28} \& \multirow[t]{8}{*}{85024} \& 1. \& Structure Type \& A6 \& A6 \& D2 \& - \& - \& - \& - \& \\
\hline \& \& 2. \& Design load total (kips) \& \[
\begin{gathered}
1356 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
1356 \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& \[
\begin{gathered}
\mathbf{1 4 0 2} \\
\text { (LFD) } \\
\hline
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 3. \& Design load per pile vert./horiz. (kips) \& \[
\begin{aligned}
\& 135.6 \\
\& \text { (LFD) }
\end{aligned}
\] \& \[
\begin{aligned}
\& 135.6 \\
\& \text { (LFD) }
\end{aligned}
\] \& \[
\begin{aligned}
\& 155.8 \\
\& \text { (LFD) }
\end{aligned}
\] \& - \& - \& - \& - \& \\
\hline \& \& 4. \& Driving equipment \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 }
\end{aligned}
\] \& \[
\begin{aligned}
\& \text { DELMAG } \\
\& \text { D19-32 } \\
\& \hline
\end{aligned}
\] \& \[
\begin{gathered}
\text { DELMAG } \\
\text { D19-32 }
\end{gathered}
\] \& - \& - \& - \& - \& \\
\hline \& \& 5. \& Penetration criterion \& C \& C \& C \& - \& - \& - \& - \& \\
\hline \& \& 6. \& \begin{tabular}{l}
Final driving Resistance (typ.) \\
Blows/ft (avg.)
\end{tabular} \& 0.21 in/blow (avg 8 piles) 0.125 in/blow (TP1 EOID) 0.125 in/blow (TP2 EOID) 57 bpf (avg 8 piles) 96 bpf (TP1 EOID) 96 bpf (TP2 EOID) \& 0.22 in/blow (avg 8 piles) 0.125 in/blow (TP5 EOID) 0.125 in/blow (TP6 EOID) 55 bpf (avg 8 piles) 96 bpf (TP5 EOID) 96 bpf (TP6 EOID) \& 0.13 in/blow
(avg 7 piles)
\(\mathbf{0 . 0 8 7 5}\) in/blow
(TP3 EOID)
\(\mathbf{0 . 1 0 0}\) in/blow
(TP4 EOID)
92 bpf
(avg 7 piles)
\(\mathbf{1 3 7}\) bpf
(TP3 EOID)
120 bpf
(TP4 EOID) \& -

- \& -
- \& -
- \& -
- \& <br>
\hline \& \& \& Blows/inch (detail) \& 4.8 bpi for 12 inches (avg. 8 piles) \& 4.5 bpi for 12 inches (avg. 8 piles) \& 7.7 bpi for 12 inches (avg. 7 piles) \& - \& - \& - \& - \& <br>

\hline \& \& 7. \& Estimated field capacity (kips) \& | 8 Pile Avg. |
| :---: |
| 150 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 1 (EOID) |
| 192 |
| (Mn/DOT |
| formula) |
| T-------- |
| TP 2 (EOID) |
| 196 |
| (Mn/DOT |
| formula) | \& 8 Pile Avg.

144
(Mn/DOT
formula)
---------
TP 5 (EOID)
200
(Mn/DOT
formula)
--------
TP 6 (EOID)
200
(Mn/DOT

formula) \& | 7 Pile Avg. |
| :---: |
| $\mathbf{1 9 0}$ |
| (Mn/DOT |
| formula) |
| --------- |
| TP 3 (EOID) |
| 220 |
| (Mn/DOT |
| formula) |
| --------- |
| TP 4 (EOID) |
| 210 |
| (Mn/DOT |
| formula) | \& - \& - \& - \& - \& <br>

\hline
\end{tabular}

## APPENDIX B

## PILE DRIVING CONTRACTORS MN/DOT STATE OF PRACTICE SURVEY

# Minnesota Department of Transportation Research Project <br> Minnesota State University，Mankato <br> University of Massachusetts－Lowell <br> Pile Driving Contractors－Minnesota State of Practice Survey 

## PART 1 －Company／Contact Information

| Company Name | Swingen Construction Company |
| :--- | :--- |
| Contact Name | Jason Odegard |
| Phone／Fax Number | $7017755359 \quad$ 701 775 7631 |
| E－mail Address | jason．odegard＠swingenconstruction．com |
| Company Address | 1437 N 83 <br> rd <br> PO Box 13456 <br> Grand Forks，ND 58203 |

If you have any questions or require help in completing the forms，please contact Aaron Budge at MN State University，507－389－3294／Aaron．Budge＠mnsu．edu or Sam Paikowsky at the University of Massachusetts Lowell，978－934－2271／Samuel＿Paikowsky＠uml．edu．

## PART 2 －Details Regarding Pile Driving Equipment and Construction Methods

Please list the pile driving equipment your company uses on Mn／DOT（or similar）projects．List in order of the frequency of use；from the most common pile driving to the least common driving．

| Equipment No． | Hammer |  |  |  |  |  | Typical Use |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Type | Manufacturer | Model No． | Year | Stnd．Equip． |  | Pile |  |  | Hammer Setting |
|  |  |  |  |  | Yes | No＊ | Type | Section | Max． Pen． |  |
|  | SA Diesel | Vulcan | Model 1 |  | 区 | $\square$ | $\begin{aligned} & \text { Sheet } \\ & \text { Pile } \\ & \text { and } \\ & \text { Timber } \end{aligned}$ |  |  | 15，000 <br> lbs rated energy <br> 11－6 <br> stroke |
|  | SA Diesel | Delmag | $\begin{gathered} \text { D30- } \\ 32 \end{gathered}$ |  | 区 | $\square$ | CIPC <br> （Steel <br> Pipe） | 16 inch | $\begin{gathered} 40- \\ 220 \mathrm{ft} \end{gathered}$ |  |
|  | SA <br> Diesel | MVE | M30 |  | 区 | $\square$ | CIPC <br> （Steel <br> Pipe） | 16 inch | $\begin{gathered} 40- \\ 220 \mathrm{ft} \end{gathered}$ | 71，700 <br> lbs rated energy |


|  | SA <br> Diesel | MKT | DE 42- <br> 35 |  | $\square$ | $\square$ | CIPC <br> (Steel <br> Pipe) | 12 inch | $40-$ <br> 220 ft | 42,000 <br> lbs rated <br> energy |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  | $\square$ | $\square$ |  |  |  |  |

*please use attached form if not using standard equipment. Please use the form to specify your hammer cushion, helmet and striking plates if used.

Does your company use vibratory hammers on $\mathrm{Mn} / \mathrm{DOT}$ projects? If so, to what depth are vibratory hammers being used prior to the use of impact hammers? Are end bearing piles being driven with vibratory hammers only?

We use vibratory hammers for driving sheet piling and cofferdam applications. We use a small air hammer to start piles prior to impact hammers, not vibratory hammers. The air hammer is used in cases where the top 30-50 feet of material is muck and doesn't provide enough resistance to fire the SA Diesel. No bearing piles are driven with vibratory hammers.

How frequently (if at all) do you use preboring on Mn/DOT projects? If preboring IS used for such projects, please provide additional details such as to what depth preboring would typically be performed relative to final tip penetration, etc. Additional comments relative to your experience with preboring would be helpful (e.g. hole diameter relative to pile size).

We rarely use preboring. Preboring IS used for new embankment construction, where we bore through new material (which is still settling). So, the depth of preboring would be the thickness of the new fill material, up to a depth of about 25 ft .

How frequently (if at all) do you use jetting on Mn/DOT projects? If jetting IS used for such projects, please provide additional details such as to what depth jetting would be typically performed relative to final tip penetration, etc. Additional comments relative to your experience with jetting would be helpful.

No jetting is used.

## PART 3 - Details Regarding Preferred Pile Driving Practice

Assuming your company determines/proposes the piles and equipment used on a project (i.e. assuming value engineering is allowed and proposed by your company) provide details as to your preferred pile driving practice. Include preferred pile size and type, hammer type, range of loads, etc. Please list as many combinations as possible covering the range of projects your company dealt with.

Preferred practice follows the information in the table above:
For 16 inch CIPC piles (80-150 ton piles) use the Delmag D30-32 or the MVE M30.

For 12 inch CIPC piles (50-80 ton piles) use the MKT DE42-35.

| Contract No.:_ |
| :--- |
| Project:_—_ |
| County: |

Structure Name and/or No.: $\qquad$
Pile Driving contractor or Subcontractor:
Manufacturer:

## Hammer

Hammer Type:
(Piles driven by)

Pile


Figure 16.24 Pile Driving and Equipment Data Form (Hannigan et al., 2006)
Reference:
Hannigan, P.J., Goble, G.G., Likins, G.E. and Rausche. (2006). Design and Construction of Driven Pile foundations - Volume II, FHWA report no. FHWA-NHI-05-043, 2006.

# Minnesota Department of Transportation Research Project <br> Minnesota State University，Mankato <br> University of Massachusetts－Lowell <br> Pile Driving Contractors－Minnesota State of Practice Survey 

## PART 1 －Company／Contact Information

| Company Name | Edward Kraemer \＆Sons，Inc． |
| :--- | :--- |
| Contact Name | Bob Beckel |
| Phone／Fax Number | $9528902820 \quad$ 952 8902996 |
| E－mail Address | bbeckel＠edkraemer．com |
| Company Address | 1020 W．Cliff Road <br> Burnsville，MN 55337 |

If you have any questions or require help in completing the forms，please contact Aaron Budge at MN State University，507－389－3294／Aaron．Budge＠mnsu．edu or Sam Paikowsky at the University of Massachusetts Lowell，978－934－2271／Samuel＿Paikowsky＠uml．edu．

## PART 2 －Details Regarding Pile Driving Equipment and Construction Methods

Please list the pile driving equipment your company uses on Mn／DOT（or similar）projects．List in order of the frequency of use；from the most common pile driving to the least common driving．

| Equipment No． | Hammer |  |  |  |  |  | Typical Use |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Type | Manufacturer | Model No． | Year | Stnd． Equip． |  | Pile |  |  | Hammer Setting |
|  |  |  |  |  | Yes | No＊ | Type | Section | Max． Pen． |  |
| 6587，6588 | SA Diesel | Delmag | D－19 | $\begin{gathered} 1992, \\ 1993 \end{gathered}$ | 区 | $\square$ | H－ <br> pile <br> \＆ <br> Pipe | $\begin{gathered} 12^{\prime \prime} \\ 14 \times 73 \\ 12.75^{\prime \prime} \\ \text { Dia } \end{gathered}$ | $\begin{gathered} 120 \\ \mathrm{ft} \end{gathered}$ | 3－4 |
| 6589，6590 | SA Diesel | Delmag | D－30 |  | 区 | $\square$ | $\begin{gathered} \text { H- } \\ \text { pile } \\ \& \\ \text { Pipe } \end{gathered}$ | $\begin{gathered} \text { 14", } \\ 16^{\prime \prime} \mathrm{Dia} \end{gathered}$ | $\begin{gathered} 180 \\ \mathrm{ft} \end{gathered}$ | 2－4 |
| 6580 | SA <br> Diesel | Delmag | D－25 |  | 区 | $\square$ | H－ pile | All 12＂ and $14 "$ | $\begin{gathered} 150 \\ \mathrm{ft} \end{gathered}$ | 3－4 |
| 6584，6485，6486，6491 | SA Diesel | Delmag | D－12 |  | 】 | $\square$ | H－ pile | $\begin{gathered} \text { 12x53, } \\ 10^{\prime \prime}- \end{gathered}$ | 60 ft | 2－4 |


|  |  |  |  |  |  |  | $\&$ <br> Pipe | 12" Dia |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6594 | Vibro | MKT | V-17 | 1996 | $\boxed{\text { M }}$ | $\square$ | HP <br>  | All | 80 ft | N/A |

*please use attached form if not using standard equipment. Please use the form to specify your hammer cushion, helmet and striking plates if used.

Does your company use vibratory hammers on $\mathrm{Mn} / \mathrm{DOT}$ projects? If so, to what depth are vibratory hammers being used prior to the use of impact hammers? Are end bearing piles being driven with vibratory hammers only?

We only use the vibratory hammer in softer soils where we have spliced pile. The "base" pile is driven with a vibro and the added lengths are driven with impact.

How frequently (if at all) do you use preboring on Mn/DOT projects? If preboring IS used for such projects, please provide additional details such as to what depth preboring would typically be performed relative to final tip penetration, etc. Additional comments relative to your experience with preboring would be helpful (e.g. hole diameter relative to pile size).

Seldom. For areas with dragdown issues, anywhere from 15-30 ft. Usually used for utility or vibration concern areas. 16 ft auger for a 12 inch pipe or H-pile.

How frequently (if at all) do you use jetting on Mn/DOT projects? If jetting IS used for such projects, please provide additional details such as to what depth jetting would be typically performed relative to final tip penetration, etc. Additional comments relative to your experience with jetting would be helpful.

We have not used jetting on a Mn/DOT job. We have used it on Railroad work to get through soils next to an existing structure to eliminate settlement. We jetted 50 ft on a 70 ft pile.

## PART 3 - Details Regarding Preferred Pile Driving Practice

Assuming your company determines/proposes the piles and equipment used on a project (i.e. assuming value engineering is allowed and proposed by your company) provide details as to your preferred pile driving practice. Include preferred pile size and type, hammer type, range of loads, etc. Please list as many combinations as possible covering the range of projects your company dealt with.

```
D19 ---- 12.75 inch pipe, HP 12x53, HP 12x74 ---- 50 ton - 100 ton
D30 ---- 16 inch pipe, HP 14x73, HP 14x89 ---- 100 ton - 200 ton
D25 ---- HP12x74, HP14x73, HP14x89 ---- 87 ton - 150 ton
```



| Contract No.:_ |
| :--- |
| Project:_—_ |
| County: |

Structure Name and/or No.: $\qquad$
Pile Driving contractor or Subcontractor:
Manufacturer:

## Hammer

Hammer Type:



Figure 16.24 Pile Driving and Equipment Data Form (Hannigan et al., 2006)

## Reference:

Hannigan, P.J., Goble, G.G., Likins, G.E. and Rausche. (2006). Design and Construction of Driven Pile foundations - Volume II, FHWA report no. FHWA-NHI-05-043, 2006.

# Minnesota Department of Transportation Research Project <br> Minnesota State University, Mankato <br> University of Massachusetts - Lowell <br> Pile Driving Contractors - Minnesota State of Practice Survey 

## PART 1 - Company/Contact Information

| Company Name | C.S. McCrossan Construction, Inc. |
| :--- | :--- |
| Contact Name | Randy Reiner |
| Phone/Fax Number | $763-425-4167 \quad$ 763-425-0520 |
| E-mail Address | randyr@mccrossan.com |
| Company Address | P.O. Box 1240 <br> Maple Grove, MN 55311 |

If you have any questions or require help in completing the forms, please contact Aaron Budge at MN State University, 507-389-3294 / Aaron.Budge@mnsu.edu or Sam Paikowsky at the University of Massachusetts Lowell, 978-934-2271 / Samuel_Paikowsky@uml.edu.

## PART 2 - Details Regarding Pile Driving Equipment and Construction Methods

Please list the pile driving equipment your company uses on Mn/DOT (or similar) projects. List in order of the frequency of use; from the most common pile driving to the least common driving.

| Equipment <br> No. | Type | Manufacturer | Model <br> No. | Year | Stnd. Equip. | Pile |  |  |  | Yes | No* |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | Type $\left.$| Section |
| :---: | | Max. |
| :---: |
| Pen. | | Hammer |
| :---: |
| Setting | \right\rvert\,

*please use attached form if not using standard equipment. Please use the form to specify your hammer cushion, helmet and striking plates if used.

Does your company use vibratory hammers on $\mathrm{Mn} / \mathrm{DOT}$ projects? If so, to what depth are vibratory hammers being used prior to the use of impact hammers? Are end bearing piles being driven with vibratory hammers only?

We use a vibratory hammer to install steel sheetpiling, but not for bearing piles. If we were to use a vibratory hammer, we would use a Hercules Sonic Sidegrip 100T capacity backhoemounted vibratory hammer to start the base sections (up to 40' long), then add-on and drive home with a D25/32 for final bearing capacity.

How frequently (if at all) do you use preboring on Mn/DOT projects? If preboring IS used for such projects, please provide additional details such as to what depth preboring would typically be performed relative to final tip penetration, etc. Additional comments relative to your experience with preboring would be helpful (e.g. hole diameter relative to pile size).

Seldom used. Usually only used if trying to minimize vibration around existing utilities or foundations. Depth would vary to below the appurtenance that we want to avoid subjecting to vibration.

How frequently (if at all) do you use jetting on Mn/DOT projects? If jetting IS used for such projects, please provide additional details such as to what depth jetting would be typically performed relative to final tip penetration, etc. Additional comments relative to your experience with jetting would be helpful.

Never.

## PART 3 - Details Regarding Preferred Pile Driving Practice

Assuming your company determines/proposes the piles and equipment used on a project (i.e. assuming value engineering is allowed and proposed by your company) provide details as to your preferred pile driving practice. Include preferred pile size and type, hammer type, range of loads, etc. Please list as many combinations as possible covering the range of projects your company dealt with.

12 " or $16^{\prime \prime}$ diameter, 0.250 " wall steel tube piling driven to bearing capacity and filled with concrete. Ideally, we would use a We would use a D25-32 impact hammer for all driving.

HP12x53 pile driven to bearing capacity with a D25-32 impact hammer.
$\square$

| Contract No.: |
| :--- |
| Project:_—_ |
| County: |

Structure Name and/or No.: $\qquad$
Pile Driving contractor or Subcontractor:


Helmet
$\qquad$ including inserts (kN) $\square$ (kips) $\square$

Pile
Cushion


Pile Type:

| Wall Thickness: | $(\mathrm{mm}) \square$ (in) $\square$ | Taper: |
| :--- | :--- | :--- |
| Cross Sectional Area: $\quad \ldots \quad\left(\mathrm{cm}^{2}\right) \square\left(\mathrm{in}^{2}\right) \square$ | Weight/Meter: $\quad$ |  |


| Ordered Length: | (m) $\square$ (ft) $\square$ |
| :---: | :---: |
| Design Load: | ( kN ) $\square$ (ft) $\square$ |
| Ultimate Pile Capacity: | - (kN) $\square$ (kips) $\square$ |
| Description of Splice: |  |
| Driving Shoe/Closure Plate Description: |  |
| Submitted By: | Date: |
| Telephone No.: | Fax No.: |

Figure 16.24 Pile Driving and Equipment Data Form (Hannigan et al., 2006)
Reference:
Hannigan, P.J., Goble, G.G., Likins, G.E. and Rausche. (2006). Design and Construction of Driven Pile foundations - Volume II, FHWA report no. FHWA-NHI-05-043, 2006.

## APPENDIX C

DATA REQUEST AND RESPONSE MN/DOT DATABASE

From: Paikowsky, Samuel [Samuel_Paikowsky@uml.edu]
Sent: Thursday, November 29, 2007 11:18 AM
Cc: Gary Person; Dave Dahlberg
Subject: STATE DOT ENGINEERS ASSISTANCE WITH PILE DATA

## Dear DOT Engineer;

We are carrying out a research study for the Minnesota Department of Transportation addressing the needs of the state for field pile capacity evaluation examining the Mn/DOT pile driving formula and its adaptation to LRFD.

The design and construction practices of Minnesota are based on driven Pipe and H piles, and we are missing load test information on such piles; in particular, Closed-Ended Pipe piles 12 and 16 inch in diameter, and H piles $\mathrm{H} 12 \times 53$, 10x42 and 14×73. Ideally the cases should include dynamic measurements and static load test results but every other partial information (e.g. field observations and static load test or just dynamic measurements when driven with diesel hammers) will be greatly appreciated.

If the information is available in a report, we will be glad to make copies and send you back the originals.

Please send the information to me at:

Samuel G. Paikowsky<br>Geotechnical Engineering Research Laboratory<br>University of Massachusetts Lowell<br>1 University Ave.<br>Lowell, MA 01854

We realize how busy you are and, therefore, sincerely appreciate your efforts in sharing your personal and departmental experience with others. Your response determines our ability to incorporate your practices in the Mn/DOT pile driving formula and, hence, the quality of our work.

Sincerely Yours,
Samuel G. Paikowsky

Samuel G. Paikowsky, ScD, Professor
Geotechnical Engineering Research Lab
Dept. of Civil \& Environmental Engineering
University of Massachusetts
1 University Ave., Lowell MA. 01854
Tel. (978) 934-2277 Fax. (978) 934-3046
Email: Samuel_Paikowsky@uml.edu
web: http://civil.caeds.eng.uml.edu/Faculty/Paikowsky/Paikowsky.html
Geotechnical Engineering Research Lab:
http://geores.caeds.eng.uml.edu


Summary of States Response Mn/DOT Database

| State | Contact | Contact Info |  | Reports |
| :---: | :---: | :---: | :---: | :---: |
| Illinois | William Kramer | State Foundations and Soils Engineer Bureau of Bridges and Structures Illinois Department of Transportation Phone: (217) 782-7773 Fax: (217) 782-7960 e-mail: WILLIAM.KRAMER@ILLINOIS.GOV | Website: 1 | Friction Bearing Design of Steel H-Piles Final Project Report for IDOT ITRC 1-5-38911 J.H. Long and M. Maniaci, CE Dept., University of Illinois at Urbana-Champaign, Dec, 2000 |
|  |  |  |  | Final Report on Drilled Shaft Load Testing (Osterberg Method) <br> Rt 6265 over Illinois River, LaSalle, County, IL <br> LoadTest, Inc., Project No. LT-8276, Sept. 1996 |
|  |  |  |  | Results of Pile Load Tests Conducted for IDOT, Peoria, IL J.H. Long, compiled October 2001 |
|  |  |  |  | ```Foundation Selection and Construction Performance - Clark Bridge Replacement Alton, Illinois D.E. Daniels, V.A. Modeer, and M.C. Lamie``` |
| Iowa | Kenneth Dunker | Office of Bridges and Structures Iowa Dept. of Transportation 800 Lincoln Way <br> Ames, IA 50010 <br> Phone: 515-233-7920 Fax: 515-239-1978 <br> E-mail: kenneth.dunker@dot.iowa.gov | Database to be completed by Feb 2008 | The lowa State research team is being led by Sri Sritharan (PI) and Muhannad Suleiman (Co-PI) |
| Tennessee | Houston Walker | Civil Engineering Manager 2 TDOT Structures Division 1100 James K. Polk Bldg. Nashville, TN 37243-0339 (615) 741-5335 Houston.Walker@state.tn.us | email attachments | Load Test Data from Tennessee DOT on 3 projects <br> Spanning from 2002 thru 2005 <br> Mclemore Dynamic Load Test <br> Heathcott Load Tests <br> Garland Load Tests |
| Connecticut | Leo Fontaine |  | mail | $\begin{aligned} & \text { Connecticut DOT Results of Static Load Tests from } \\ & 13 \text { Projects } \\ & 1966-1999 \end{aligned}$ |
| West Virginia | Jim Fisher | WVDOT | email attachments | Driven Pile Foundations, US35 Flyover Ramp 5, Putnam County, West Virginia. <br> H.C. Nutting Company, Report May 10, 2006 compiled by Joe Carte - geotechnical eng. on project |
| Missouri | David Straatmann | Senior Structural Engineer <br> MoDOT Bridge Division <br> Ph: 573.526.4855 <br> e-mail: David.Straatmann@modot.mo.gov | email attachments | $\begin{array}{\|l\|} \hline \text { Pile Dynamic Analysis, Bridge A7077, US 136, } \\ \text { Mercer County Missouri } \\ \text { Geotechnology, Inc. Report No. 0941901.71KS, July } \\ 31,2007 \end{array}$ |

## APPENDIX D

## S-PLUS PROGRAM OUTPUT

## DEVELOPMENT OF THE GENERAL AND DETAILED MN/DOT NEW DYNAMIC PILE CAPACITY EQUATION

Table D-1. S-PLUS Linear Regression Analysis - General Equation

| Pile Type | Condition | No. of <br> Cases | Searched <br> Coefficient | Coefficient of <br> Determination $\mathbf{r}^{2}$ | Detailed Output Location |
| :---: | :---: | :---: | :---: | :---: | :---: |
| H | All Cases | 135 | 35.814 | 0.880 | pg. D-2 \& Figure D-1 |
| H | All excluding Cook's Outliers | 132 | 35.170 | 0.896 | pg. D-3 \& Figure D-2 |
| H | EOD Only | 125 | 35.660 | 0.896 | pg. D-5 \& Figure D-3 |
| H | EOD excluding Cook Outlier's | 123 | 34.550 | 0.914 | pg. D-6 \& Figure D-4 |
| Pipe | All Cases | 128 | 35.866 | 0.861 | pg. D-8 \& Figure D-5 |
| Pipe | All excluding Cook's Outliers | 125 | 34.875 | 0.877 | pg. D-9 \& Figure D-6 |
| Pipe | EOD Only | 102 | 37.142 | 0.851 | pg. D-11 \& Figure D-7 |
| Pipe | EOD excluding Cook Outlier's | 99 | 35.866 | 0.868 | pg. D-12 \& Figure D-8 |

Notes:

1. See section 4.9 for details
2. The following output files and Cook's outlier analysis charts present in progressive order the cases summarized in the above table.

Table D-2. S-PLUS Linear Regression Analysis - Detailed Equation

| $\begin{array}{\|c\|} \hline \text { Pile } \\ \text { Type } \end{array}$ | Condition | No. of Cases | Searched Coefficient ${ }^{1}$ | Coefficient of Determination $r^{2}$ | Detailed Output Location |
| :---: | :---: | :---: | :---: | :---: | :---: |
| H | EOD Only | 125 | 35.637 | 0.896 | pg. D-14, Fig. D-9 |
| H | EOD Only excluding Cook's Outliers | 122 | 34.151 | 0.925 | pg. D-15, Fig. D-10 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 39 | 33.527 | 0.907 | pg. D-16, Fig. D-11 |
| H | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | 38 | 32.126 | 0.935 | pg. D-17, Fig. D-12 |
| H | EOD, Diesel Hammer, MnDOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 13 | 34.401 | 0.870 | pg. D-18, Fig. D-13 |
| H | EOD, Diesel Hammer, MnDOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | 12 | 31.181 | 0.924 | pg. D-19, Fig. D-14 |
| Pipe | EOD Only | 99 | 36.746 | 0.850 | pg. D-20, Fig. D-15 |
| Pipe | EOD Only excluding Cook's Outliers | 97 | 35.839 | 0.859 | pg. D-21, Fig. D-16 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI | 41 | 30.532 | 0.918 | pg. D-22, Fig. D17 |
| Pipe | EOD, Diesel Hammer, B.C. $\geq 4$ BPI excluding Cook's Outliers | 38 | 29.983 | 0.946 | pg. D-23, Fig. D-18 |
| Pipe | EOD, Diesel Hammer, MnDOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI | 16 | 33.294 | 0.974 | pg. D-24, Fig. D-19 |
| Pipe | EOD, Diesel Hammer, MnDOT Energy ${ }^{2}$, B.C. $\geq 4$ BPI excluding Cook's Outliers | 14 | 33.146 | 0.989 | pg. D-25, Fig. D-20 |

Notes:
${ }^{1}$ Searched Coefficient for the equation $R_{u}=$ Coeff $\cdot \sqrt{E_{h}} \bullet \log (10 N)$
${ }^{2} \mathrm{MnDOT}$ energy range contains hammers with rated energies between 42.4 and 75.4 k - ft

## H-Piles All Cases

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Coefficients:
        Gates
    35.81346
Degrees of freedom: 135 total; 134 residual
Residual standard error: 158.5005
Call: lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -429 -86.36-21.32 49.68 779.8
Coefficients:
    Value Std. Error t value Pr(>|t|)
Gates 35.8135 1.1412 31.3814 0.0000
Residual standard error: 158.5 on 134 degrees of freedom
Multiple R-Squared: 0.8802
F-statistic: 984.8 on 1 and 134 degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Coefficients:
        Gates
    35.81346
Degrees of freedom: 135 total; 134 residual
Residual standard error: 158.5005
Call: lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -429 -86.36 -21.32 49.68 779.8
Coefficients:
    Value Std. Error t value Pr(>|t|)
Gates 35.8135 1.1412 31.3814 0.0000
Residual standard error: 158.5 on 134 degrees of freedom
Multiple R-Squared: 0.8802
F-statistic: 984.8 on 1 and 134 degrees of freedom, the p-value is 0
```


## H-Piles 132 Cases - Cook's Outliers Removed

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Coefficients:
        Gates
    35.16964
Degrees of freedom: 132 total; 131 residual
Residual standard error: 143.7643
Call: lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -410.2 -78.6 -17.01 53.57 585.8
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates 35.1696 1.0464 33.6091 0.0000
Residual standard error: 143.8 on 131 degrees of freedom
Multiple R-Squared: 0.8961
F-statistic: 1130 on 1 and 131 degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Coefficients:
        Gates
    35.16964
Degrees of freedom: 132 total; 131 residual
Residual standard error: 143.7643
Call: lm(formula = Static ~ Gates + (-1), data = HPILESALL, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -410.2 -78.6 -17.01 53.57 585.8
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates 35.1696 1.0464 33.6091 0.0000
Residual standard error: 143.8 on 131 degrees of freedom
Multiple R-Squared: 0.8961
F-statistic: 1130 on 1 and 131 degrees of freedom, the p-value is 0
```



## H-Piles EOD

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
    na.exclude)
Coefficients:
    Gates.Param
        35.65916
Degrees of freedom: 125 total; 124 residual
Residual standard error: 141.7361
Call: lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
        na.exclude)
Residuals:
        Min 1Q Median 3Q Max
    -226.8 -81.13-23.69 46.36 576.7
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates.Param 35.6592 1.0924 32.6424 0.0000
Residual standard error: 141.7 on 124 degrees of freedom
Multiple R-Squared: 0.8958
F-statistic: }1066\mathrm{ on 1 and 124 degrees of freedom, the p-value is 0
        *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
        na.exclude)
Coefficients:
    Gates.Param
        35.65916
Degrees of freedom: 125 total; 124 residual
Residual standard error: 141.7361
Call: lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
            na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -226.8 -81.13-23.69 46.36 576.7
Coefficients:
    Value Std. Error t value Pr(>|t|)
Gates.Param 35.6592 1.0924 32.6424 0.0000
Residual standard error: 141.7 on 124 degrees of freedom
Multiple R-Squared: 0.8958
F-statistic: 1066 on 1 and 124 degrees of freedom, the p-value is 0
```


## H-Piles EOD - Cook's Outliers Removed

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
    na.exclude)
Coefficients:
    Gates.Param
        34.54525
Degrees of freedom: 123 total; 122 residual
Residual standard error: 122.4812
Call: lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
        na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -205.4 -73.69-10.65 55.92 552.6
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates.Param 34.5453 0.9591 36.0184 0.0000
Residual standard error: 122.5 on 122 degrees of freedom
Multiple R-Squared: 0.914
F-statistic: 1297 on 1 and 122 degrees of freedom, the p-value is 0
        *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
    na.exclude)
Coefficients:
    Gates.Param
        34.54525
Degrees of freedom: 123 total; 122 residual
Residual standard error: 122.4812
Call: lm(formula = Static ~ Gates.Param + (-1), data = HPILESEOD, na.action =
        na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -205.4 -73.69 -10.65 55.92 552.6
Coefficients:
                        Value Std. Error t value Pr(>|t|)
Gates.Param 34.5453 0.9591 36.0184 0.0000
Residual standard error: 122.5 on 122 degrees of freedom
Multiple R-Squared: 0.914
F-statistic: 1297 on 1 and 122 degrees of freedom, the p-value is 0
```



Figure D-3. H Piles EOD Data only


Figure D-4. H Piles EOD Data only - Cook's Outliers Removed

## Pipe Piles All Cases

```
Call: *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
    = na.exclude)
Coefficients:
    Gates.Parameters
            35.86644
Degrees of freedom: 128 total; 127 residual
Residual standard error: 174.9289
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
        = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -293.8-105.2 -36.11 63.76 548.6
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates.Parameters 35.8664 1.2802 28.0170 0.0000
Residual standard error: 174.9 on 127 degrees of freedom
Multiple R-Squared: 0.8607
F-statistic: }785\mathrm{ on 1 and }127\mathrm{ degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
        = na.exclude)
Coefficients:
    Gates.Parameters
                35.86644
Degrees of freedom: 128 total; 127 residual
Residual standard error: 174.9289
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
            = na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -293.8 -105.2 -36.11 63.76 548.6
Coefficients:
                        Value Std. Error t value Pr(>|t|)
Gates.Parameters 35.8664 1.2802 28.0170 0.0000
Residual standard error: 174.9 on 127 degrees of freedom
Multiple R-Squared: 0.8607
F-statistic: }785\mathrm{ on 1 and }127\mathrm{ degrees of freedom, the p-value is 0
```


## Pipe Piles All Cases - Cook’s Outliers Removed

```
Call: *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
    = na.exclude)
Coefficients:
    Gates.Parameters
            34.87463
Degrees of freedom: 125 total; 124 residual
Residual standard error: 158.0164
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
        = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -280.7 -96.2 -24.78 59.88 473.3
Coefficients:
            Value Std. Error t value Pr(>|t|)
Gates.Parameters 34.8746 1.1706 29.7913 0.0000
Residual standard error: }158\mathrm{ on }124\mathrm{ degrees of freedom
Multiple R-Squared: 0.8774
F-statistic: 887.5 on 1 and 124 degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
        = na.exclude)
Coefficients:
    Gates.Parameters
                34.87463
Degrees of freedom: 125 total; 124 residual
Residual standard error: 158.0164
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESALL, na.action
            = na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -280.7 -96.2 -24.78 59.88 473.3
Coefficients:
                        Value Std. Error t value Pr(>|t|)
Gates.Parameters 34.8746 1.1706 29.7913 0.0000
Residual standard error: }158\mathrm{ on }124\mathrm{ degrees of freedom
Multiple R-Squared: 0.8774
F-statistic: 887.5 on 1 and 124 degrees of freedom, the p-value is 0
```




Figure D-6. Pipe Piles All Cases - Cooks Outliers Removed

## Pipe Piles EOD

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
    = na.exclude)
Coefficients:
    Gates.Parameters
            37.14222
Degrees of freedom: 102 total; 101 residual
Residual standard error: 184.3219
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
        = na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -310.7 -102 -36.67 72.97 536
Coefficients:
                Value Std. Error t value Pr(>|t|)
Gates.Parameters 37.1422 1.5487 23.9822 0.0000
Residual standard error: 184.3 on 101 degrees of freedom
Multiple R-Squared: 0.8506
F-statistic: 575.1 on 1 and 101 degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
        = na.exclude)
Coefficients:
    Gates.Parameters
                37.14222
Degrees of freedom: 102 total; 101 residual
Residual standard error: 184.3219
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
            = na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -310.7 -102 -36.67 72.97 536
Coefficients:
                        Value Std. Error t value Pr(>|t|)
Gates.Parameters 37.1422 1.5487 23.9822 0.0000
Residual standard error: 184.3 on 101 degrees of freedom
Multiple R-Squared: 0.8506
F-statistic: 575.1 on 1 and 101 degrees of freedom, the p-value is 0
```


## Pipe Piles EOD - Cook's Outliers Removed

```
*** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
    = na.exclude)
Coefficients:
    Gates.Parameters
            35.86638
Degrees of freedom: 99 total; 98 residual
Residual standard error: 165.4422
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
        = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -293.8 -90.5 -25.07 68.45 468.1
Coefficients:
Value Std. Error t value Pr(>|t|)
Gates.Parameters 35.8664 1.4128 25.3868 0.0000
Residual standard error: 165.4 on 98 degrees of freedom
Multiple R-Squared: 0.868
F-statistic: 644.5 on 1 and 98 degrees of freedom, the p-value is 0
    *** Linear Model ***
Call:
lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
        = na.exclude)
Coefficients:
    Gates.Parameters
                35.86638
Degrees of freedom: 99 total; 98 residual
Residual standard error: 165.4422
Call: lm(formula = Static ~ Gates.Parameters + (-1), data = PIPEPILESEOD, na.action
            = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -293.8 -90.5 -25.07 68.45 468.1
Coefficients:
                    Value Std. Error t value Pr(>|t|)
Gates.Parameters 35.8664 1.4128 25.3868 0.0000
Residual standard error: 165.4 on 98 degrees of freedom
Multiple R-Squared: 0.868
F-statistic: 644.5 on 1 and 98 degrees of freedom, the p-value is 0
```



Figure D-7. Pipe Piles EOD Data only


Figure D-8. Pipe Piles EOD Data only Cooks Outliers Removed

## H-Piles EOD Data Only

```
    *** Linear Model ***
Call: lm(formula = static ~ xaxis + (-1), data = HPileB, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -226.4 -88.21 -23.44 46.61 577.1
Coefficients:
    Value Std. Error t value Pr(>|t|)
xaxis 35.6374 1.0930 32.6049 0.0000
Residual standard error: 141.9 on 124 degrees of freedom
Multiple R-Squared: 0.8955
F-statistic: 1063 on 1 and 124 degrees of freedom, the p-value is 0
```



Figure D-9. H-Piles EOD Data Only

## H-Piles EOD Data only Cooks Outliers Removed

```
*** Linear Model ***
Call: lm(formula = static ~ xaxis + (-1), data = HPileBoutlier, na.action =
    na.exclude)
Residuals:
            Min 1Q Median 3Q Max
    -197.8 -72.03 -8.06 58.74 331
Coefficients:
    Value Std. Error t value Pr(>|t|)
xaxis 34.1512 0.8824 38.7036 0.0000
Residual standard error: 112.3 on 121 degrees of freedom
Multiple R-Squared: 0.9253
F-statistic: 1498 on 1 and 121 degrees of freedom, the p-value is 0
```



Figure D-10. H-Piles EOD Data only Cooks Outliers Removed

H- Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data Only

```
    *** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = HPileB6, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -185.8 -102.7 -43.94 64.35 616.3
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 33.5265 1.7397 19.2714 0.0000
Residual standard error: 160.6 on 38 degrees of freedom
Multiple R-Squared: 0.9072
    F-statistic: 371.4 on 1 and 38 degrees of freedom, the p-value is 0
```



Figure D-11. H- Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data Only

H- Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

```
    *** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = HPileB6outlier, na.action =
    na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -163.8 -88.7 -30.51 79.12 347
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 32.1261 1.3895 23.1204 0.0000
Residual standard error: 125.6 on 37 degrees of freedom
Multiple R-Squared: 0.9353
F-statistic: 534.6 on 1 and 37 degrees of freedom, the p-value is 0
```



Figure D-12. H- Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

H- Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data Only

```
    *** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = HPileB8, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -202.6 -170.4 -90.56 50.62 600
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 34.4015 3.8412 8.9560 0.0000
Residual standard error: 237 on 12 degrees of freedom
Multiple R-Squared: 0.8699
F-statistic: 80.21 on 1 and 12 degrees of freedom, the p-value is 1.163e-006
```



Figure D-13. H- Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data Only

H- Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

```
    *** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = HPileB8outlier, na.action =
    na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -140.6 -106.9 -47.61 11.98 360.3
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 31.1813 2.7020 11.5402 0.0000
Residual standard error: 159 on 11 degrees of freedom
Multiple R-Squared: 0.9237
F-statistic: 133.2 on 1 and 11 degrees of freedom, the p-value is 1.736e-007
```



Figure D-14. H- Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

## Pipe Piles EOD Data Only

```
    *** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePileC, na.action = na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -305.4 -98.6 -33.28 66.5 539.9
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 36.7454 1.5601 23.5533 0.0000
Residual standard error: 184.3 on 98 degrees of freedom
Multiple R-Squared: 0.8499
F-statistic: 554.8 on 1 and 98 degrees of freedom, the p-value is 0
```



Figure D-15. Pipe Piles EOD Data Only

## Pipe Piles EOD Data only Cooks Outliers Removed

```
*** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePileCoutlier, na.action =
    na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -293.4 -91.55-26.43 67.04 548.9
Coefficients:
        Value Std. Error t value Pr(>|t|)
x.axis 35.8385 1.4821 24.1801 0.0000
Residual standard error: 172.9 on 96 degrees of freedom
Multiple R-Squared: 0.859
F-statistic: 584.7 on 1 and 96 degrees of freedom, the p-value is 0
```



Figure D-16. Pipe Piles EOD Data only Cooks Outliers Removed

Pipe Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data Only

```
*** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePileC6, na.action = na.exclude
Residuals:
        Min 1Q Median 3Q Max
    -223.3 -114.9 -4.687 67.63 396.9
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 30.5316 1.4448 21.1319 0.0000
Residual standard error: 129.8 on 40 degrees of freedom
Multiple R-Squared: 0.9178
F-statistic: 446.6 on 1 and 40 degrees of freedom, the p-value is 0
```



Figure D-17. Pipe Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data Only

## Pipe Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

```
*** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePileC6outlier, na.action =
    na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -213 -105.8 -3.668 68.33 160.8
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 29.9826 1.1816 25.3746 0.0000
Residual standard error: 103.3 on 37 degrees of freedom
Multiple R-Squared: 0.9457
F-statistic: 643.9 on 1 and 37 degrees of freedom, the p-value is 0
```



Figure D-18. Pipe Piles EOD, Diesel Hammer, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

Pipe Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data Only

```
*** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePilec8, na.action = na.exclude
Residuals:
    Min 1Q Median 3Q Max
    -135.1 -42.37 2.814 40.02 228.1
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 33.2942 1.3926 23.9087 0.0000
Residual standard error: 87.54 on 15 degrees of freedom
Multiple R-Squared: 0.9744
F-statistic: 571.6 on 1 and 15 degrees of freedom, the p-value is 2.343e-013
```



Figure D-19. Pipe Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data Only

Pipe Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed

```
*** Linear Model ***
Call: lm(formula = Static ~ x.axis + (-1), data = PipePileC8outlier, na.action =
    na.exclude)
Residuals:
    Min 1Q Median 3Q Max
    -101 -29.49 5.082 36.99 108.1
Coefficients:
    Value Std. Error t value Pr(>|t|)
x.axis 33.1458 0.9924 33.3990 0.0000
Residual standard error: 58.57 on 13 degrees of freedom
Multiple R-Squared: 0.9885
F-statistic: 1115 on 1 and 13 degrees of freedom, the p-value is 5.473e-014
```



Figure D-20. Pipe Piles EOD, Diesel Hammer, Mn/DOT Energy Range, and B.C. $\geq$ 4BPI Data only Cooks Outliers Removed


[^0]:    Notes: 1. Ram weight based on manufacturer's datasheet (Delmag, and APE)
    2. Impact block and helmet weights are based on WEAP (2006)
    3. $\mathrm{HP} 12 \times 53$ weight $=40 \mathrm{ft} \times 53 \mathrm{lb} / \mathrm{ft}=2.12 \mathrm{kips}$
    4. Pipe Pile $12 \times 0.25$ weight $=70 \mathrm{ft} \times 31.4 \mathrm{lb} / \mathrm{ft}=2.20 \mathrm{kips}$

